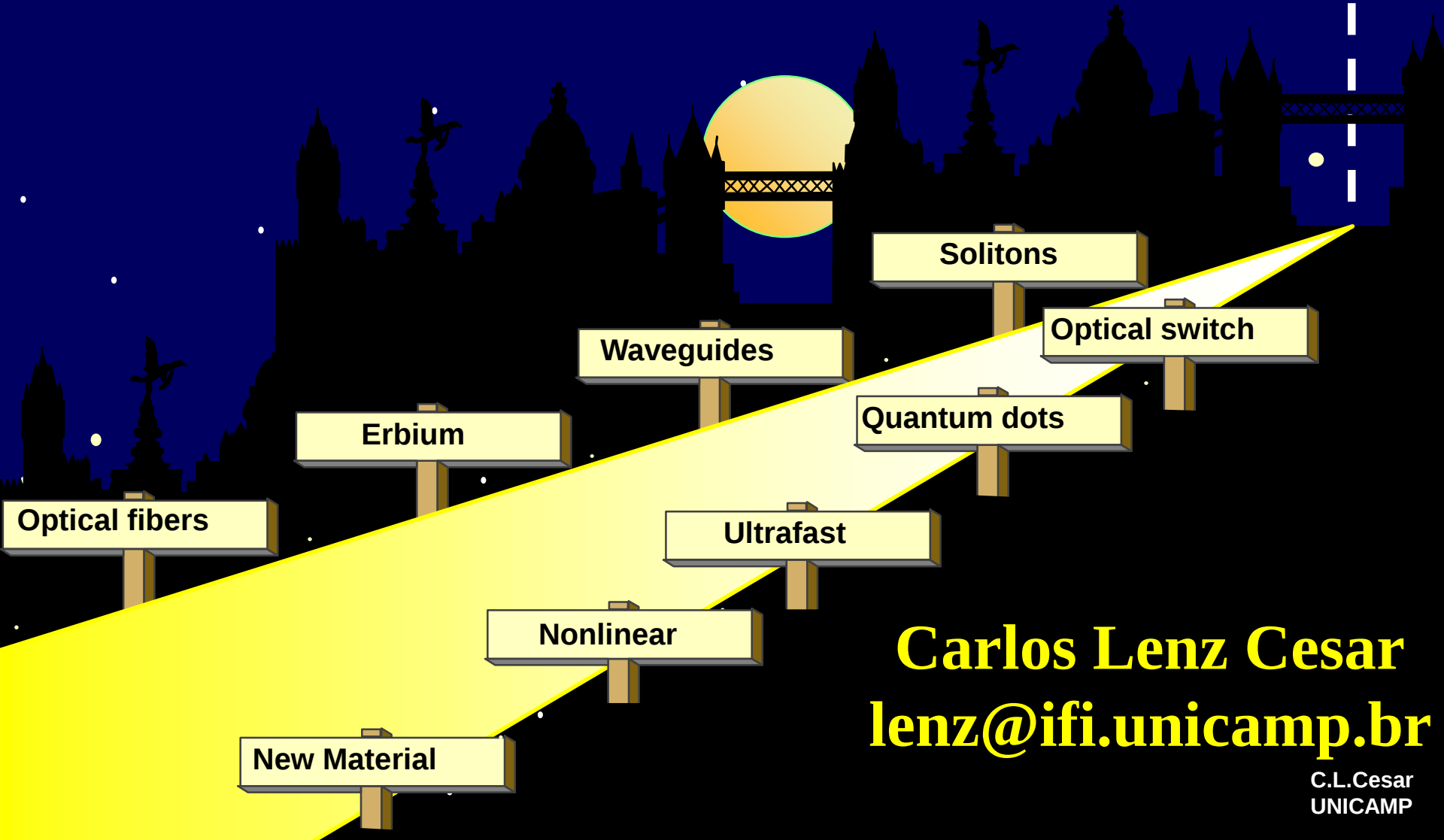


Quantum Dots

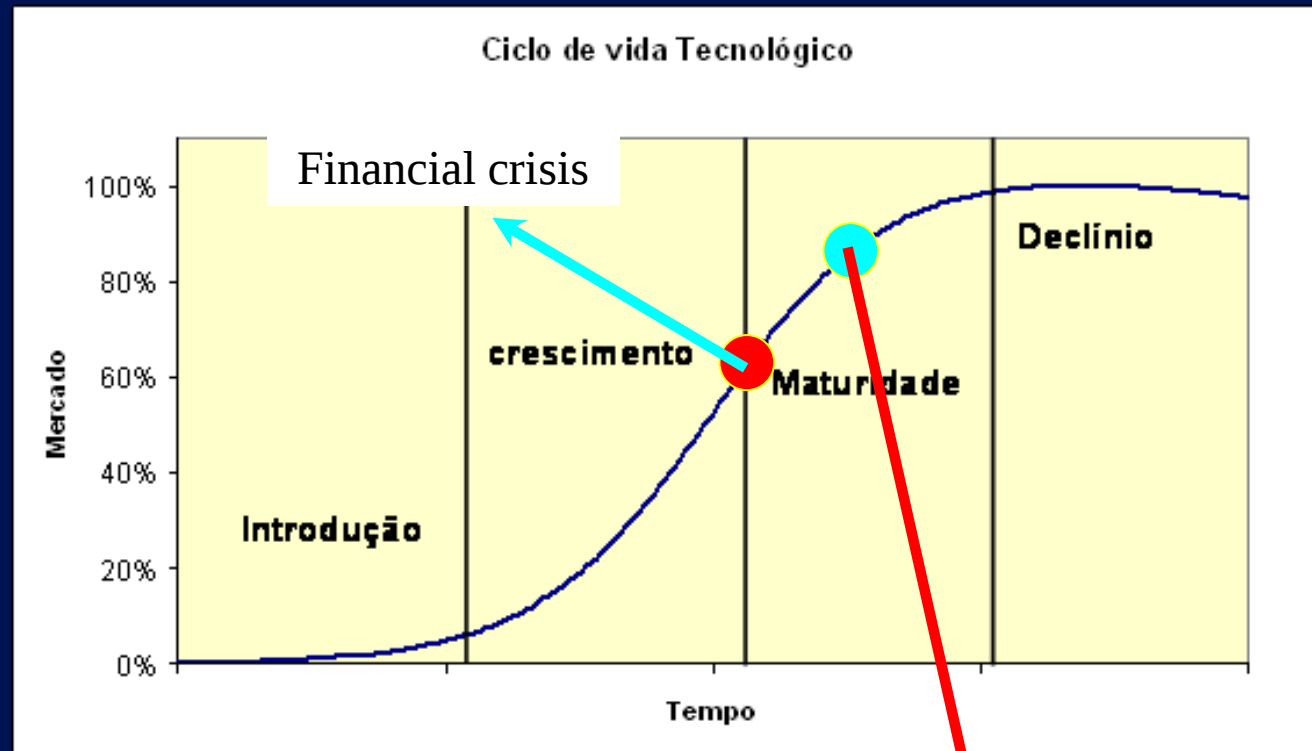
100 Gbit/s



Carlos Lenz Cesar
lenz@ifi.unicamp.br

C.L.Cesar
UNICAMP

Carlota Perez: Technological Revolutions and Financial Capital

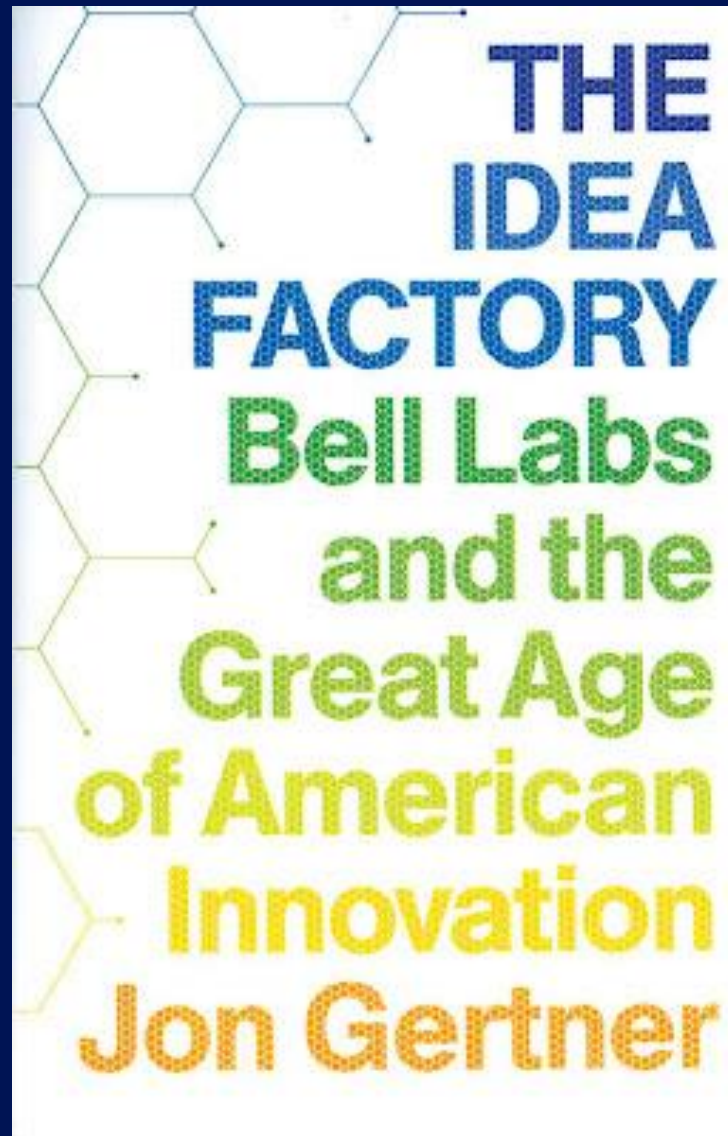


Periphery deployment
No funds for other techwave up to this point

5 Revolutions - ~ 60 years total cycle

1. Industrial Rev. – England – 1771
2. Steam and rail-road – England – 1829
3. Steel and eletricity – England+USA+Germany – 1875
4. Oil, cars and mass production – USA – 1908
5. Information and communications – USA – 1971

Bell Labs na Revolução da Informação



Amplification, amplification, amplification!

Beginning 20th century - Telephone calls < 30 km .
1913 - De Forest sell triode vacuum tube patent to AT&T
San Francisco 1915 World Fair 1st Transcontinental Call



Thomas Atson



Alexander Bell



Theodor Vail

Repercussions: AT&T became a monopoly

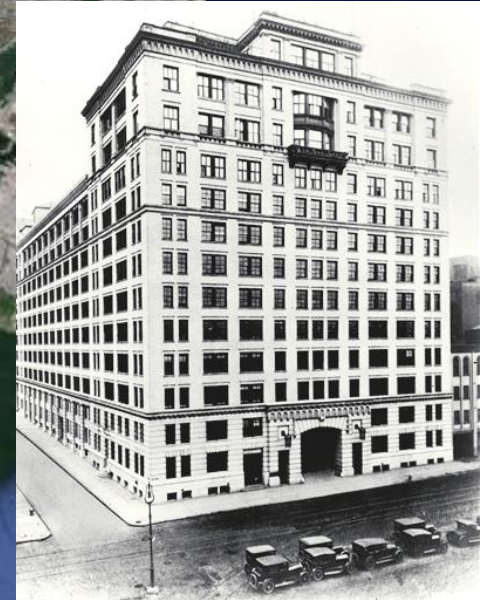
1925: Bell Labs became a company

AT&T and Western Electric only costumers

Bell labs hired PhDs:
Millikan main provider
13 Nobel laureates

Murray Hill NJ

NY

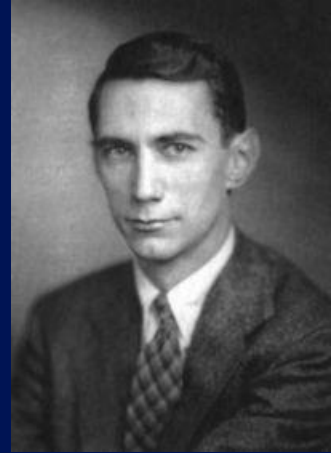


Homdel

1947 marvelous year

Solid State: Transistor - Bardeen + Brattain + Shockley

Information Theory – Claude Shannon



Shockley - Stanford
Silicon Valley



Traitorous 8
Fairchild – 1957

Importance of Bell Labs – 1983 AT&T breakup

Vacuum tubes

Photovoltaics

Transistor

Satellites communications

Cell phone

Laser – semiconductors

Optical fibers

Ultrafast lasers

Non linear optics

Information theory

C

UNIX

13 Nobel laureates

Clinton Davisson – 1937

Bardeen + Brattain + Shockley – 1956

Phil Anderson – 1977

Penzias + Wilson - 1978

Steven Chu – 1997

Stormer + Laughlin + Tsui - 1998

Boyle + Smith – 2009

The beginning: 1971 first INTEL chip

1946 – ENIAC

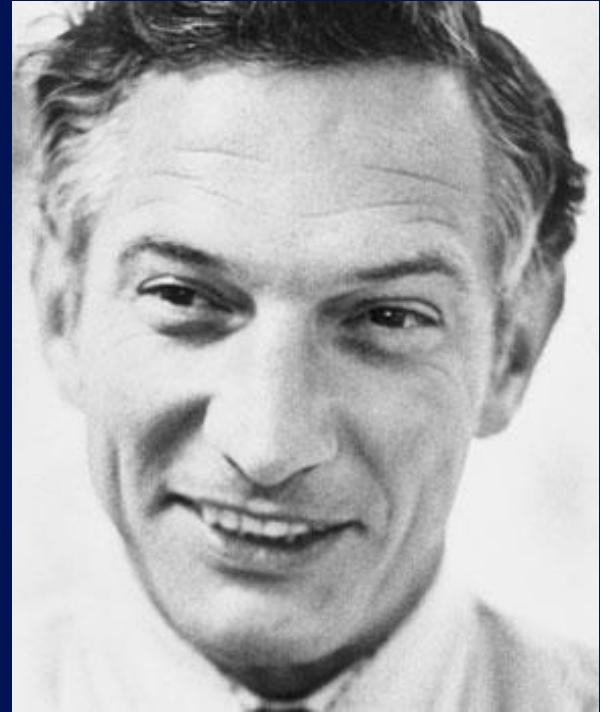
1951 – Texas Instruments

1958 – Noyce & Kilby (Nobel 2000) 1st integrated circuit

1968 - INTEL – 1968 Robert Noyce e Gordon Moore

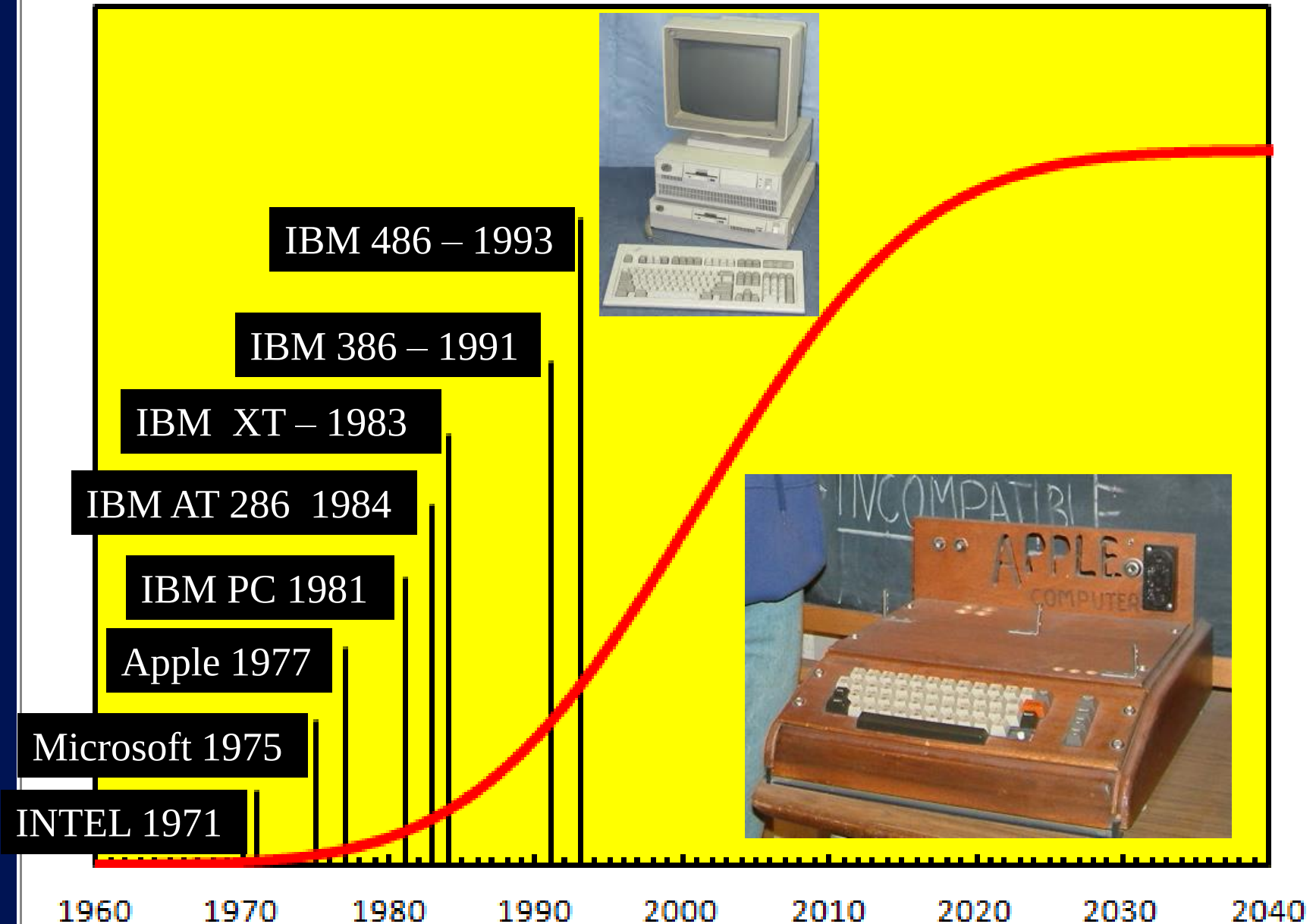


Gordon Moore

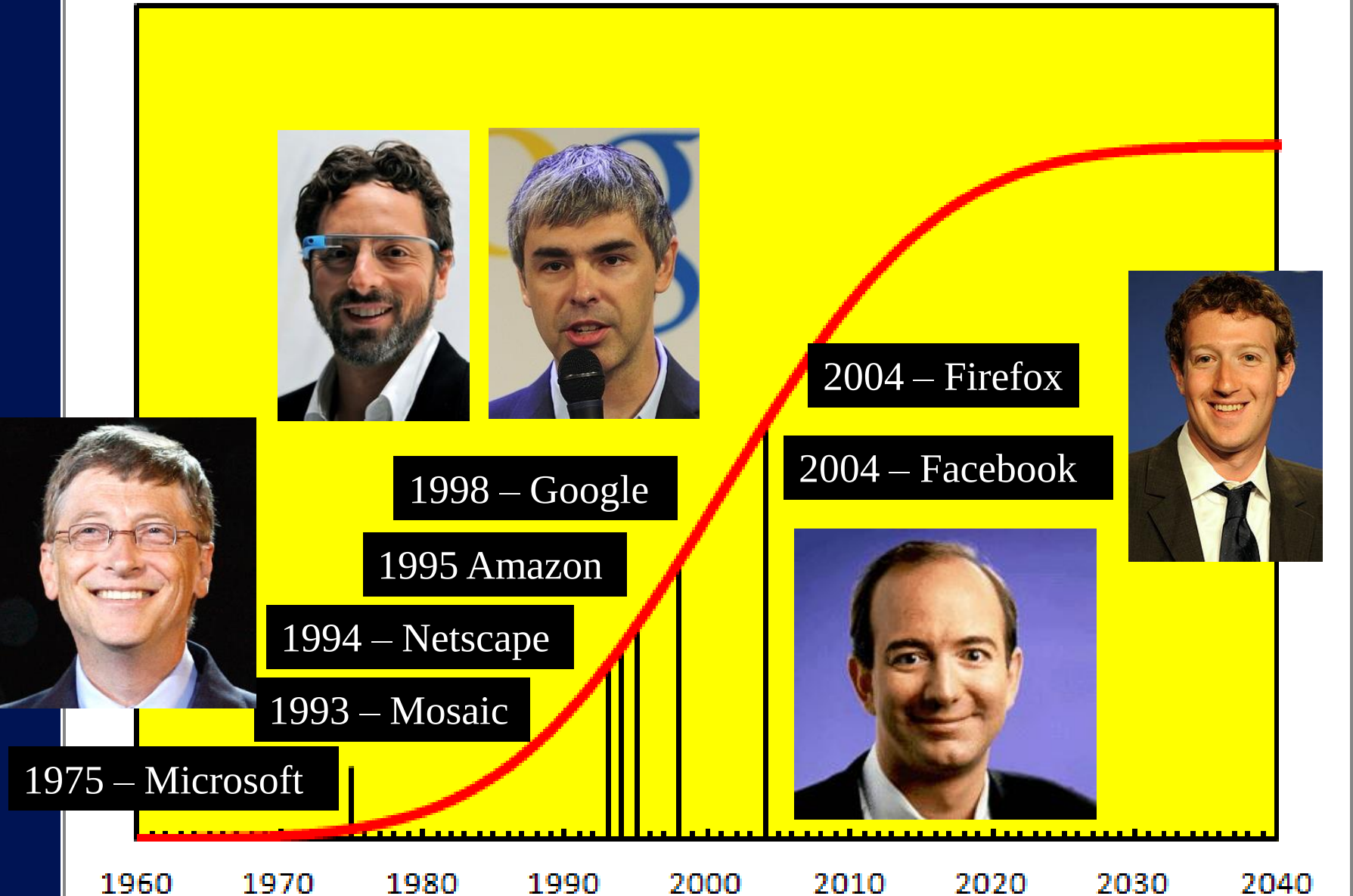


Robert Noyce

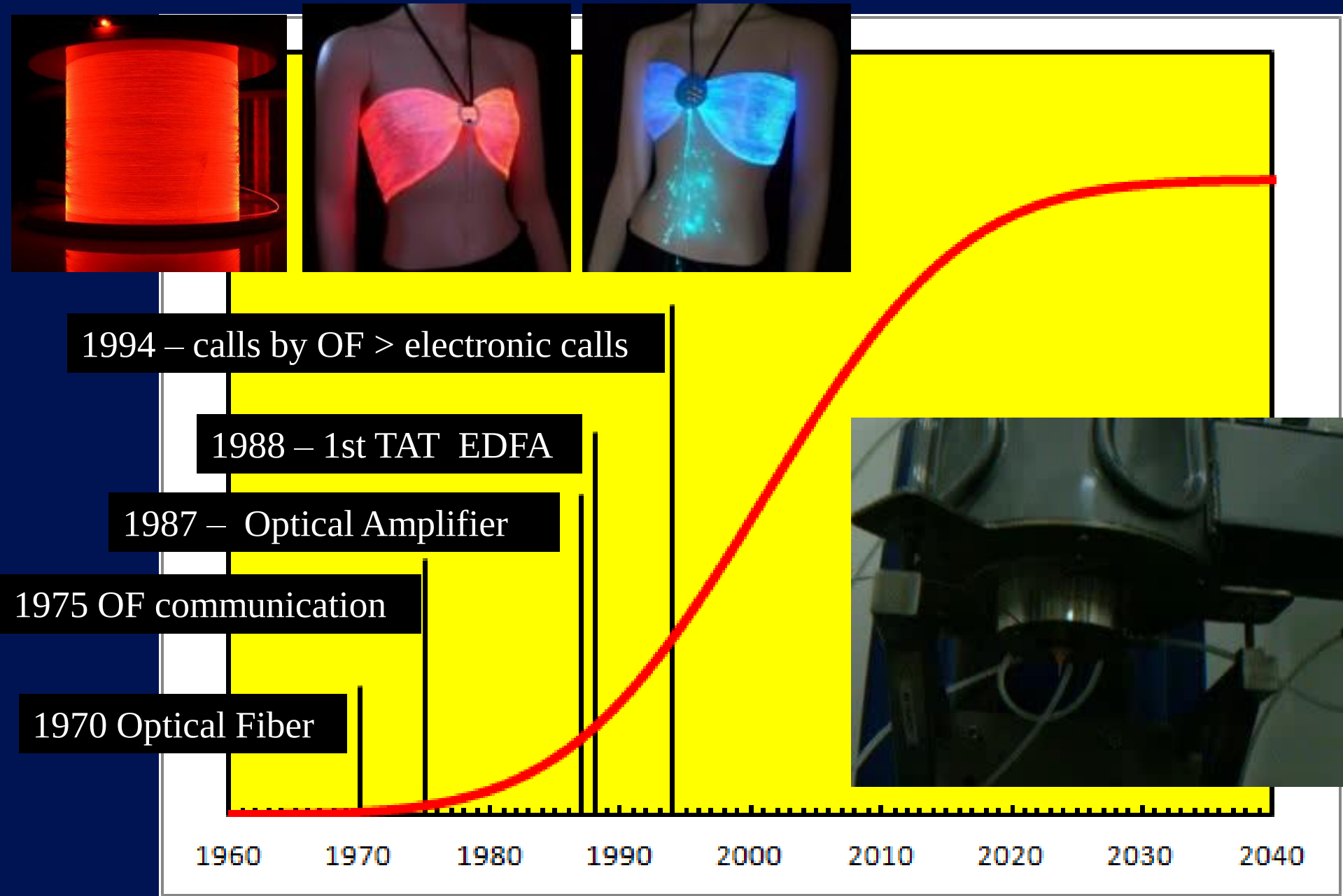
Hardware



Software



Optical Network



Amplification, amplification, amplification!

Optical Erbium Doped Fiber Amplifier



Source: TeleGeography Research

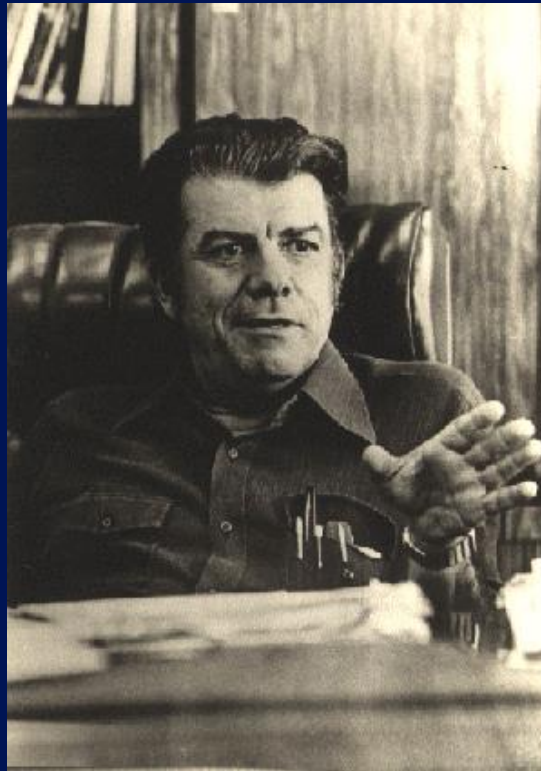
@ 2006 PriMetrica, Inc.

Bell Labs and Brazil

IFGW Founders



José Ellis Ripper Filho



Sérgio Porto



Rogério Cerqueira Leite

Photonics for communications: ultrafast lasers,
Semiconductors, Non linear optics, Optical fibers,
Optical amplifiers



Brito Cruz: 1986-1987



Hugo Fragnito: 1987-1989



Carlos Lenz: 1988 – 1990



Charles Shank:
diretor



Quantum Dots in UNICAMP

Started with CdTe 1990

PbTe 1995

Colloidal 1999

Laser Ablation 2001

Teses sobre Quantum Dots disponíveis no site do IFGW

Orientação: Lenz

Doutorado

Carlos Roberto M. de Oliveira 1995

Gastón E. Tudury 2001

André A. de Thomaz 2013

Diogo B. Almeida 2014

Mestrado

Cristiane O. Faria 2000

Antônio Á. R. Neves 2002

Wendel L. Moreira 2005

Gilberto Júnior Jacob 2005

Diogo B. Almeida 2008

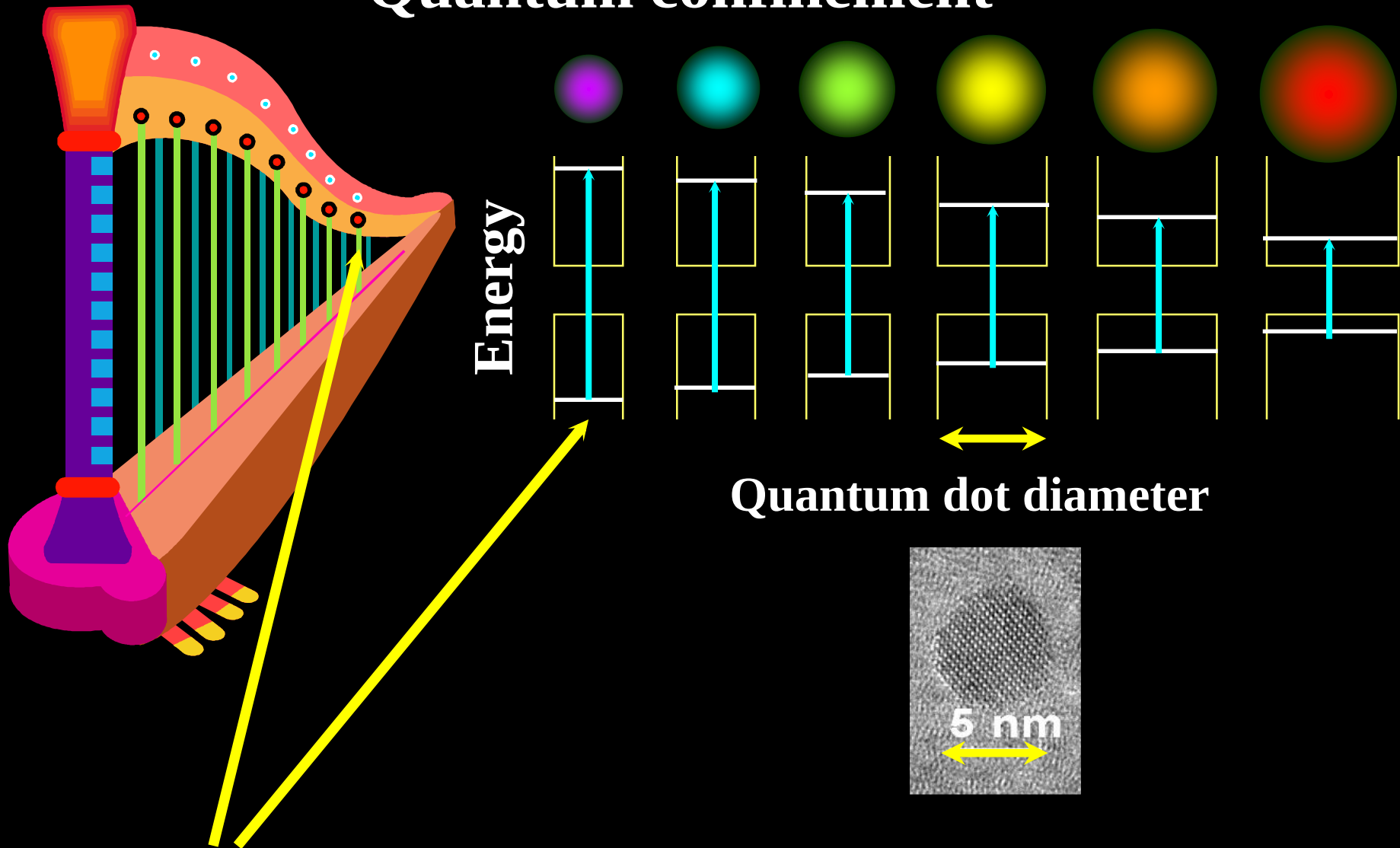
Outras teses Dr. recomendadas:

Eugenio Rodrigues Gonzales 2004

Lázaro A. Padilha Jr. 2006

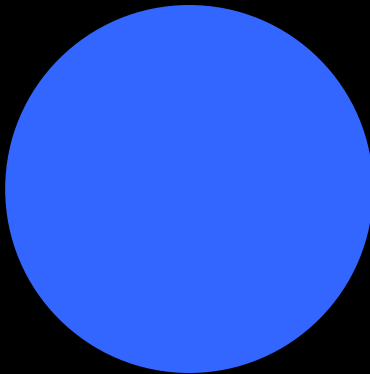
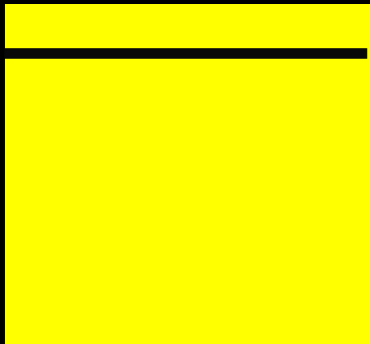
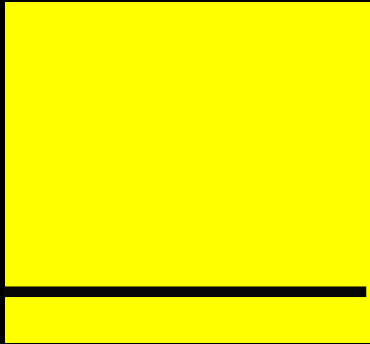
Quantum Dots: size controlled color!

Quantum confinement

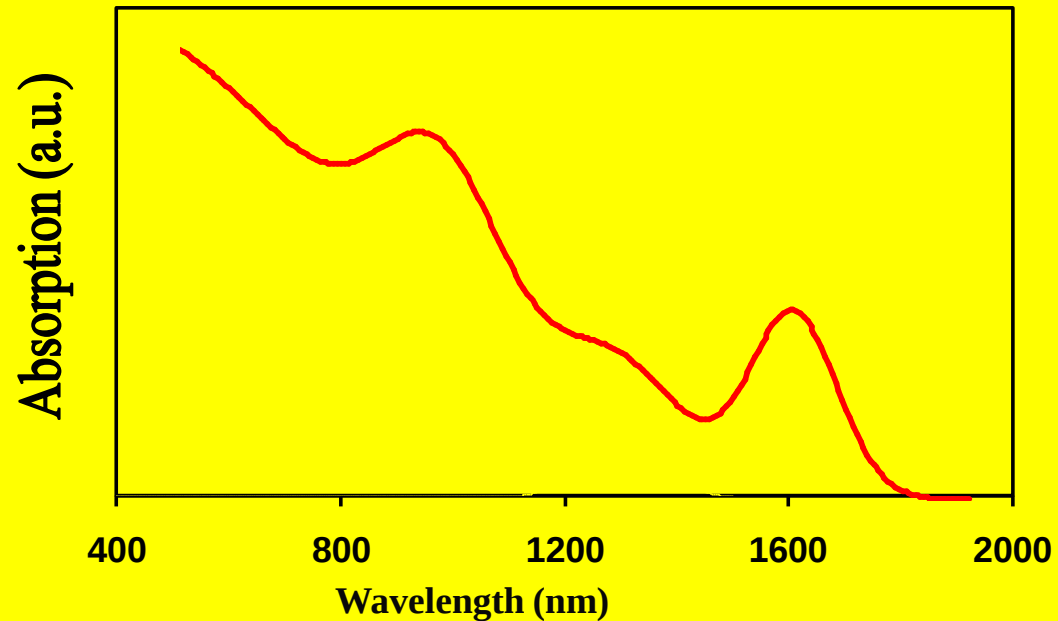


Smaller cord $\rightarrow$ higher frequency $\rightarrow$ higher E $\rightarrow$ smaller λ

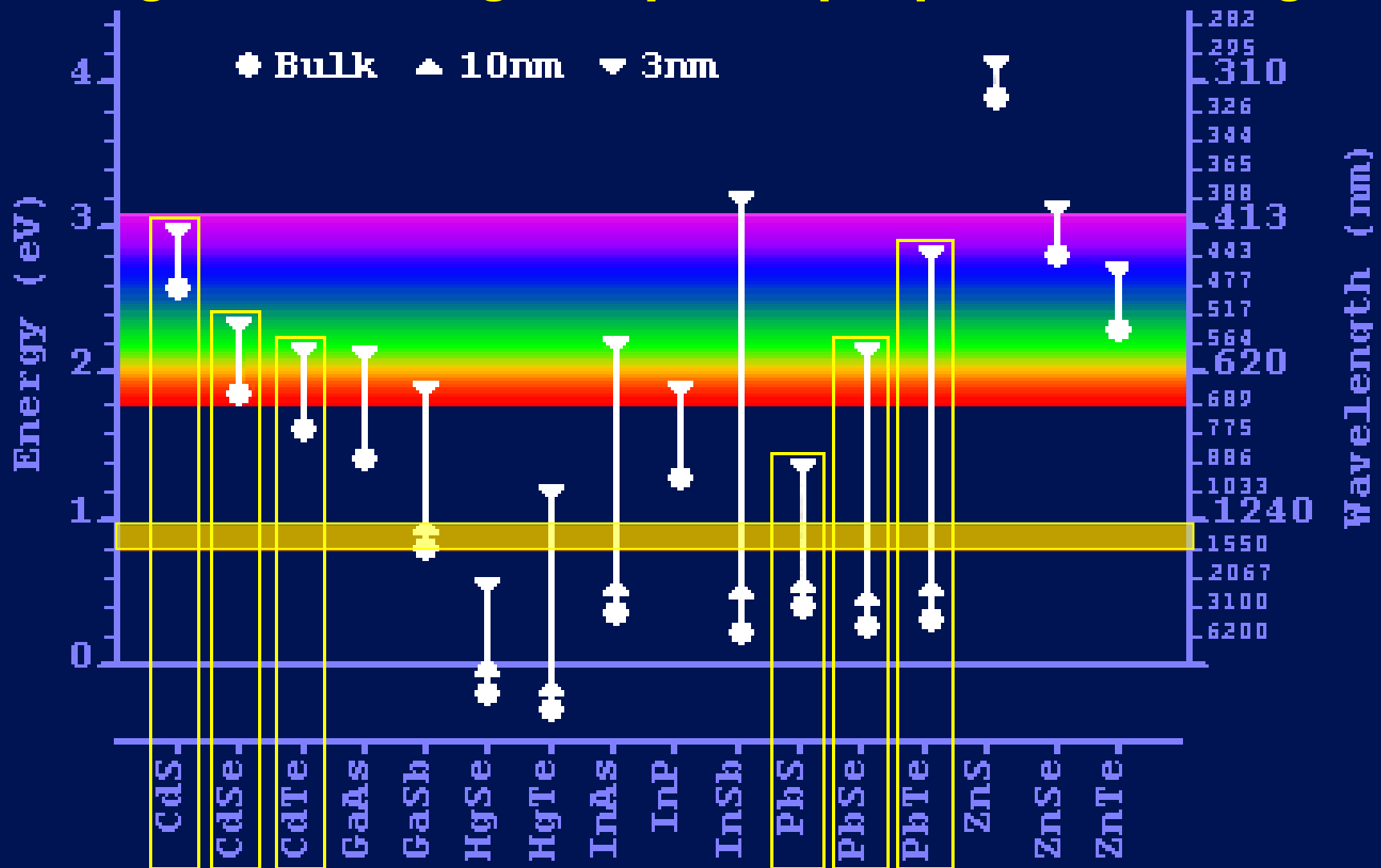
Quantum Dot: quantum confinement and size



Absorption spectra



Right wavelength: optical properties tuning

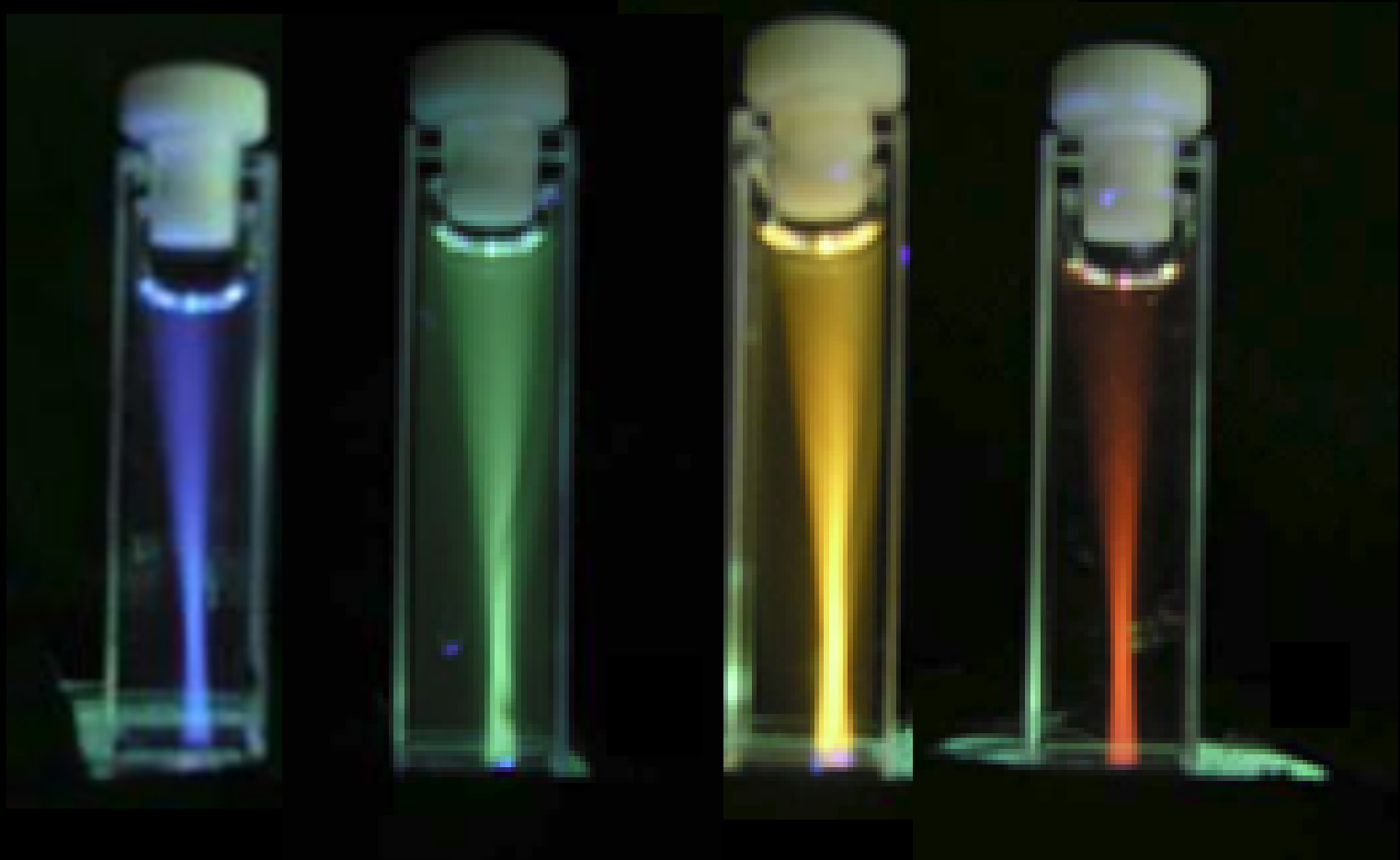


1989

1995

End of controversy quantum confinement vs stoichiometric variation

CdTe Colloidal Quantum Dots Produced at UNICAMP



The many aspects of quantum dots

From fundamental physics and chemistry to digital cameras, improved displays and more natural lighting, nanoscale semiconductor structures called quantum dots are having an impact on many areas of science and technology.

For some reason, semiconductor quantum dots do not feature prominently in the history of nanotechnology. Like molecular beam epitaxy¹, for instance, they have had a much lower profile than the carbon nanotube and various forms of scanning

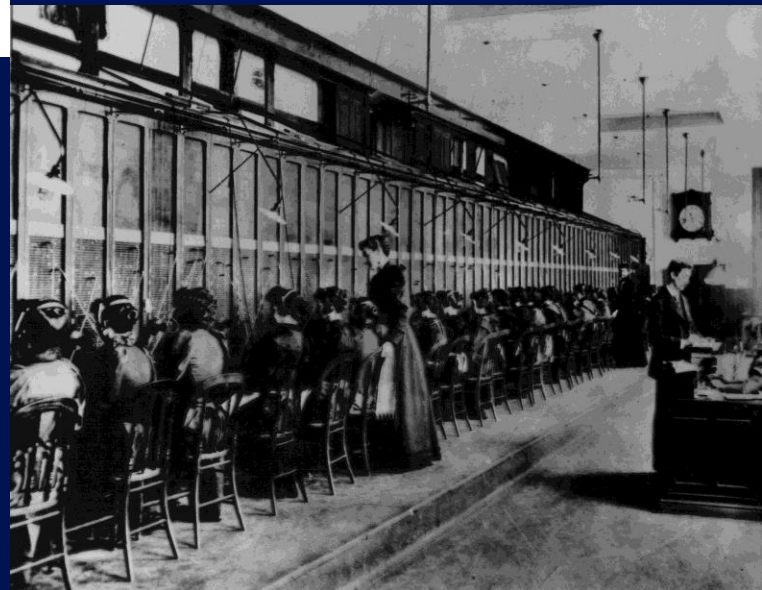
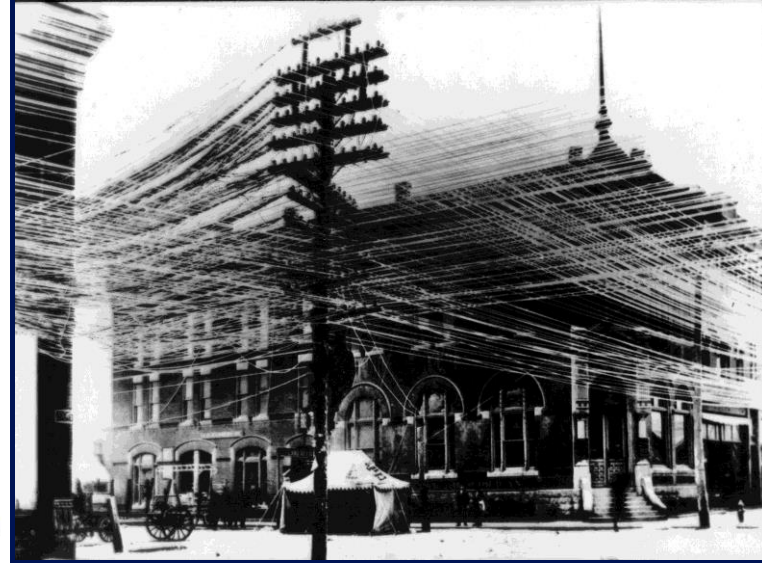
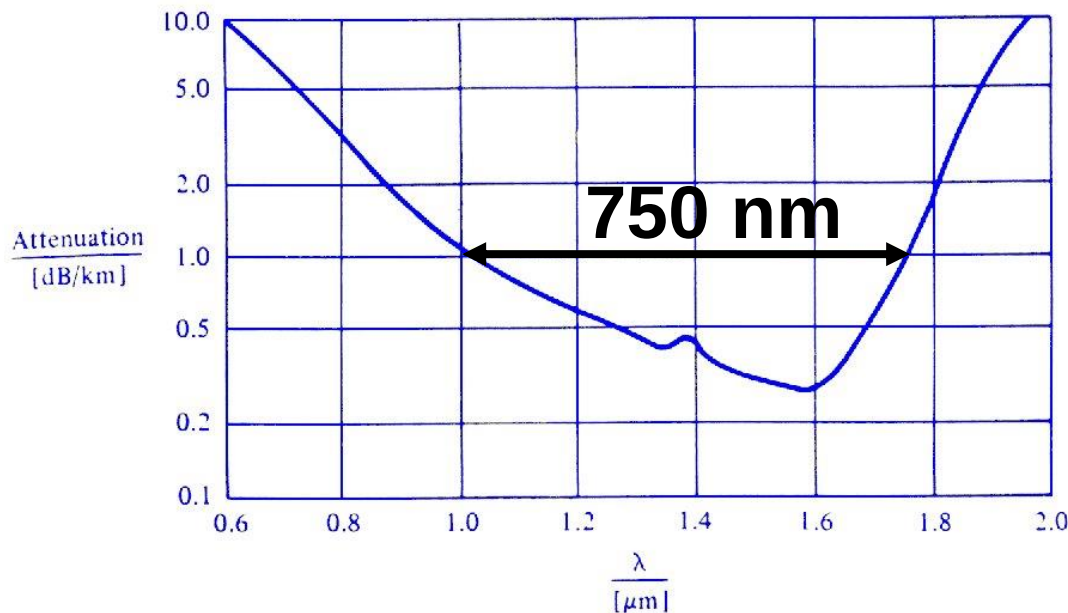
advantages over higher-profile carbon-based nanomaterials for some uses. This is reflected by the range of basic science that can be studied with quantum dots³, and the breadth of potential applications for these materials — and disputes about patents.

Applications and Technological Importance

Switching:

Ultrafast Optical Devices

Optical Communication - On the edge



Typical optical fiber attenuation

Bandwidth for 1 dB/km losses

$$\Delta\lambda = 750 \text{ nm} \Rightarrow \Delta\nu\Delta\tau = 0.44$$

Total Capacity of only one fiber
 $10^{14} = 100 \text{ Tbit/s}$

Optical Device Material Requirements

Devices always based on Δn or $\Delta\alpha$

Dilemma

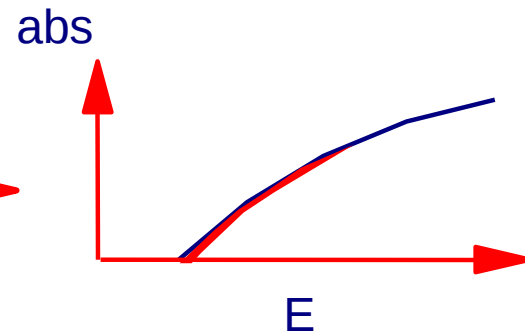
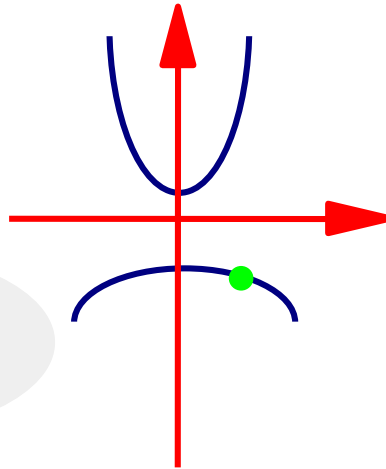
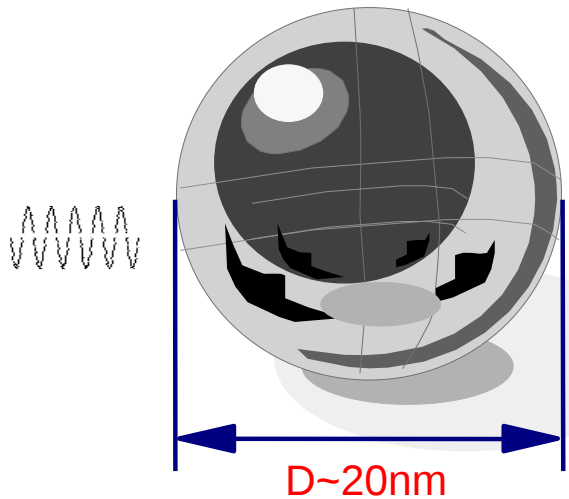
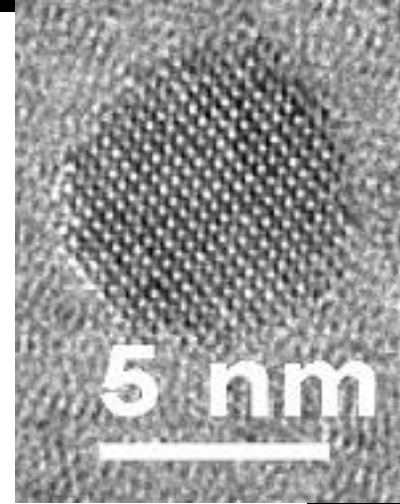
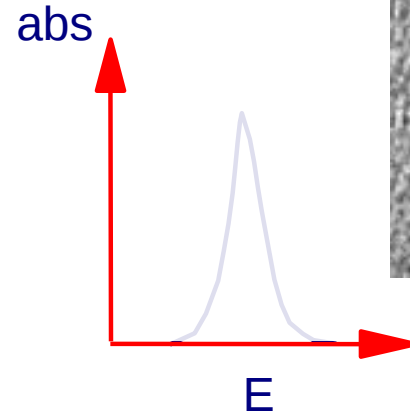
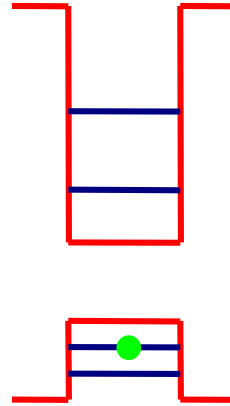
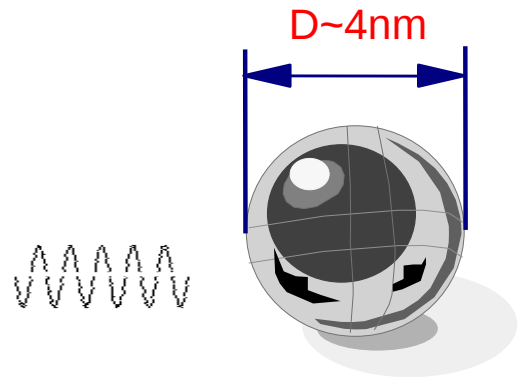
Δn or $\Delta\alpha$	vs	Response time
High Optical Nonlinearity		Ultrafast Response time < 3 ps
resonant: ↑		resonant: ↑
non resonant: ↓		non resonant: ↓

Wavelength: 1.5 or 1.3 μm

Compatible with Optical fibers

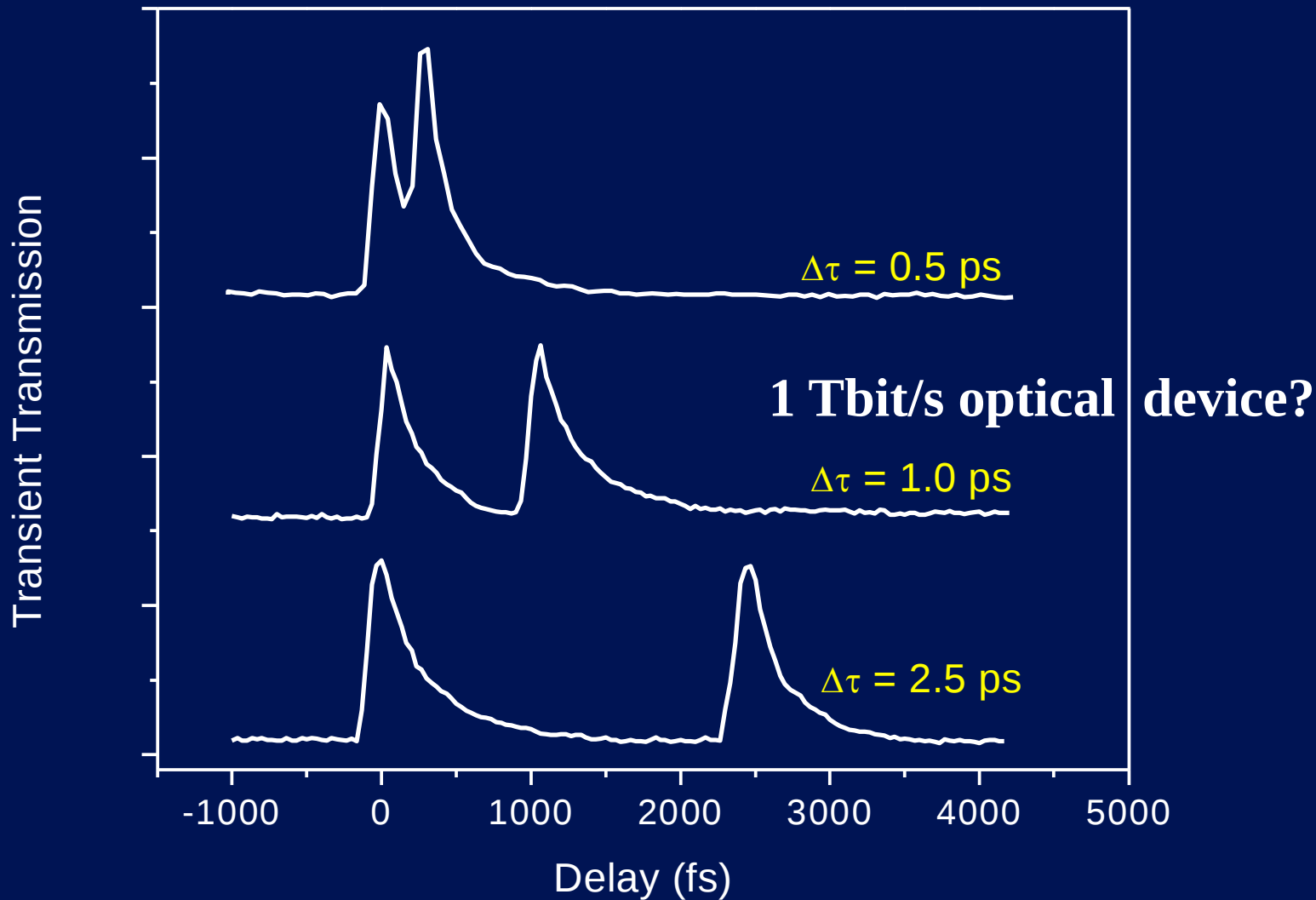
Quantum dots (QD's): dilemma solution

Quantum Dots



High nonlinearity & ultrafast response time:

CdTe quantum dot



Padilha et al, Appl. Phys. Lett. 86 (16), 161111 (2005)

Aplicações dos PQs

Incandescente

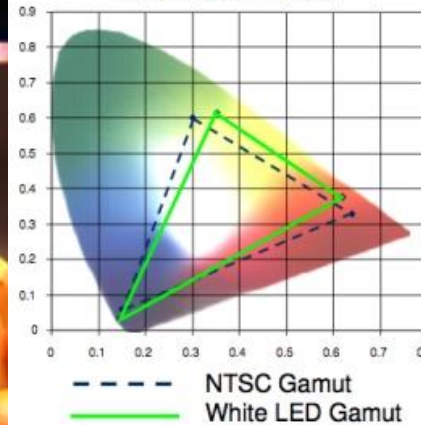
LED

LED + PQ

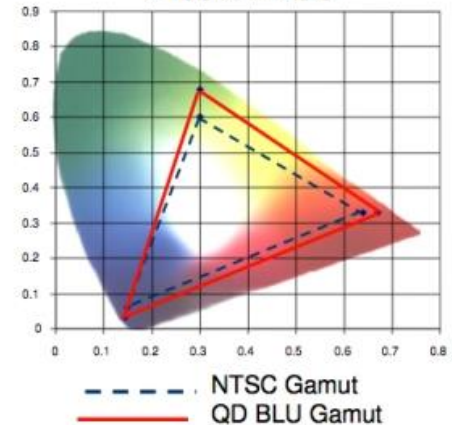


Dramatically improves color vs. white LEDs

White LED BLU
mid-70% NTSC



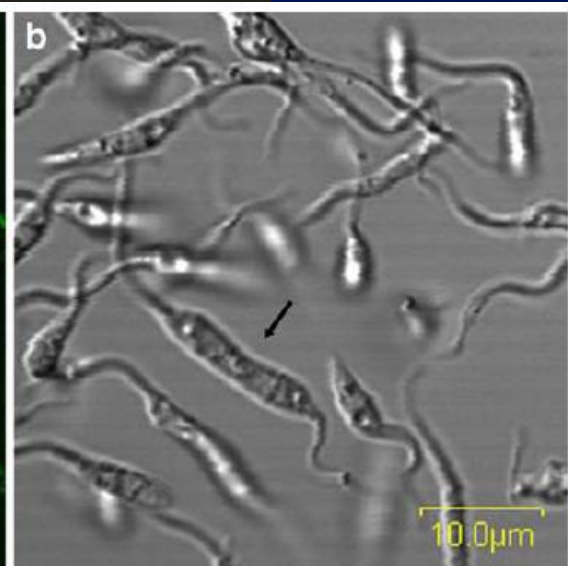
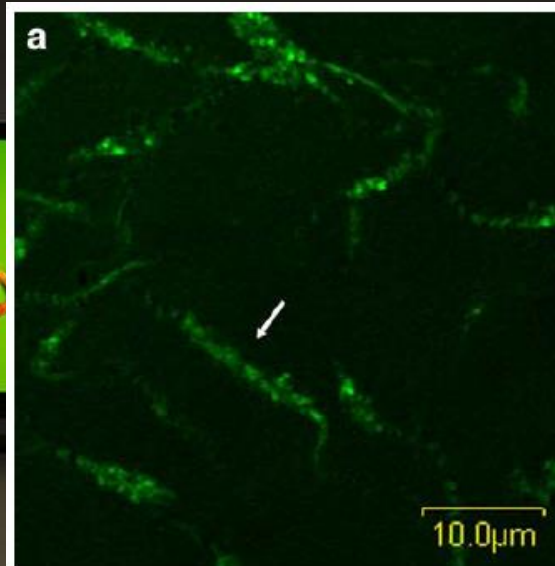
QD-enhanced BLU
>100% NTSC



- LEDs
- Displays

Fótons

- Marcadores Fluorescentes
- Iluminação



Aplicações PQs

Óptica não-linear:

- Chaveamento óptico
- Sistemas de 2 níveis (conversão)

Fótons → Portadores

- Células fotovoltaicas (energia solar)

Processos que precisam de alta eficiência de fluorescência

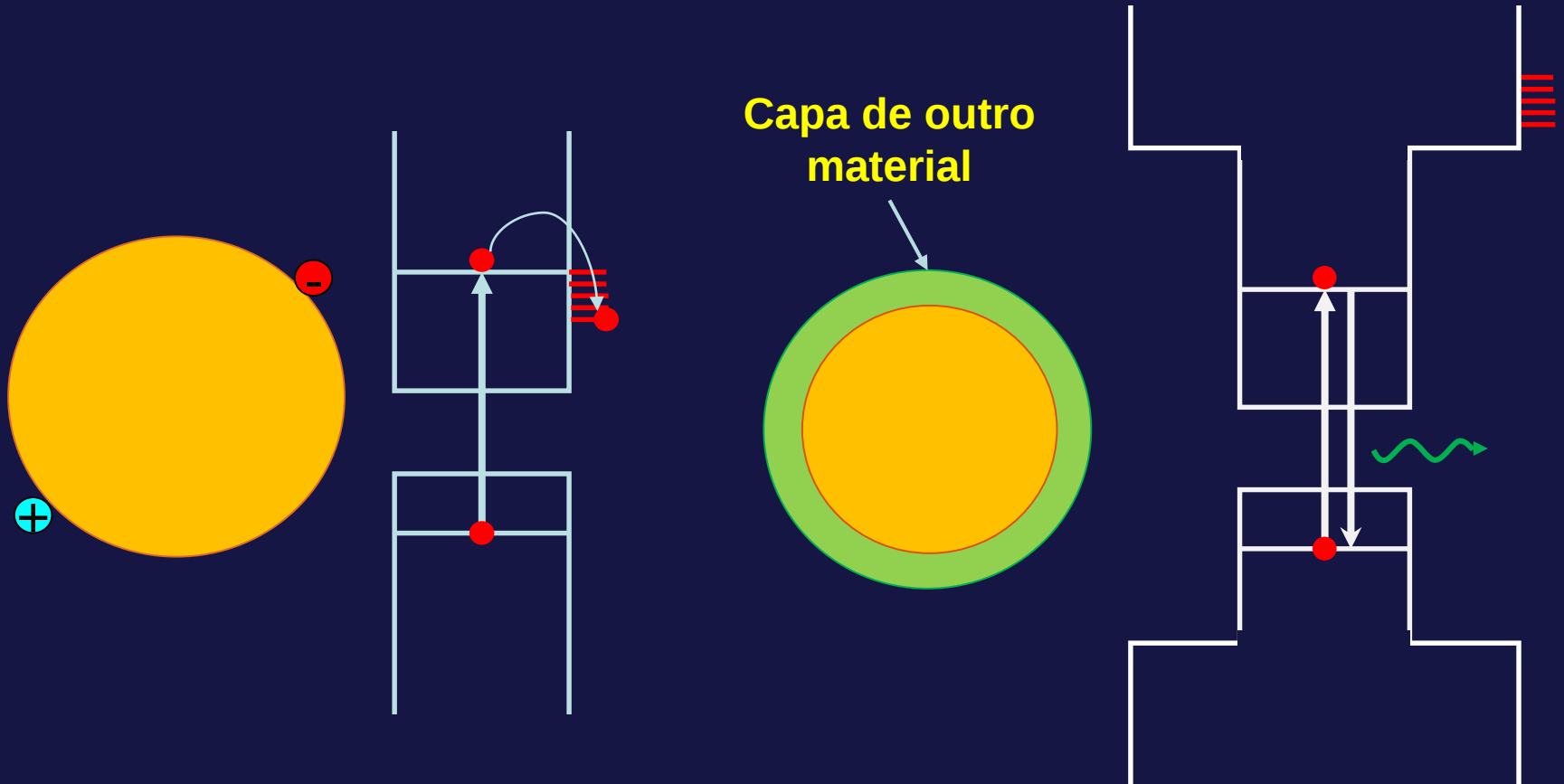
Portadores → Fótons

- LEDs
- Displays

Fótons → Fótons

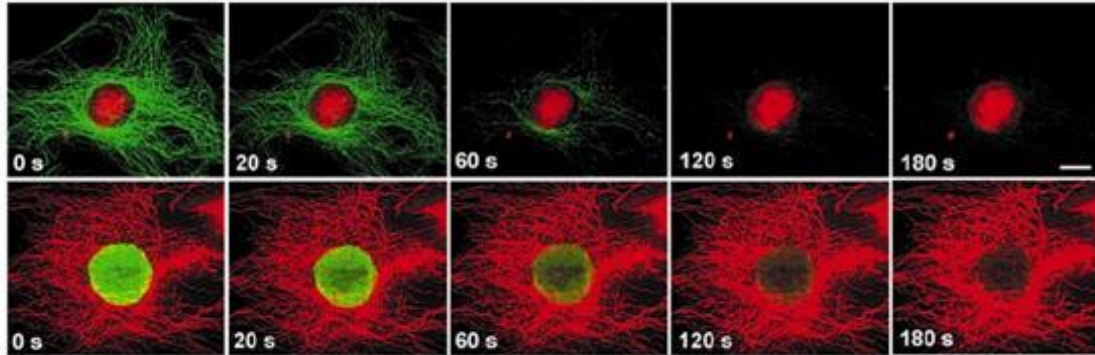
- Marcadores Fluorescentes (aplicações biológicas)
- Iluminação

Precisamos da passivação para aumentar a eficiência dos pontos quânticos

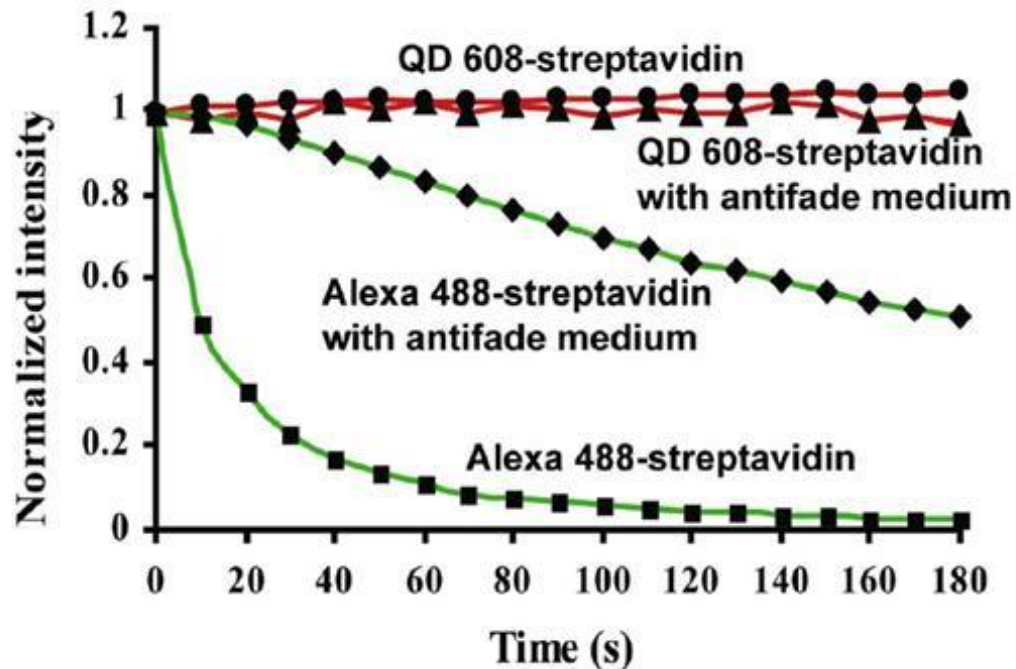


No photobleaching!

A

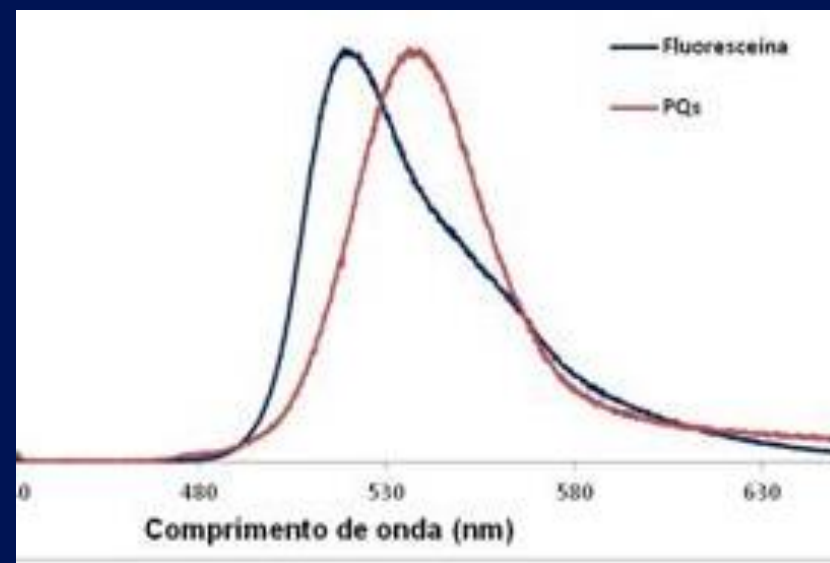
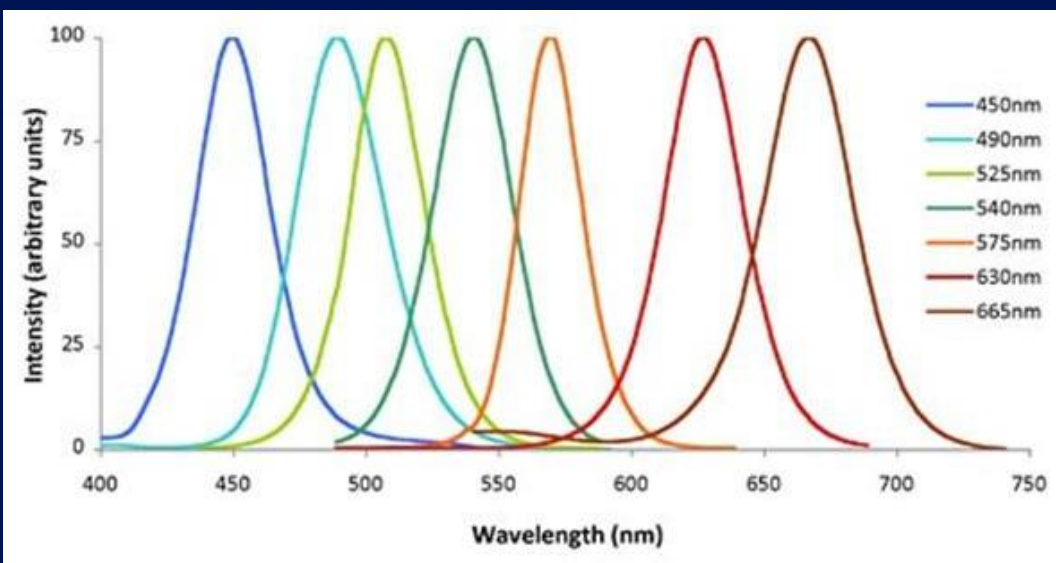
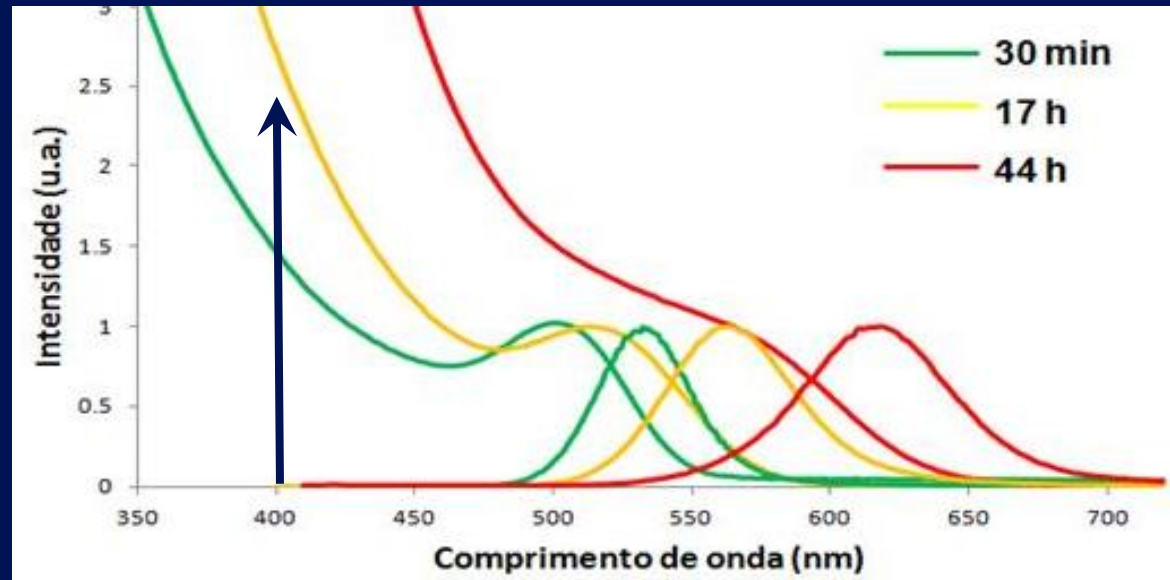
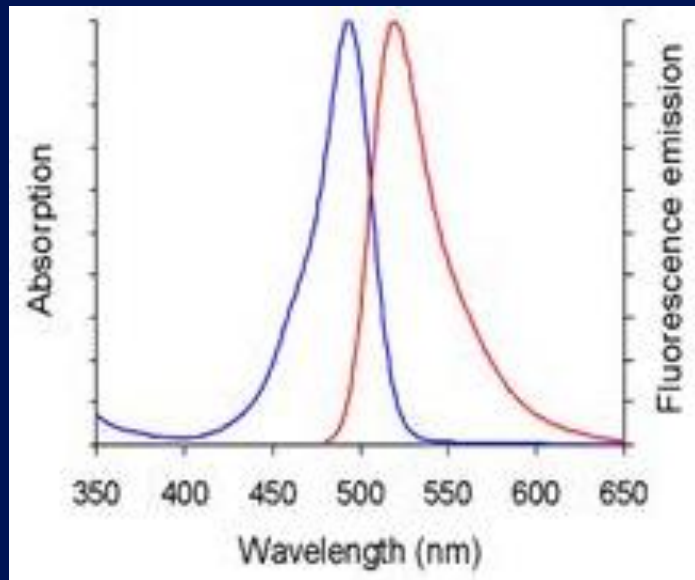


B



X. Wu et al,
Nature Biotech.
21, 41 - 46 (2003).

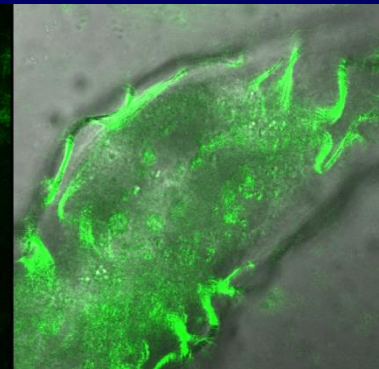
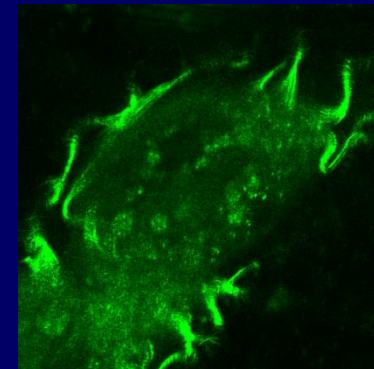
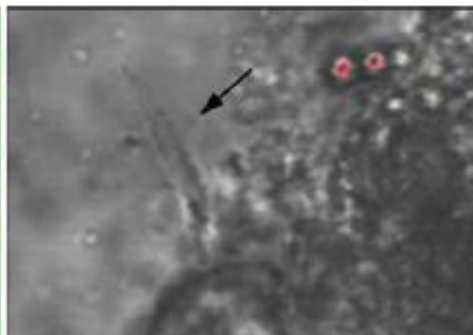
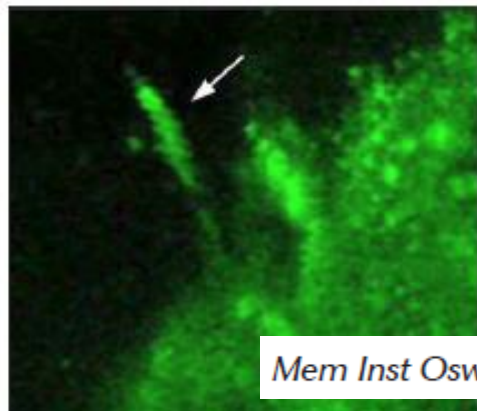
One laser to excite all colors



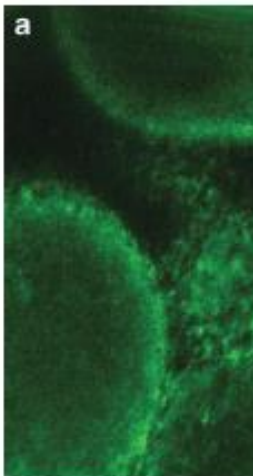
In vitro and in vivo documentation of quantum dots labeled *Trypanosoma cruzi*–*Rhodnius prolixus* interaction using confocal microscopy

Denise Feder • Suzete A. O. Gomes • André A. de Thomaz • Diogo B. Almeida •
Wagner M. Faustino • Adriana Fontes • Cecília V. Stahl • Jacenir R. Santos-Mallet •
Carlos L. Cesar

Parasitol Res (2009) 106:85–93

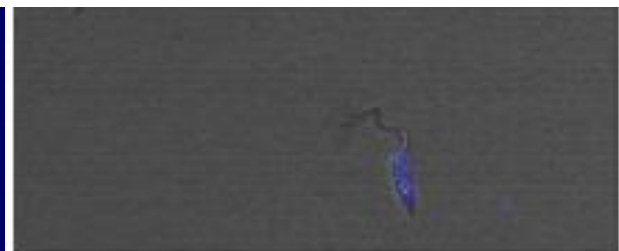
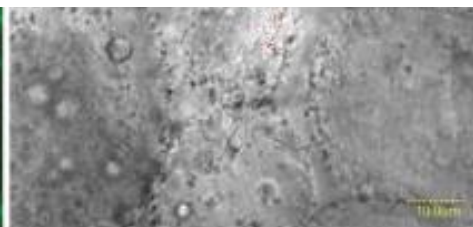


Mem Inst Oswaldo Cruz, Rio de Janeiro, Vol. 106(2): 158-165, March 2011



Studying nanotoxic effects of CdTe quantum dots in *Trypanosoma cruzi*

Cecilia Stahl Vieira¹, Diogo Burigo Almeida², André Alexandre de Thomaz²,
Rubem Figueredo Sadok Menna-Barreto³, Jacenir Reis dos Santos-Mallet¹,
Carlos Lenz Cesar², Suzete Araujo Oliveira Gomes^{1,4}, Denise Feder^{4/+}



Physics of the Quantum Dots

Particle in a box

Quantum Confinement: Simple Model

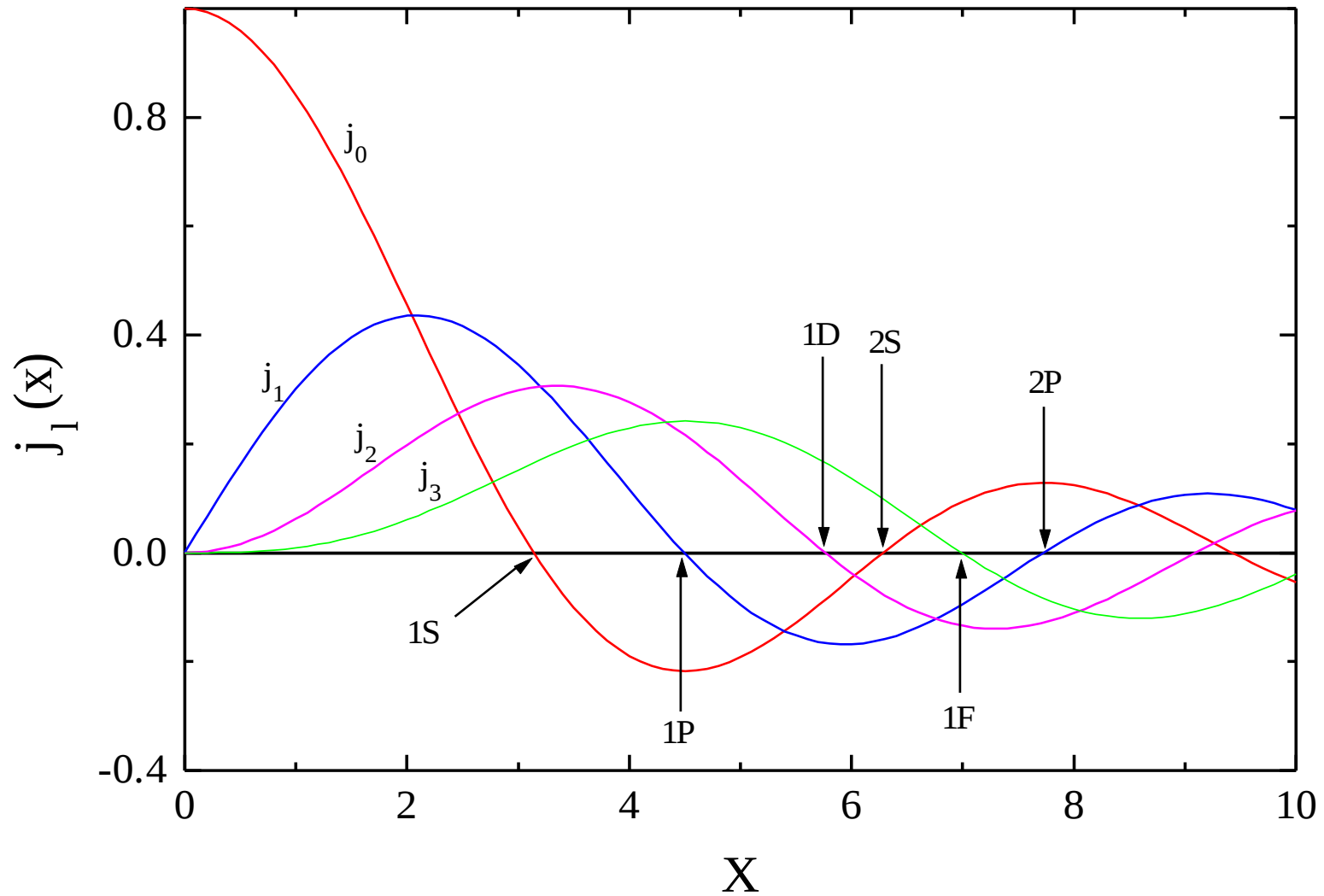
	Free electron function		Free electron energy
	↓		↓
Bulk:	$\Psi_{\text{wave}} = e^{i\mathbf{k} \cdot \mathbf{R}} \cdot \mathbf{u}_{\text{Bloch}}$	→	$E = E_g + \hbar^2 \mathbf{k}^2 / (2m^*)$
Quantum dot:	$\Psi_{\text{wave}} = \xi(\mathbf{R}) \cdot \mathbf{u}_{\text{Bloch}}$	→	$E = E_g + E_{\text{conf}}$
	Envelope function		Confinement energy

Infinite spherical well

spherical Bessel function	Boundary condition
↓	↓
$\xi(\mathbf{R}) = j_n(kR) \cdot Y_n^m(\theta, \phi)$	$j_n(ka) = 0 \rightarrow E_{\text{conf}} = \hbar^2 k_{\text{root}}^2 / (2m^*)$

$$\left[-\frac{\hbar^2}{2m^*} \nabla^2 + U_{\text{esf}} \right] F_{n,l,m}(\vec{r}) = E_{n,l} F_{n,l,m}(\vec{r})$$

Spherical Bessel Functions Roots



Regras de seleção: 1-fóton $F \propto \left| \langle \Psi_{in} | e_z \cdot \nabla | \Psi_{fin} \rangle \right|^2$

Função de onda: $|\Psi_n\rangle = |\xi_n u_n\rangle$

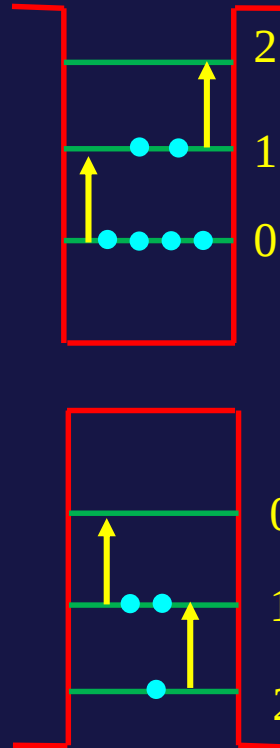
Transição intersubbanda

$$\begin{aligned} \langle \Psi_{in} | e_z \cdot \nabla | \Psi_{fin} \rangle &= \langle u_n | u_{n'} \rangle \langle \xi_n | e_z \cdot \nabla | \xi_{n'} \rangle + \\ &+ \langle \xi_n | \xi_{n'} \rangle \langle u_n | e_z \cdot \nabla | u_{n'} \rangle \end{aligned}$$

Transição interbanda

Transição Intersubbanda

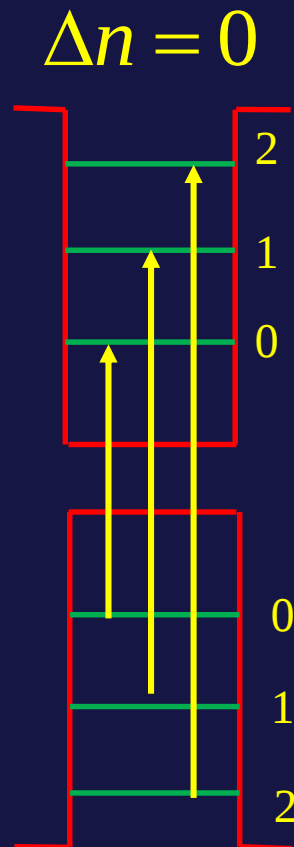
$$\langle \Psi_{in} | e_z \cdot \nabla | \Psi_{fin} \rangle = \langle u_n | u_{n'} \rangle \langle \xi_n | e_z \cdot \nabla | \xi_{n'} \rangle$$



Transição só é possível se níveis excitados estiverem populados

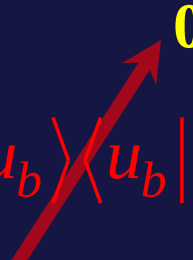
Transição Interbanda

$$\langle \Psi_{in} | e_z \cdot \nabla | \Psi_{fin} \rangle = \langle \xi_n | \xi_{n'} \rangle \langle u_n | e_z \cdot \nabla | u_{n'} \rangle$$



Regras de seleção: 2-fótons

$$F \propto \left| \sum_b \frac{\langle \xi_{val} u_{val} | \vec{e} \cdot \nabla | \xi_b u_b \rangle \langle \xi_b u_b | \vec{e} \cdot \nabla | \xi_{cond} u_{cond} \rangle}{\Delta E_b} \right|^2$$

$$\left| \sum_b \langle \xi_{val} | \vec{e} \cdot \nabla | \xi_b \rangle \langle \xi_b | \vec{e} \cdot \nabla | \xi_{con} \rangle \langle u_{val} | u_b \rangle \langle u_b | u_{cond} \rangle \right| = 0$$


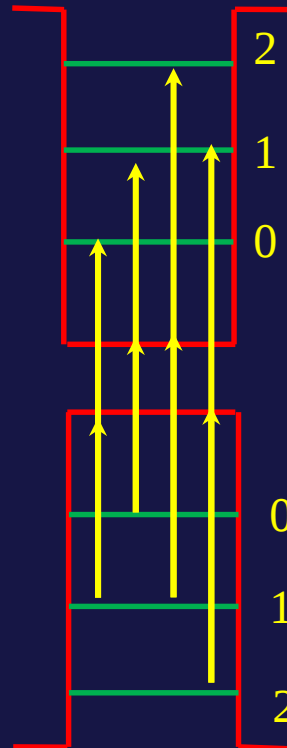
$$\left| \sum_b \langle \xi_{val} | \xi_b \rangle \langle \xi_b | \xi_{cond} \rangle \langle u_{val} | \vec{e} \cdot \nabla | u_b \rangle \langle u_b | \vec{e} \cdot \nabla | u_{cond} \rangle \right| = 0$$


$$F \propto \left| \sum_b \frac{\langle \xi_{val} | \vec{e} \cdot \nabla | \xi_b \rangle \langle \xi_b | \xi_{cond} \rangle \langle u_{val} | u_b \rangle \langle u_b | \vec{e} \cdot \nabla | u_{cond} \rangle}{\Delta E_b} + \sum_b \frac{\langle \xi_{val} | \xi_b \rangle \langle \xi_b | \vec{e} \cdot \nabla | \xi_{cond} \rangle \langle u_{val} | \vec{e} \cdot \nabla | u_b \rangle \langle u_b | u_{cond} \rangle}{\Delta E_b} \right|^2$$

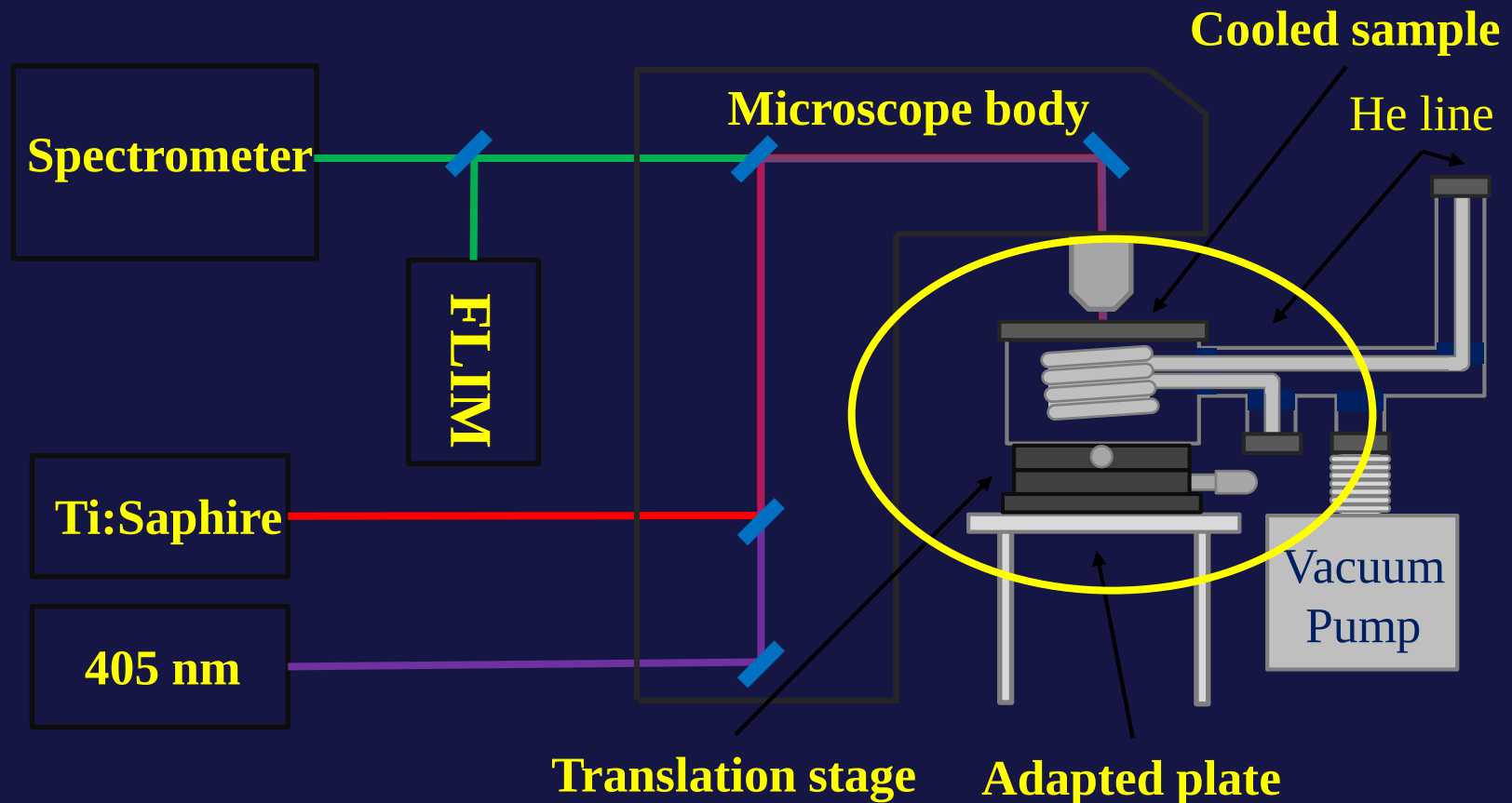
Absorção de 2-fótons

$$F \propto \left| \langle u_{val} | \vec{e} \cdot \nabla | u_{cond} \rangle \right|^2 \left| \sum_b \frac{\langle \xi_{val} | \vec{e} \cdot \nabla | \xi_b \rangle \langle \xi_b | \xi_{cond} \rangle}{\Delta E_b} + \sum_b \frac{\langle \xi_{val} | \xi_b \rangle \langle \xi_b | \vec{e} \cdot \nabla | \xi_{cond} \rangle}{\Delta E_b} \right|^2$$

$$\Delta n = \pm 1$$



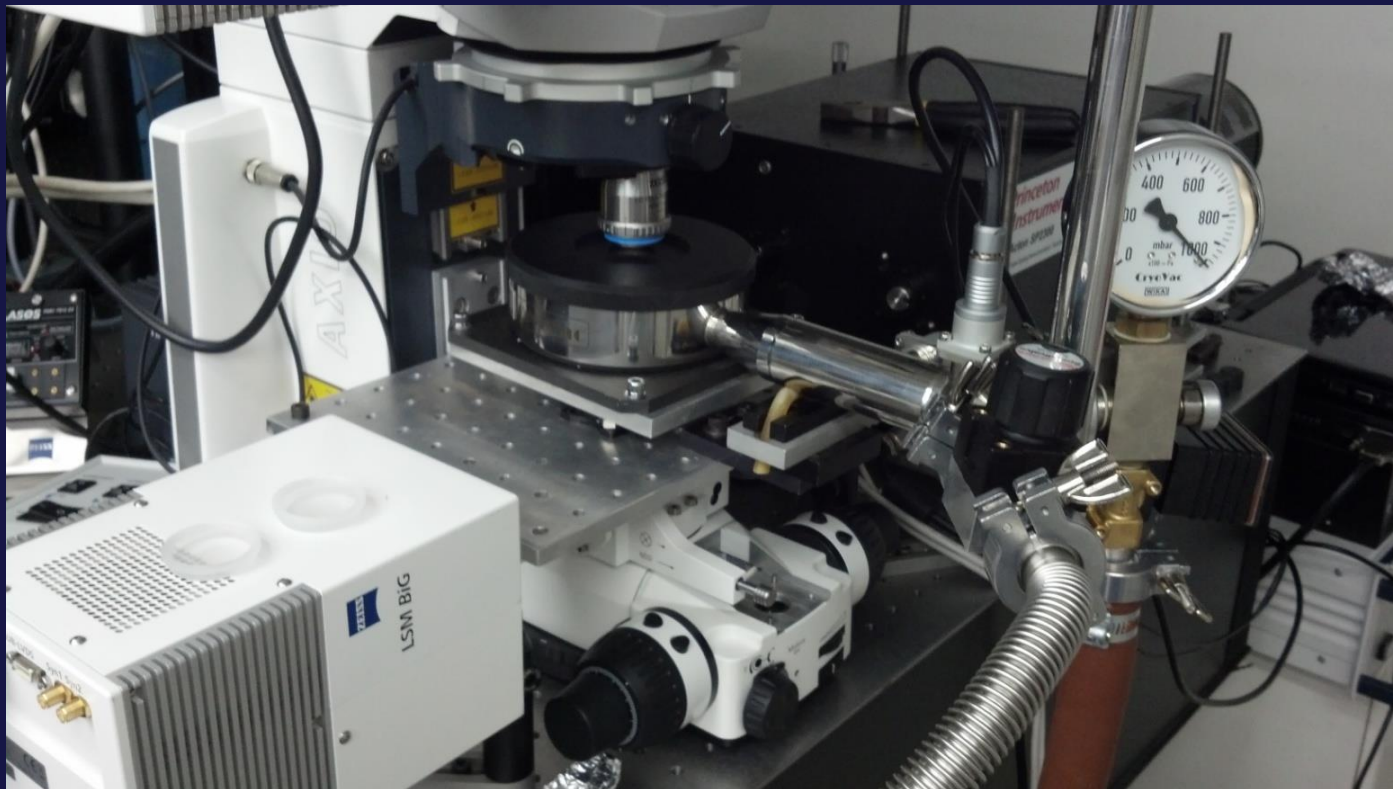
Fit a cryostat at the System and gain a Spectral platform with spatial resolution



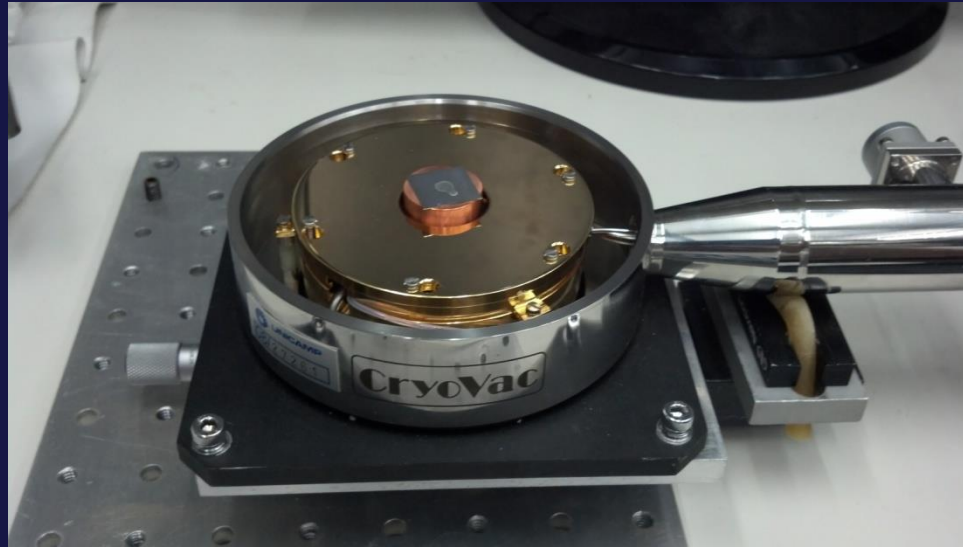
Main Issues

High NA but long working distance: we used NA=0.6 with WD = 3mm

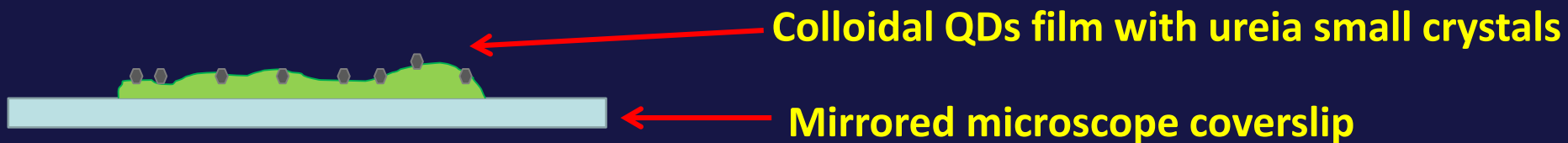
Small cryostat to fit under a Zeiss LSM 780 upright



Small copper piece to bring the sample closer to optical window

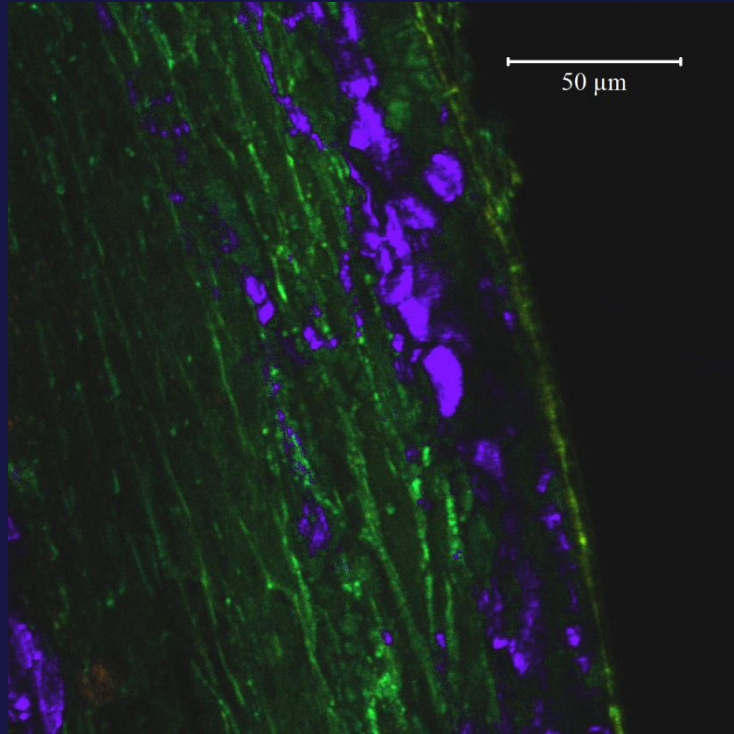


**Light collection must be done in backscattered geometry.
Sample deposited on a mirror to enhance light collection efficiency.**

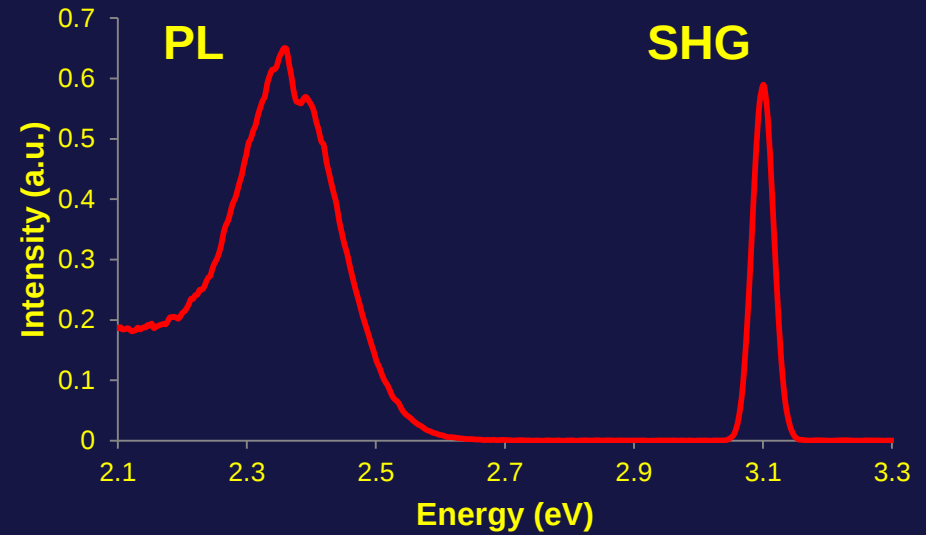


Spatial/optical resolution

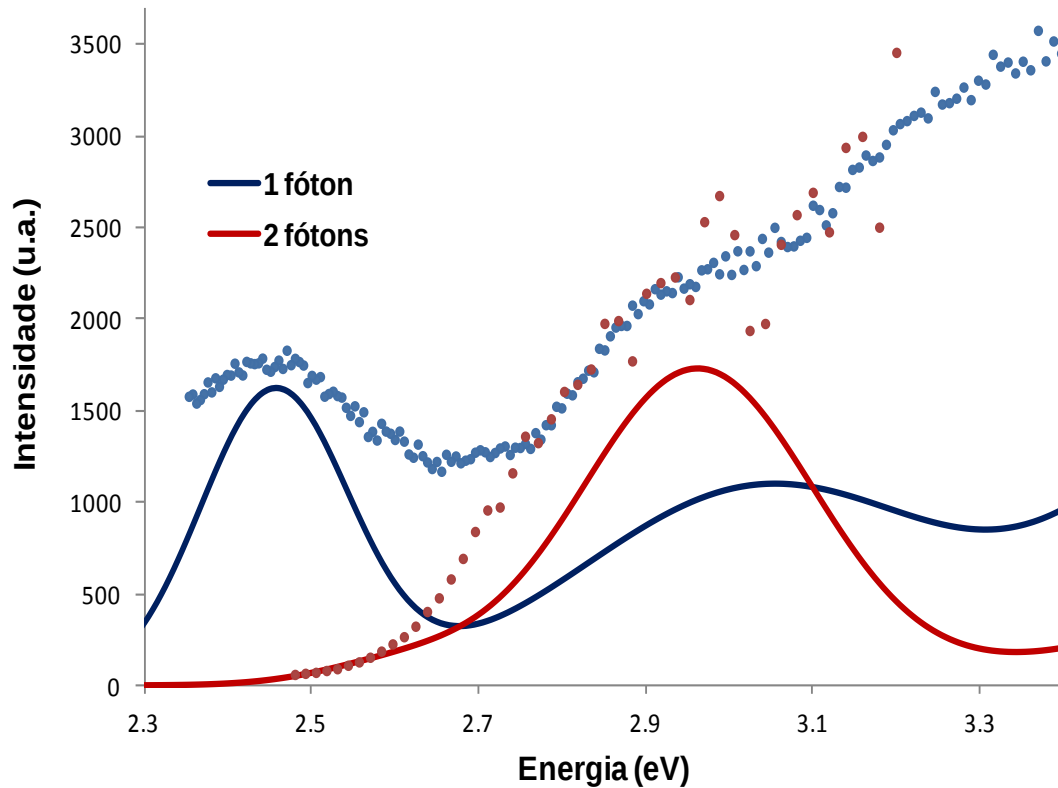
Pump: Ti:Sapphire laser



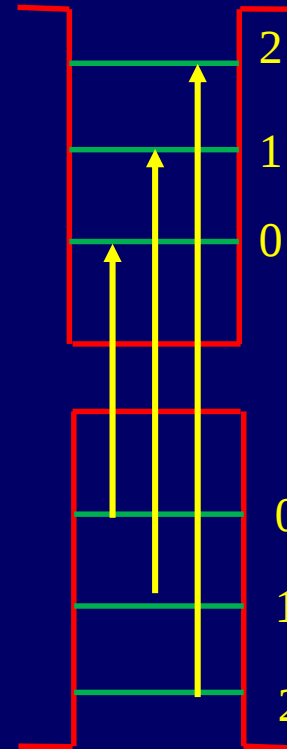
Green: QDs fluorescence
Purple: urea SHG



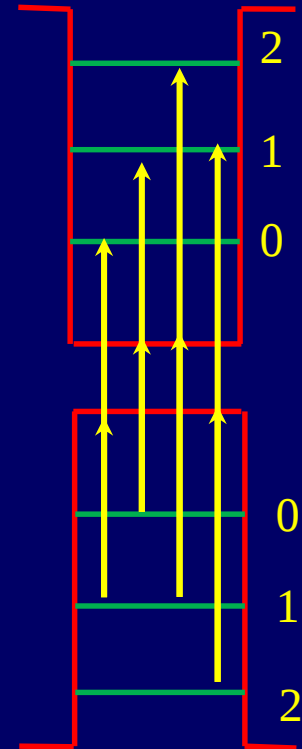
CdTe quantum dot 1 and 2 photons PLE at 40 K



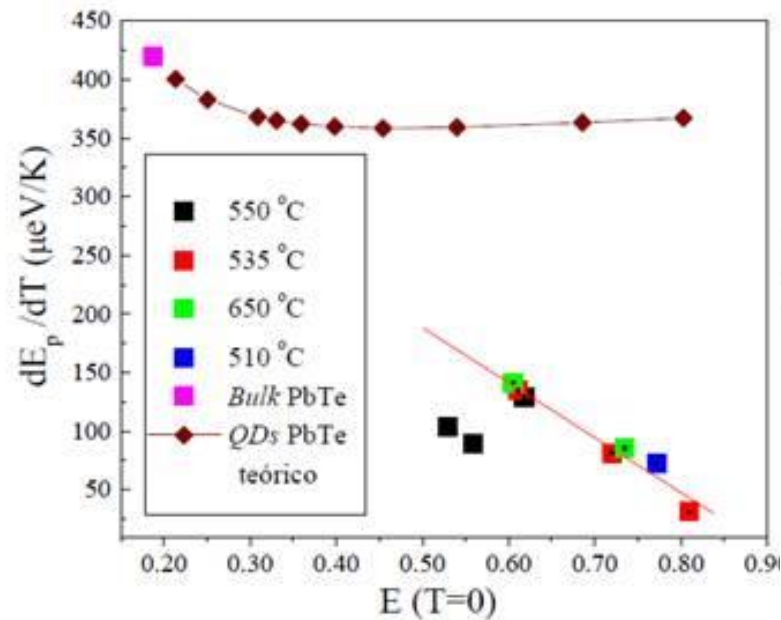
$\Delta n = 0$



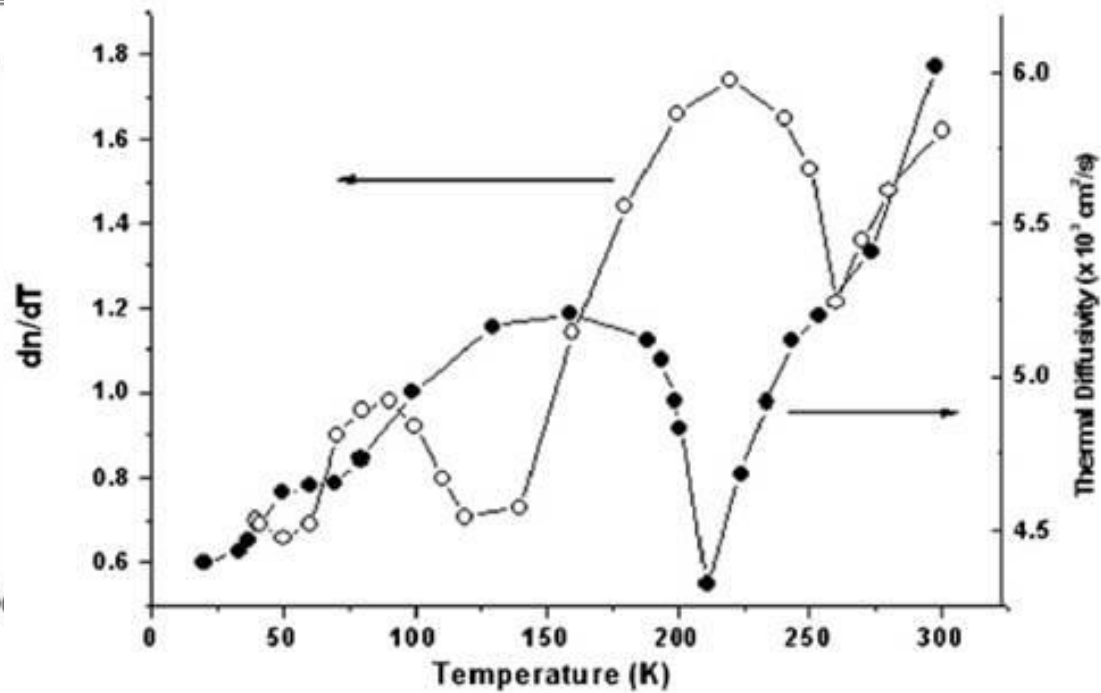
$\Delta n = \pm 1$



Stress Induced Phase Transition

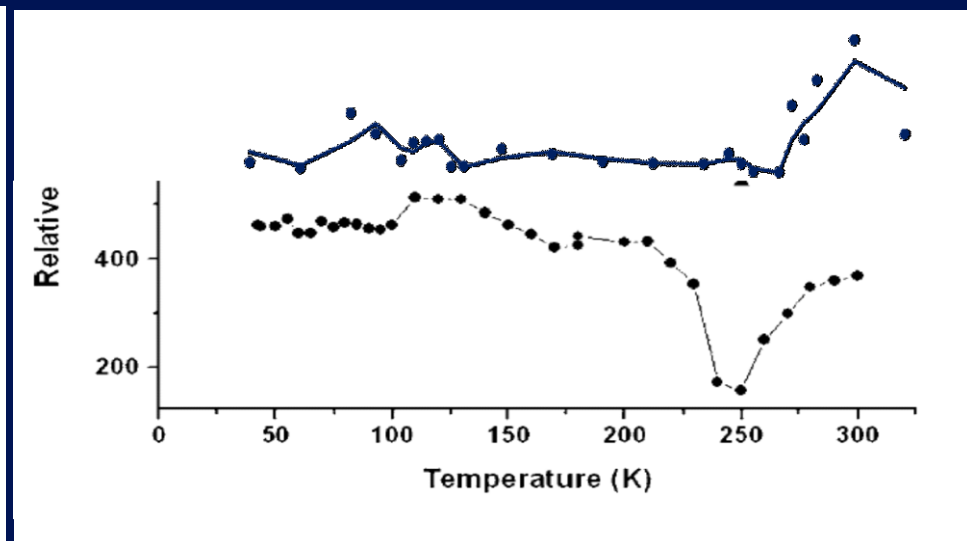
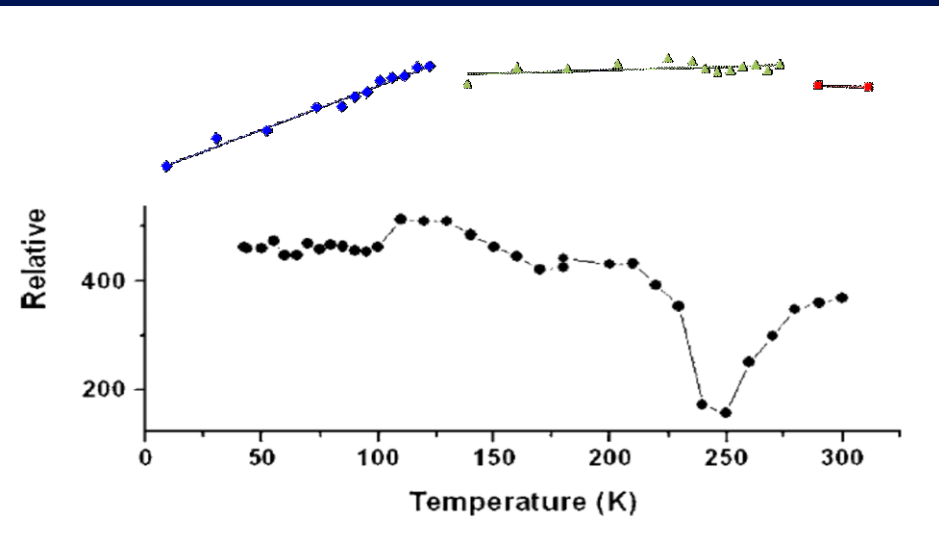
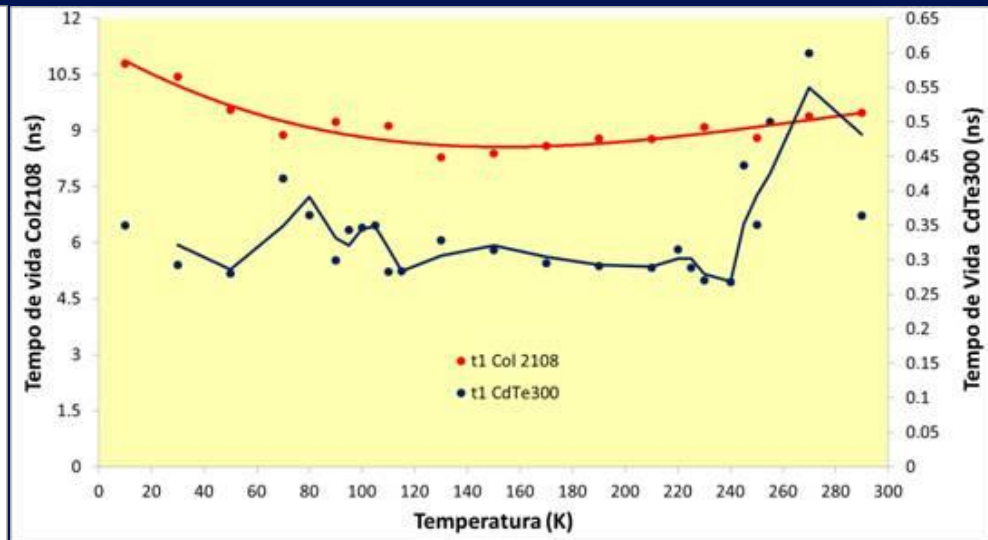
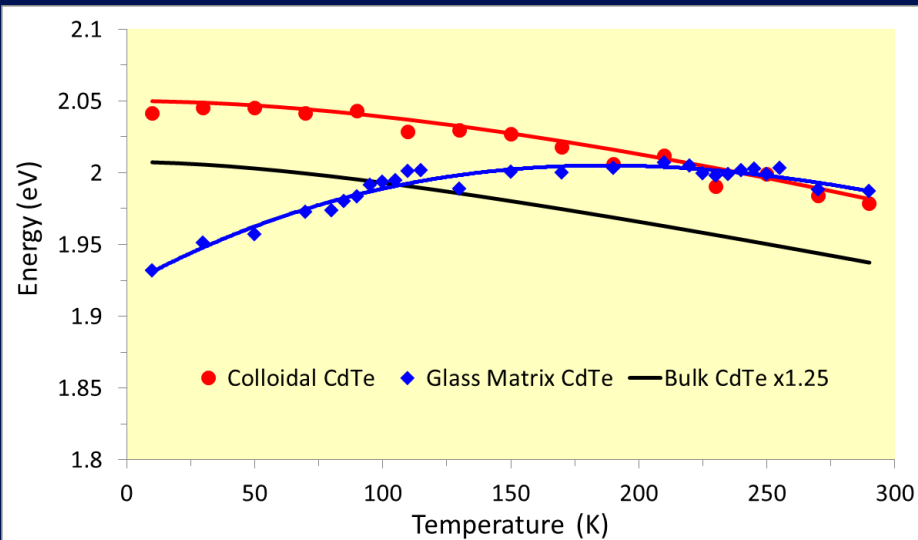


PbTe



CdTe

Colloidal vs Doped Glass QDs

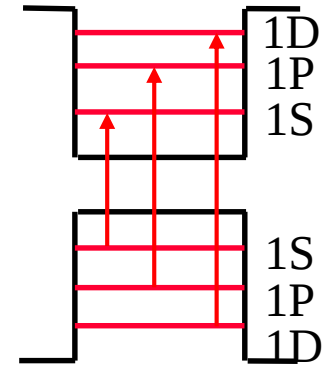


Confinement Models

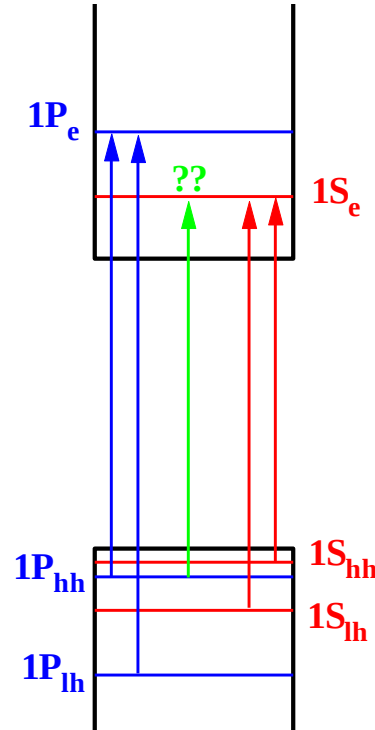
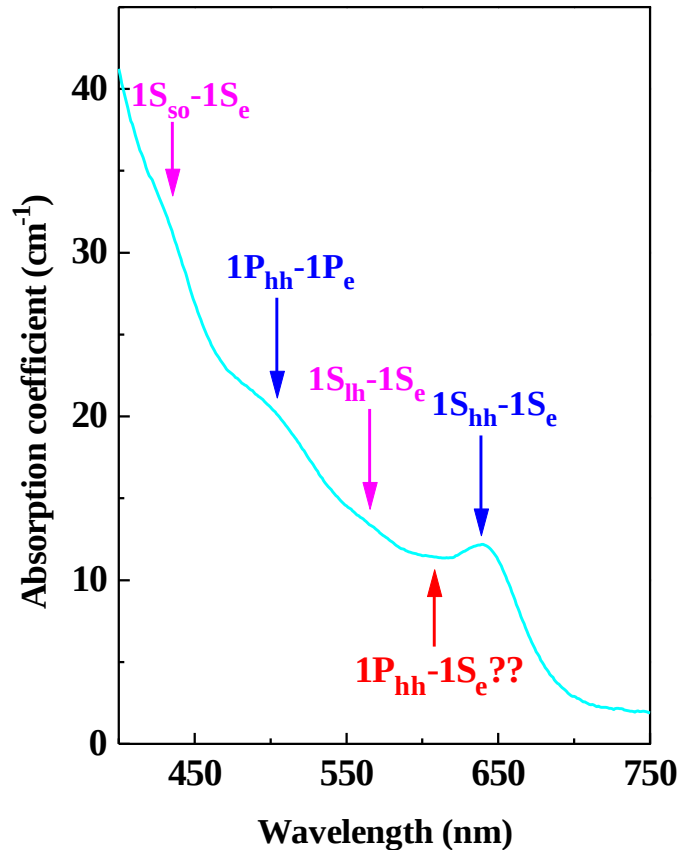
Optical Transition Selection Rules

$$f = \frac{2}{m_0 \hbar \omega} \left| \langle \psi_{\text{fin}} | \hat{\mathbf{e}} \cdot \vec{p} | \psi_{\text{ini}} \rangle \right|^2$$

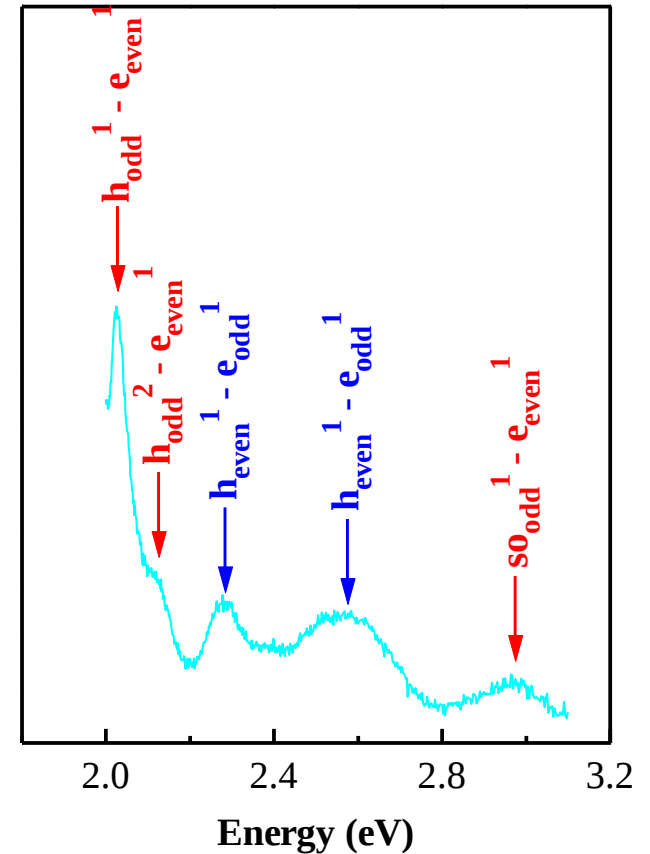
$$\langle F_{\text{fin}} | F_{\text{ini}} \rangle = \delta_{nn'} \delta_{ll'} \delta_{mm'}$$



Absorption spectrum



PLE Transitions assignment



Quantum Confinement: Full $\vec{k} \cdot \vec{P}$ Hamiltonian Model

two subspaces:

$\vec{r}$ = space inside a cell (Bloch);

$\vec{R}$ = space between cells (envelope)

$\frac{(\vec{P}_{\vec{r}} + \vec{P}_{\vec{R}})^2}{2m_0}$	dot potential	lattice potential	Spin-orbit interaction
↓	↓	↓	↓
$\mathbf{H} = \left(\frac{\vec{P}_{\vec{r}}^2 + 2\vec{P}_{\vec{r}} \cdot \vec{P}_{\vec{R}} + \vec{P}_{\vec{R}}^2}{2m_0} \right) +$	$V_{\text{spheric}} +$	$V_{\text{periodi}} +$	$\left(\frac{\vec{\nabla} V_{\text{per}} \times \vec{P}_{\vec{r}} \cdot \vec{S}}{m_0 c} \right)$
comutes ↓ with: $\vec{L}_{\vec{r}} + \vec{L}_{\vec{R}}$			comutes ↓ with: $\vec{L}_{\vec{r}} + \vec{S}$

Conclusions:

$[\vec{F}, H] = 0$ where $\vec{F} = \vec{L}_{\vec{R}} + \vec{L}_{\vec{r}} + \vec{S} \rightarrow \mathbf{F} = \text{good quantum number}$

More*: $H(-\vec{r}) = H(\vec{r}) \rightarrow \Psi(-\vec{r}) = \pm \Psi(\vec{r}) \rightarrow \text{parity well defined}$

* Germanium model

Band Structure K·P

$$|J, L_R\rangle$$

Parity = $LR + Lr$	$L_R = 0$	$L_R = 1$	$L_R = 2$	$L_R = 3$
$J = \frac{1}{2}$ Conduction Band $(L_r = 0)$	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{3}{2}$	$\frac{5}{2}$
$J = \frac{1}{2}$ Split off band $(L_r = 1)$	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{3}{2}$	$\frac{5}{2}$
$J = \frac{3}{2}$ Valence Band $(L_r = 1)$	$\frac{3}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{3}{2}$

$$F_{\frac{1}{2}}^+ = \left| \frac{1}{2}, 0 \right\rangle_C + \left| \frac{3}{2}, 1 \right\rangle_V + \left| \frac{1}{2}, 1 \right\rangle_{SO}$$

$$F_{\frac{1}{2}}^- = \left| \frac{1}{2}, 1 \right\rangle_C + \left| \frac{3}{2}, 2 \right\rangle_V + \left| \frac{1}{2}, 0 \right\rangle_{SO}$$

$$F_{\frac{3}{2}}^+ = \left| \frac{1}{2}, 2 \right\rangle_C + \left| \frac{3}{2}, 1 \right\rangle_V + \left| \frac{3}{2}, 3 \right\rangle_V + \left| \frac{1}{2}, 1 \right\rangle_{SO}$$

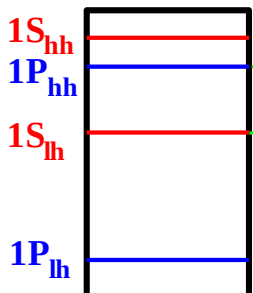
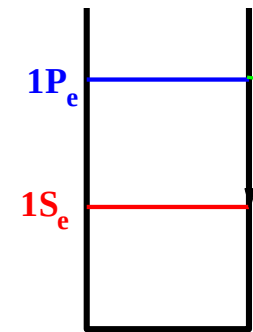
$$F_{\frac{3}{2}}^- = \left| \frac{1}{2}, 1 \right\rangle_C + \left| \frac{3}{2}, 0 \right\rangle_V + \left| \frac{3}{2}, 2 \right\rangle_V + \left| \frac{1}{2}, 2 \right\rangle_{SO}$$

Optical transitions in the full model

$\vec{E} \cdot \vec{p}$ = odd operator so:

only **even to odd** or **odd to even** transitions are allowed

Simple Model



Full Model

$F = 1/2 \text{ odd}_1$

$F = 1/2 \text{ even}_1$

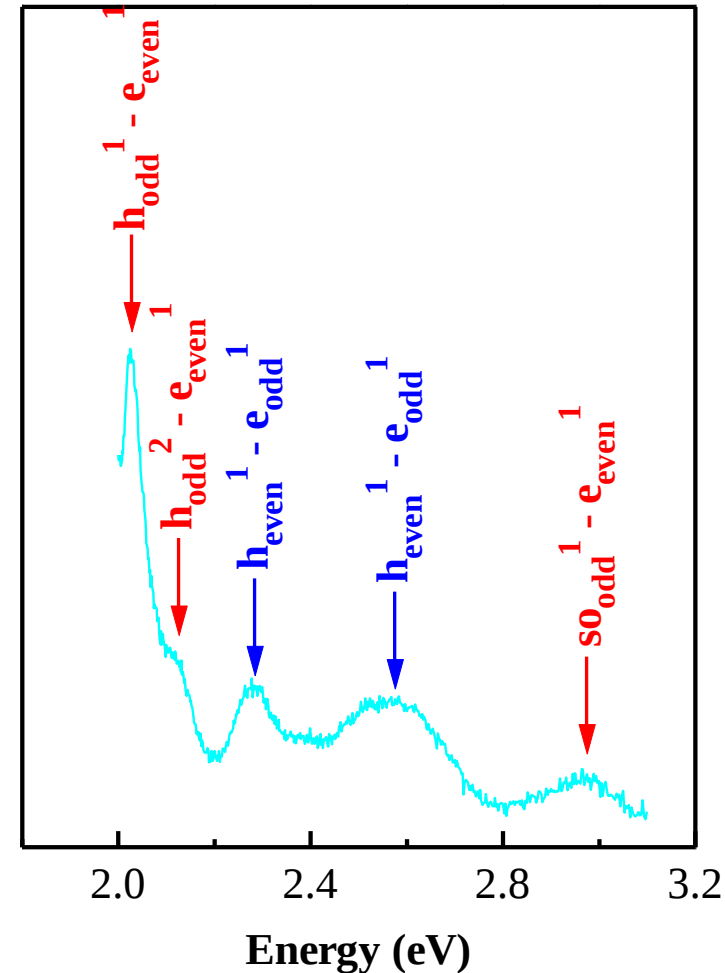
$F = 3/2 \text{ even}_1$

$F = 3/2 \text{ even}_2$

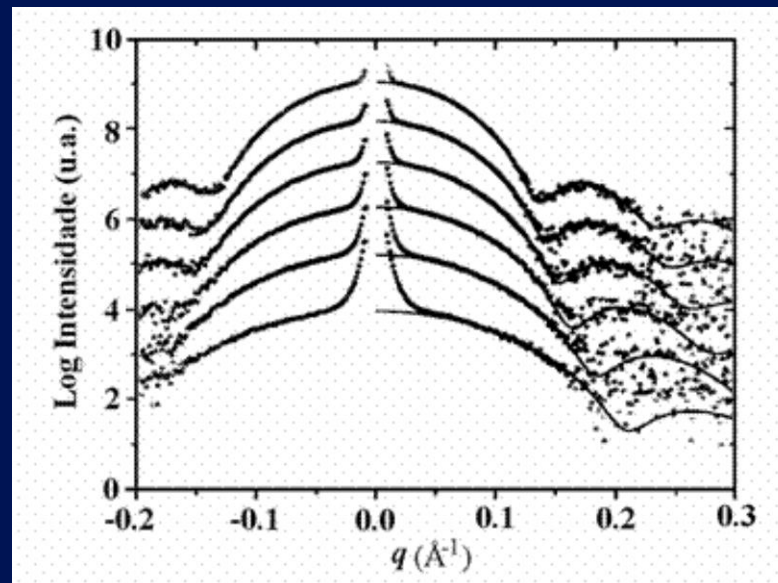
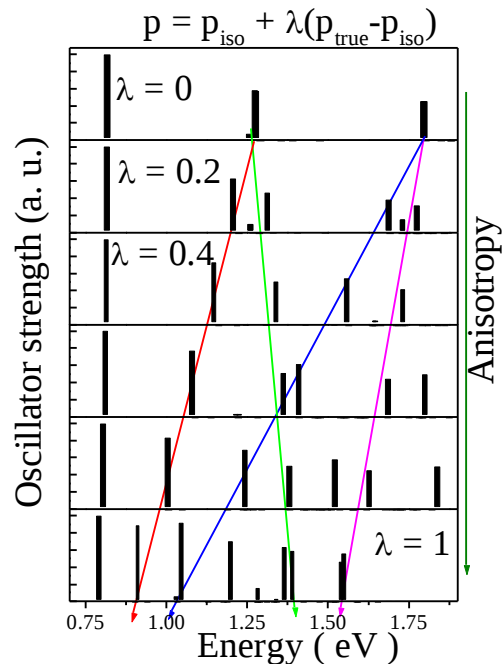
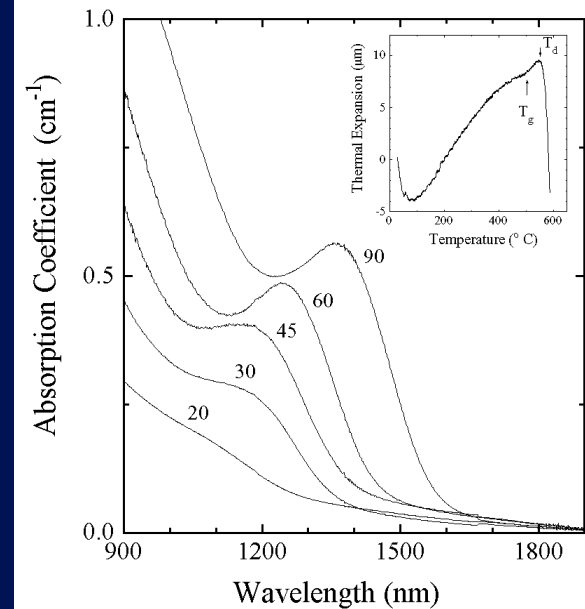
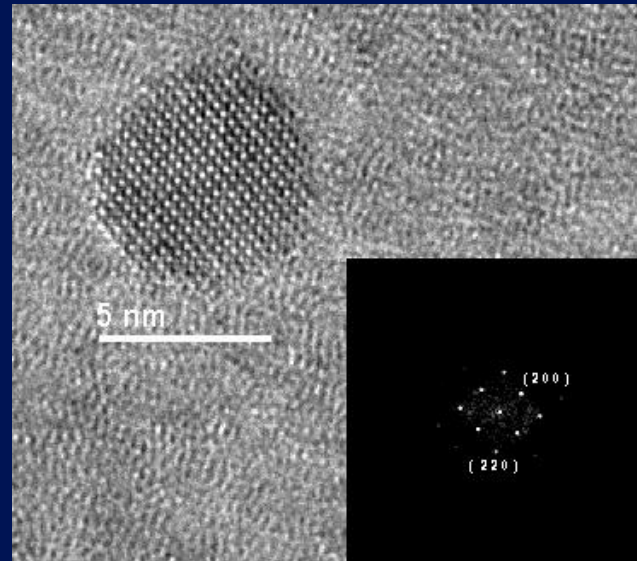
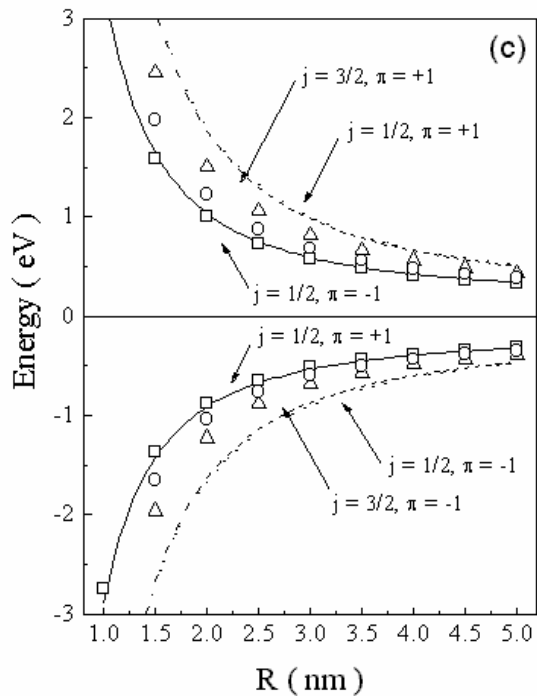
$F = 3/2 \text{ odd}_1$

$F = 3/2 \text{ odd}_2$

PLE Transitions assignment

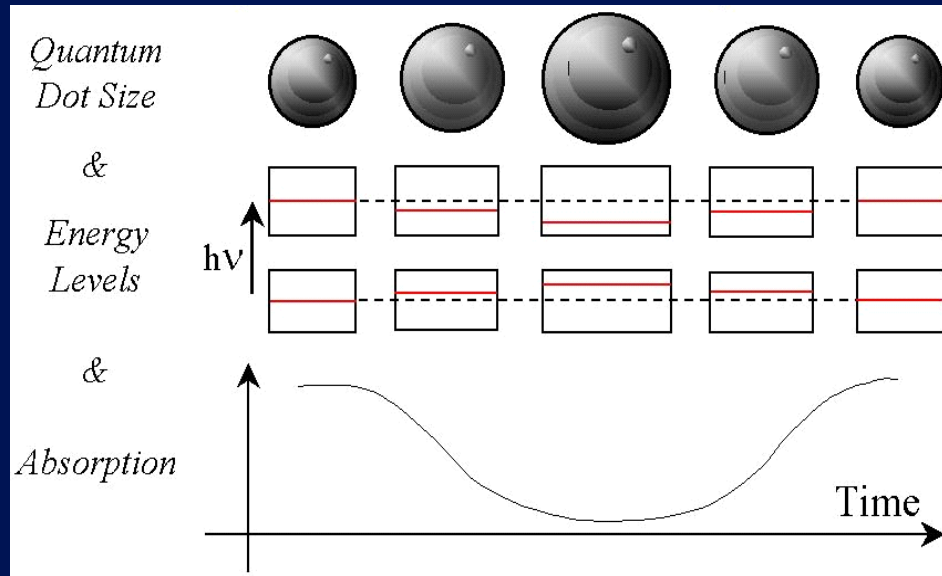
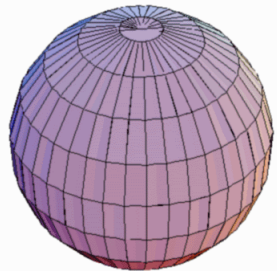
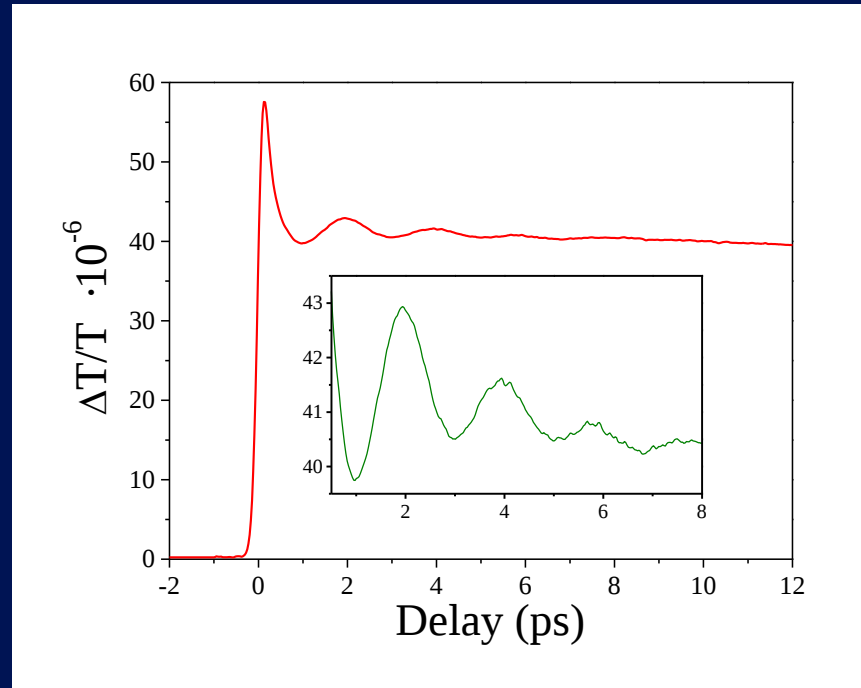
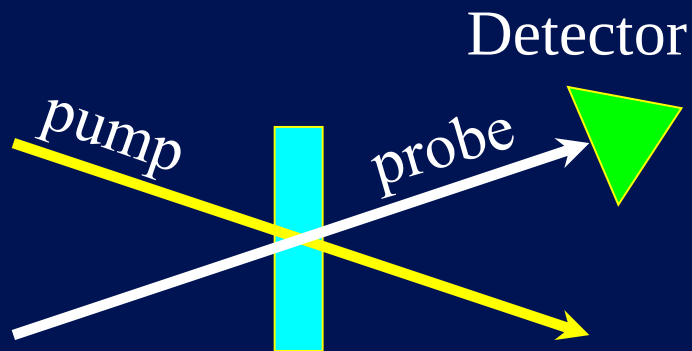


PbTe Quantum Dots Physics



Pump&Probe: Coherent Phonons

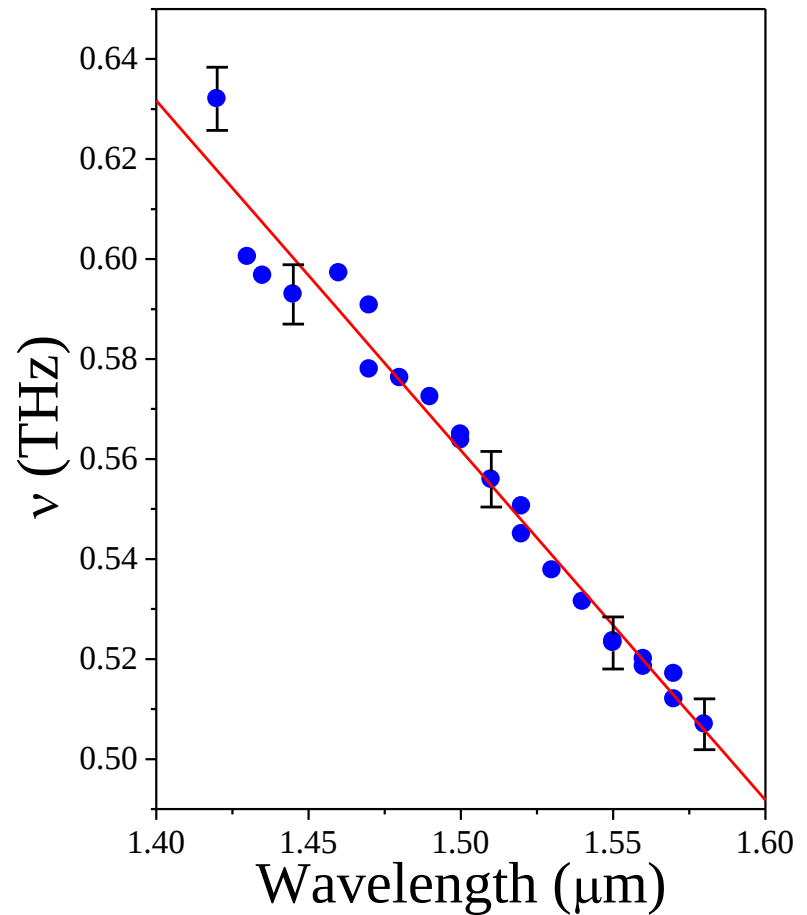
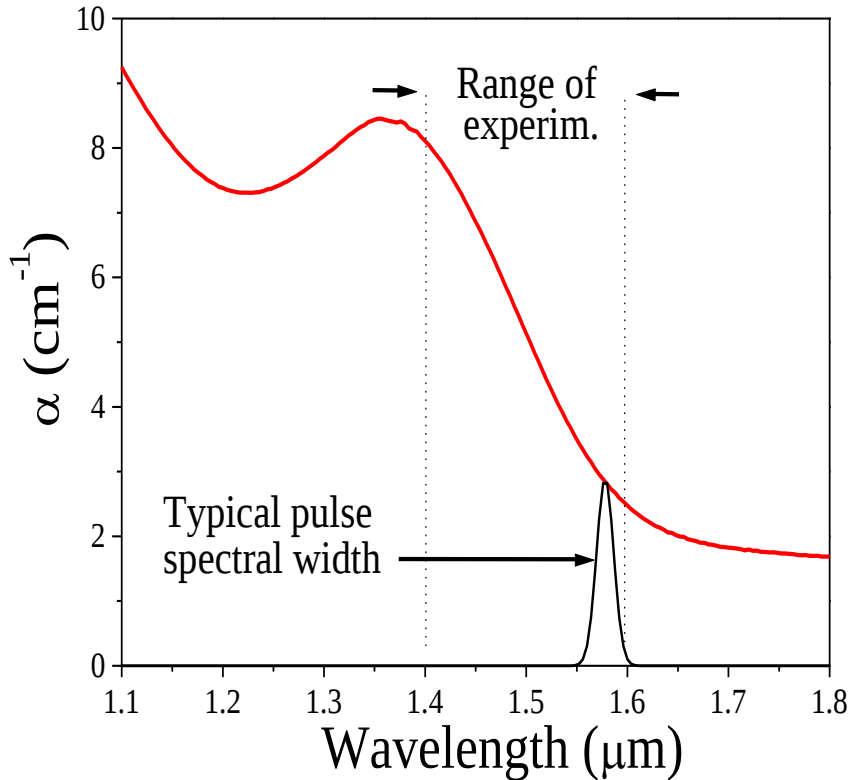
E. R. Thoen et al; "Coherent Acoustic Phonons in PbTe Quantum Dots", Appl. Phys. Lett. 73, 2149 (1998)



Breathing Modes

Coherent Phonons frequency

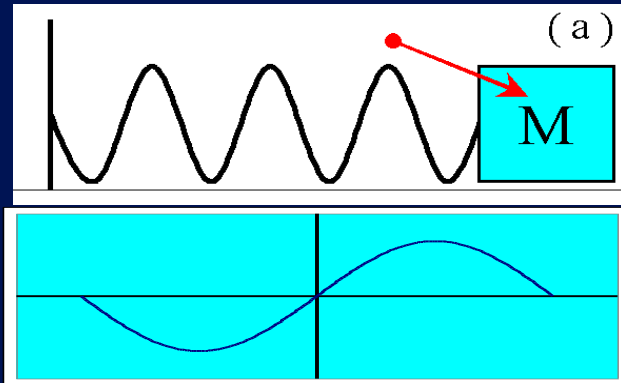
Simple Model: $\omega = \frac{2V_{sound}}{R}$



17 cm^{-1} to 20 cm^{-1}

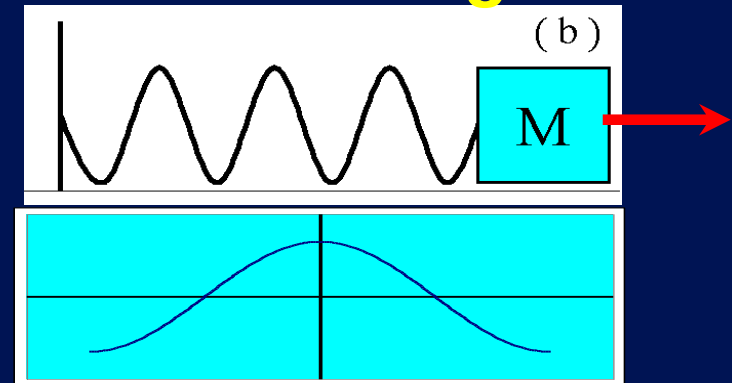
Excitation and phase

Impulse

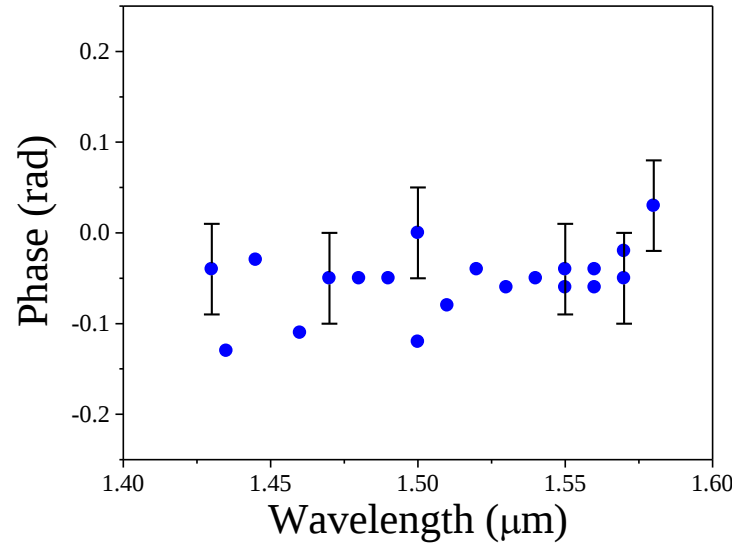


Sine

K - change



Cosine



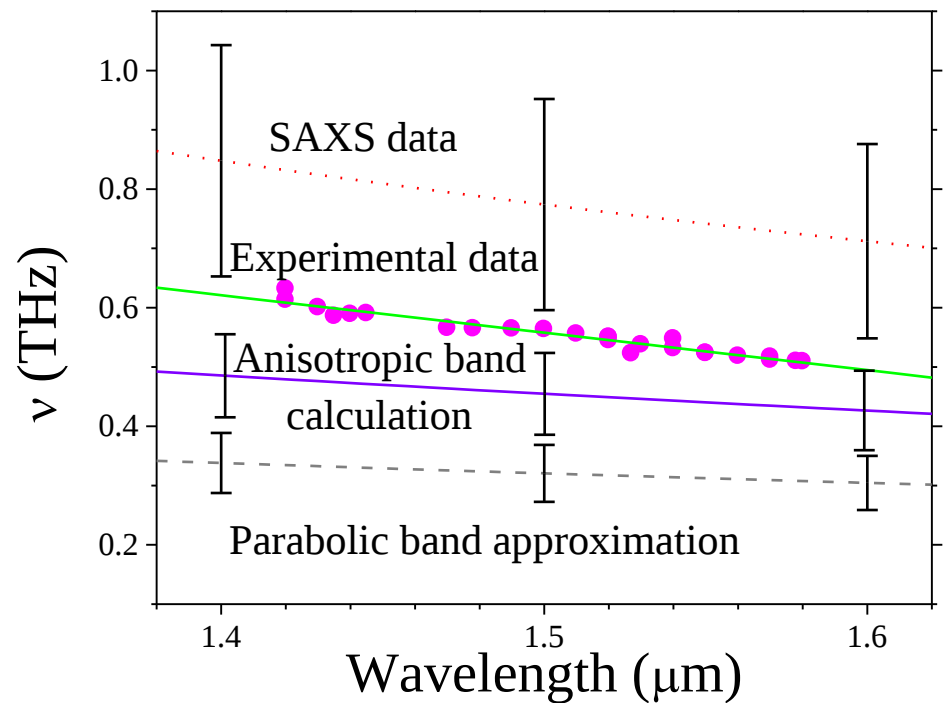
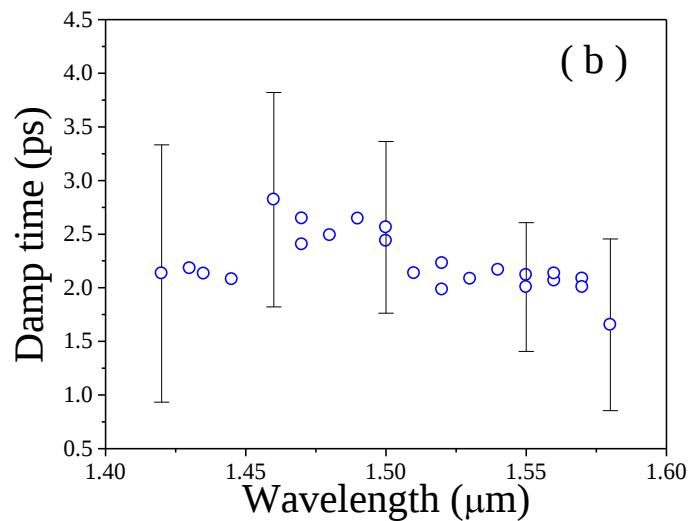
Phase $\approx 0^\circ$ cosine Excitation

Damping Time

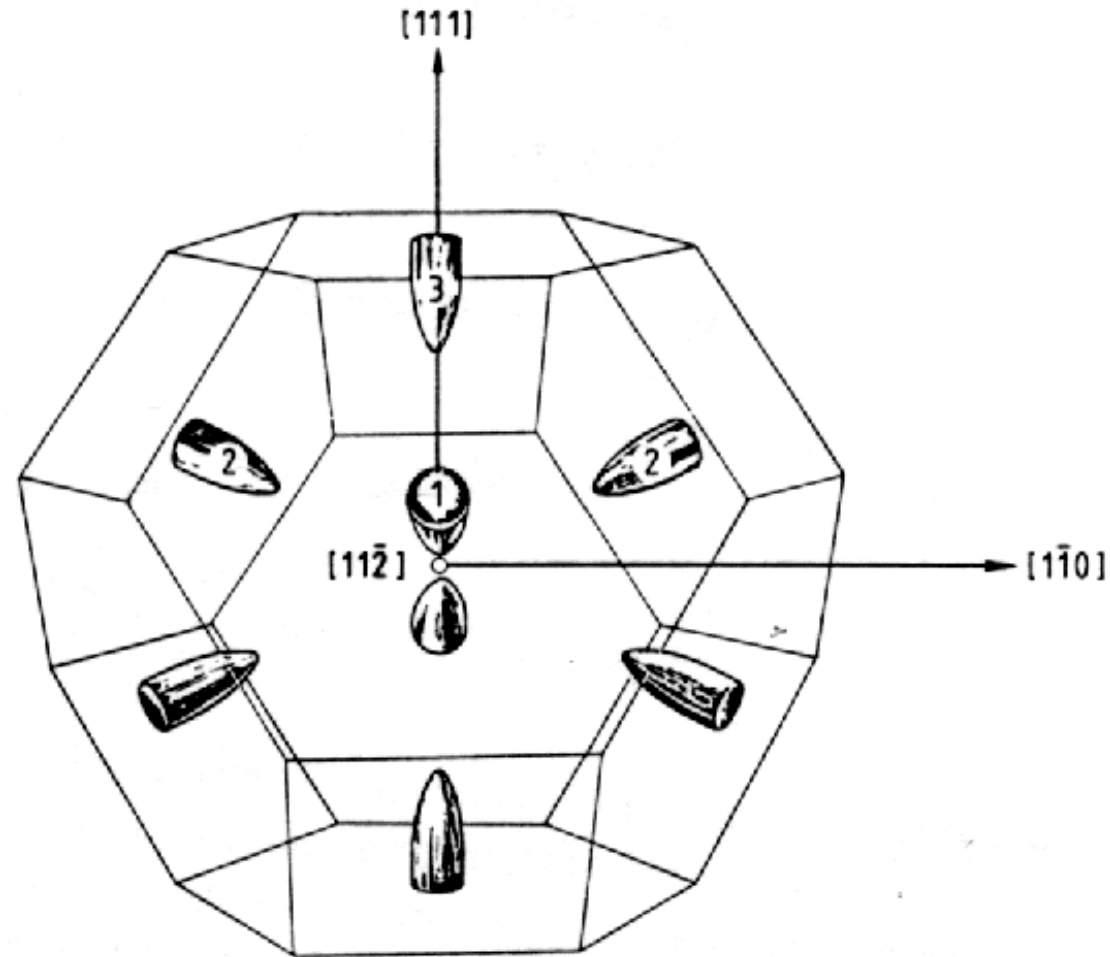
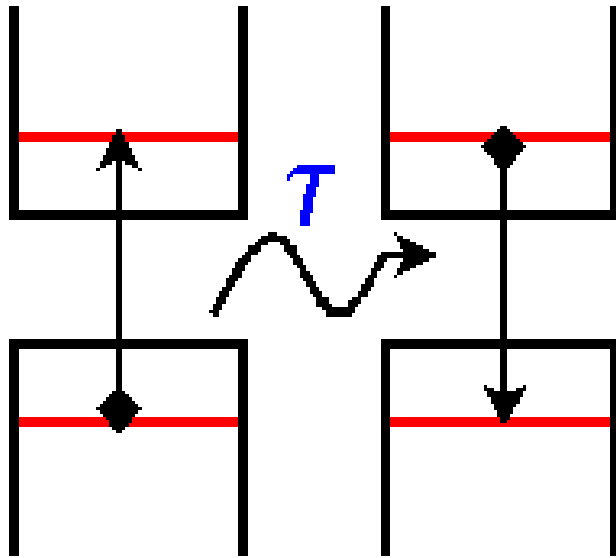
Sphere Acoustic Modes APL 73, 2149-2151 (1998)



$$\rho \frac{\partial^2 \vec{u}}{\partial t^2} + \mu \nabla \times \nabla \times \vec{u} - (\lambda + 2\mu) \nabla(\nabla \cdot \vec{u}) = 0$$



Coherent Phonons: pump & probe detection



Coherent Phonons: amplitude

$$PdV = P4\pi r^2 dr = dE_{conf}$$

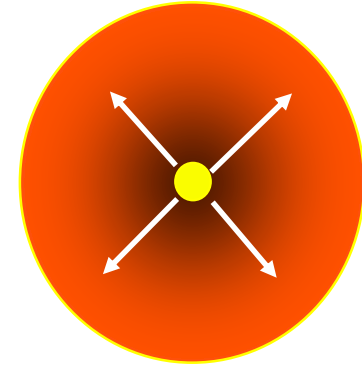
$$\Rightarrow P = \frac{1}{4\pi r^2} \frac{dE_{conf}}{dr}$$

$$P = -K \frac{\Delta V}{V_0} = -K \frac{(r^3 - r_0^3)}{r_0^3} = -K \left[\left(\frac{r}{r_0} \right)^3 - 1 \right] \Rightarrow$$

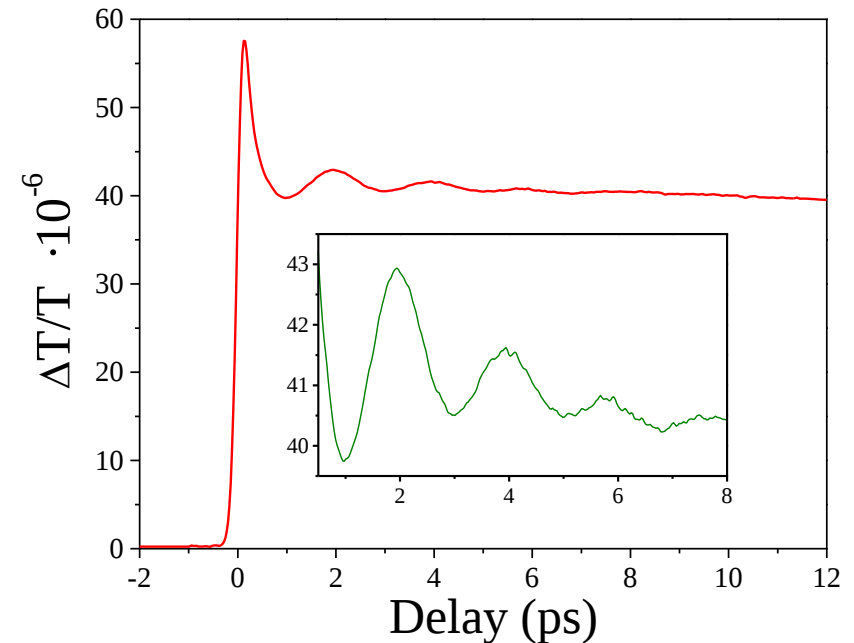
$$\Rightarrow \frac{\delta r}{r_0} = \frac{1}{3K} P$$

$$E_{conf}(r) = \frac{\alpha}{r^2}, \quad \frac{\delta E_{conf}}{E_0} = -2 \frac{\delta r}{r_0}$$

$$\frac{\delta T}{T} = \frac{\delta A}{A} \approx \frac{1}{2} \left(\frac{\delta E}{\sigma_{Tot}} \right)^2 = \frac{1}{2} \left(\frac{\delta E / E_0}{\sigma_{Tot} / E_0} \right)^2$$

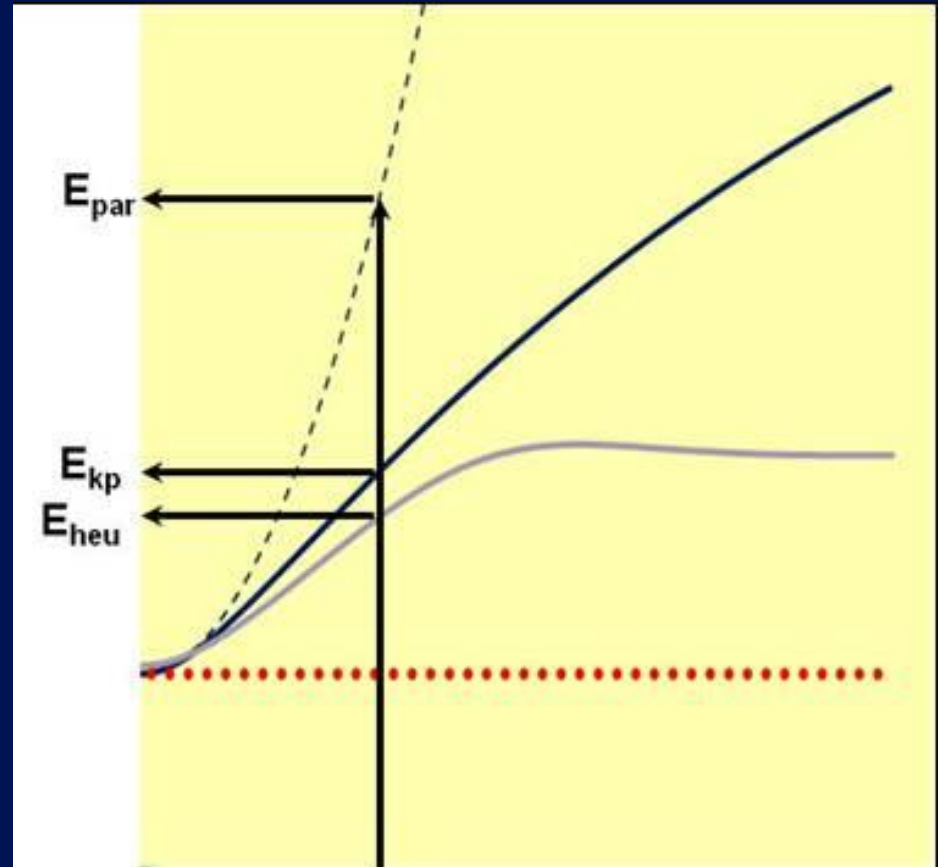
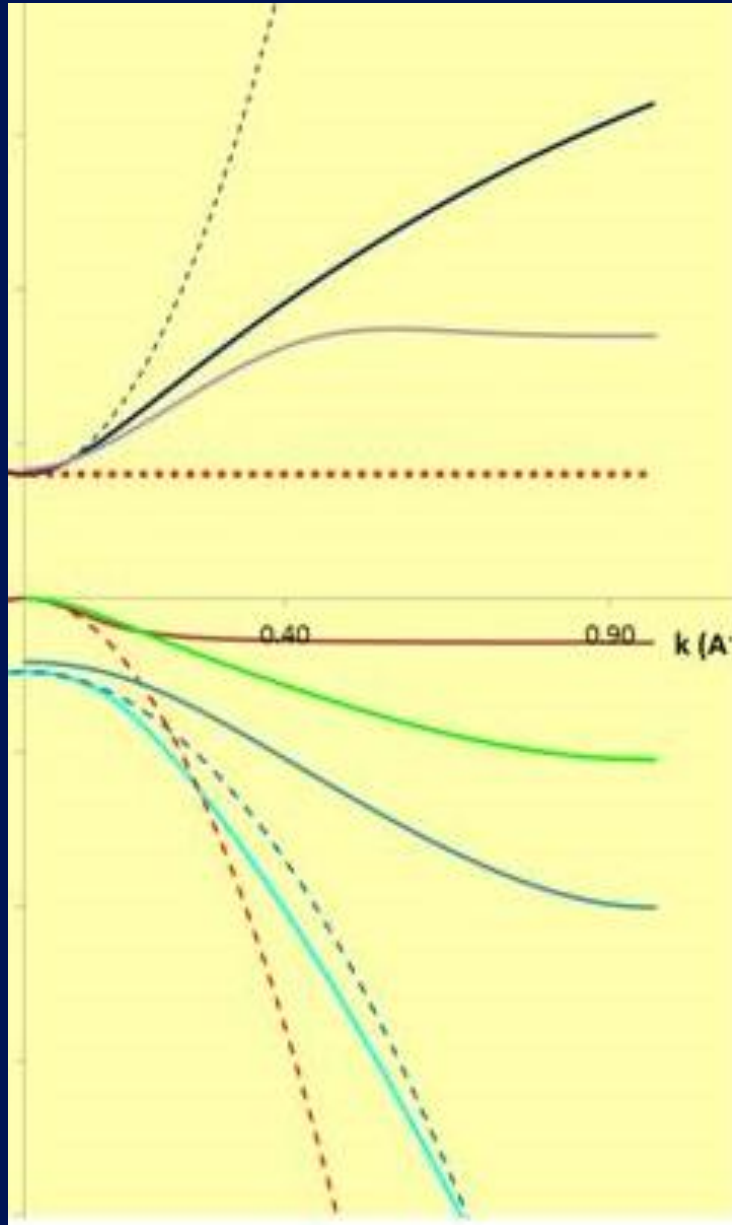


$$\frac{\delta A}{A} = 4.4 \times 10^{-6}$$

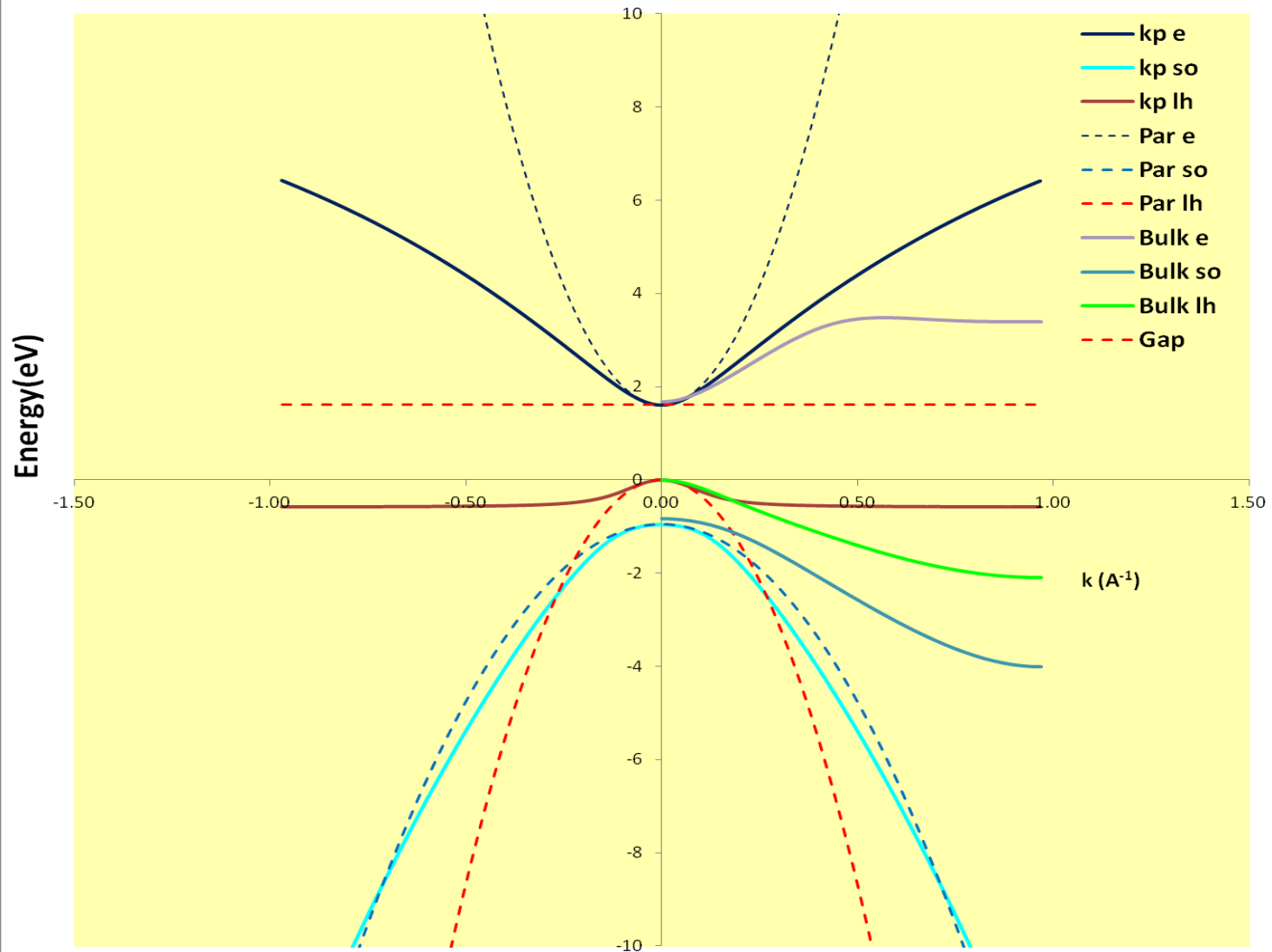


Criticism to kp Models

Parabolic and kP Models are not good enough for very small quantum dots



Energy Dispersion

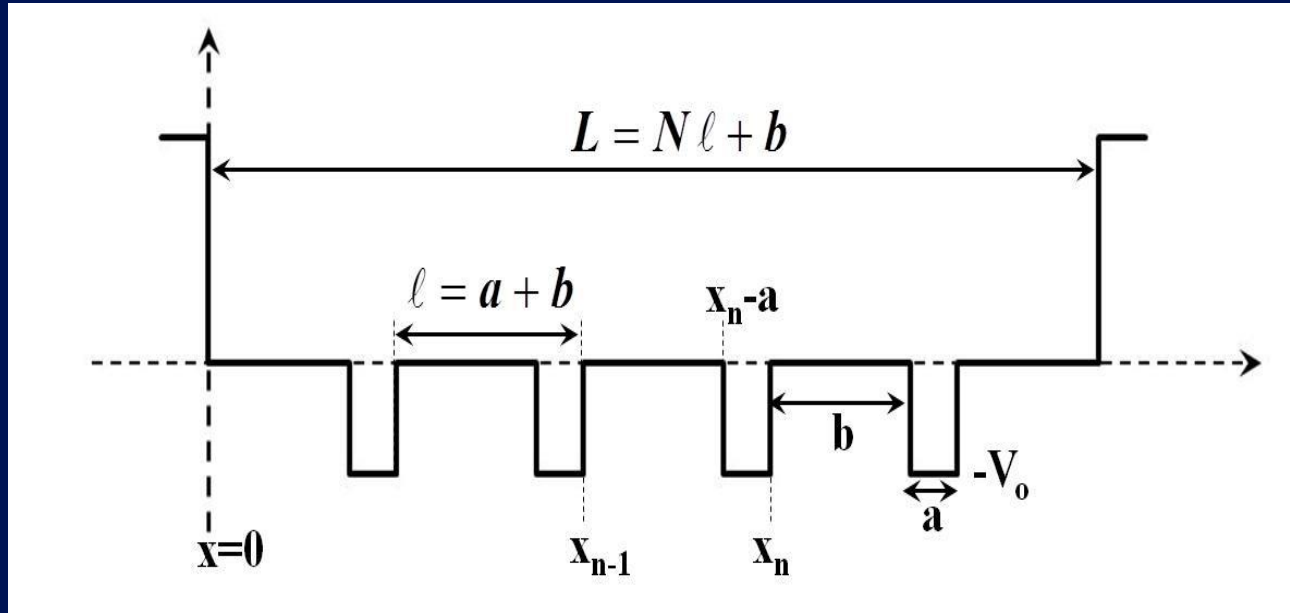


Bulk energy dispersion calculated by
Prof. Guimarães USP/UNICAMP

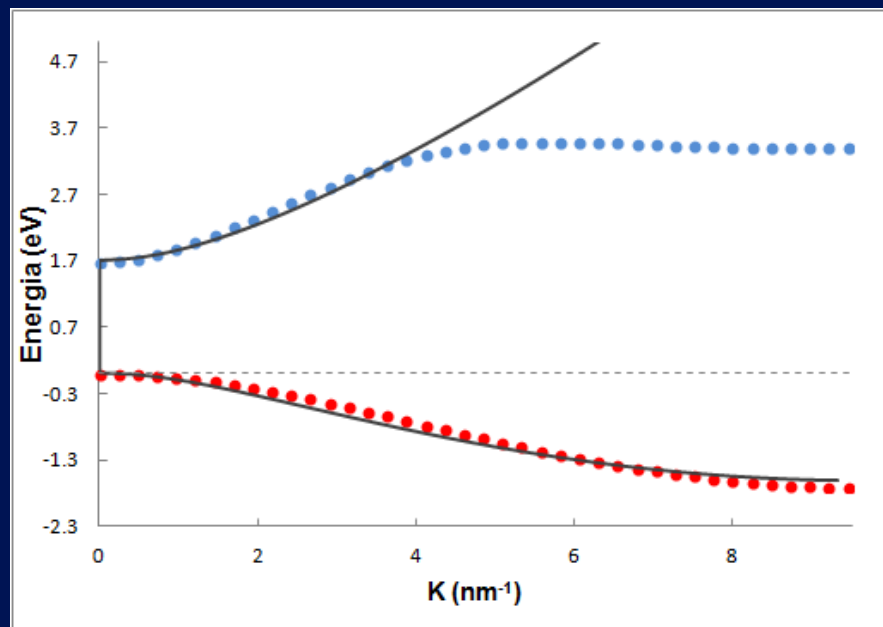
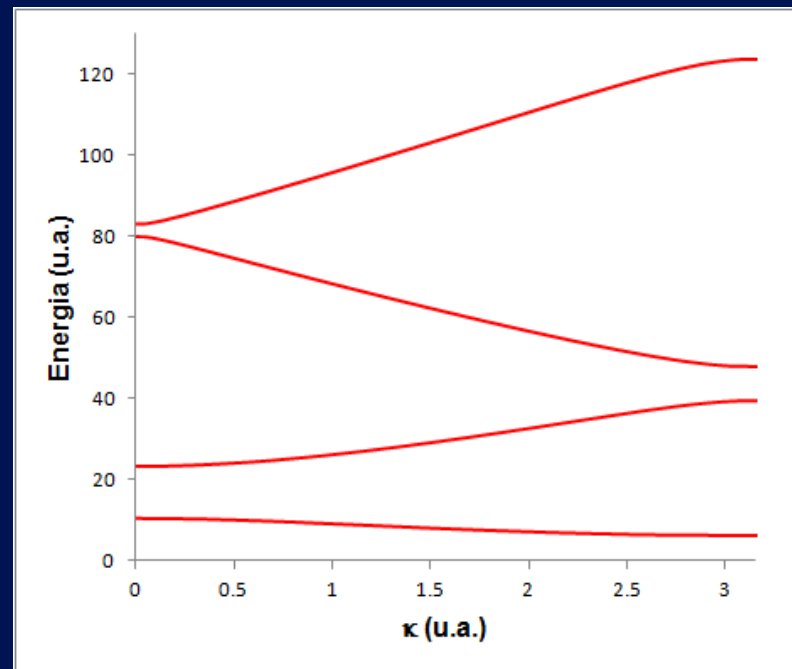
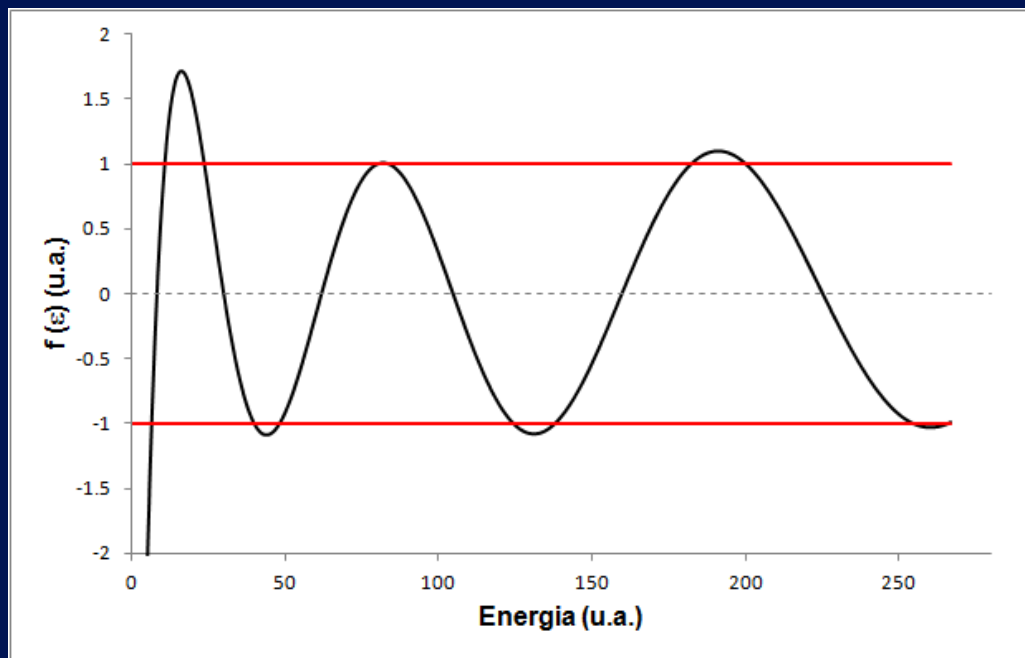
Modelo Unidimensional com solução analítica

Cadeia de poços unidimensionais

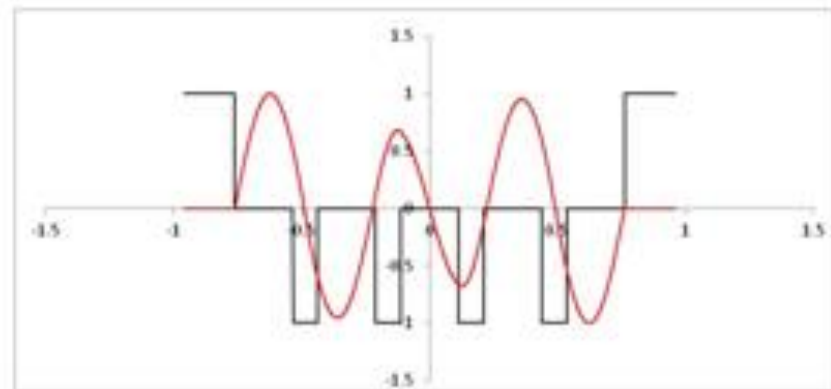
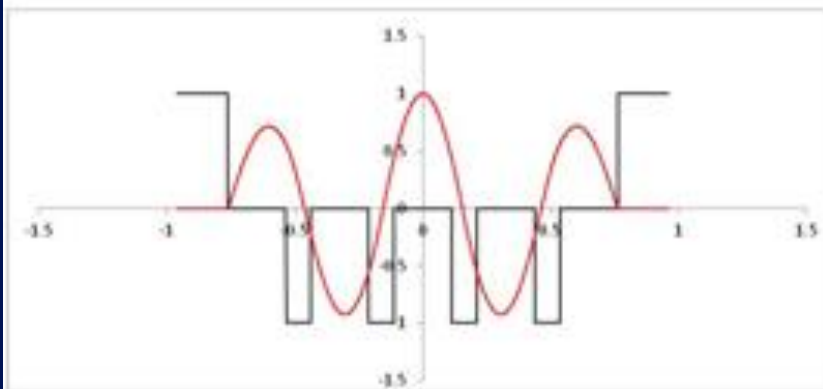
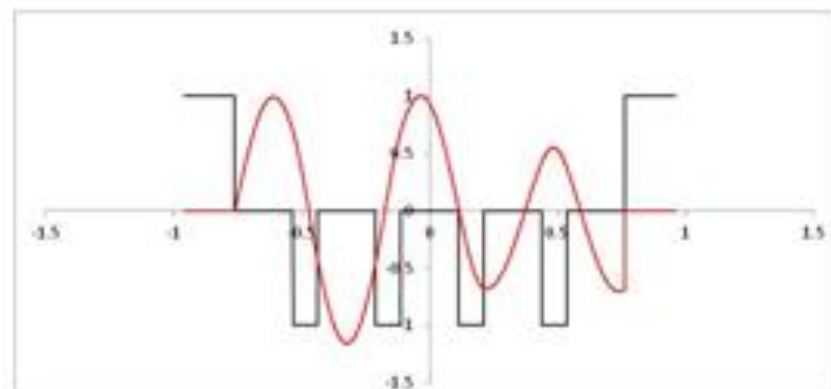
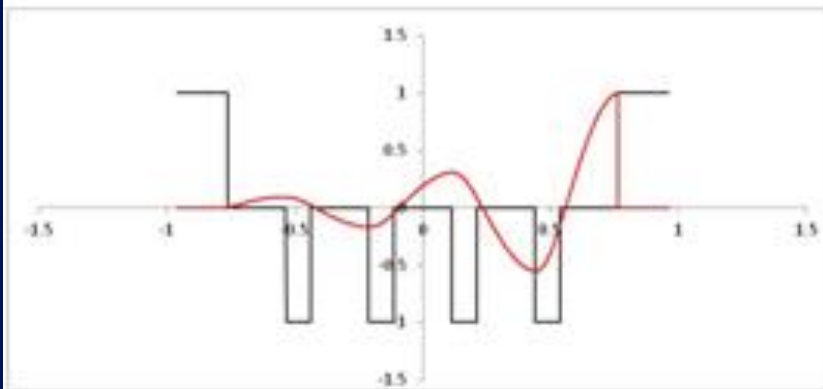
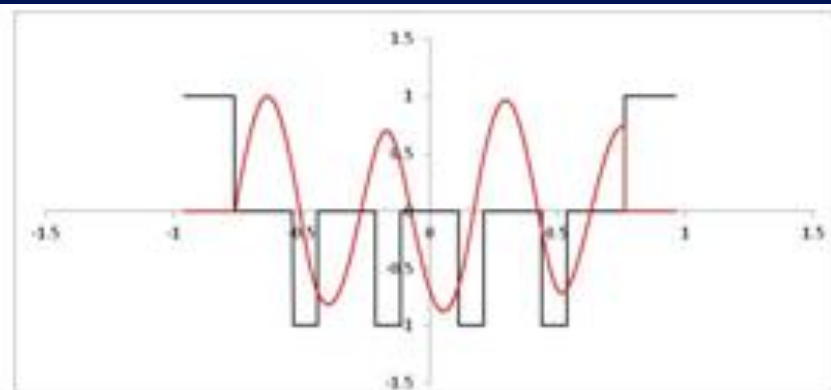
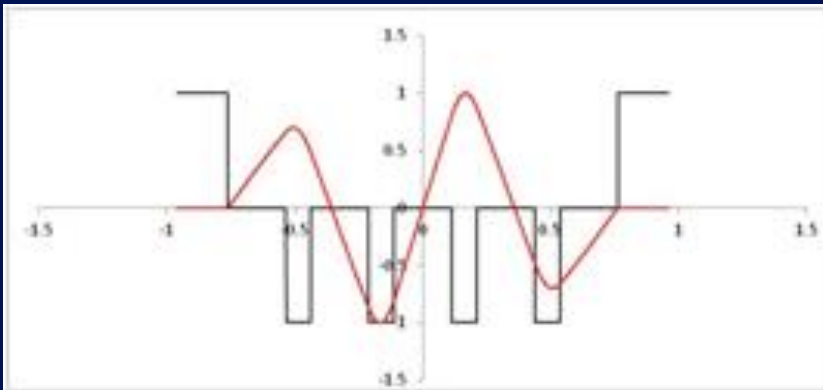
Solução analítica



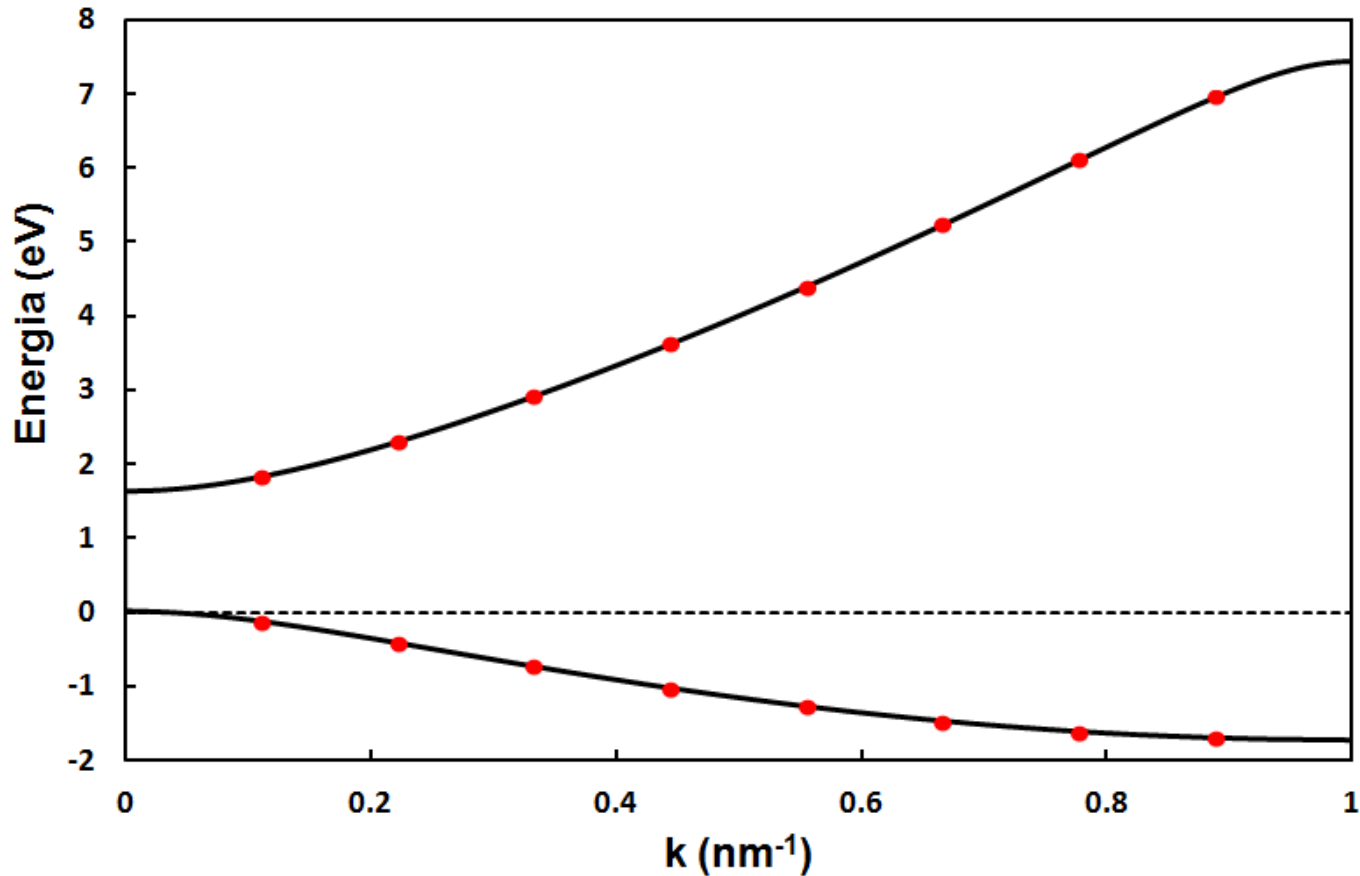
Estrutura de bandas



Estados confinados

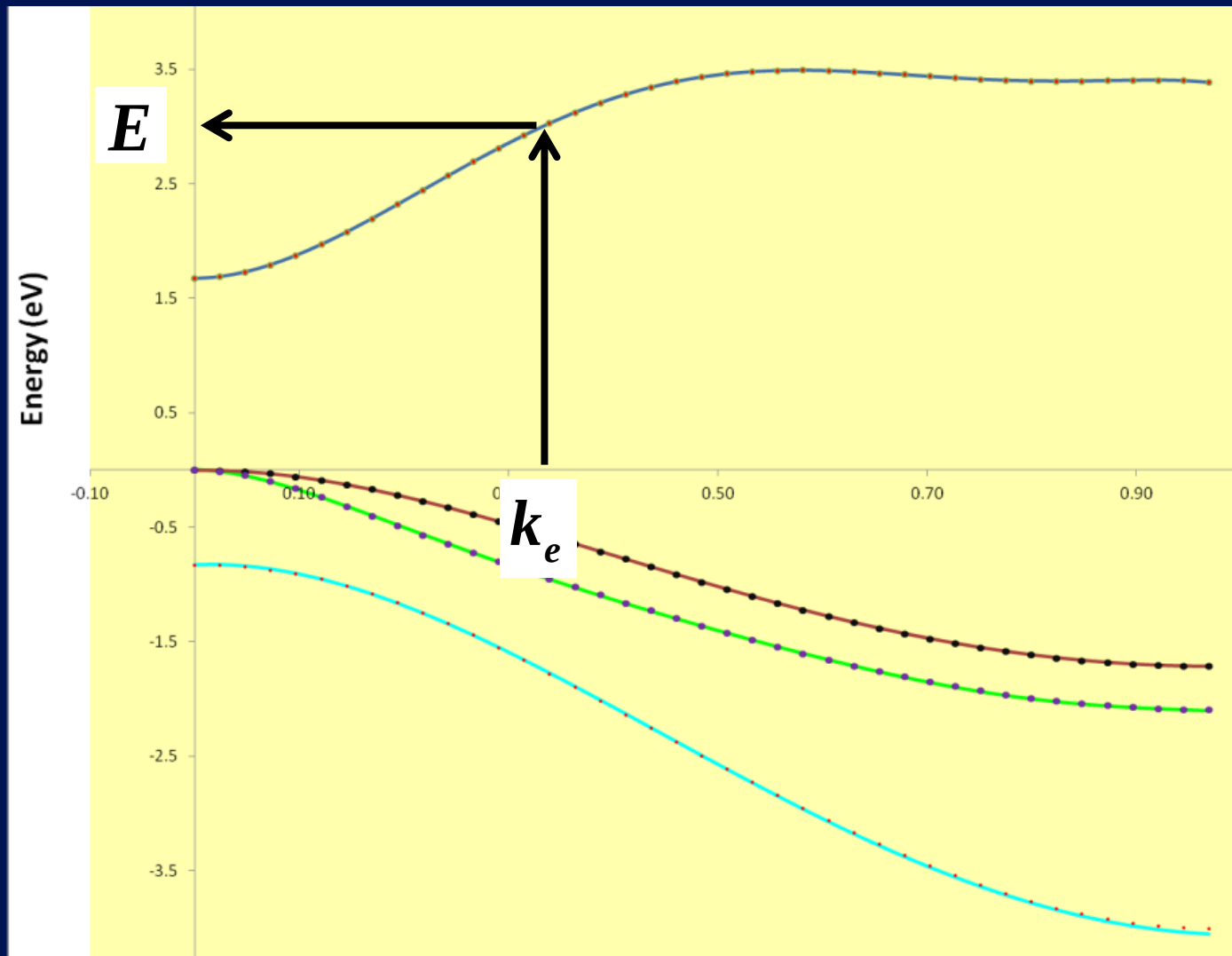


Energia de confinamento

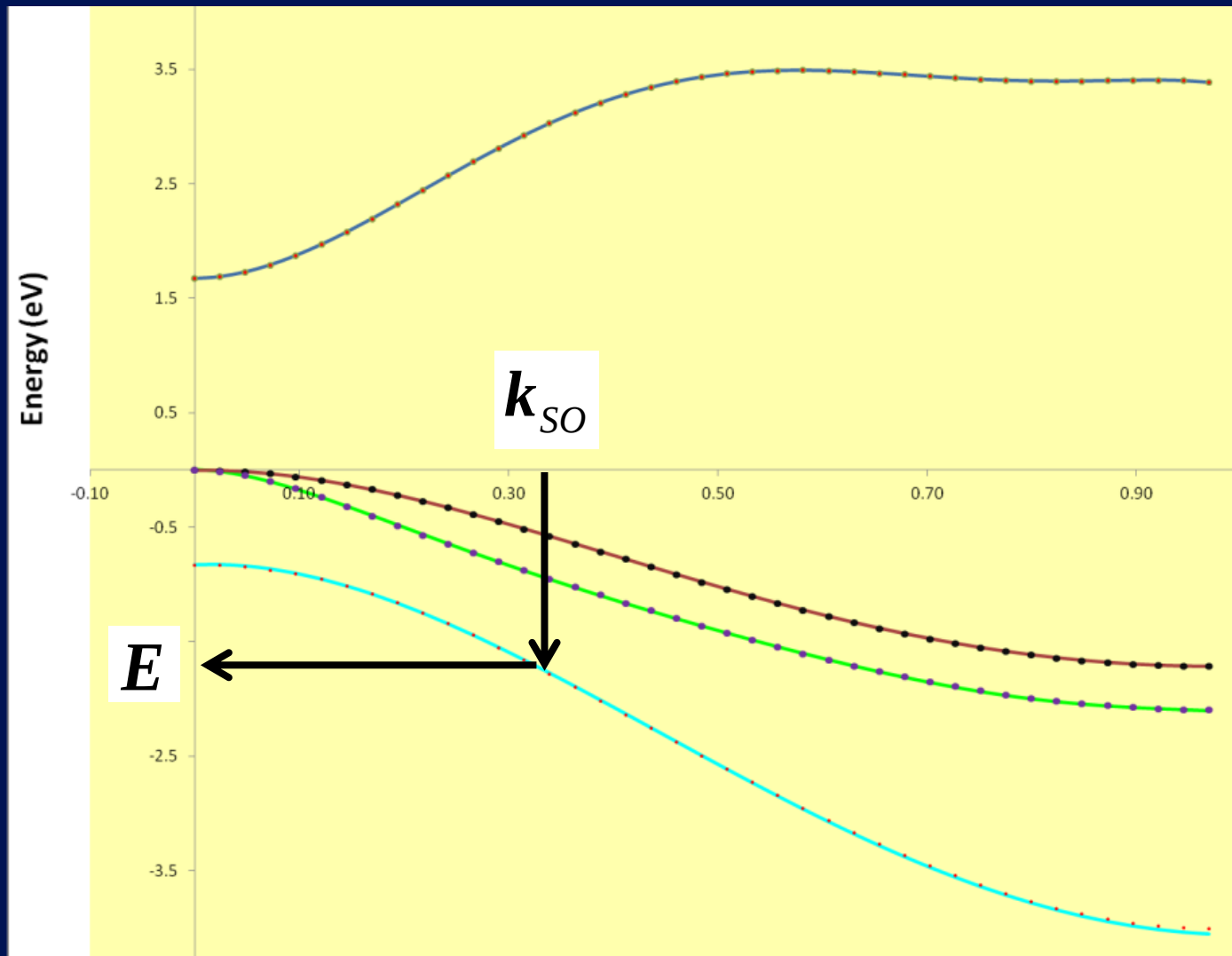


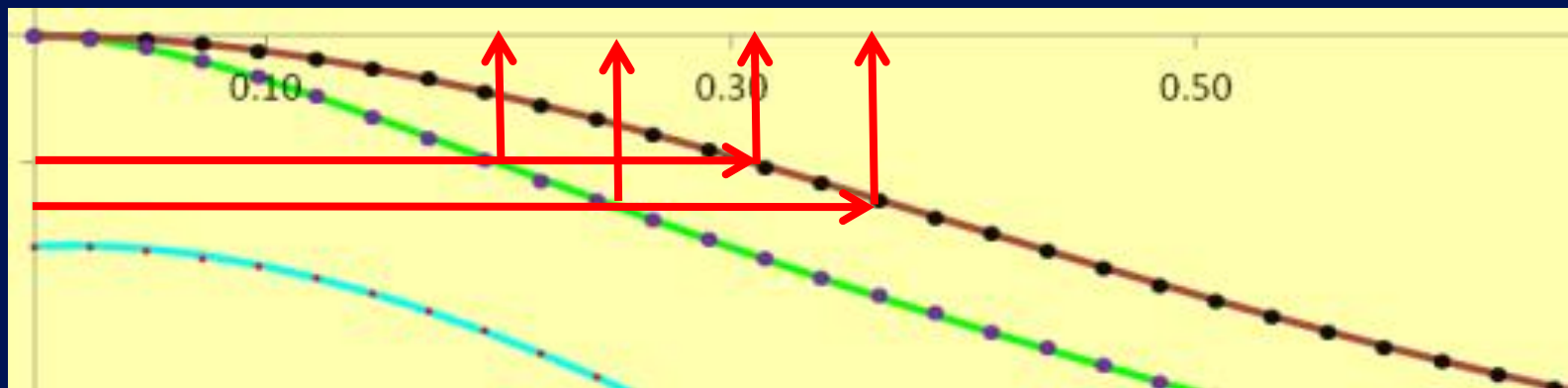
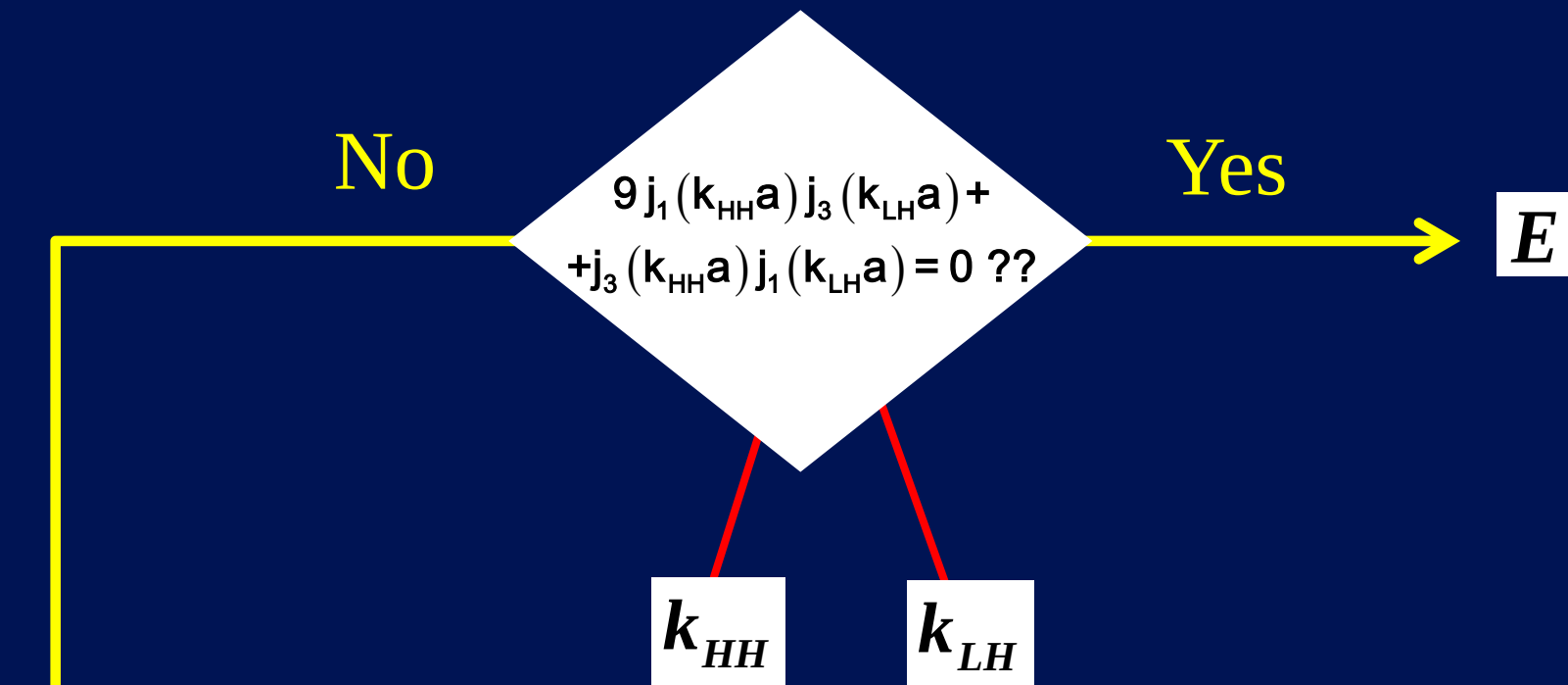
Heuristic Model

$$j_\ell(ka) = 0 \rightarrow k_{\ell n} = \frac{\chi_{\ell n}}{a}$$



$$j_\ell(ka) = 0 \rightarrow k_{\ell n} = \frac{\chi_{\ell n}}{a}$$





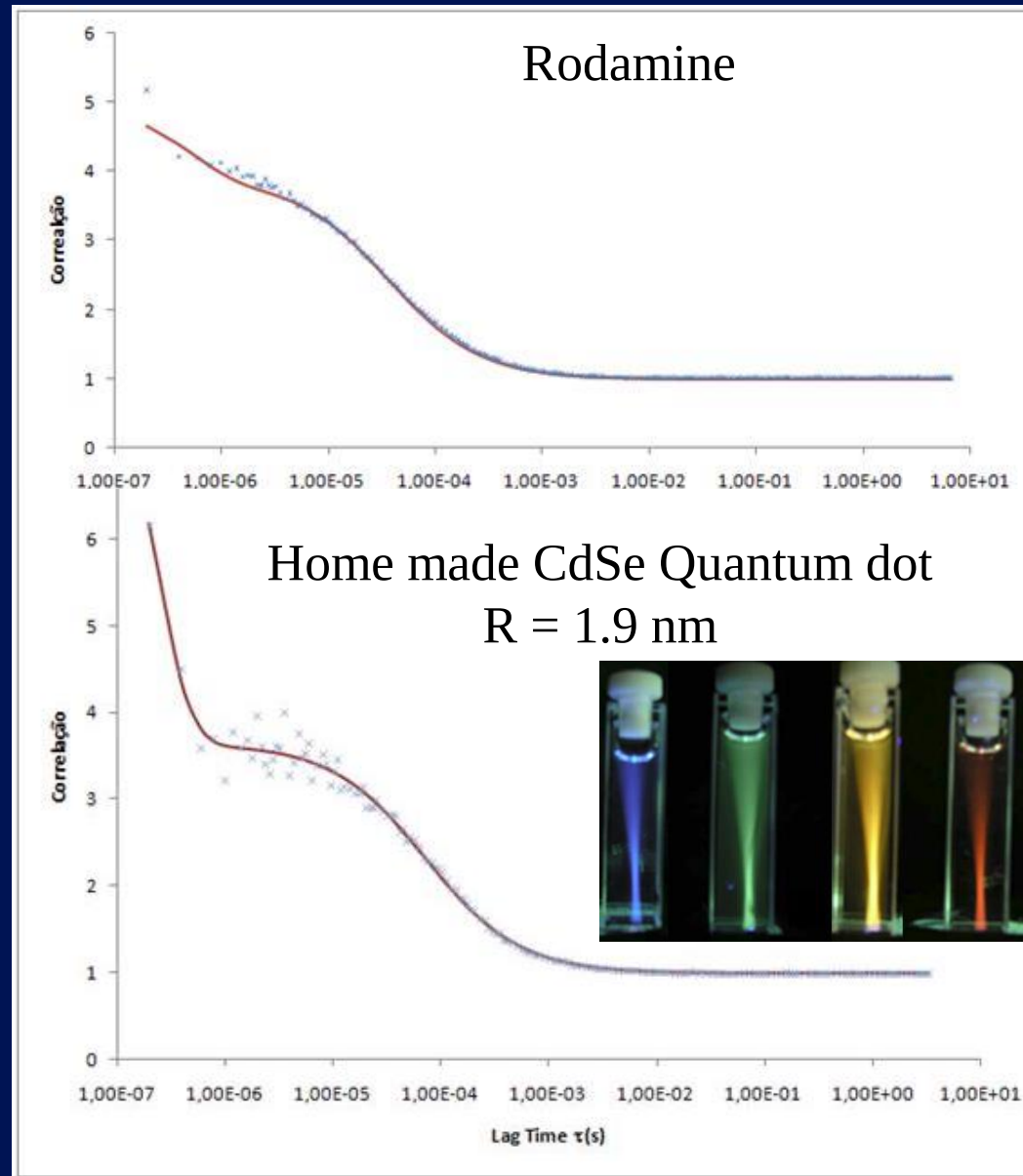
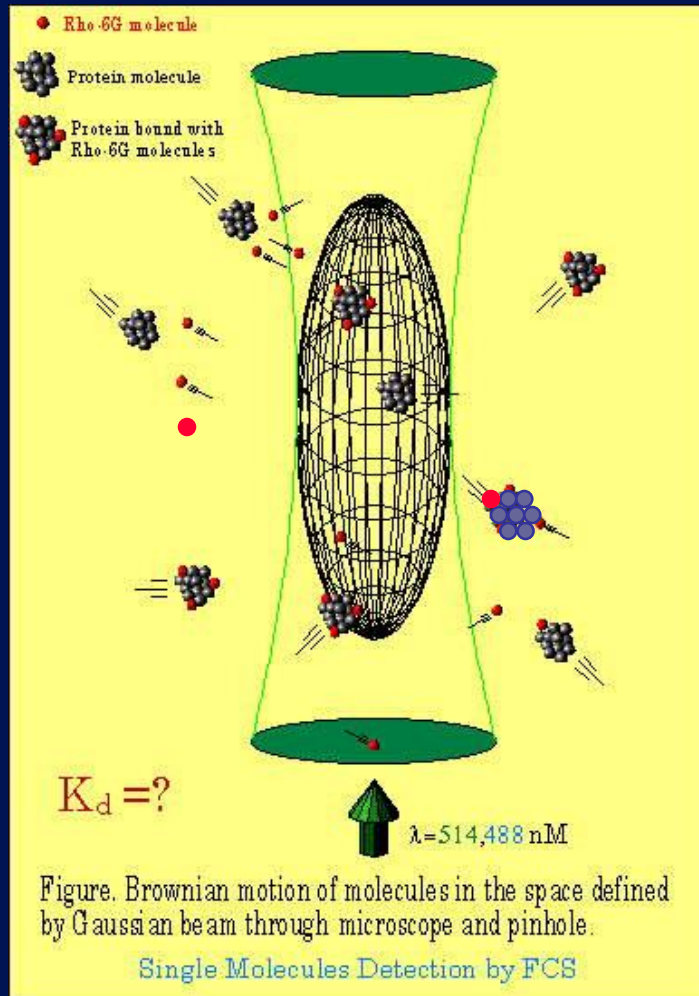
FCS

Fluorescence Correlation Spectroscopy

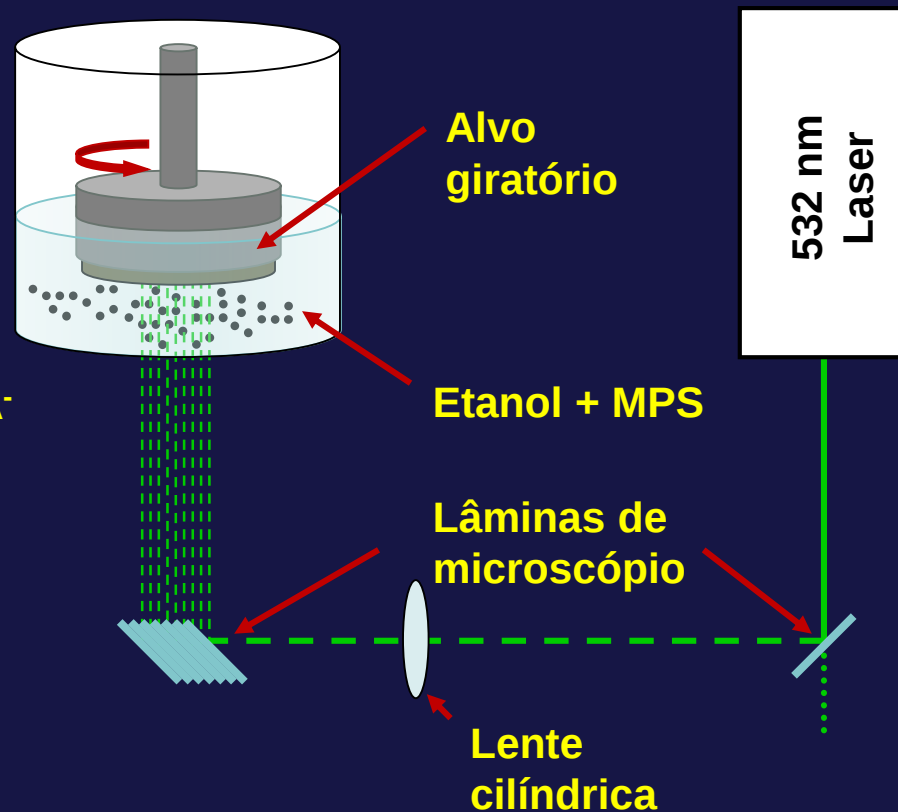
Fluorescence Correlation Spectroscopy FCS

$(1\text{ }\mu\text{m})^3 = 1\text{ femtoliter}$ mass spectrometry?

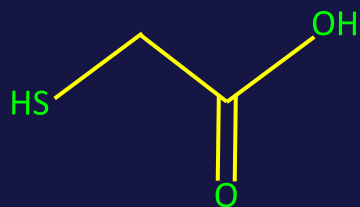
Hydrodynamic radius
extracted from
diffusion time



Quantum Dot Fabrication



Ambas precisam de estabilização:

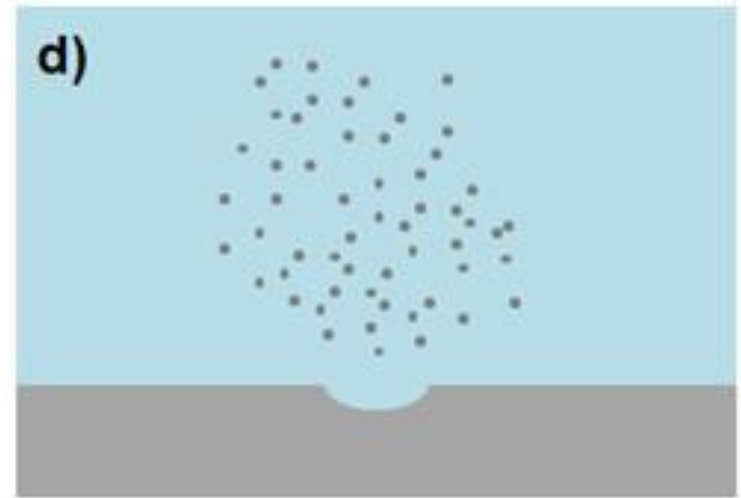
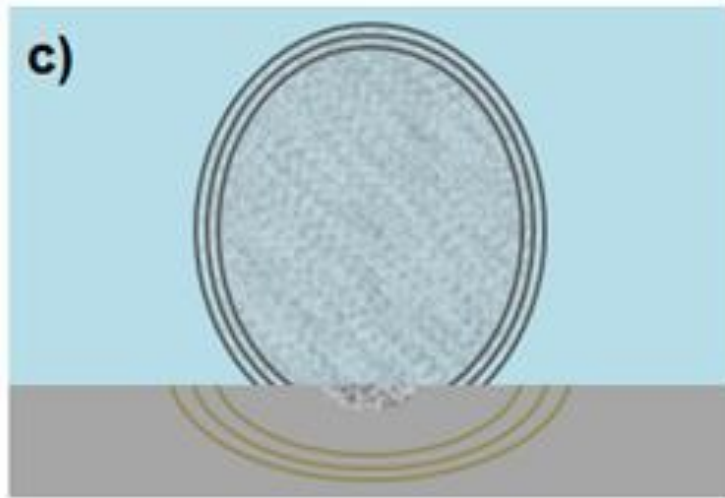
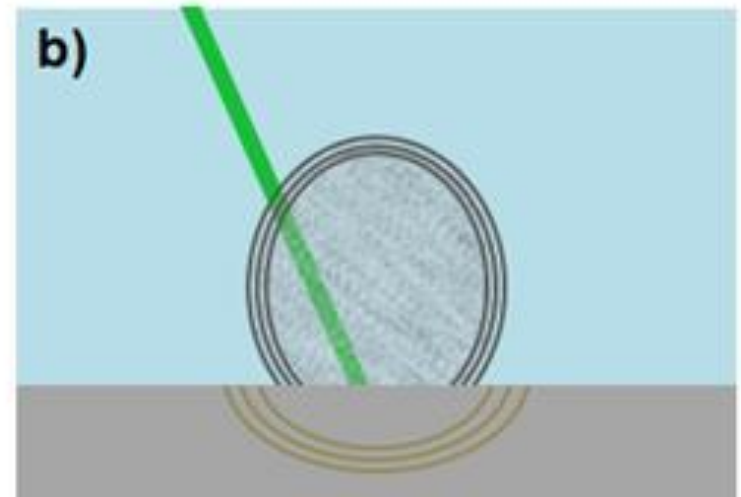
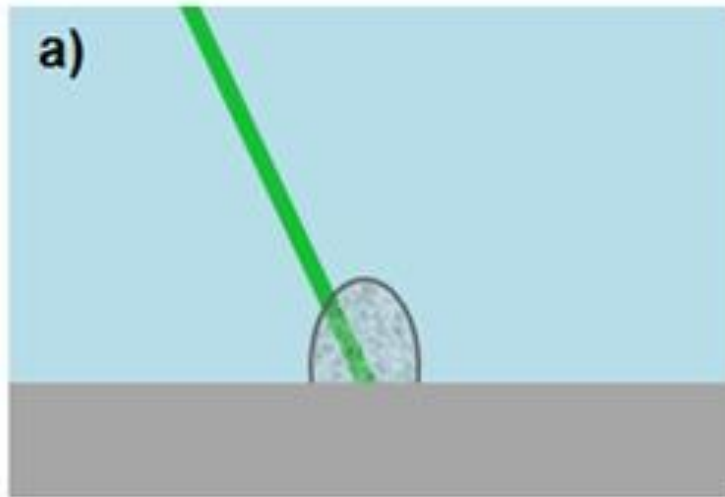


AMA (solúvel em água)

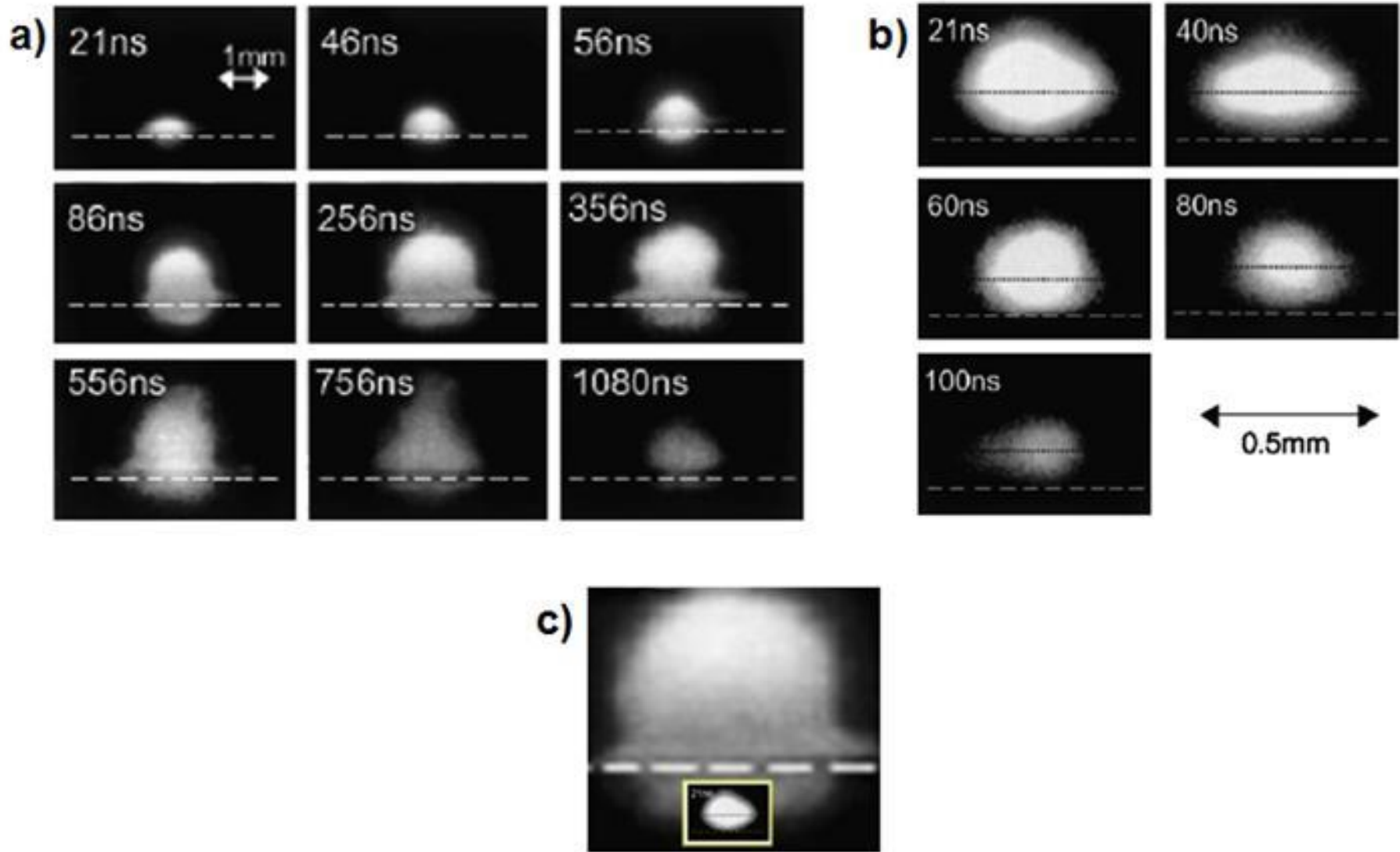


MPS (solúvel em etanol)

Laser Ablation in Liquids



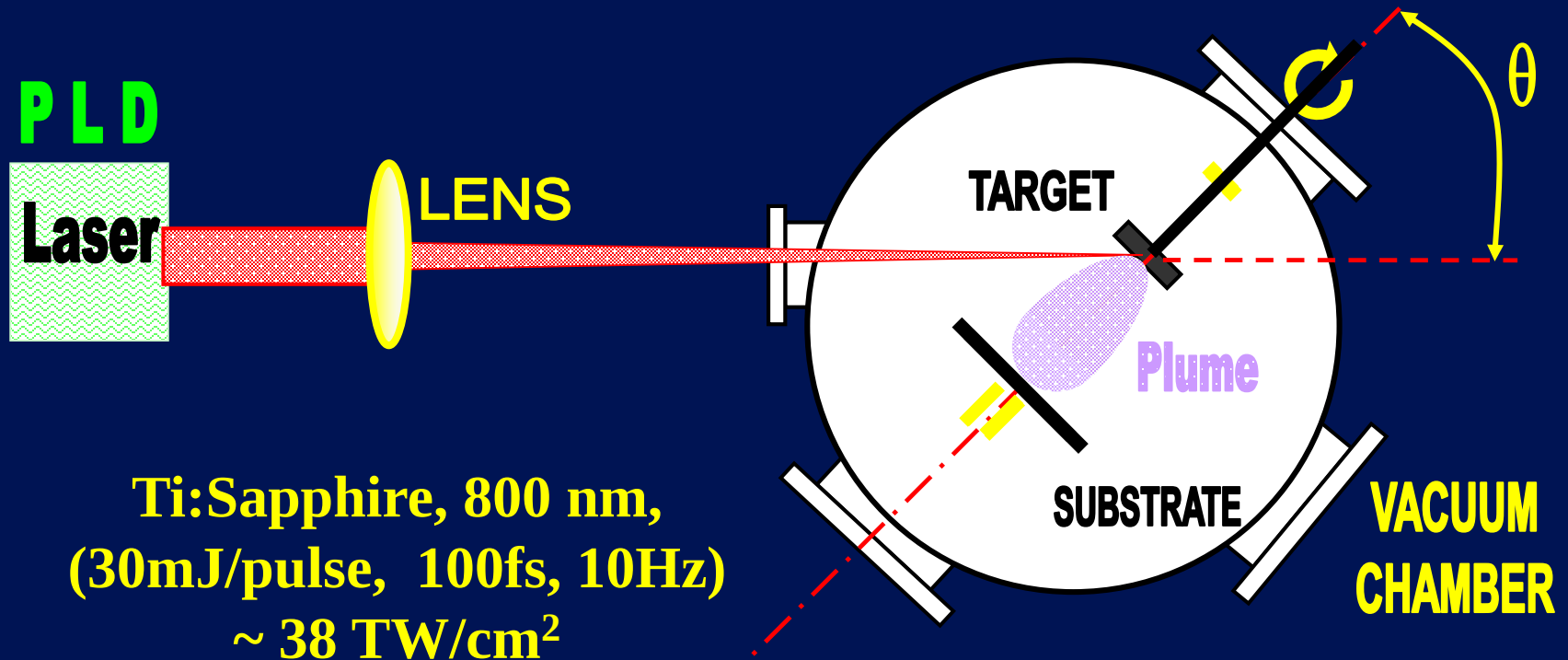
Vacuum versus liquid laser ablation



SAITO, K. et al. **Appl. Surf. Sci.** 197, 56-60, (2002)

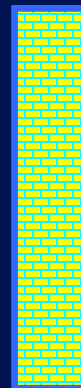
Laser Ablation in Vacuum

Experimental set up



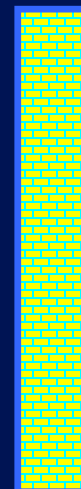


target



Lower bkg pressure
Higher nr. of pulses
QD growth on
substrate

COALESCENCE

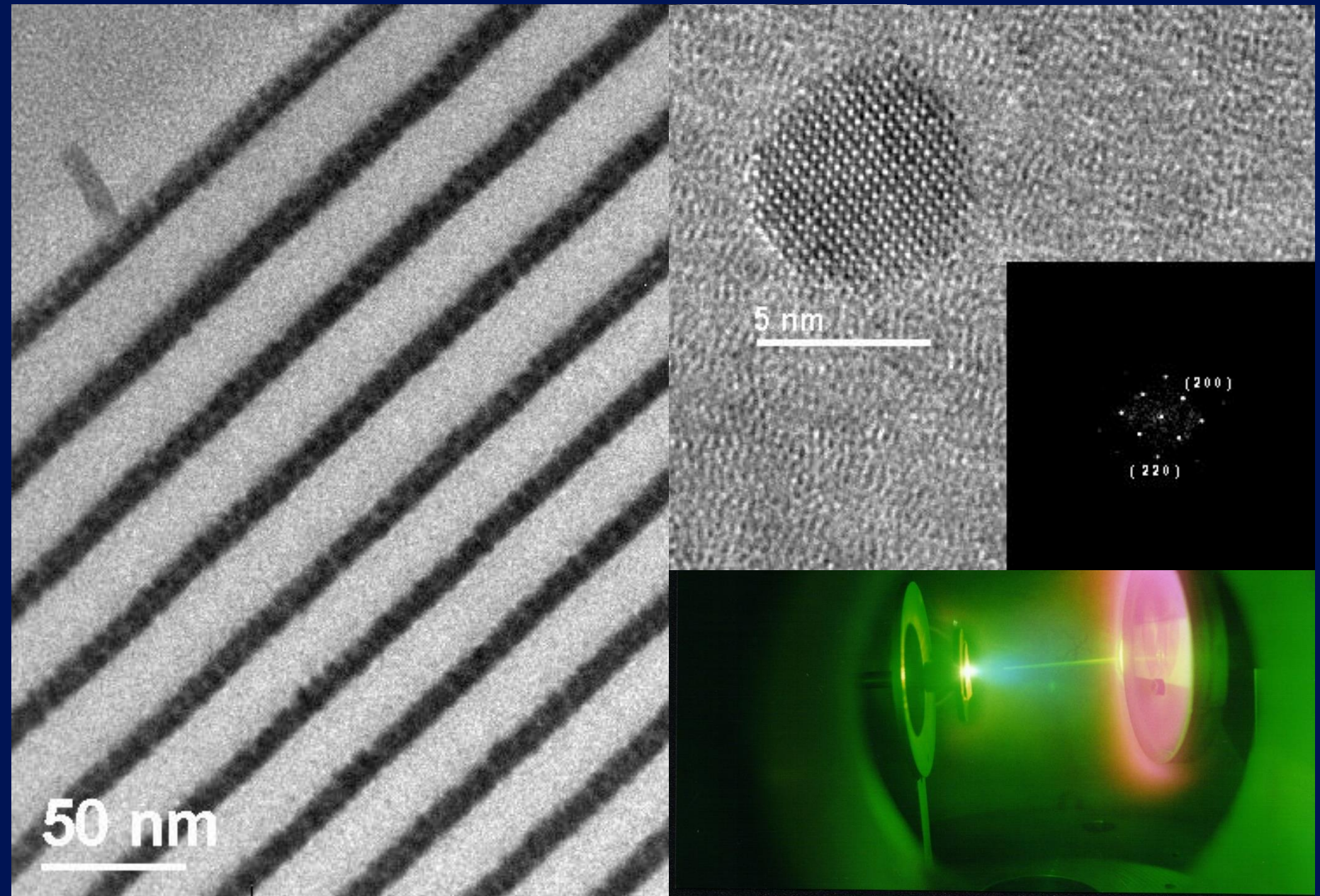


Higher bkg pressure
Lower nr. of pulses

QD Growth at vapor
phase

substrate

HRTEM (LME-LNLS) PbTe QDs images



Quantum dot doped Glass

Growth Kinetics: How to Control Size and Dispersion

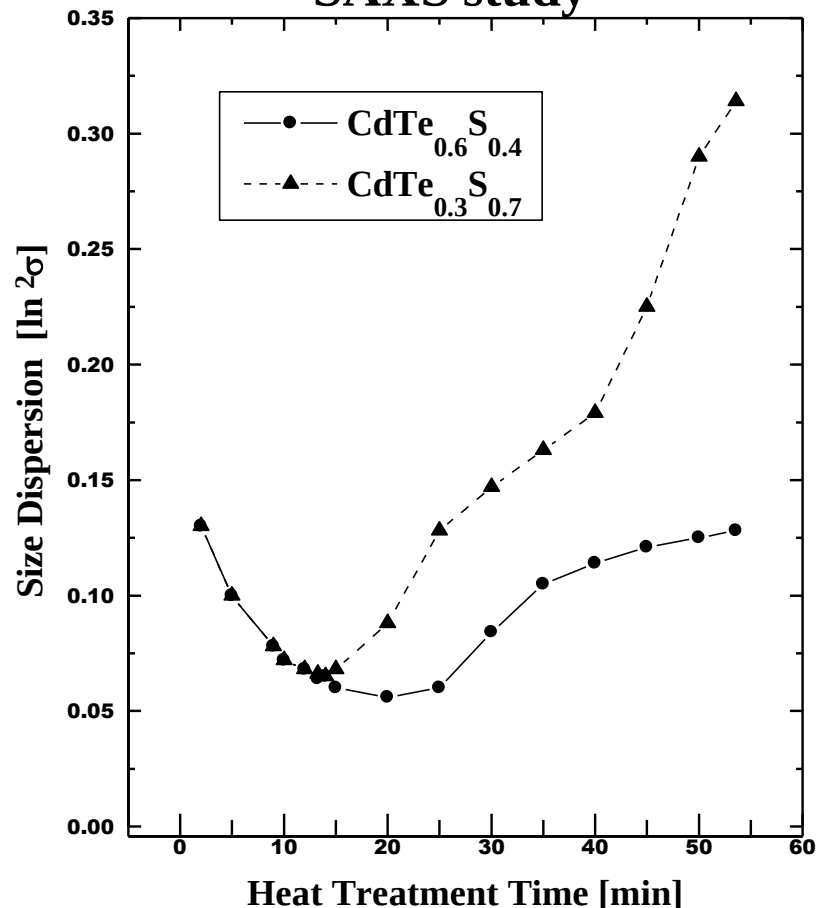
Glass and QD elements
melted together 1200 °C:
transparent glass



Thermal annealing 460 - 560 °C:
QD's development - time →



Size dispersion vs time:
SAXS study



Results

**SAXS show nucleation&growth
happening simultaneously**

**Double annealing method suggested:
first (460°C): only nucleation
second (560°C): only growth**

**- New method produced 6% size
dispersion QD's**

The End!!



Thanks for the attention