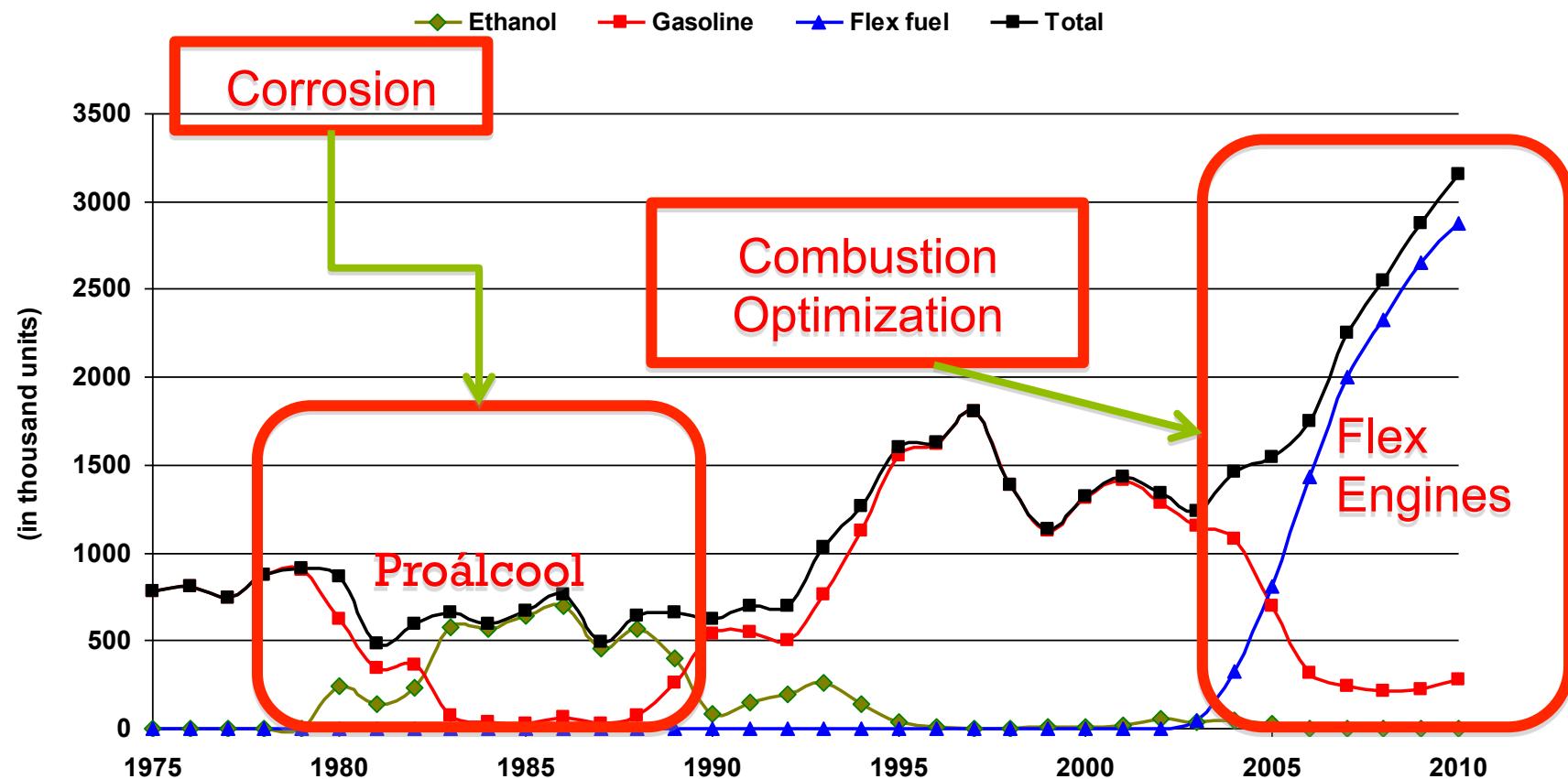


Low energy electron scattering data for chemical plasma treatment of biomass

by

**Marco A. P. Lima
Unicamp**

Motivation I: large scale use of ethanol in engines



Brazilian Sales of light fleet Vehicles (1975-2010)

Ethanol as Fuel: Plasma Ignition for Vehicle Engines

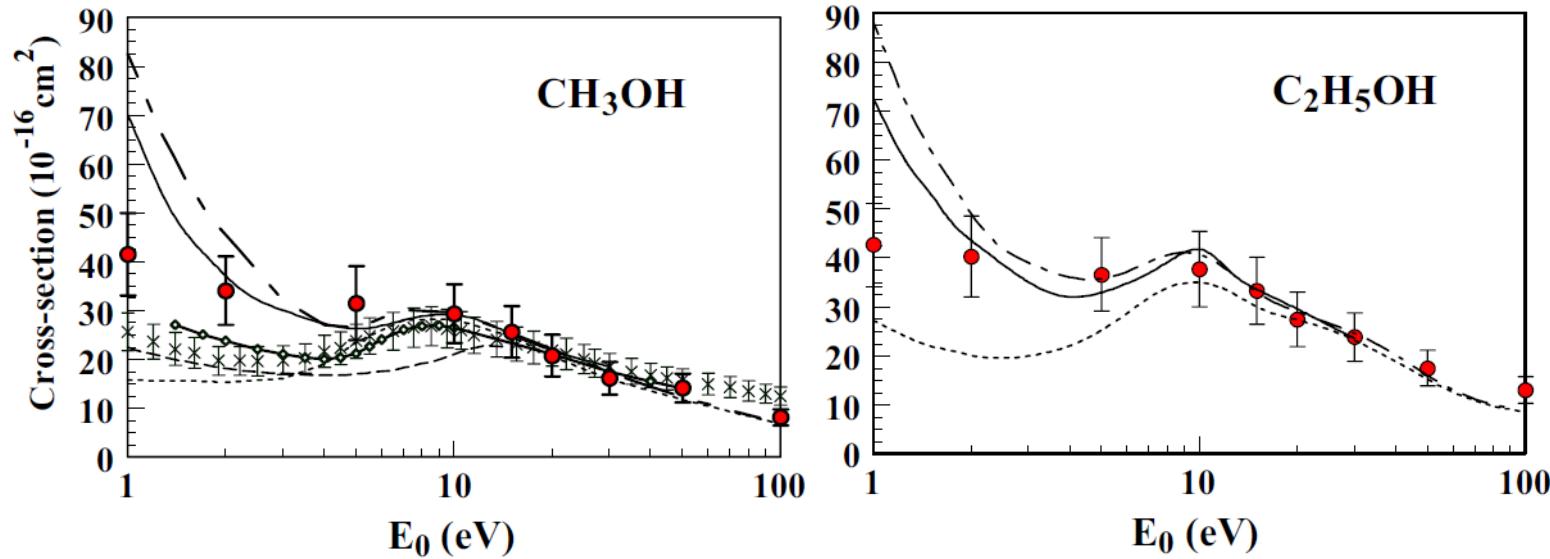


Theoretical support for an application project working on:

- Investigation of processes occurring during the ignition of plasma and its consequences in post-discharge for an internal combustion engine;
- The proper parameters to be applied in cars that operate on "poor mixtures" reducing pollutants released into the atmosphere, especially considering the spark plug discharge.

Low-energy electron scattering from methanol and ethanol

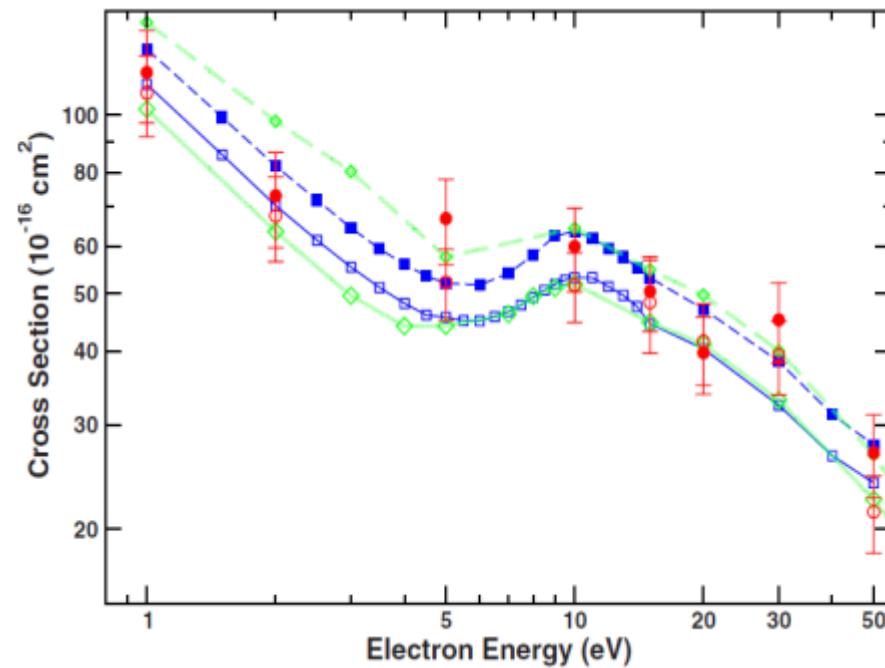
PHYSICAL REVIEW A 77, 042705 (2008)



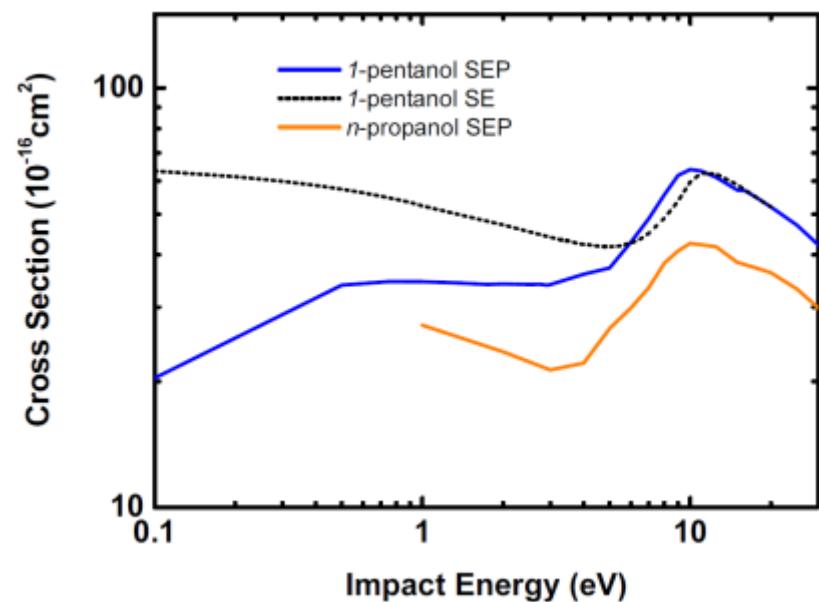
Integral elastic scattering cross sections for CH_3OH . Legend: ●: present experiment; ——: SMCPP SEP; —: SMC SEP; ---- (short dashes): SMC SE which is similar to SMCPP SE; and ---- (long dashes): R -matrix ICSs of Bouchiha *et al.* (without Born correction) [10]. \times Total cross section measurements of Szmytkowski and Krzysztofowicz [24] and —◆— of Schmieder [22]. ----- (short dashes) are from the SMCPP SE which is similar to SMC SE.

Elastic scattering of slow electrons by *n*-propanol and *n*-butanol

PHYSICAL REVIEW A 78, 062714 (2008)



Electron scattering of slow electrons by *l*-pentanol (a drop in fuel)



Integral elastic cross sections for electron collisions with *n*-propanol and *n*-butanol. Red circles are experimental values, thin blue lines with squares results from all-electron calculations, and thick green lines with diamonds results from pseudopotential calculations. Open symbols and solid lines are propanol data; solid symbols and dashed lines are butanol data.

NSF/CNPq project (experiments from Morty Khakoo's group)

Motivation II: large scale production of ethanol



A sugarcane industry of Sugar/Ethanol/Bioelectricity

Motivation II: large scale production of ethanol



Biomass: a source of energy and carbon

Motivation II: large scale production of ethanol



Biomass: a source of energy and carbon

Motivation II: large scale production of ethanol



Biomass: a source of energy and carbon

Motivation II: large scale production of ethanol



First generation ethanol: crushing the cane for the juice

Motivation II: large scale production of ethanol



Bagasse piles
at the mill.

2nd generation
ethanol?
Other high value
bioproducts?



Biomass: a source of energy and carbon

Funding Motivation



- Feedstock, processing, green chemistry, engines, sustainability
- 300+ scientists (50 from abroad); 600+ graduate students
- Value awarded 2009-2012:
 - US\$ 45 million (FAPESP);
 - US\$ 28 million (State Government);
 - US\$ 5 million (industry);
 - US\$ 28 million (Universities)



- 35 industrial business plans (2nd generation ethanol; new products for sugarcane; gasification) approved will result in a potential investment of BRL 3.1 billion (~US\$ 1.5 billion)

Theoretical co-authors



Eliane M. de Oliveira (posdoc)
Alexandra Natalense
Marco A. P. Lima



Sergio d'A. Sanchez
Márcio H. F. Bettega

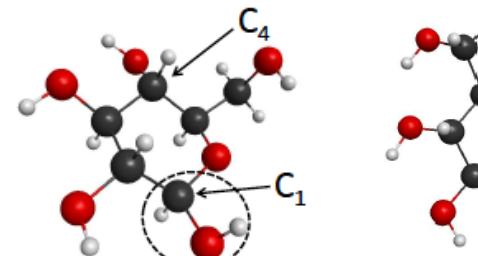
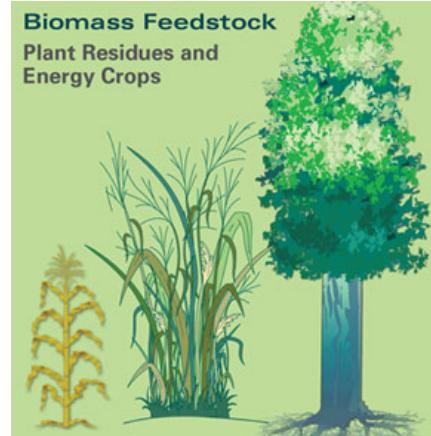


Romarly F. da Costa

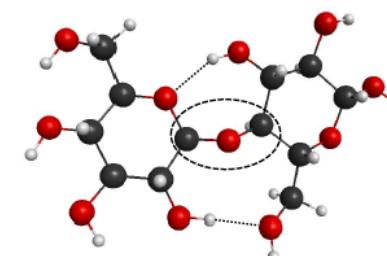


Márcio T. do N. Varella (coordinator)

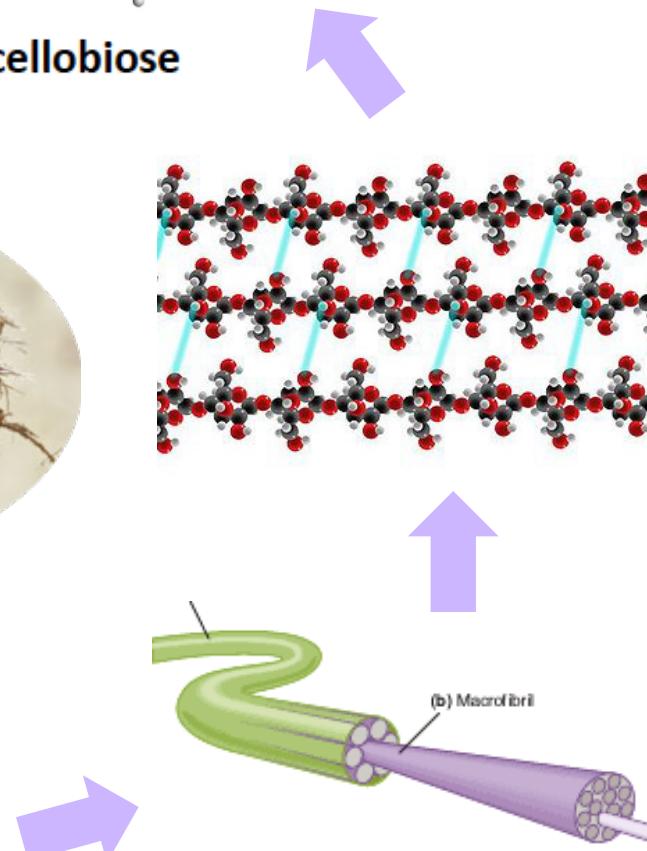
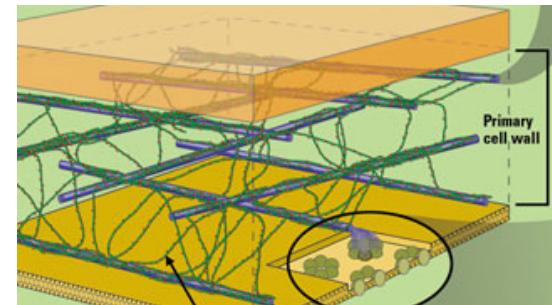
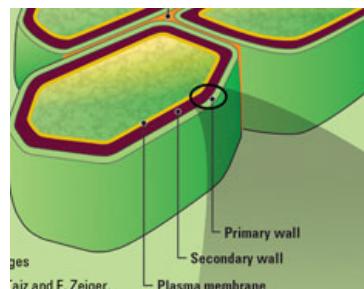
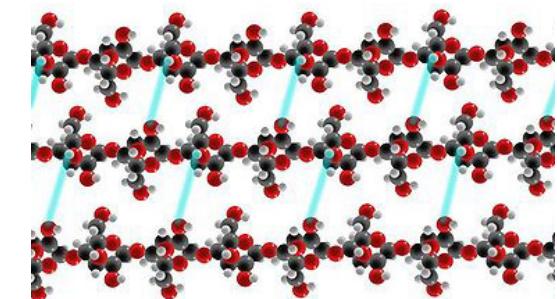
Biomass is Made Up with Fermentable Sugars



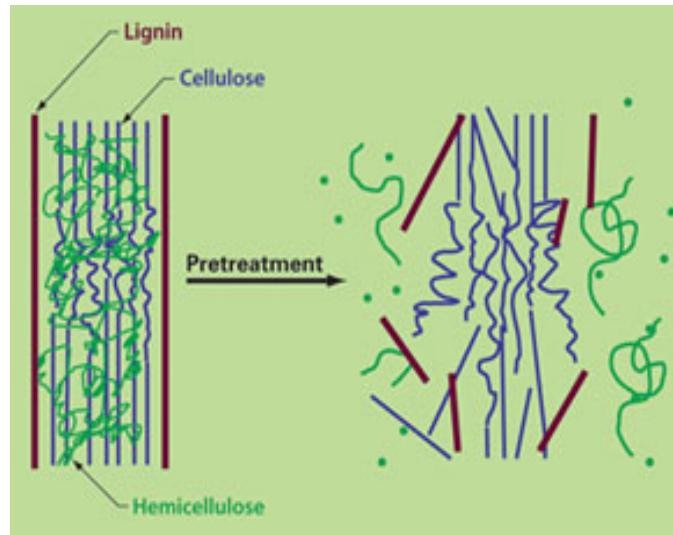
β -D-glucose



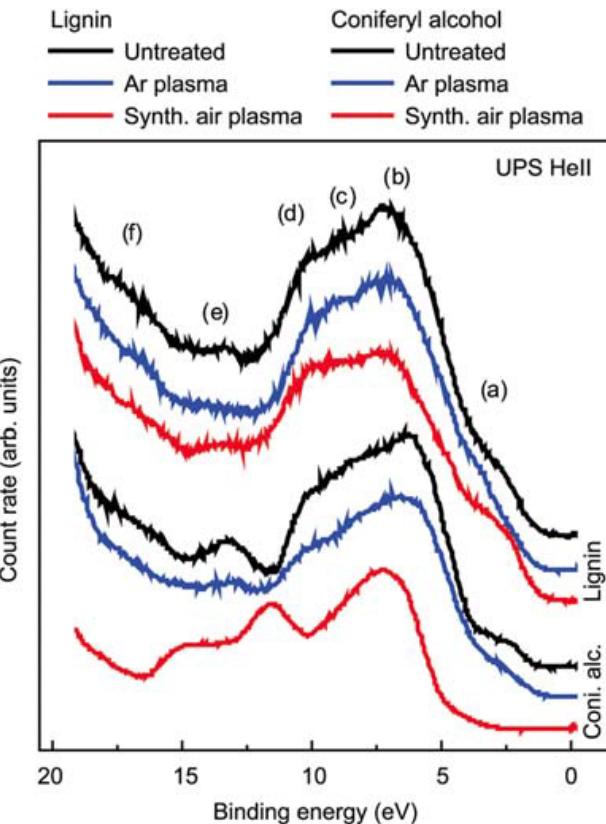
cellobiose



Lignocellulose is Resistant to Hydrolysis

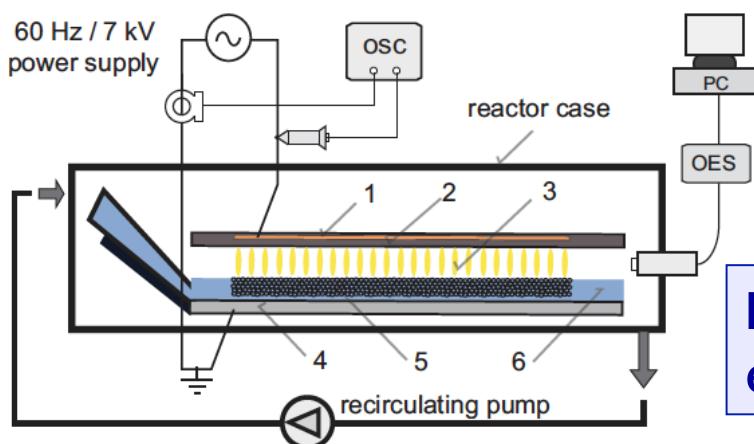


Pretreatment: bio- and physical-chemical processes to expose the cellulose fibers



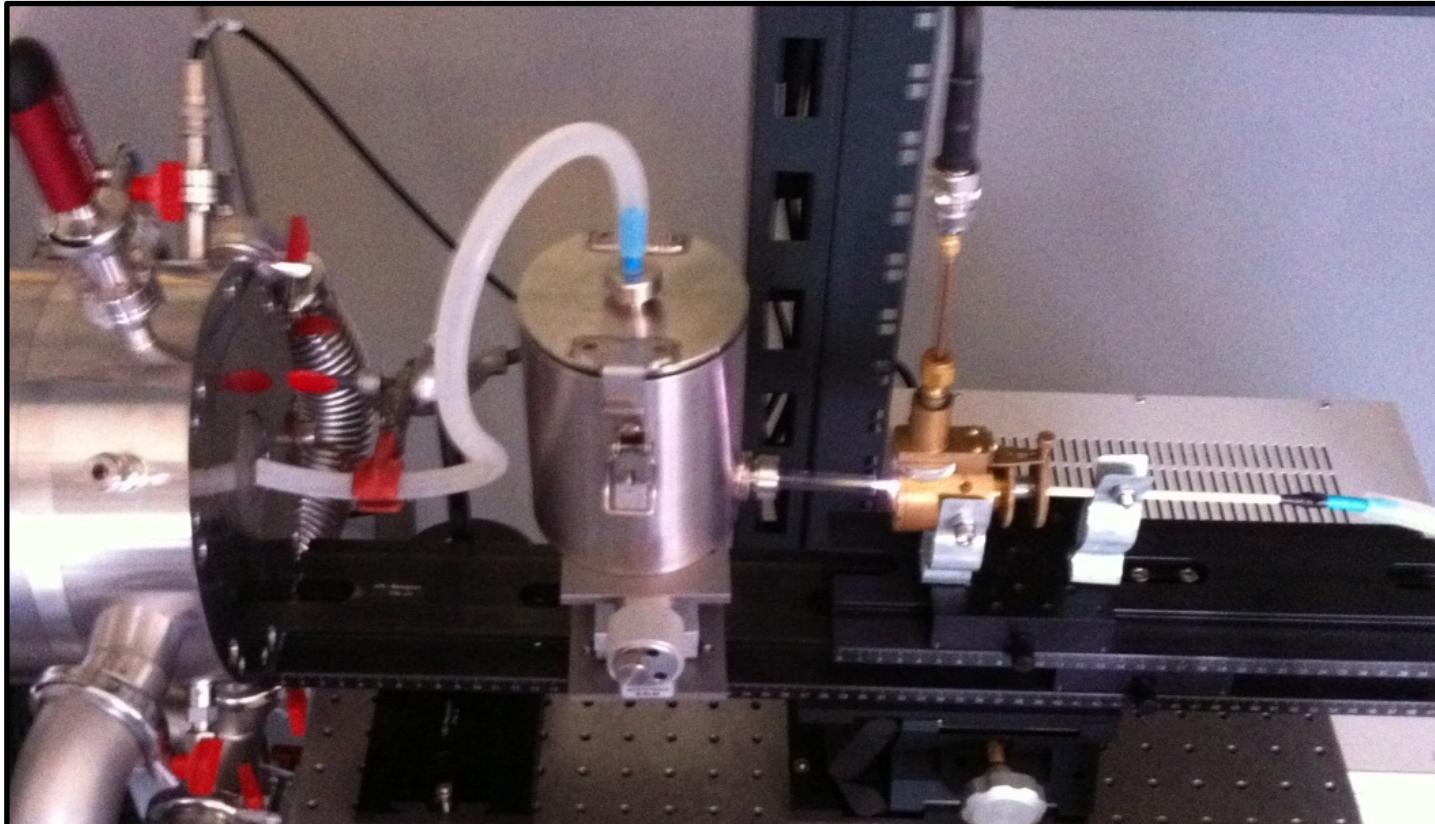
Lothar Klärhöfer¹, Wolfgang Viöl^{2,3,*} and Wolfgang Maus-Friedrichs¹

Holzforschung, Vol. 64, pp. 331–336, 2010



Dielectric Barrier Discharge (DBD):
electron flux on substrate $\sim 10^8 \text{ cm}^{-2} \text{ s}^{-1}$

Sugarcane Bagasse Plasma Pretreatment



Treatment conditions

- ~ 25 g of dry sugarcane bagasse (50% moisture) – milled at 500 μ m
- Gas flow Mixture: 95% Ar (1.9 SLM) and 5% O₂ (0.1 SML)
- $\Delta t_{\text{treatment}} = 3\text{h}$

Biomass Chemical Analysis

Lignin concentration (%) of raw bagasse and samples related to plasma torch treatment and washing procedure by water and NaOH 1% solution at room temperature.

Samples	Soluble Lignin (%)	Insoluble Lignin (%)	Total of Lignin remaining (%)
raw bagasse	1.58 ± 0.01	20.3 ± 0.1	21.9 ± 0.1
Washed by H_2O	2.4 ± 0.9	21.4 ± 0.9	23.8 ± 0.9
Washed by NaOH 1%	1.3 ± 0.9	12.6 ± 0.9	13.9 ± 0.9

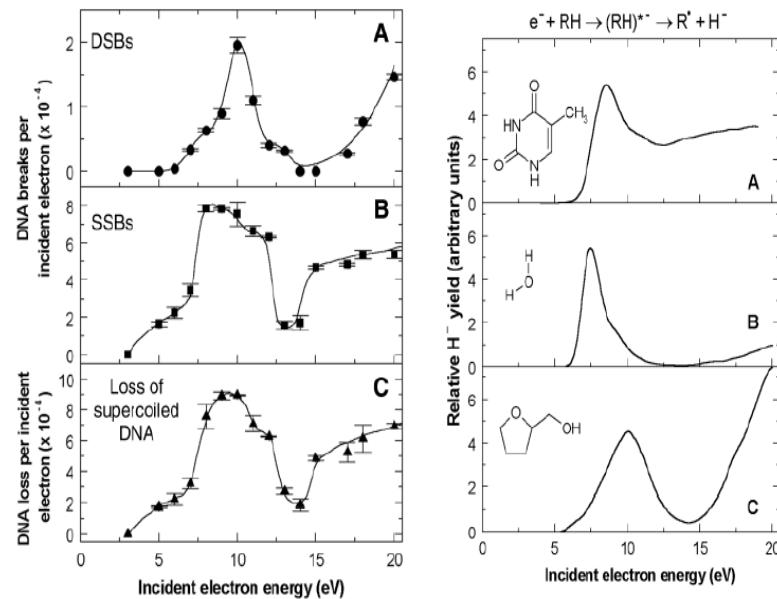
About 40% of original lignin was removed!!!

Jayr Amorim, Carlos Oliveira, Jorge A. Souza-Correia, Marco A. Ridenti
Plasma Process. Polym. 2013, DOI: 10.1002/ppap.201200158

Electron-Induced Damage to Biomolecules

Resonant Formation of DNA Strand Breaks by Low-Energy (3 to 20 eV) Electrons

Badia Boudaïffa, Pierre Cloutier, Darel Hunting,
Michael A. Huels,* Léon Sanche



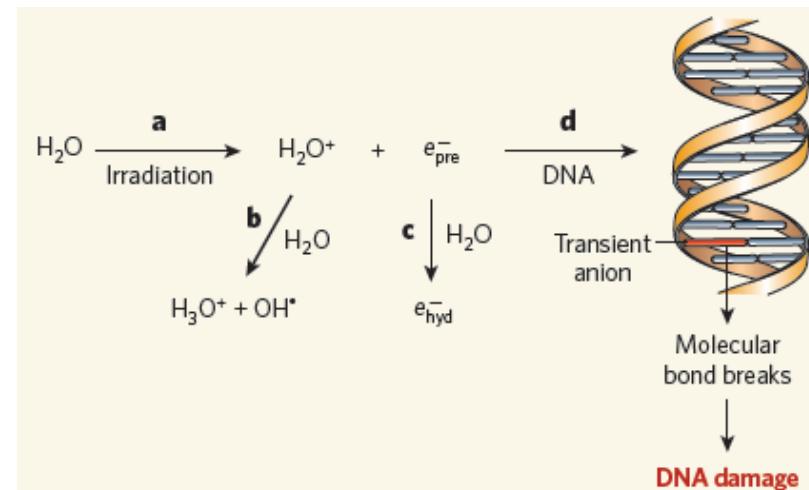
Science, 287 1658 (2000)

BIOLOGICAL CHEMISTRY

Beyond radical thinking

Léon Sanche

Radiation-induced DNA damage has been attributed to hydroxyl radicals, which form when water absorbs high-energy photons or charged particles. But another product of water's radiolysis might be the real culprit.



Sanche, Nature 461, 358 (2009)

J|A|C|S
COMMUNICATIONS

Chun-Rong Wang, Jenny Nguyen, and Qing-Bin Lu*

J. AM. CHEM. SOC. 2009, 131, 11320–11322

Electron scattering by Molecules

DISCHARGE ENVIRONMENTS

Basic
Science



Natural Phenomena	Aurora Borealis
Astrophysics	Planetary Atmospheres
Biology	DNA dissociation
Quantum Optics	Molecular Lasers

Applications



Control of pollution
Ozone destruction

Surface treatment

Surface treatment with Plasmas

Plasma
Processing
Gases

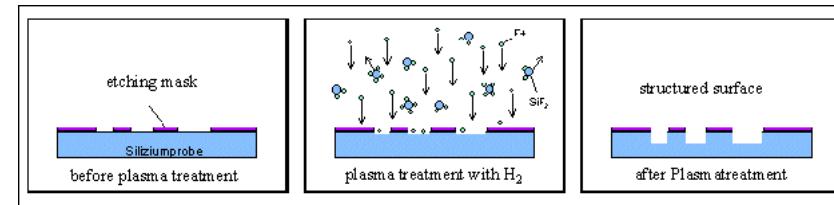


Several Industry Applications

Production
of reactive
species



ETCHING, DIAMANTIZATION,
POLIMERIZATION, NITRIDING,
CLEANING, and others



IMPROVEMENT NEEDS MODELING
AND MODELING NEEDS DATA

Electron collision
data: cross
sections for

Elastic
Inelastic: electronic, rotational and vibrational excitation
Ionization
Dissociation

Academic Motivation

Scientific Challenge: To obtain reasonable results it is
necessary to learn how to control **APPROXIMATIONS**
in many-body problems

Electron Molecule Scattering



THE COLLISION CAN BE

Elastic



Inelastic



Excitation

Rotational

Vibrational

Electronic

Dissociation

Direct (vibrational excitation)

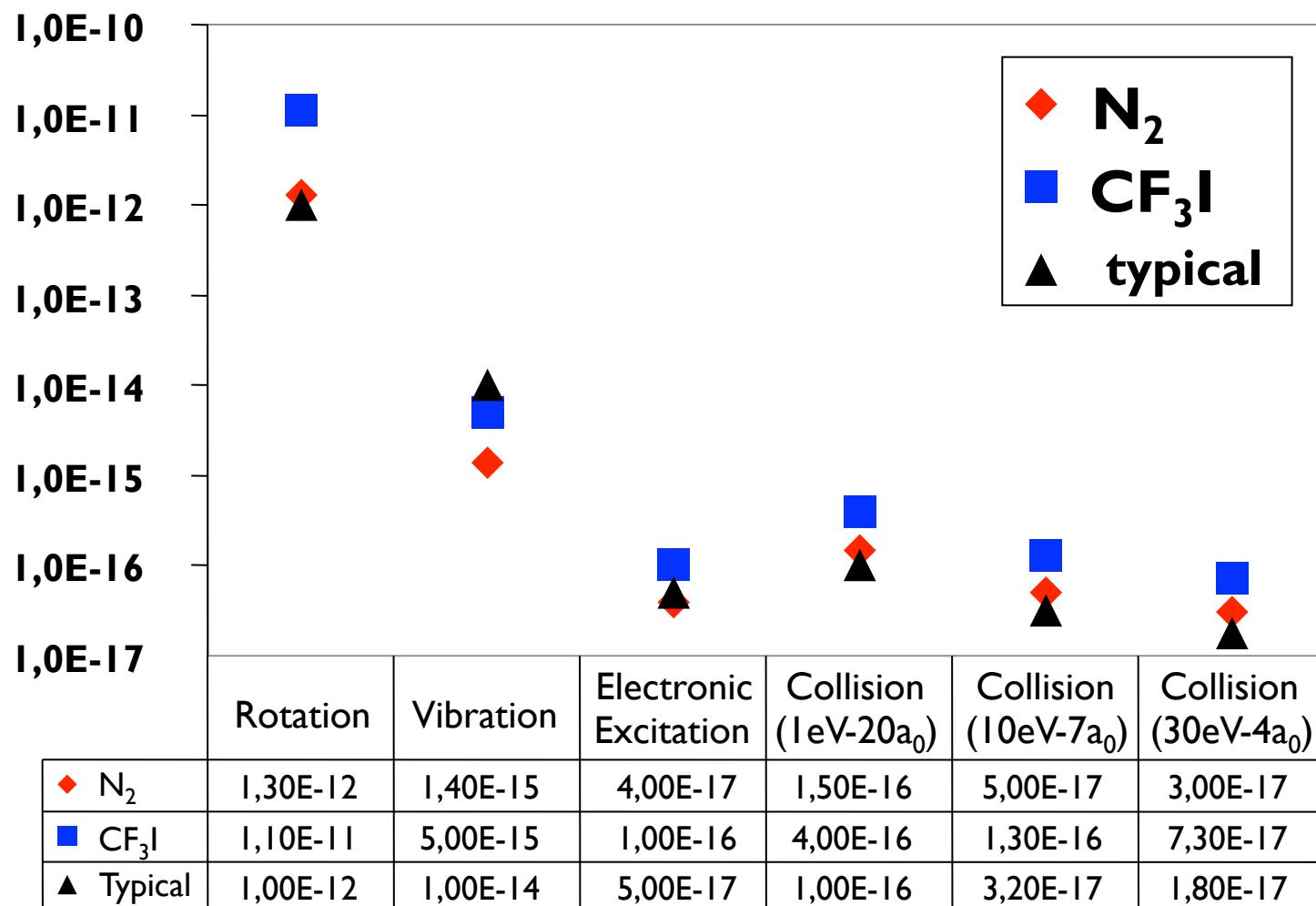
Via electronic excitations

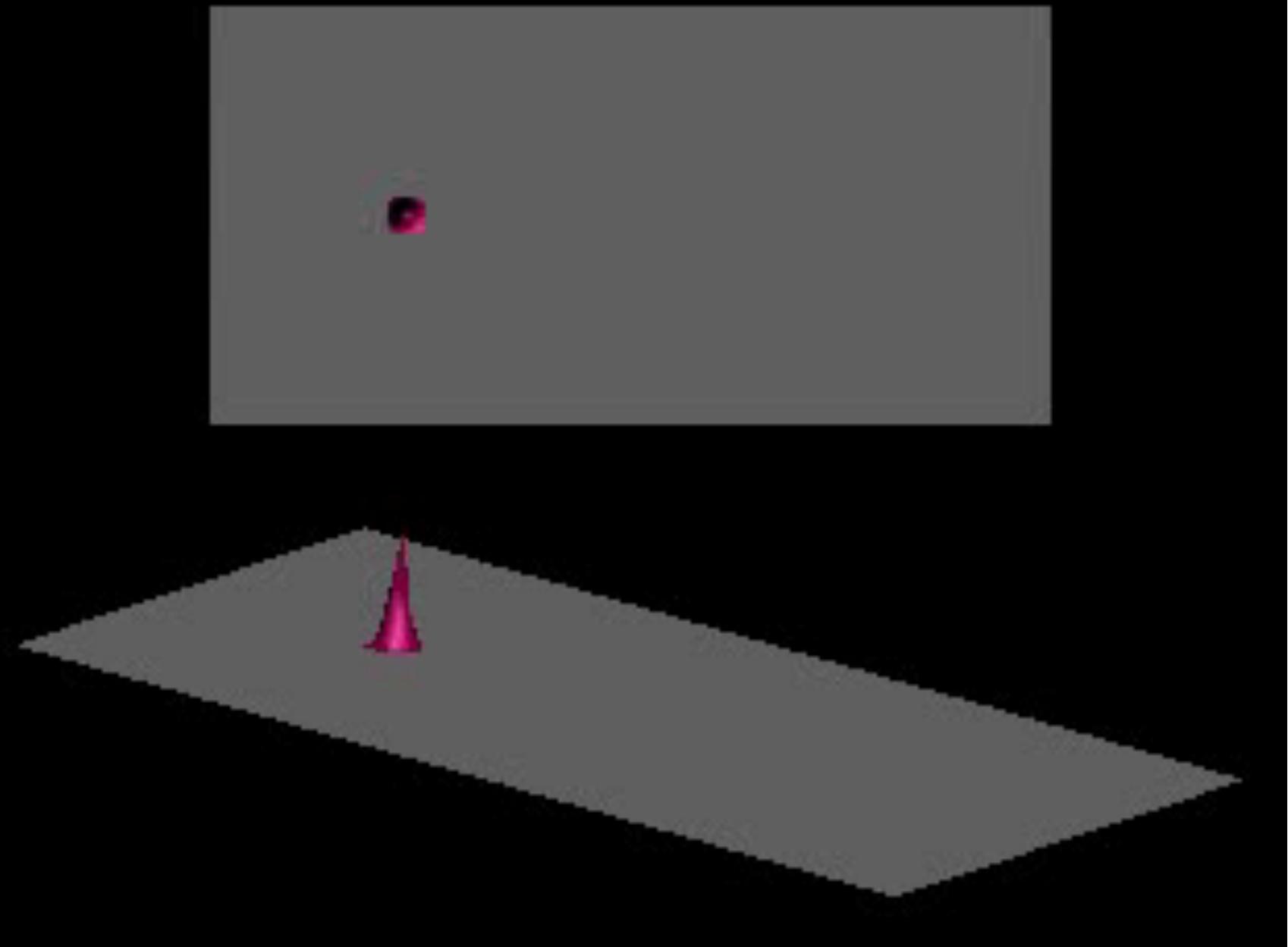
Via resonance (with e without Attachment)

Ionization

Setting the problem

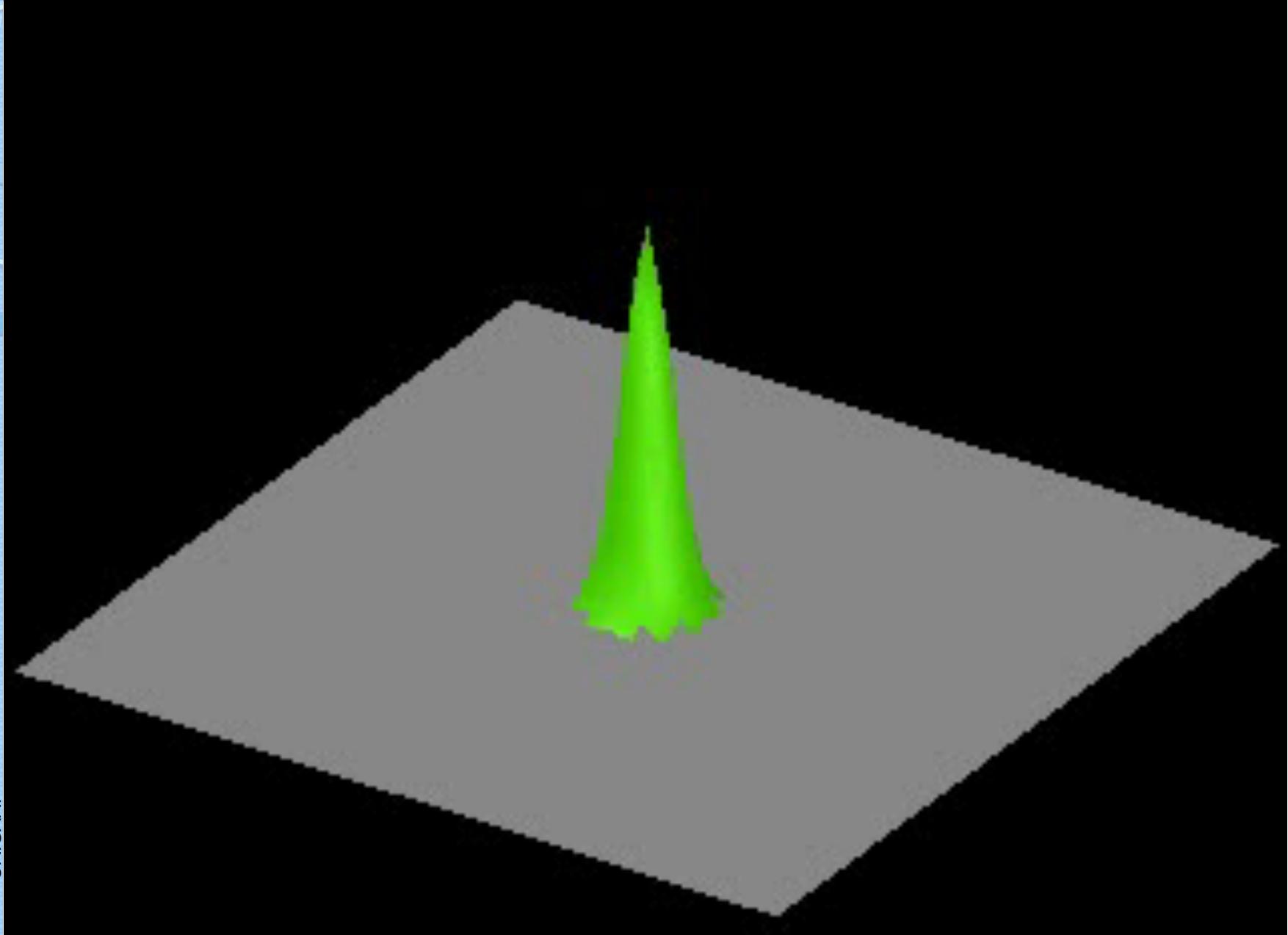
Typical times (in seconds)





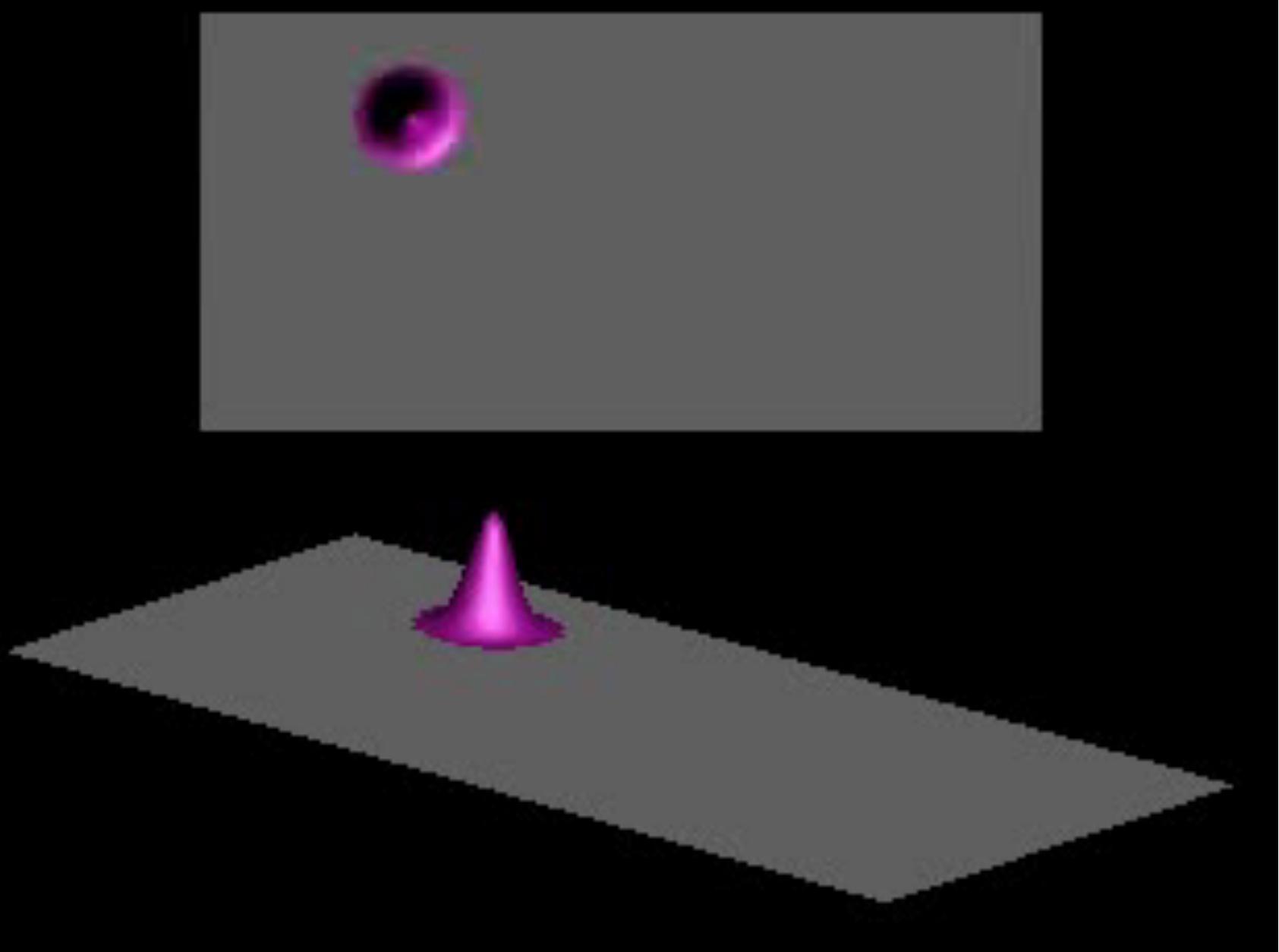
Free Particle

To see this animations, visit: <http://www.embed.be/quantummechanics/>



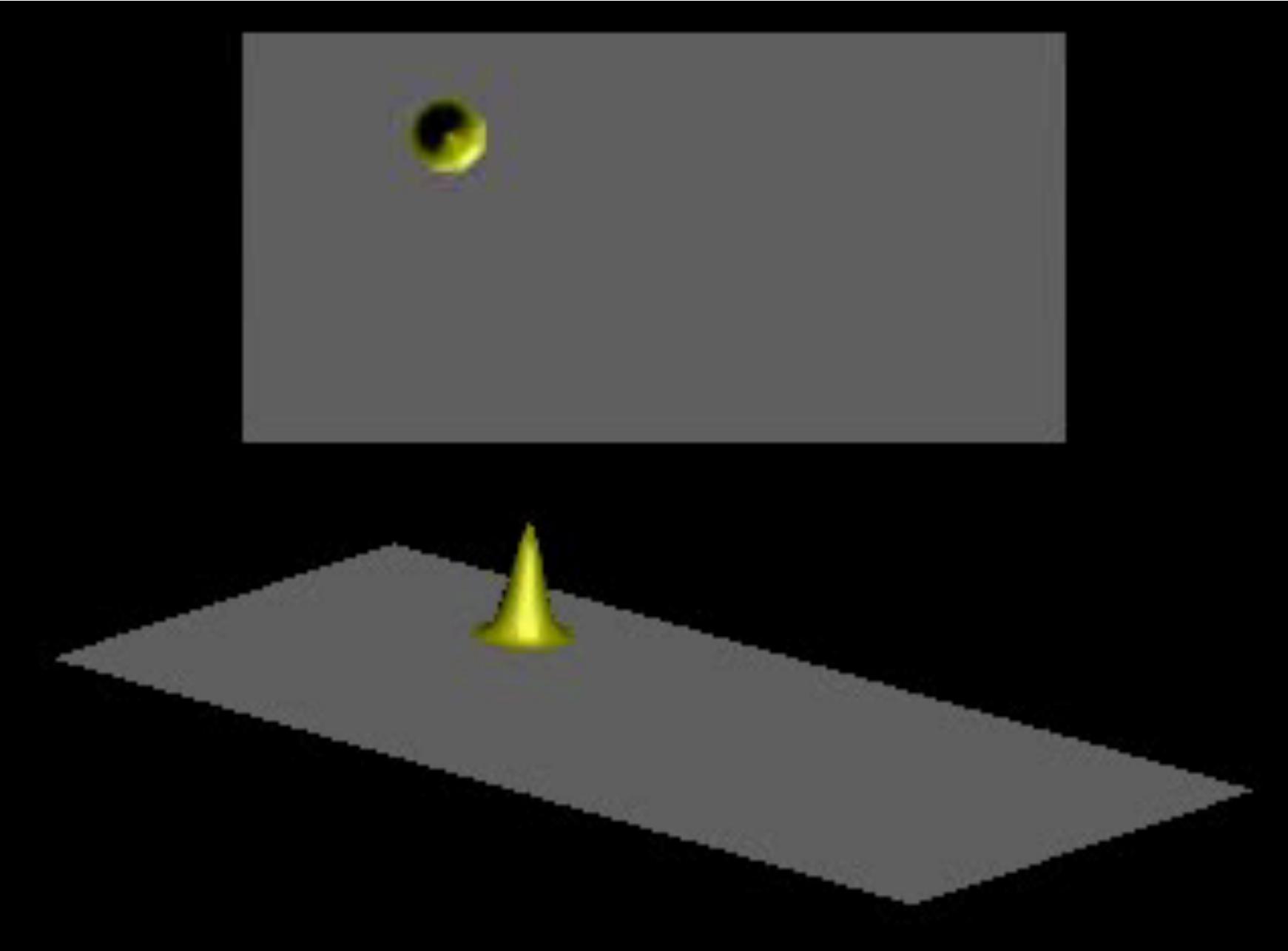
Particle in a box

To see this animations, visit: <http://www.embed.be/quantummechanics/>



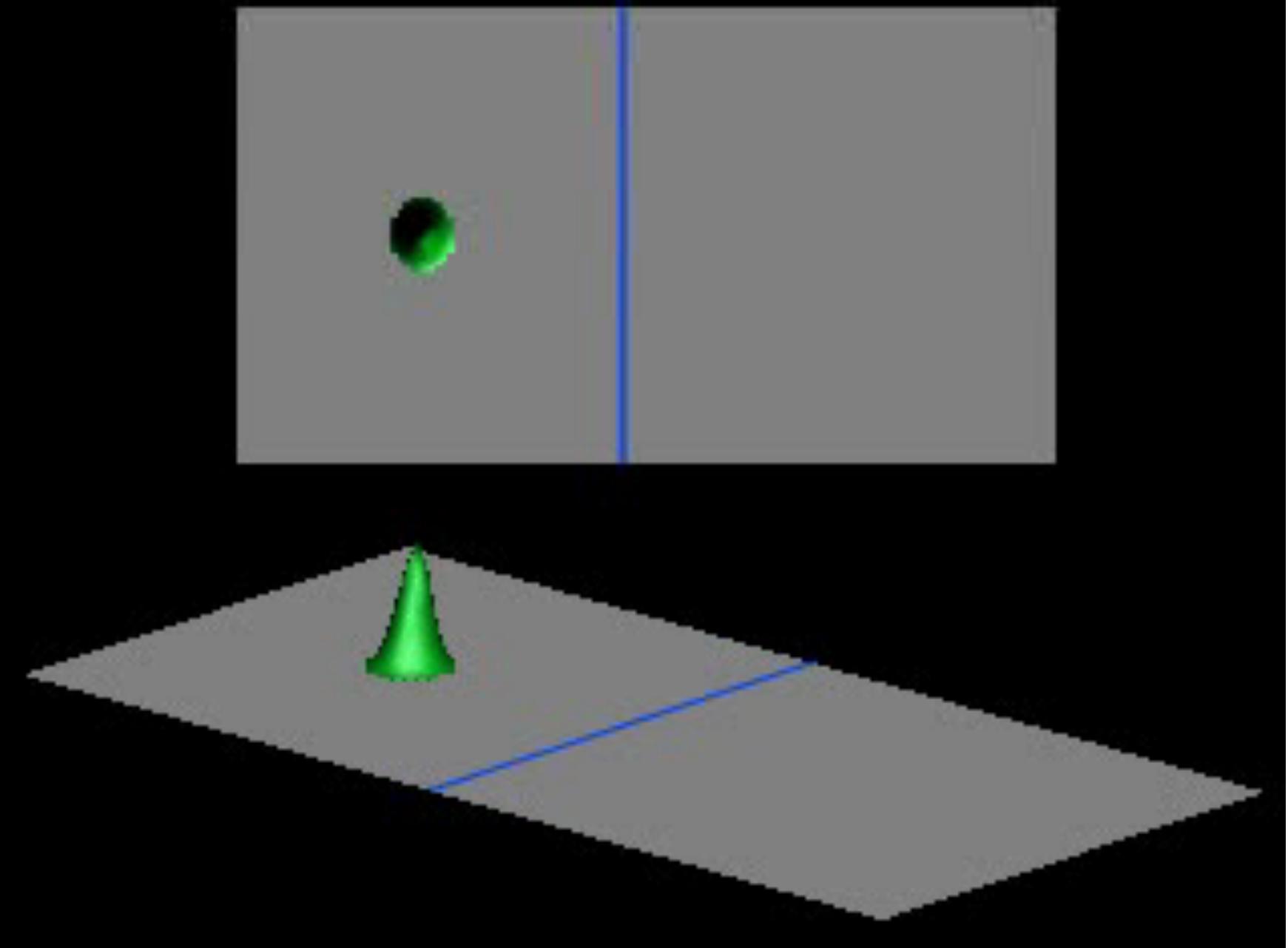
Charged particle in a constant magnetic field

To see this animations, visit: <http://www.embed.be/quantummechanics/>



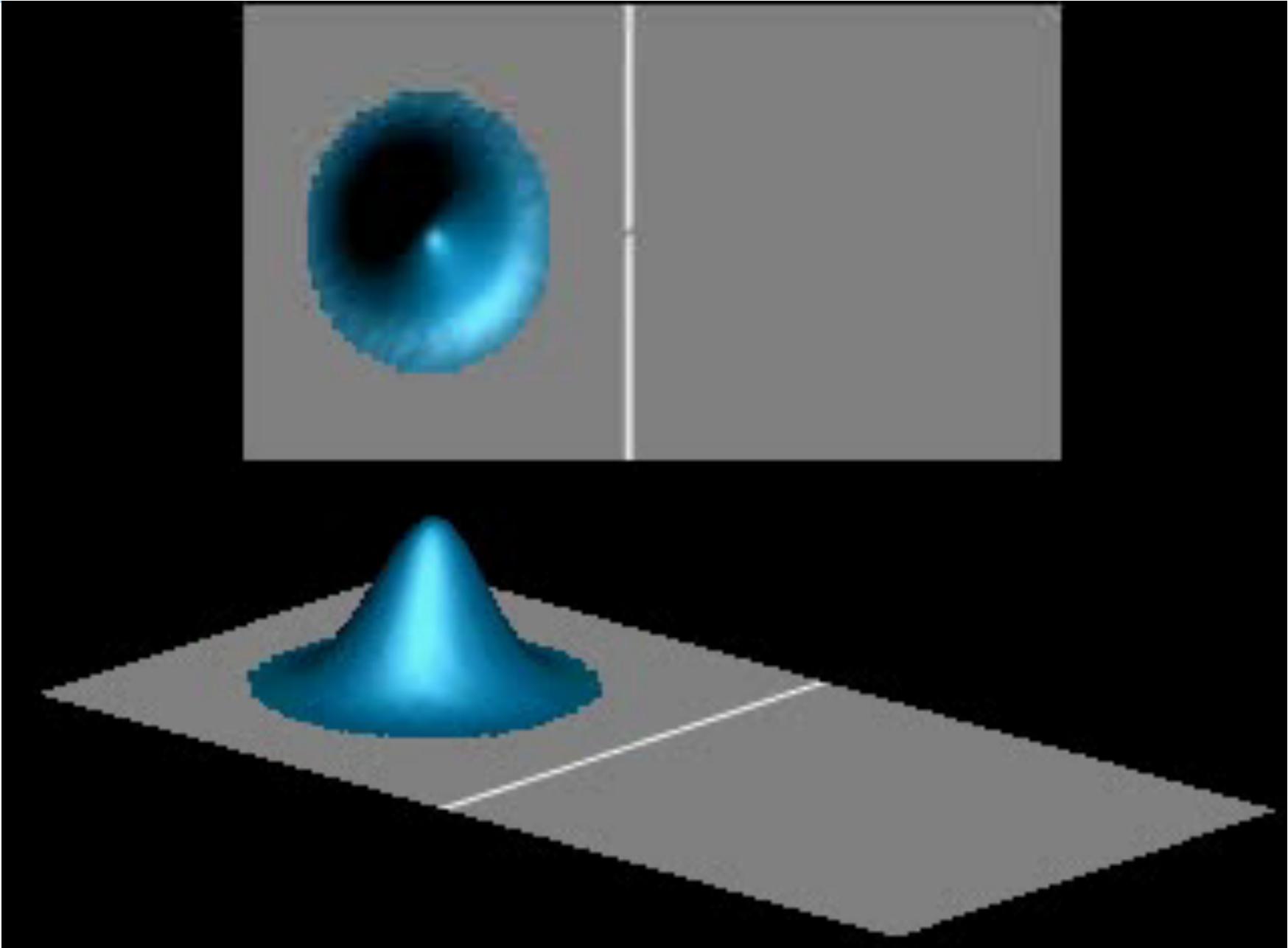
Charged particle in a constant magnetic field

To see this animations, visit: <http://www.embed.be/quantummechanics/>



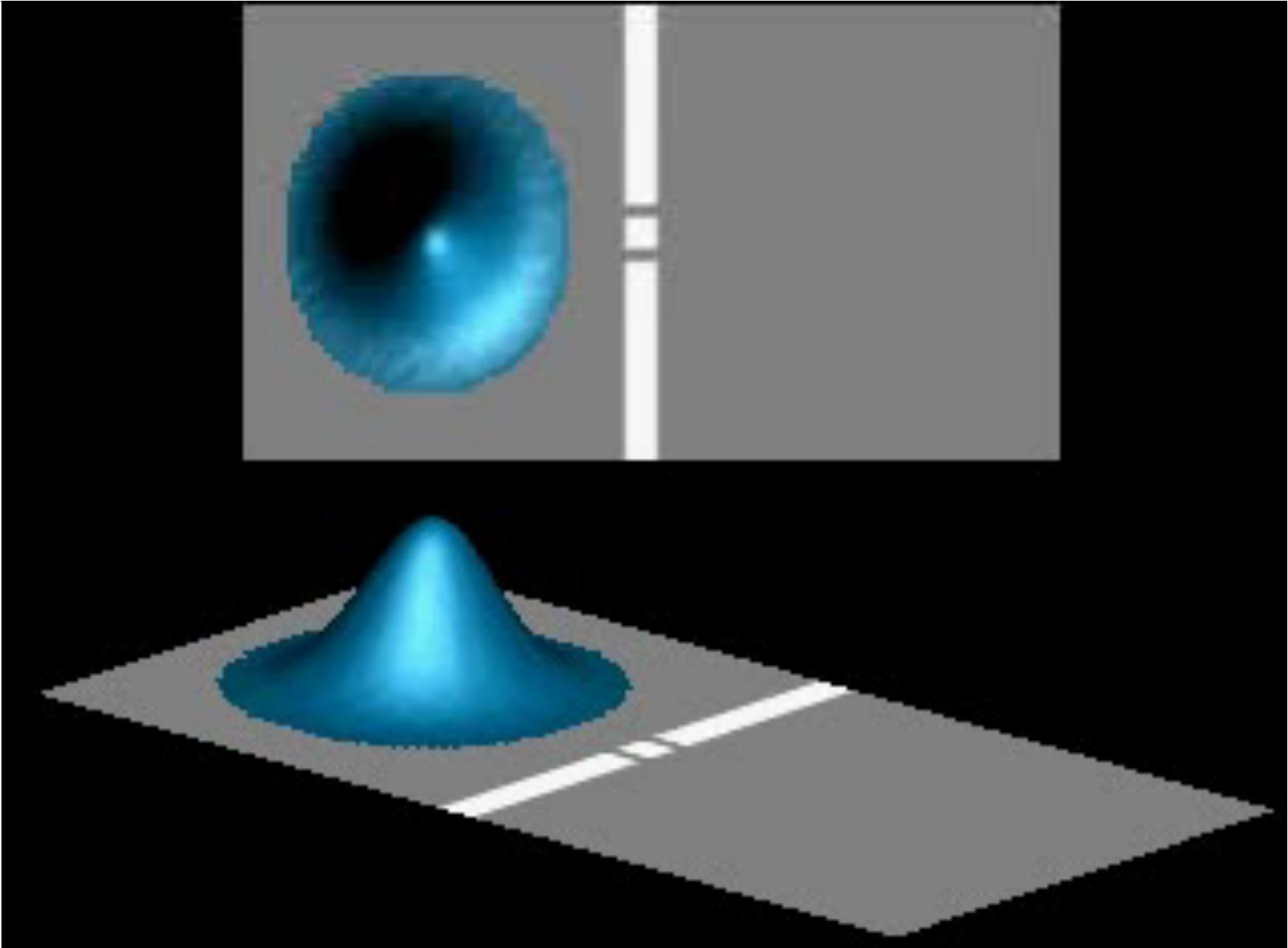
Tunnel effect

To see this animations, visit: <http://www.embed.be/quantummechanics/>



One slit diffraction

To see this animations, visit: <http://www.embd.be/quantummechanics/>



Two slits interference

To see this animations, visit: <http://www.embd.be/quantummechanics/>

Establishing possible levels of approximation

Strategies to approximate the scattering problem in theoretical methods

MODEL POTENTIAL
(one-particle wave functions)



“ad-hoc” inclusion of
polarization effects

Simplifies the
Computational effort

MULTICHANNEL COUPLING
(many-body wave functions)



Necessary to describe
electronic excitations,
Feshbach resonances
and related processes

[Skip it](#)

Scattering theory

System Hamiltonian

$$H = H_N + T_{N+1} + V$$

➡ H_N is the molecular target Hamiltonian with N electrons e M nuclei, i.e.,

$$H_N = \sum_{i=1}^N T_i + \sum_{i < j}^N \frac{1}{r_{ij}} - \sum_{\alpha, i}^{M,N} \frac{1}{r_{\alpha i}}$$

$$H_N \Phi_i = E_i \Phi_i$$

➡ molecular problem is solved in a given level of approximation (Hartree-Fock, CI, etc.)

➡ The projectile is a particle with T_{N+1} kinetic energy and interacts with the target through the scattering potential

$$V = - \sum_{A=1}^M \frac{Z_A}{|\vec{r}_{N+1} - \vec{R}_A|} + \sum_{j=1}^N \frac{1}{|\vec{r}_{N+1} - \vec{r}_j|}$$

[Skip it](#)

Scattering theory

Schrödinger equation

$$\mathcal{H}\Psi_{\vec{k}_m}^{(\pm)}(\vec{r}_1, \dots, \vec{r}_{N+1}) = E\Psi_{\vec{k}_m}^{(\pm)}(\vec{r}_1, \dots, \vec{r}_{N+1})$$

Asymptotic condition

$$\Psi_{\vec{k}_i}^{(\pm)}(\vec{r}_1, \dots, \vec{r}_{N+1}) \xrightarrow{r_{N+1} \rightarrow \infty} S_{\vec{k}_i} + \sum_f^{\text{open}} f_{i \rightarrow f}^B(\vec{k}_i, \vec{k}_f) \Phi_f \frac{e^{\pm ik_f r_{N+1}}}{r_{N+1}}$$

$$S_{\vec{k}_i} = \Phi_i e^{i \vec{k}_i \cdot \vec{r}_{N+1}}$$

Differential cross section

$$\frac{d\sigma}{d\Omega}{}^{i \rightarrow f}(\vec{k}_i, \vec{k}_f) = \frac{k_f}{k_i} \left| f_{i \rightarrow f}^L(\vec{k}_i, \vec{k}_f) \right|^2$$

[Skip it](#)

Scattering theory

Schrödinger differential equation

$$\mathcal{H}\Psi_{\vec{k}_m}^{(\pm)} = [H_N + T_{N+1} + V]\Psi_{\vec{k}_m}^{(\pm)} = E\Psi_{\vec{k}_m}^{(\pm)}$$

Lippmann-Schwinger integral equation

$$\Psi_{\vec{k}_m}^{(\pm)} = S_{\vec{k}_m} + G_o^{(\pm)}V\Psi_{\vec{k}_m}^{(\pm)}$$

$$S_{\vec{k}_m} = \Phi_m e^{i\vec{k}_m \cdot \vec{r}_{N+1}}$$

Free-particle Green's function

$$G_o^{(\pm)} = \frac{1}{E - T_{N+1} - H_N \pm i\varepsilon} = \lim_{\varepsilon \rightarrow 0} \sum_m \int d^3k \frac{|\Phi_m \vec{k}\rangle \langle \vec{k}\Phi_m|}{\frac{k_m^2}{2} - \frac{k^2}{2} \pm i\varepsilon}$$

[Skip it](#)

Scattering theory

➡ One-particle potential scattering

To obtain the scattering amplitude we write the Schrödinger integral equation in coordinate representation:

$$\Psi_{\vec{k}_i}^{(+)}(\vec{r}) = S_{\vec{k}_i}(\vec{r}) + \int G_0^{(+)}(\vec{r}, \vec{r}') V(\vec{r}') \Psi_{\vec{k}_i}^{(+)}(\vec{r}') d\vec{r}'$$

A proper choice of poles for the Green's function gives:

$$\lim_{r \rightarrow \infty} \Psi_{\vec{k}_i}^{(+)}(\vec{r}) = S_{\vec{k}_i}(\vec{r}) - \frac{e^{+ikr}}{r} \frac{1}{4\pi} \int e^{-ik\hat{r}\cdot\vec{r}'} V(\vec{r}') \Psi_{\vec{k}_i}^{(+)}(\vec{r}') d\vec{r}'$$

and furnishes the scattering amplitude as:

$$f(\theta, \phi) = -2\pi^2 \int \frac{e^{-ik\hat{r}\cdot\vec{r}'}}{(2\pi)^{3/2}} V(\vec{r}') \Psi_{\vec{k}_i}^{(+)}(\vec{r}') d\vec{r}'$$

[Skip it](#)

Schwinger Variational Principle

Using Dirac's notation:

$$f_{\vec{k}_f, \vec{k}_i} = -2\pi^2 \langle \vec{k}_f | V | \Psi_{\vec{k}_i}^{(+)} \rangle$$

where $|\Psi_{\vec{k}_i}^{(+)}\rangle$ satisfies:

$$|\Psi_{\vec{k}_i}^{(+)}\rangle = |\vec{k}_i\rangle + G_0^{(+)}V|\Psi_{\vec{k}_i}^{(+)}\rangle$$

Multiplying this expression by V , we have:

$$V|\Psi_{\vec{k}_i}^{(+)}\rangle = V|\vec{k}_i\rangle + VG_0^{(+)}V|\Psi_{\vec{k}_i}^{(+)}\rangle$$

$$A^{(+)}|\Psi_{\vec{k}_i}^{(+)}\rangle = V|\vec{k}_i\rangle$$

where:

$$A^{(+)} = V - VG_0^{(+)}V$$

[Skip it](#)

Schwinger Variational Principle

It is also possible to write Lippmann-Schwinger equation for:

$$|\Psi_{\vec{k}_f}^{(-)}\rangle = |\vec{k}_f\rangle + G_0^{(-)}V|\Psi_{\vec{k}_f}^{(-)}\rangle$$

with:

$$G_0^{(-)}(\vec{r}, \vec{r}') = -\frac{1}{4\pi} \frac{e^{-ik|\vec{r}-\vec{r}'|}}{|\vec{r}-\vec{r}'|}$$

For this boundary condition, we have

$$A^{(-)} |\Psi_{\vec{k}_f}^{(-)}\rangle = V |\vec{k}_f\rangle$$

where:

$$A^{(-)} = V - VG_0^{(-)}V$$

$$f_{\vec{k}_f, \vec{k}_i} = -2\pi^2 \langle \Psi_{\vec{k}_f}^{(-)} | V | \vec{k}_i \rangle$$

[Skip it](#)

Schwinger Variational Principle

So, our problem is to solve the equations:

$$A^{(\pm)} |\Psi_{\vec{k}_m}^{(\pm)}\rangle = V |\vec{k}_m\rangle$$

and with the solutions to get the scattering amplitudes

$$f_{\vec{k}_f, \vec{k}_i} = -2\pi^2 \langle \vec{k}_f | V | \Psi_{\vec{k}_i}^{(+)} \rangle = -2\pi^2 \langle \Psi_{\vec{k}_f}^{(-)} | V | \vec{k}_i \rangle$$

The Schwinger variational expression for the amplitude is given by:

$$\begin{aligned} [f_{\vec{k}_f, \vec{k}_i}] = -2\pi^2 & \{ \langle \vec{k}_f | V | \Psi_{\vec{k}_i}^{(+)} \rangle + \langle \Psi_{\vec{k}_f}^{(-)} | V | \vec{k}_i \rangle \\ & - \langle \Psi_{\vec{k}_f}^{(-)} | A^{(+)} | \Psi_{\vec{k}_i}^{(+)} \rangle \} \end{aligned}$$

[Skip it](#)

Schwinger Variational Principle

$$[\delta f_{\vec{k}_f, \vec{k}_i}] = 0 \rightarrow A^{(\pm)} |\Psi_{\vec{k}_m}^{(\pm)}\rangle = V |\vec{k}_m\rangle$$

Expansion of the scattering wave functions in a trial basis $\{\chi_\mu\}$:

$$|\Psi_{\vec{k}_m}^{(\pm)}\rangle = \sum_\mu a_\mu^{(\pm)}(\vec{k}_m) |\chi_\mu\rangle$$

and the application of the variational principle over the expansion coefficients

$$\frac{\partial [f_{\vec{k}_f, \vec{k}_i}]}{\partial a_\mu^{(\pm)}} = 0 \rightarrow f_{\vec{k}_i, \vec{k}_f} = -2\pi^2 \sum_{mn} \langle \vec{k}_f | V | \chi_m \rangle (d^{-1})_{mn} \langle \chi_n | V | \vec{k}_i \rangle$$

where $d_{mn} = \langle \chi_m | A^{(+)} | \chi_n \rangle$ and $A^{(+)} = V - VG_0^{(+)}V$

[Skip it](#)

Schwinger Variational Principle

MAIN ADVANTAGES

- ① Boundary conditions are introduced through the Green's function $G_0^{(+)}$
- ② Expansion of the scattering wave function can be done in a basis of square integrable functions (Cartesian Gaussian functions)

IMPORTANT REQUIREMENT

- ③ The VGV terms must be evaluated numerically, through a linear momentum quadrature scheme

MAIN DRAWBACK

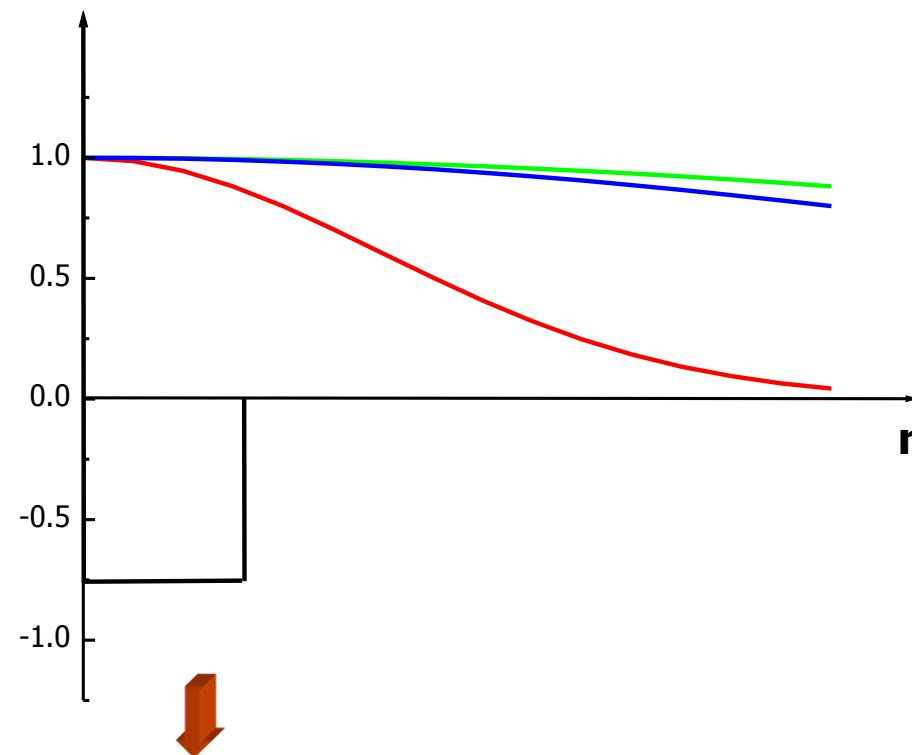
- ④ Susceptible to numerical problems

[Skip it](#)

Origin of the numerical instability

SHORT RANGE POTENTIALS AND FUNCTIONS TOO DIFUSE CAN GENERATE LINEAR DEPENDENCY IN THE TRIAL BASIS $\{|\chi_\mu\rangle\}$

➡ Typical Situation:



gives rise to spurious structures of numerical nature

[Skip it](#)

Schwinger Multichannel Method for electron scattering

In this formalism the operator $A^{(+)}$ was redefined as:

$$A^{(+)} = \frac{1}{2}(PV + VP) - VG_P^{(+)}V + \frac{1}{N+1} \left[\hat{H} - \frac{N+1}{2}(\hat{H}P + P\hat{H}) \right]$$

where $P = \sum_{\ell=1}^{\text{open}} |\Phi_{\ell}\rangle\langle\Phi_{\ell}|$ and $\hat{H} = E - H$

All electrons are identical. So, an expansion of the scattering wave function must be done in a basis $\{\chi_{\mu}\}$ of anti-symmetric functions (Slater determinants):

$$|\Psi_{\vec{k}_m}^{(\pm)}\rangle = \sum_{\mu} a_{\mu}^{(\pm)}(\vec{k}_m) |\chi_{\mu}\rangle \quad \text{where} \quad \{|\chi_{\mu}\rangle\} = \{a_{N+1} |\Phi_i\rangle \otimes |\varphi_j\rangle\}$$

The final form of the scattering amplitude is equal to the one of the
Schwinger Variational principle

$$f_{\vec{k}_i, \vec{k}_f} = -\frac{1}{2\pi} \sum_{mn} \langle S_{\vec{k}_f} | V | \chi_m \rangle (d^{-1})_{mn} \langle \chi_n | V | S_{\vec{k}_i} \rangle$$

with $d_{mn} = \langle \chi_m | A^{(+)} | \chi_n \rangle$ and $S_{\vec{k}_i} \equiv \Phi_i(\vec{r}_1, \dots, \vec{r}_N) e^{i\vec{k}_i \cdot \vec{r}_{N+1}}$

[Skip it](#)

Coupling level

➡ Elastic scattering with and without polarization effects

- ① Open channel Projector has only one state

$$P = |\Phi_0\rangle\langle\Phi_0| \quad \rightarrow$$

Φ_0 is molecular target ground state obtained in Hartree-Fock approximation

- ② Configuration space is made of

$$|\chi_u\rangle = \begin{cases} a_{N+1} |\Phi_0\rangle \otimes |\varphi_i\rangle \\ a_{N+1} |\Phi_j\rangle \otimes |\varphi_k\rangle, j \geq 2 \end{cases}$$

➡ Doublet states made of products of target triplet and singlet states by φ_k

➡ $\Phi_j, j \geq 2$ are virtual states obtained from single excitations of the molecular target

➡ φ_i are one-particle wave functions (square integrable molecular orbitals) used in description of the continuum [Skip it](#)

Coupling level

➡ Inelastic scattering with and without polarization

- ① Open channel projector contains channels of our choice (truncation means approximation)

$$P = \sum_{\ell}^{\text{open}} |\Phi_{\ell}\rangle\langle\Phi_{\ell}|$$

$|\Phi_{\ell}\rangle$ are molecular target states obtained with single configuration interaction

- ② Again the configuration space is made of

$$|\chi_{\mu}\rangle = \begin{cases} a_{N+1} |\Phi_o\rangle \otimes |\varphi_i\rangle \\ a_{N+1} |\Phi_j\rangle \otimes |\varphi_k\rangle, j \geq 2 \end{cases}$$

Doublet states made of products of target triplet and singlet states by φ_k

➡ Polarization effects are included with j greater than the number of open channels

[Skip it](#)

Electron scattering by large molecules



Pseudopotential formalism

[D. R. Hamann, M. Schlüter and C. Chiang, Phys. Rev. Lett. **43**, 1494 (1979)]

- ① The pseudo-state energy is equal to the real eigenvalue for a given configuration;
- ② The pseudopotential is equal to the real potential beyond a certain core radius r_c , and it is soft at the origin;
- ③ The normalized pseudo wave function is equal to the real one beyond the core radius r_c and it is soft and without nodes
- ④ The integrals from 0 to r of the real and pseudo functions agree for $r > r_c$ for each valence state:

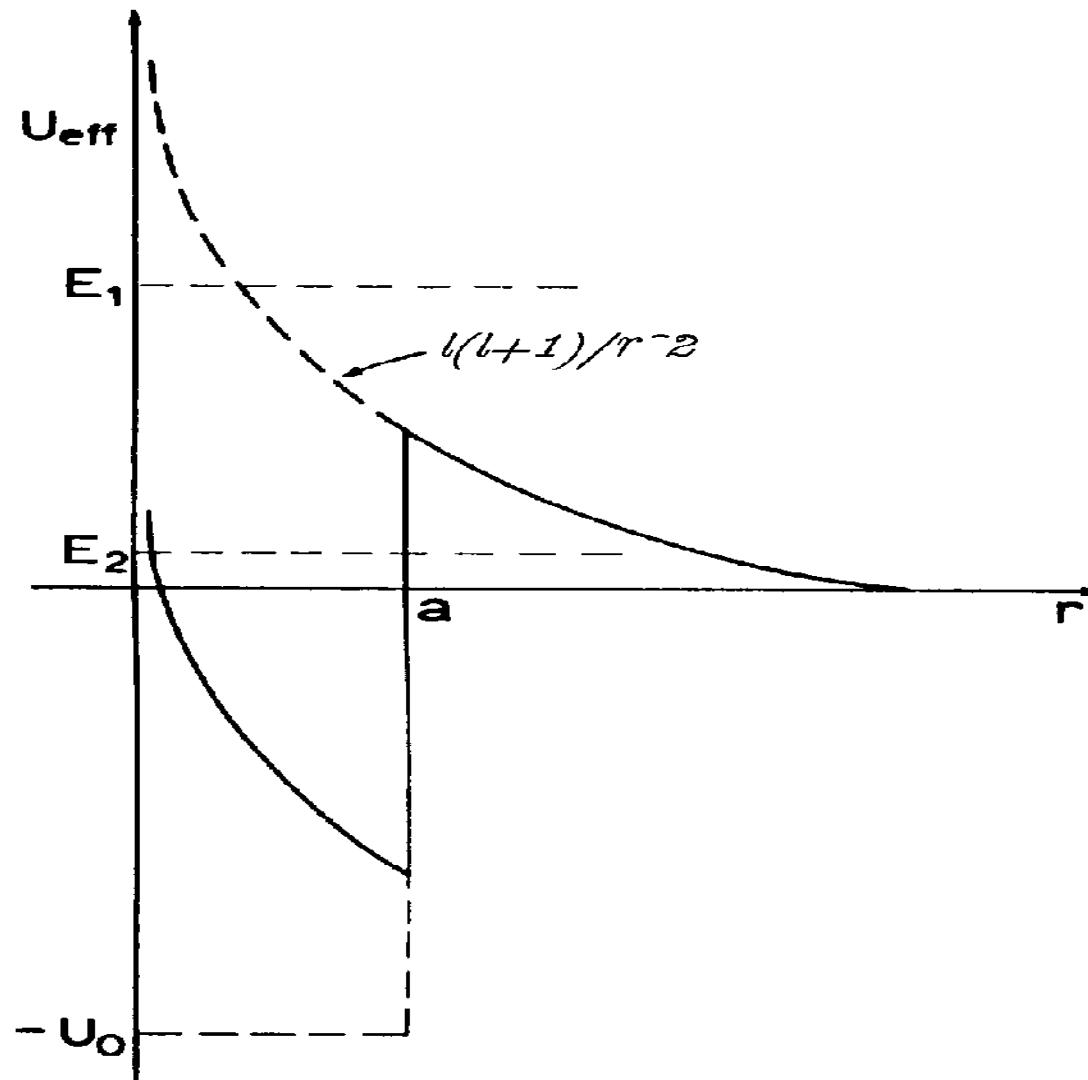
$$-\frac{1}{2} \left[(r\Psi)^2 \frac{d}{dE} \frac{d}{dr} \ln \Psi \right]_{r>r_c} = \int_0^{r>r_c} \Psi^2 r^2 dr$$



“Norm Conservation”

[Skip it](#)

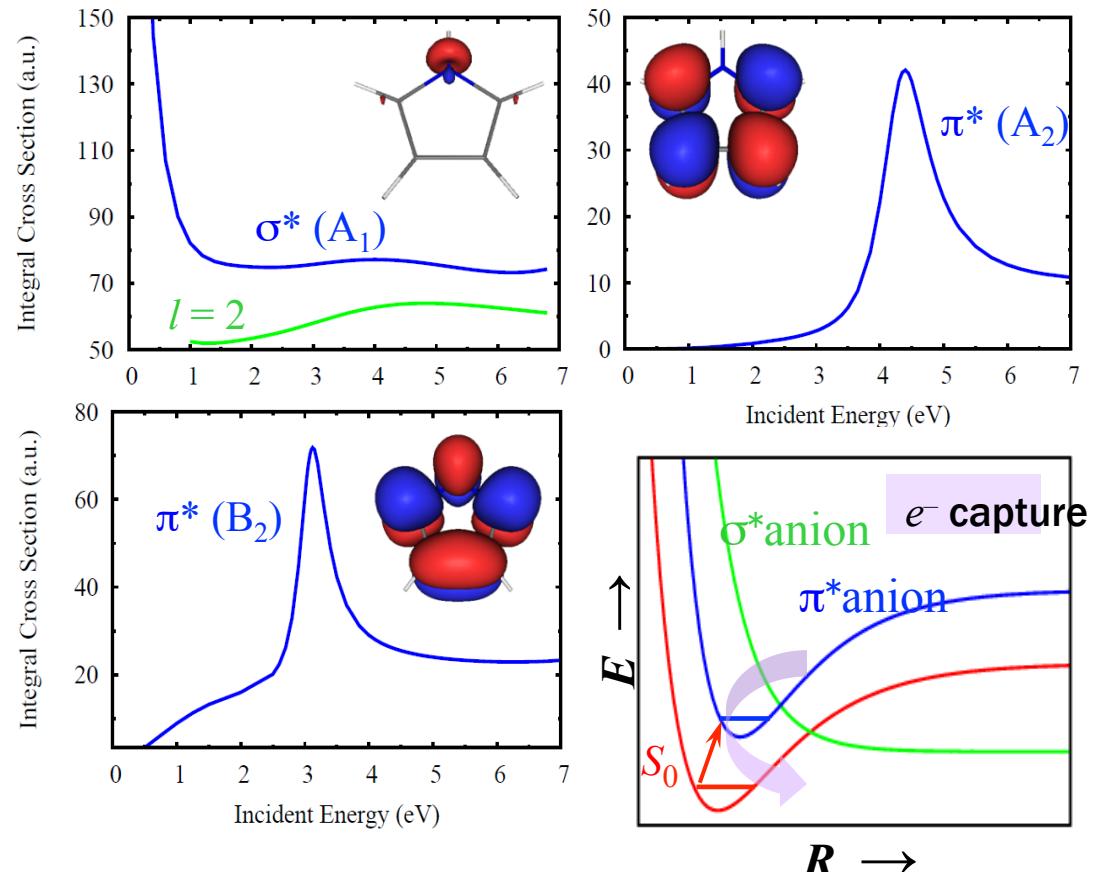
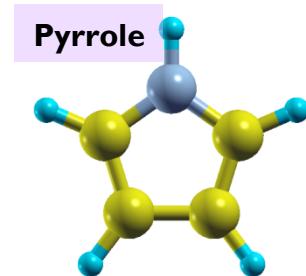
Shape resonances are related to angular momentum traps



[Back to it](#)

Low energy elastic electron scattering from pyrrole

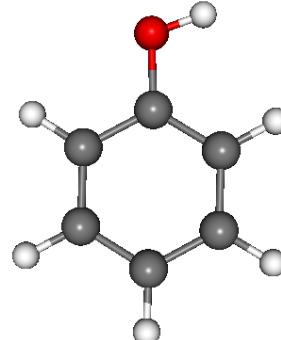
- There are π^* (ring) and σ^* (N–H) shape resonances in pyrrole. Nice prototype!



de Oliveira EM, Lima MAP, Bettega MHF, Sanchez SD, da Costa RF, and Varella MTD,
J. Chem. Phys. **132**, 204301 (2010)

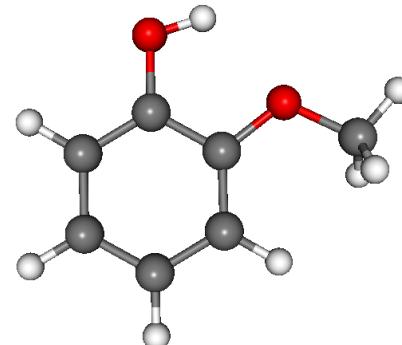
Lignin Subunits

Phenol



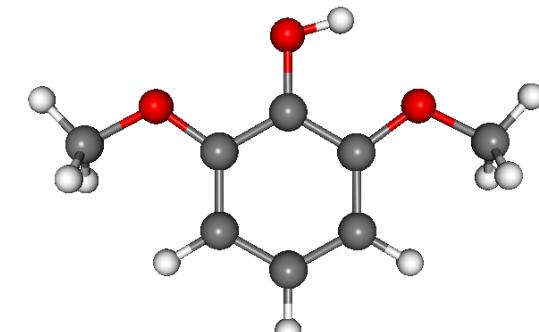
MetOH

Guaiacol



MetOH

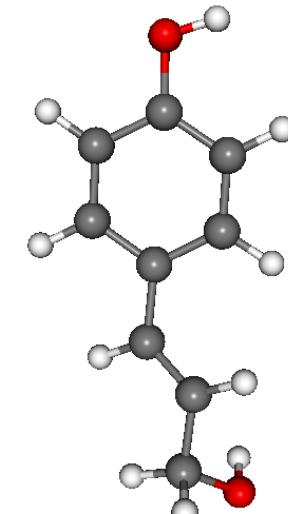
Syringol



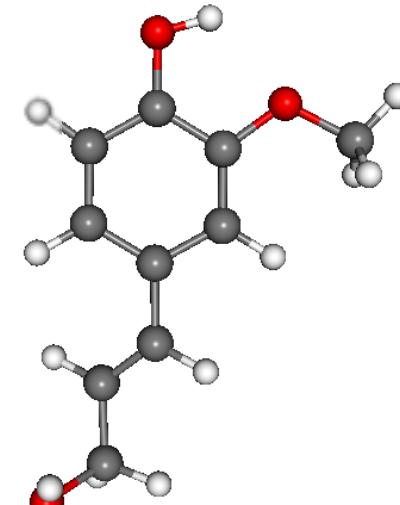
PropenylOH

PropenylOH

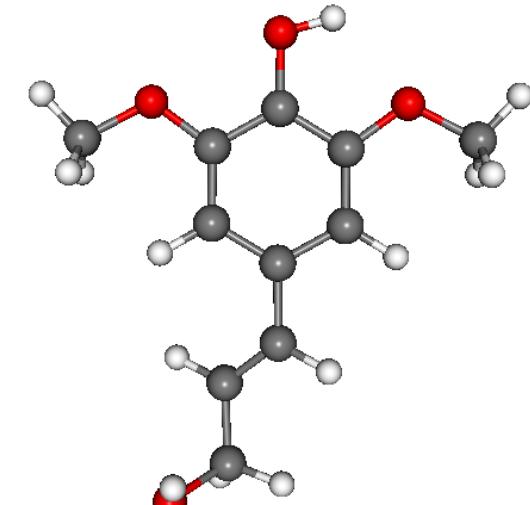
PropenylOH



p-coumaryl alcohol



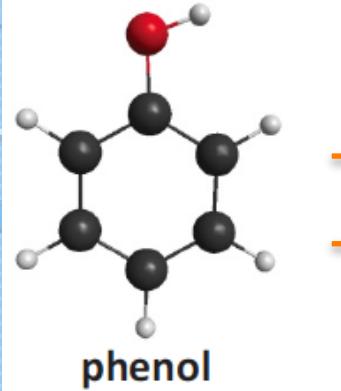
coniferyl alcohol



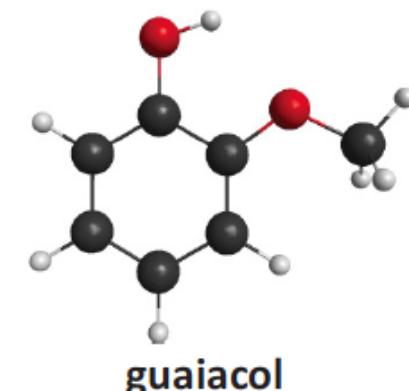
sinapyl alcohol

Shape resonance spectra of lignin subunits

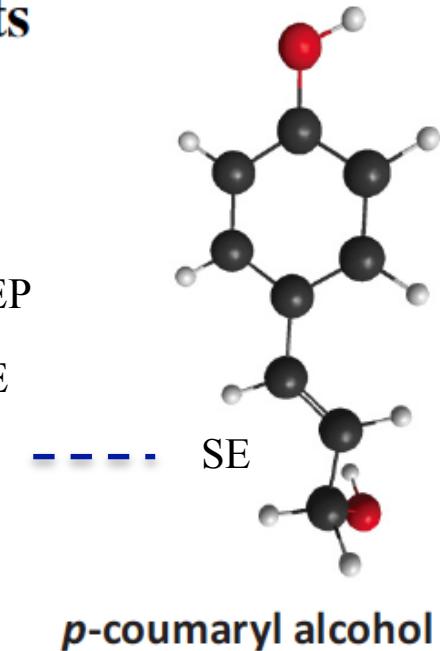
PHYSICAL REVIEW A 86, 020701(R) (2012)



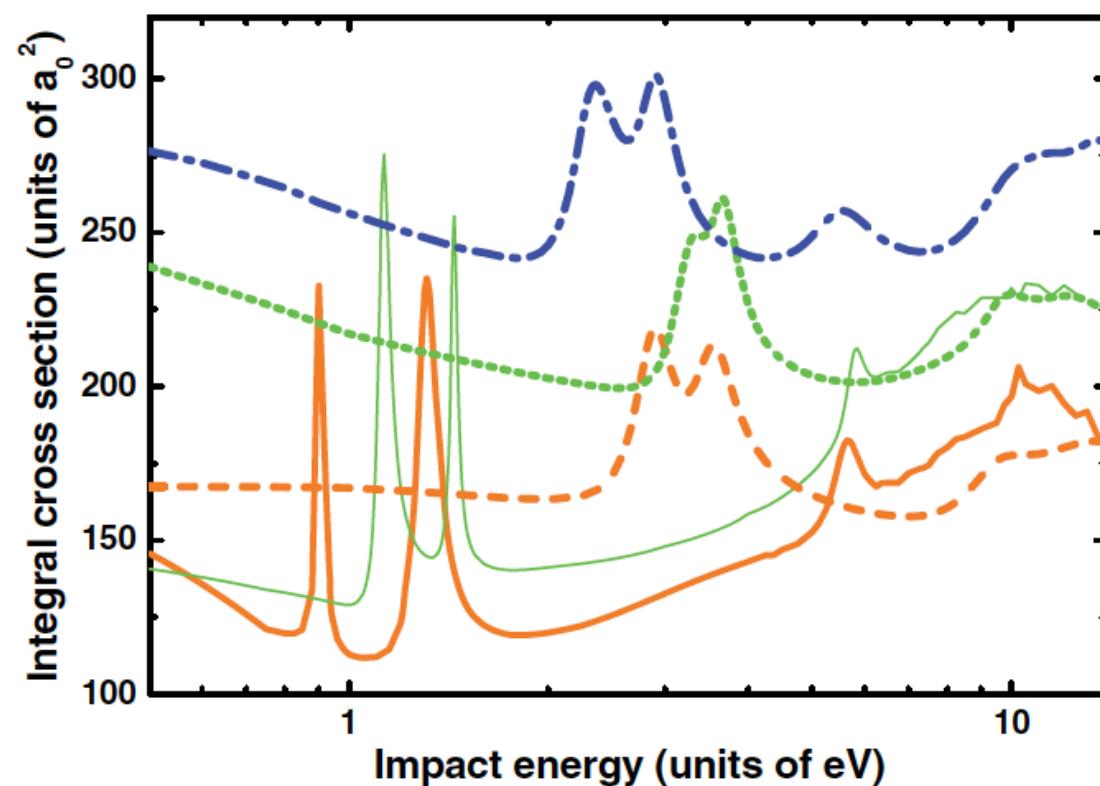
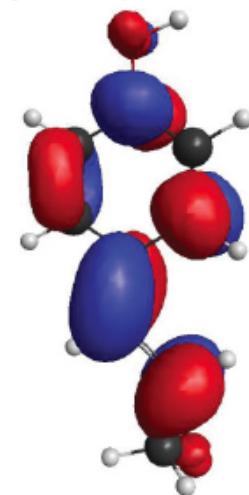
SEP
SE

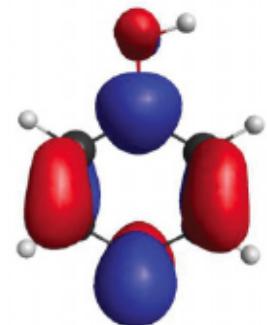


SEP
SE

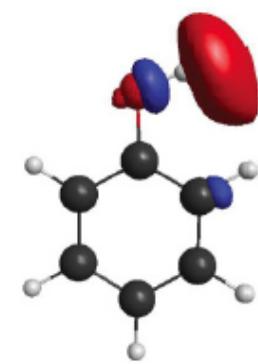


p-Cu (LUMO)



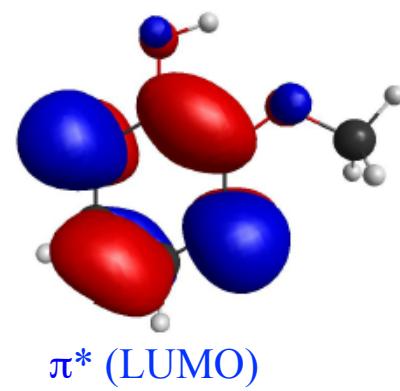


π^* (LUMO+1)

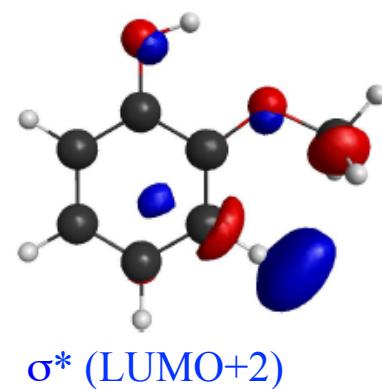


σ^* (LUMO+2)

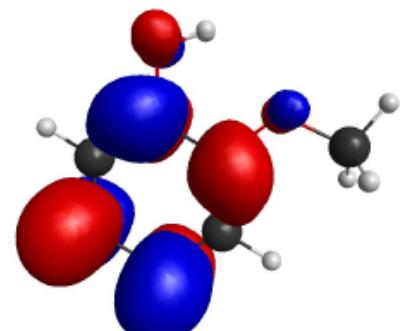
Phenol: Calculations, ET spectra and DEA data indicate H elimination from π^*/σ^* coupling.



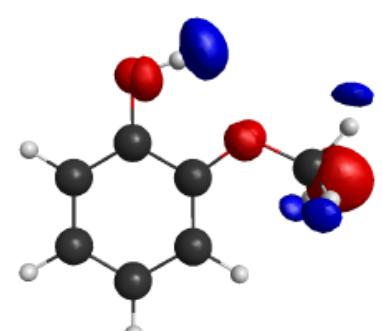
π^* (LUMO)



σ^* (LUMO+2)



π^* (LUMO+1)

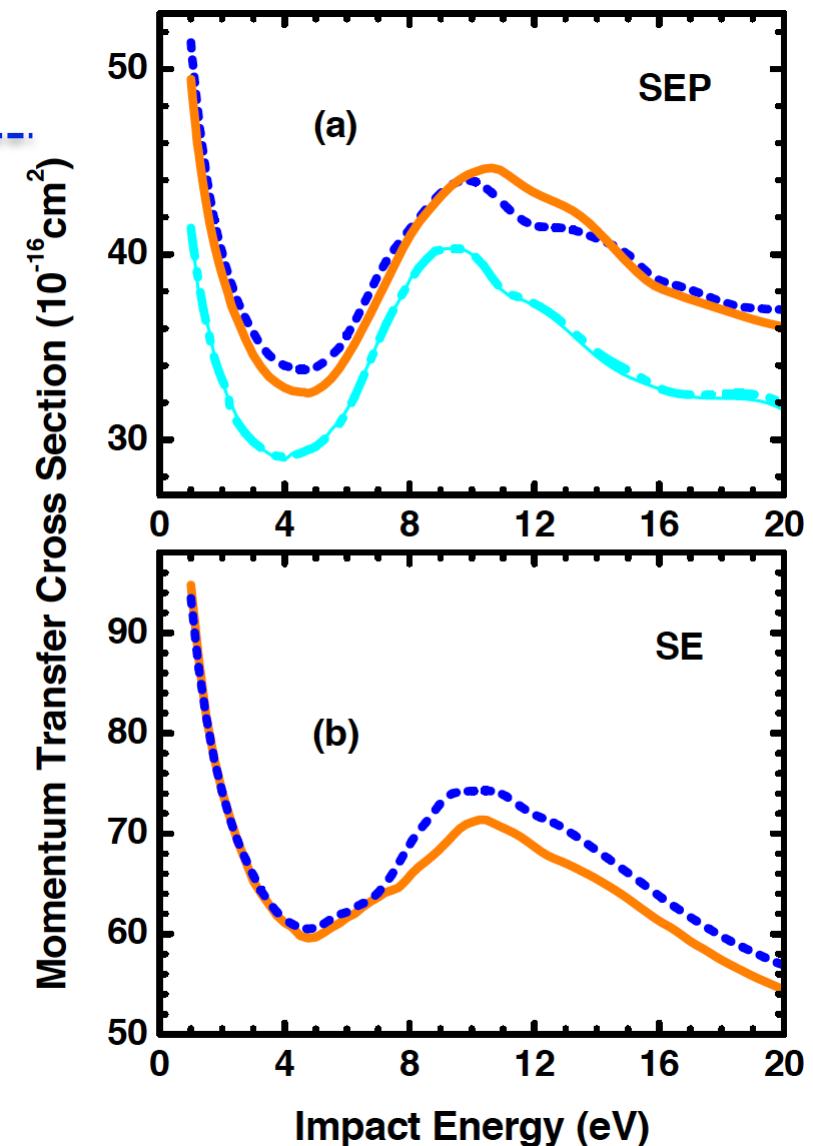
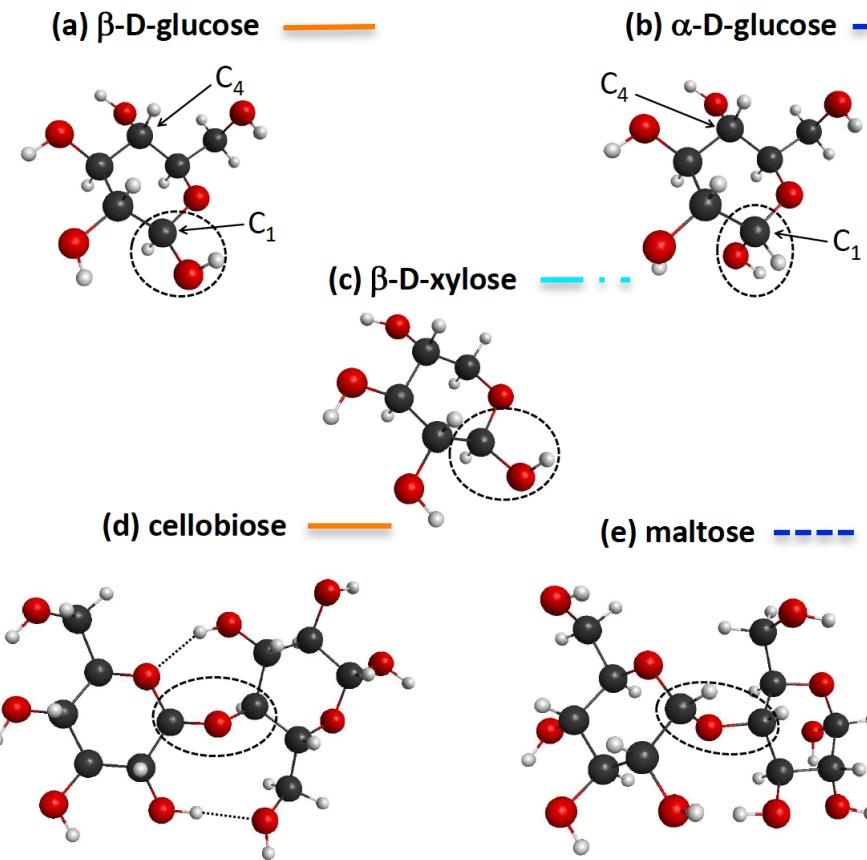


σ^* (LUMO+3)

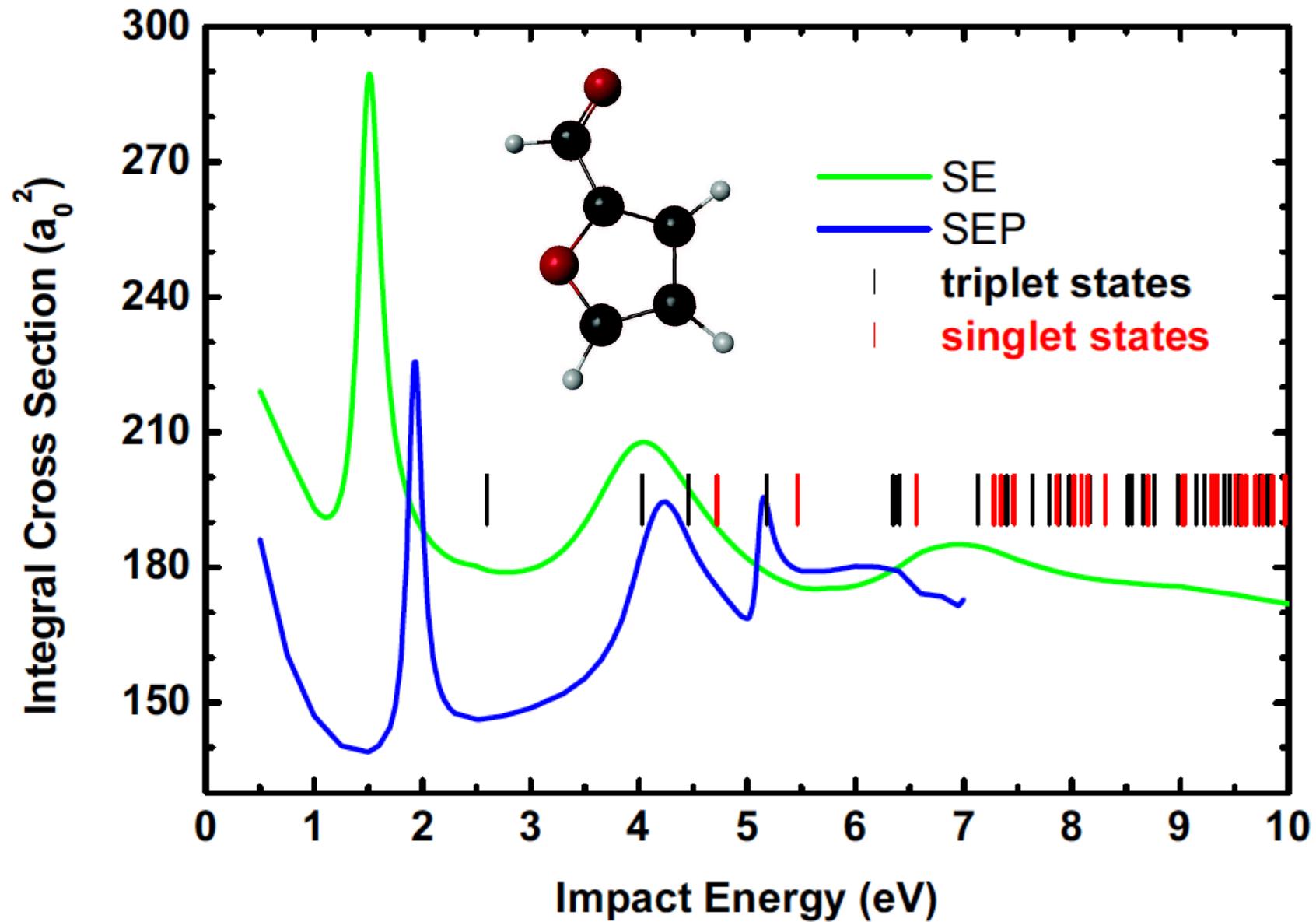
Guaiacol: Methoxilation is expected to give rise to other dissociation channels. H elimination should be also observed.

Low-energy electron scattering by cellulose and Hemicellulose components

Phys. Chem. Chem. Phys. 15, 1682 (2013).



Electron Scattering of slow electrons by furfural molecules



This molecule has over 50 electronic states between 0 and 10 eV

Theoretical team on electron-scattering of microsolvated molecules



Sylvio Canuto (microsolvation)
Kaline Coutinho (microsolvation)
Márcio T. do N. Varella



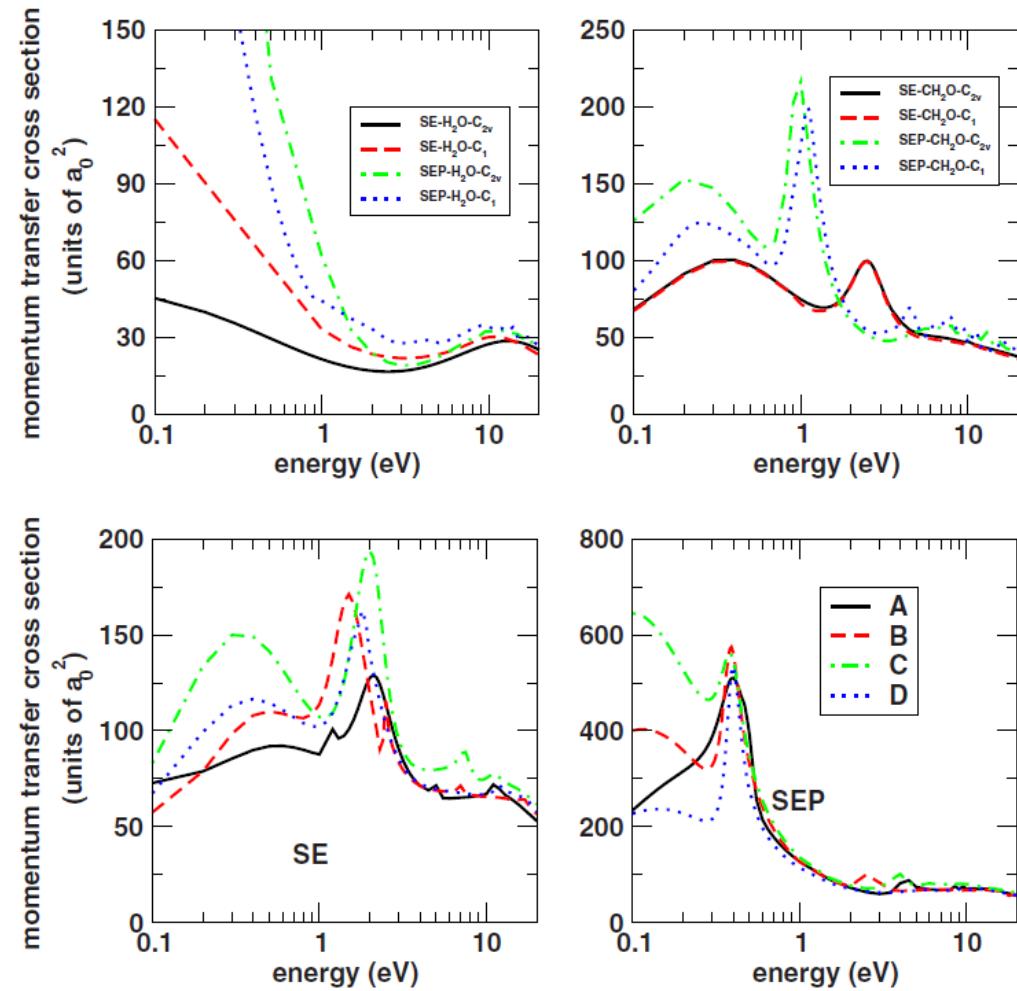
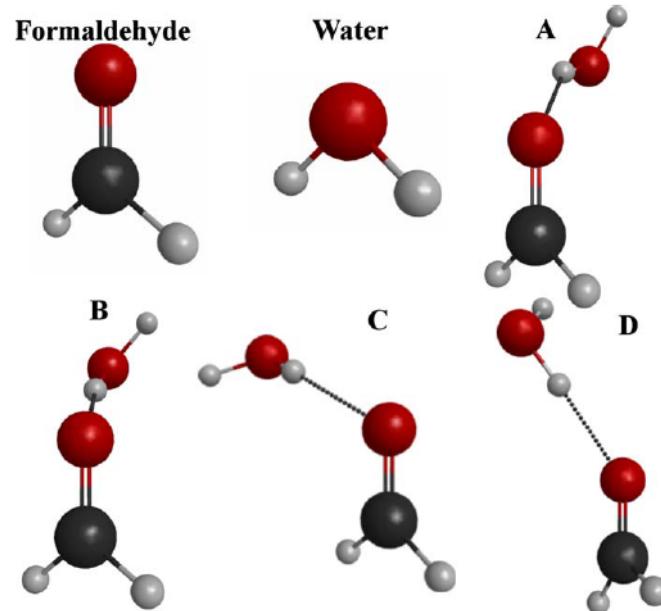
Eliane M. de Oliveira (scattering of solvated phenol)
Marco A. P. Lima



Thiago C. Freitas (his Ph.D. Thesis)
Márcio H. F. Bettega (coordinator)

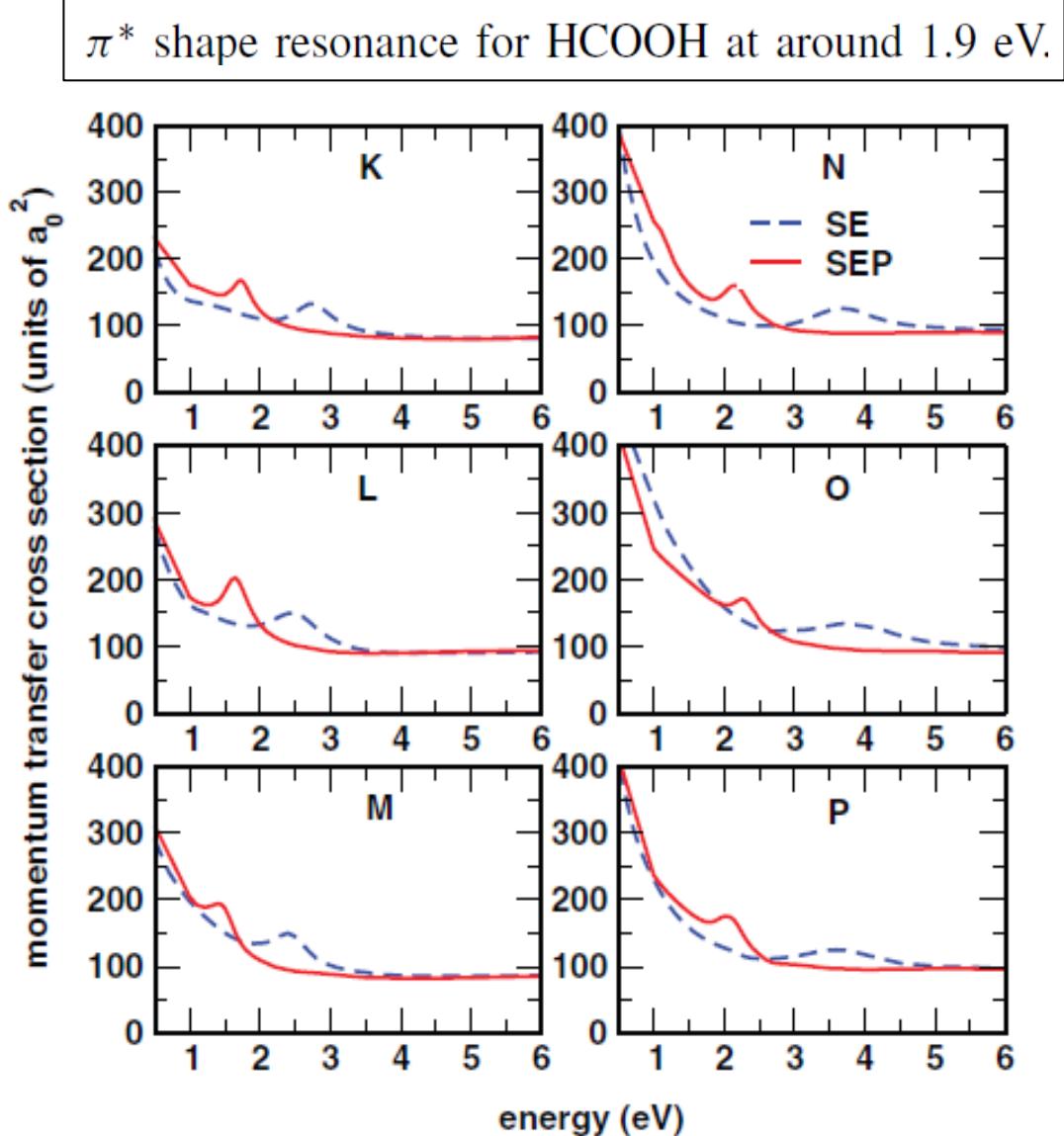
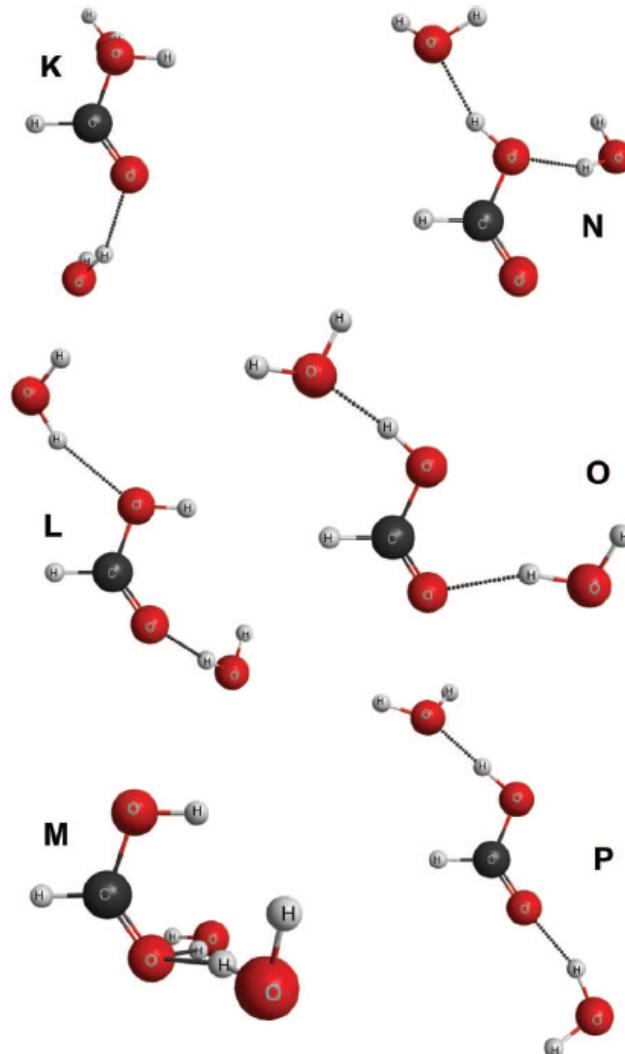
Electron Collisions with the $\text{CH}_2\text{O}-\text{H}_2\text{O}$ complex

PHYSICAL REVIEW A 80, 062710 (2009)



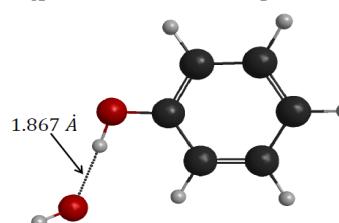
Electron collisions with the HCOOH...(H₂O)_n complexes (n=1, 2) in liquid phase: The influence of microsolvation on the π^* resonance of formic acid

THE JOURNAL OF CHEMICAL PHYSICS 138, 174307 (2013)

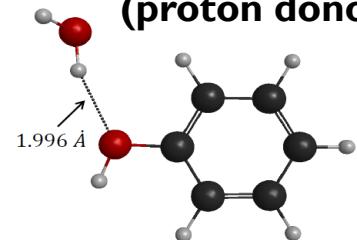


Electron Collisions with Phenol...H₂O

(proton acceptor)

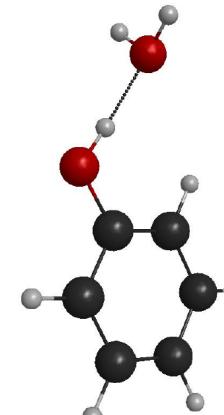


(proton donor)

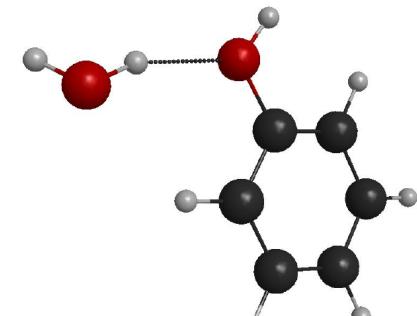


We have studied the microsolvation of Phenol using 4 complexes.

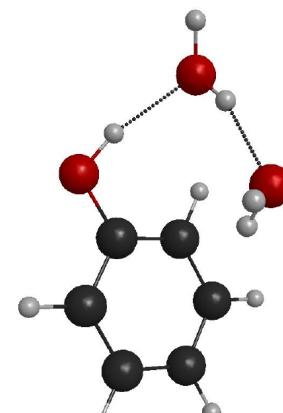
- In Complex A, the water molecule is a proton acceptor.
- In the Complex B, the water is a proton donor.
- Complexes C and D have both situations (one water molecule as acceptor and the other as proton donor).



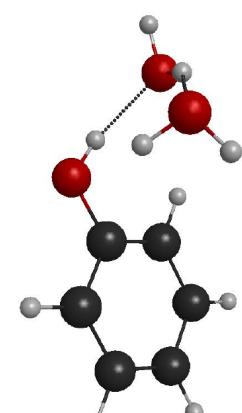
A



B



C



D

Electron Collisions with Phenol...H₂O

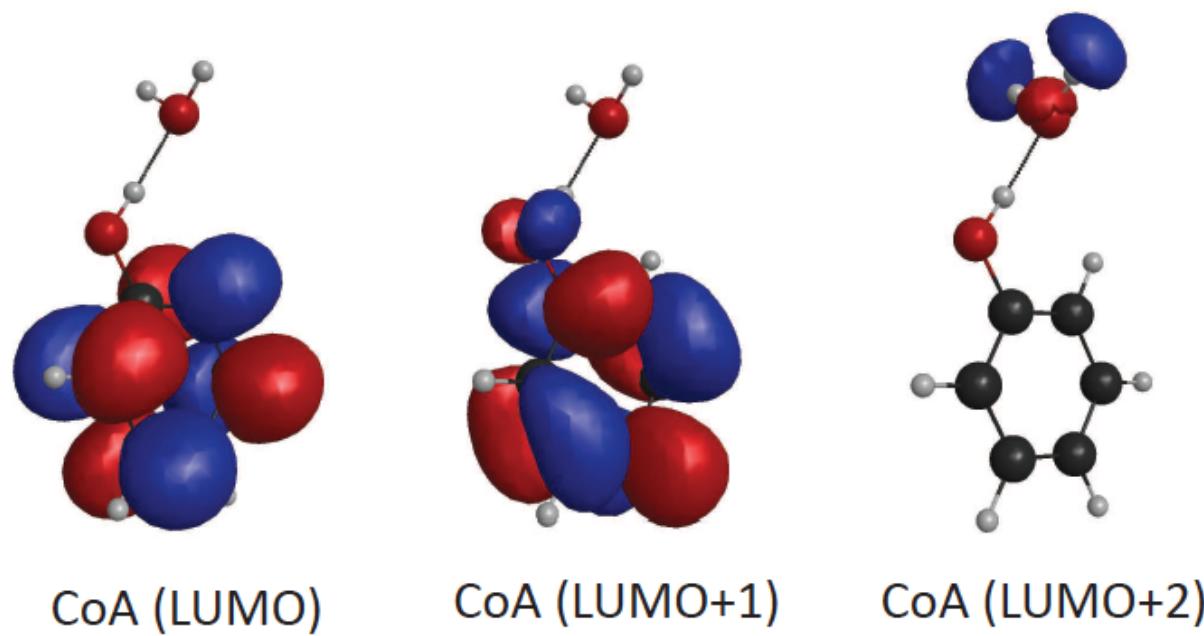


FIG. 1. (Color online) The three lowest virtual orbitals of the complex A.

Electron Collisions with Phenol...H₂O

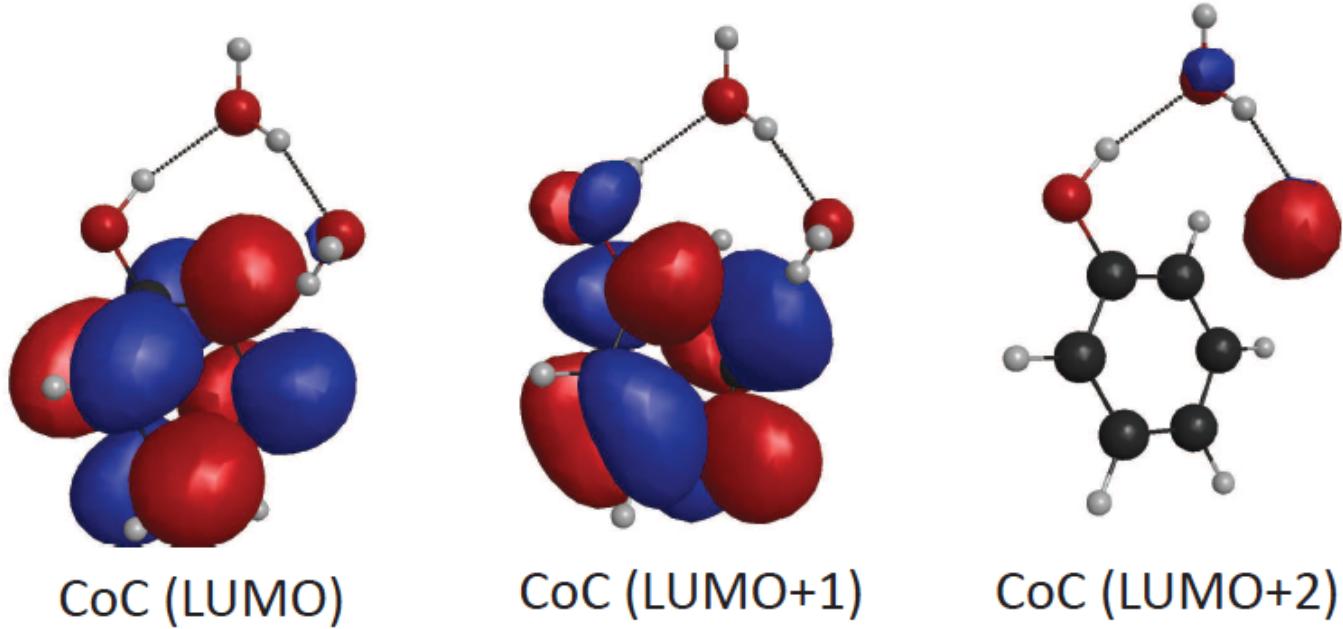
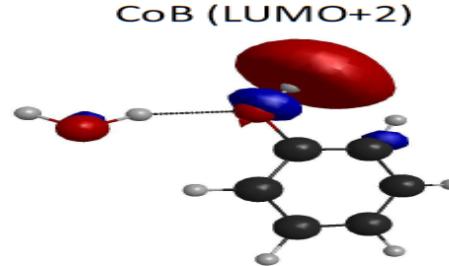
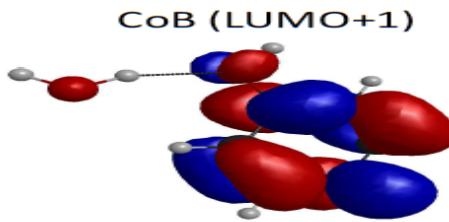
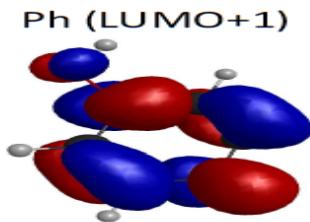
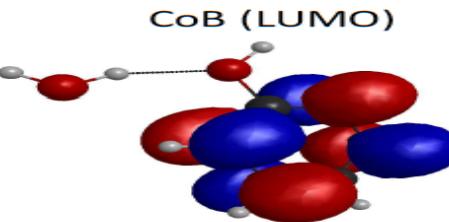
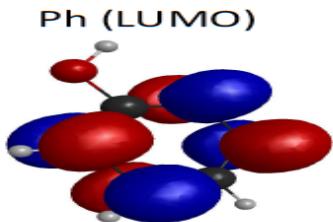
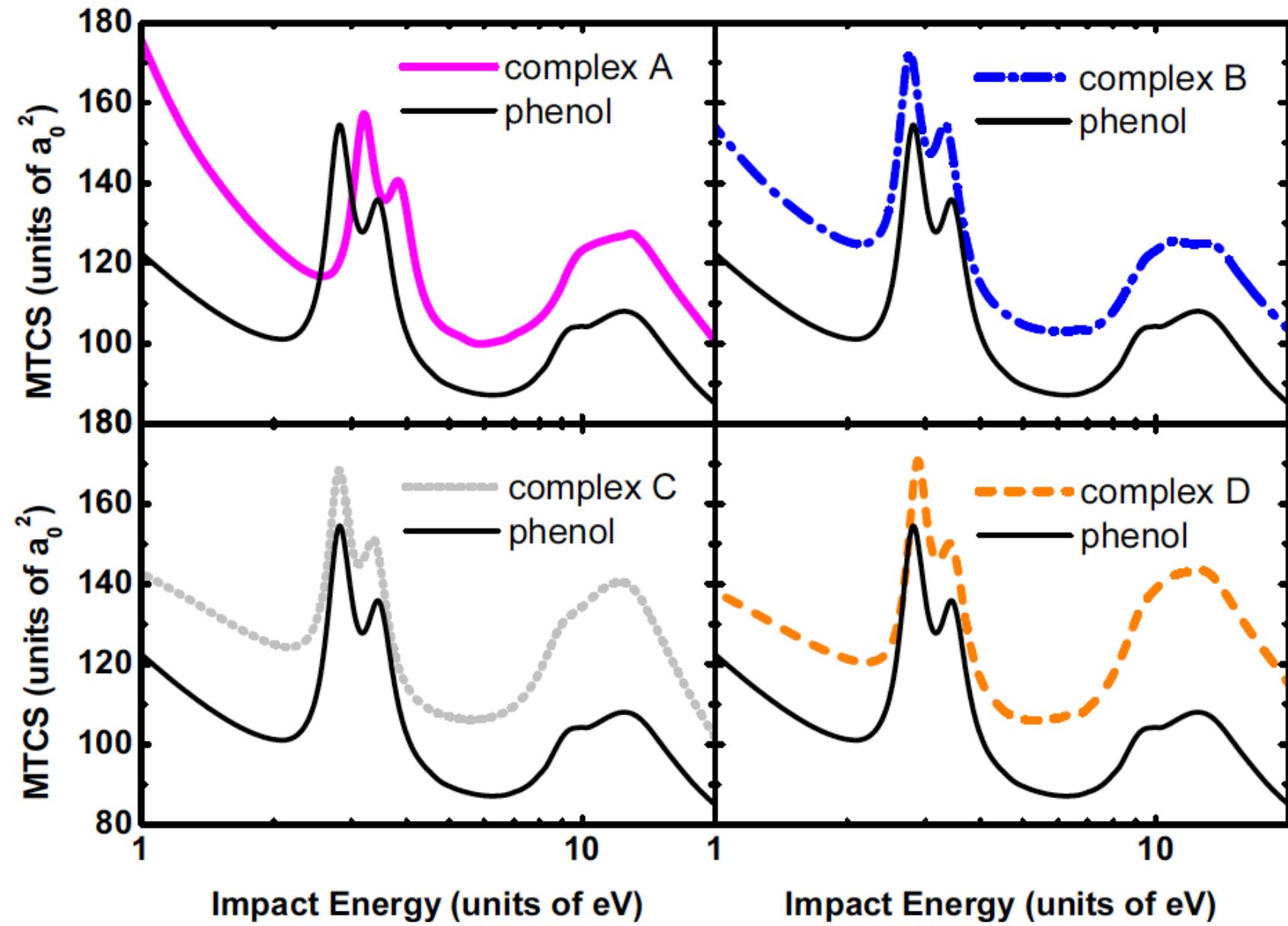


FIG. 2. (Color online) Same as in Fig. 1, but for the complex *C*.

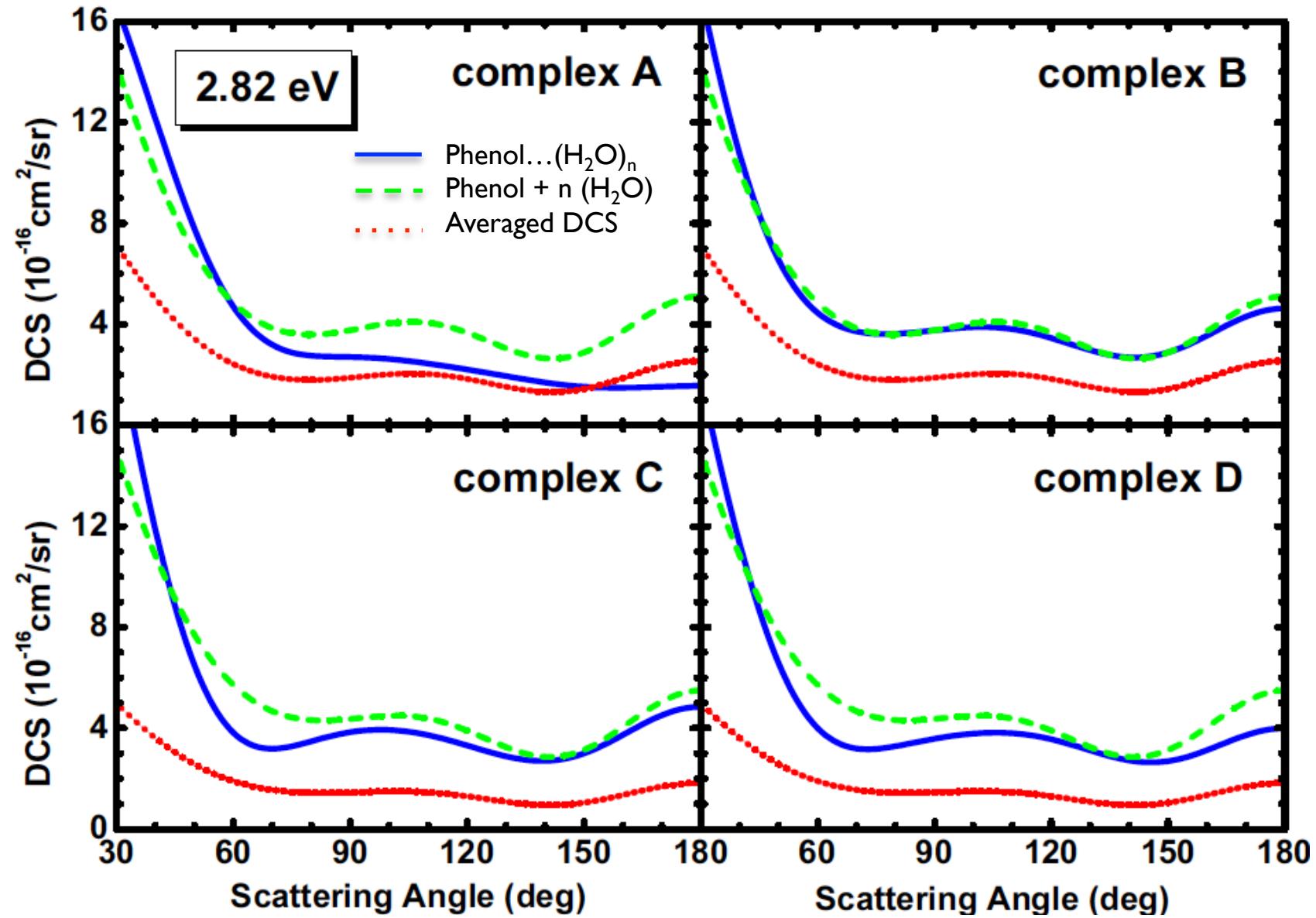
Electron Collisions with Phenol...H₂O



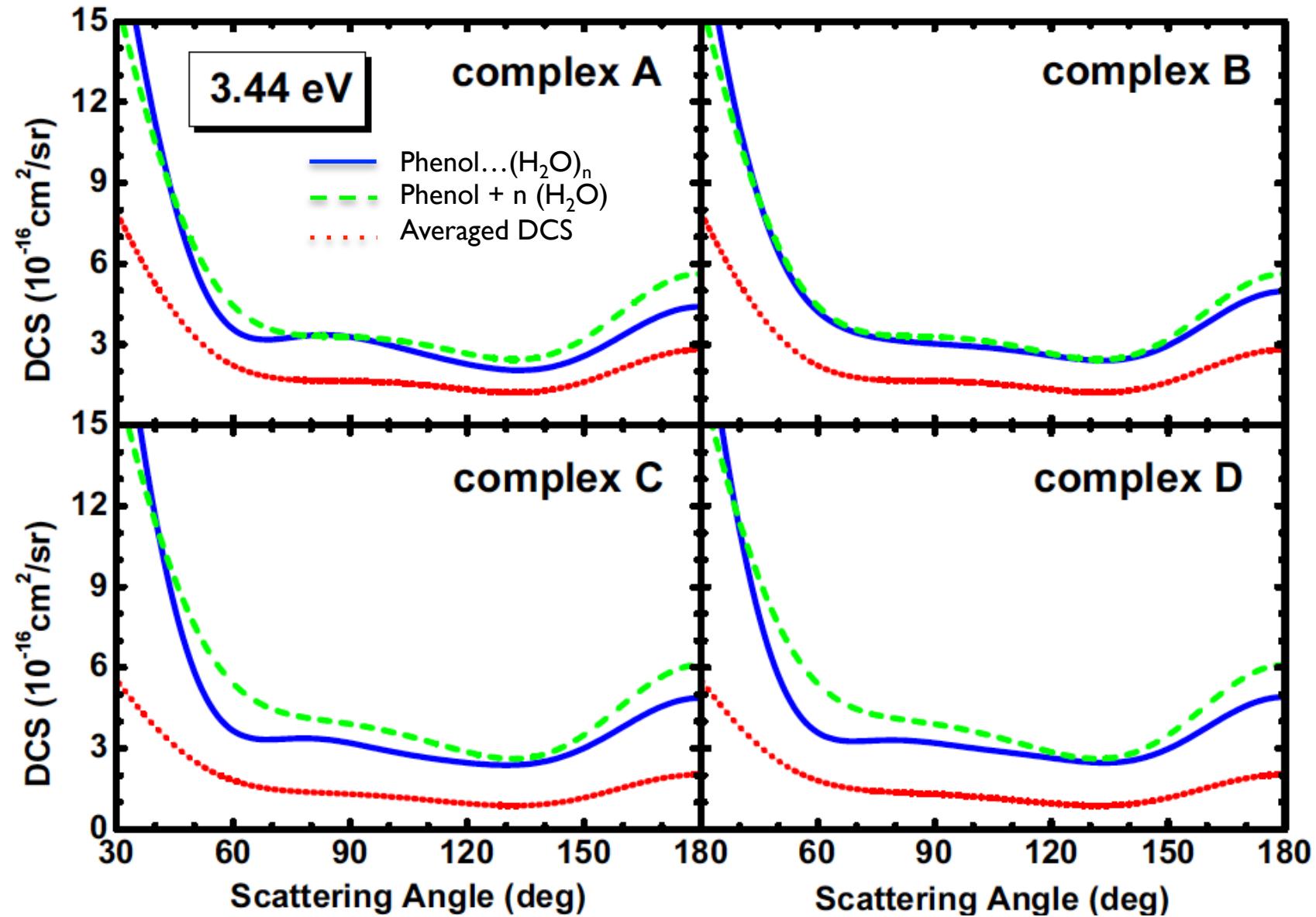
Electron Collisions with Phenol... $(H_2O)_n$: n=1,2



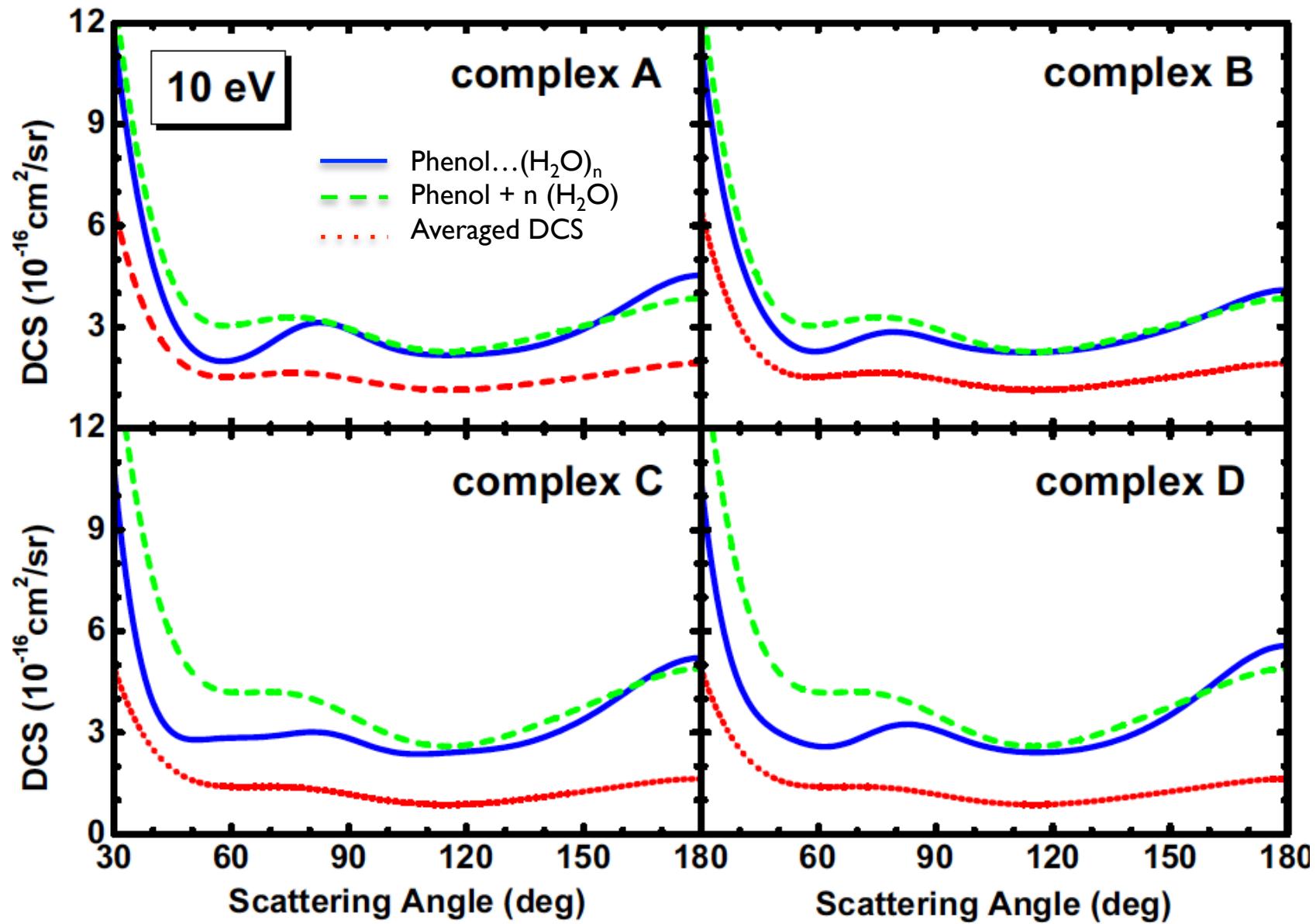
Electron Collisions with Phenol...(H_2O)_n: search for microsolvation signatures in the DCS



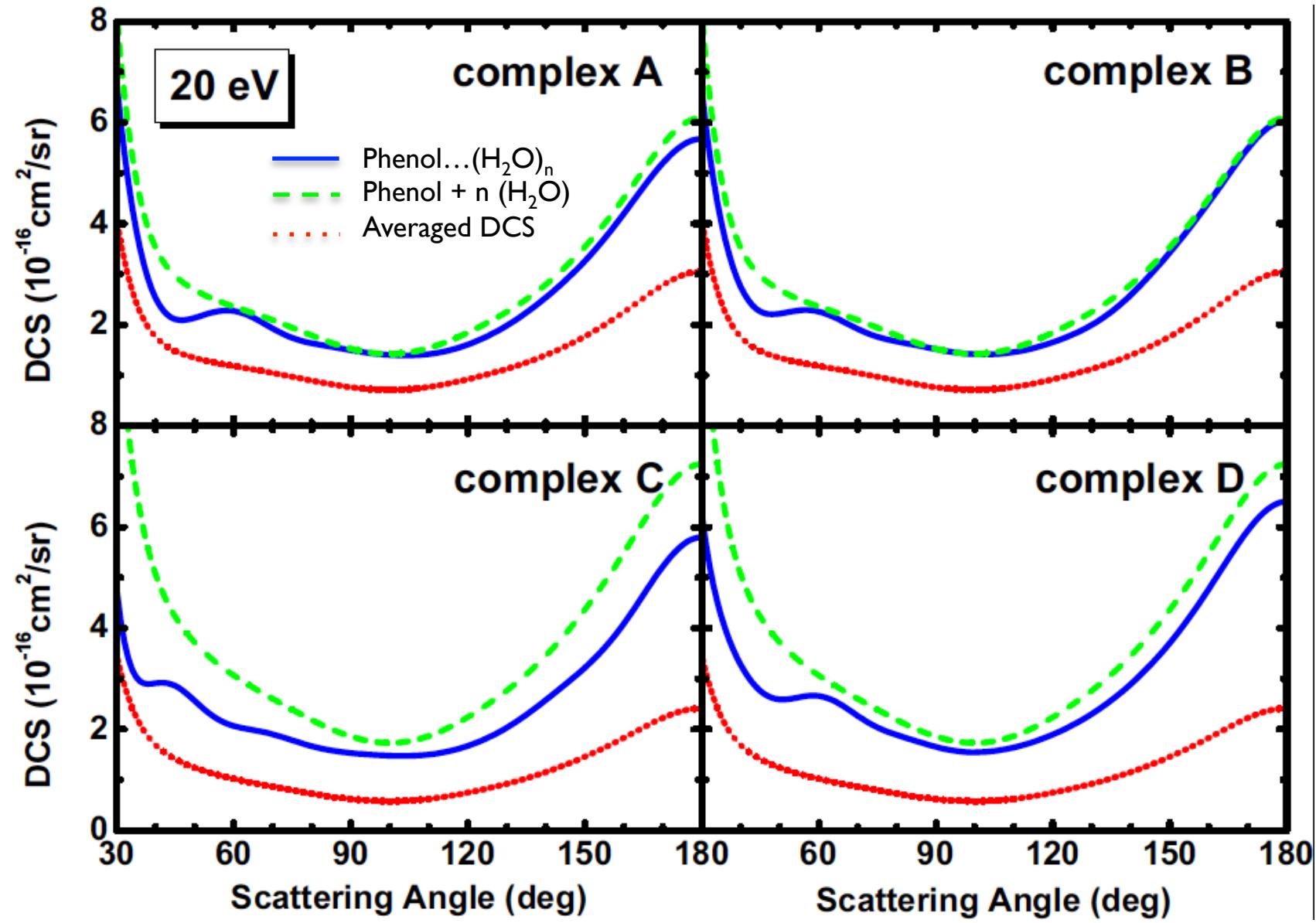
Electron Collisions with Phenol...(H_2O)_n: search for microsolvation signatures in the DCS



Electron Collisions with Phenol...(H_2O)_n: search for microsolvation signatures in the DCS



Electron Collisions with Phenol...(H_2O)_n: search for microsolvation signatures in the DCS



ELECTRONIC EXCITATION

Theoretical co-authors



Eliane M. de Oliveira (posdoc)
Marco A. P. Lima



Márcio H. F. Bettega

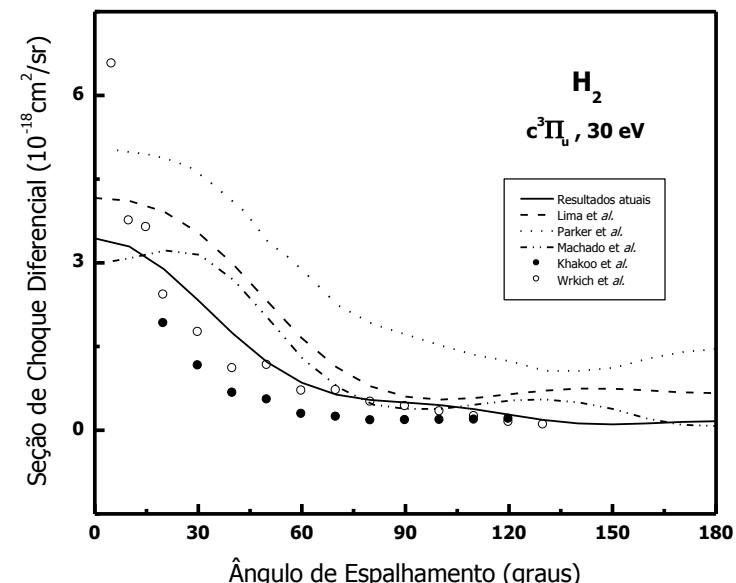
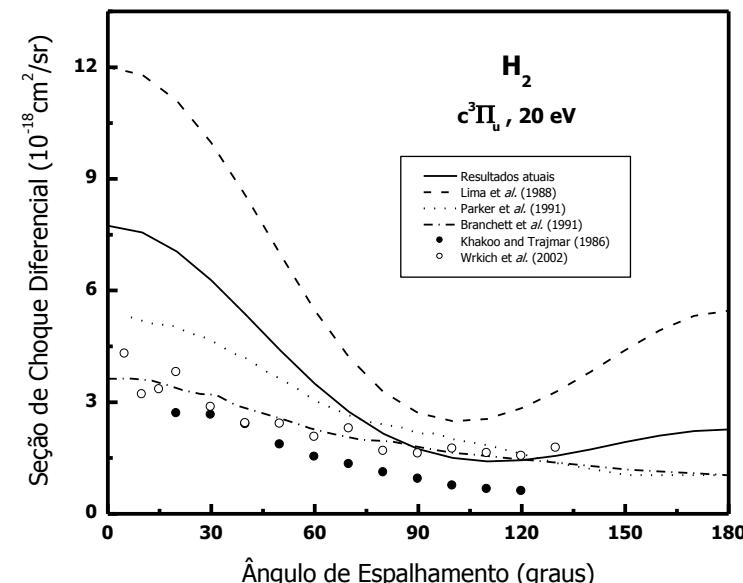
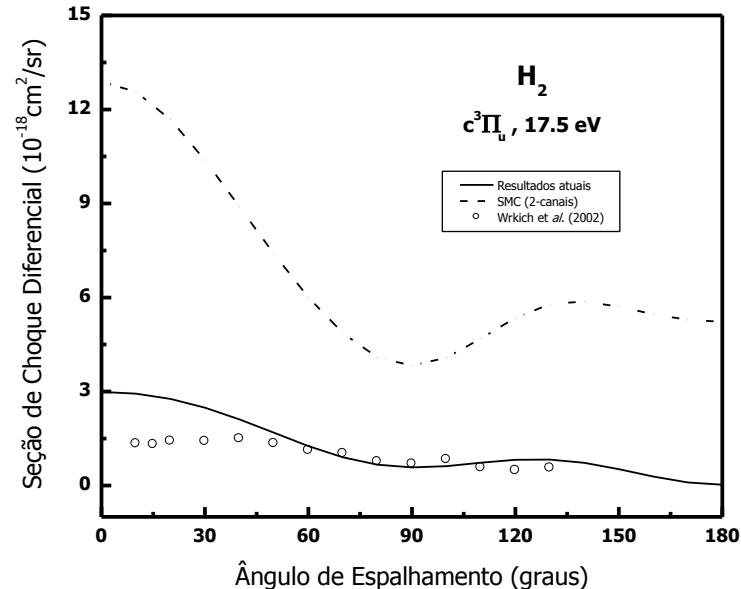
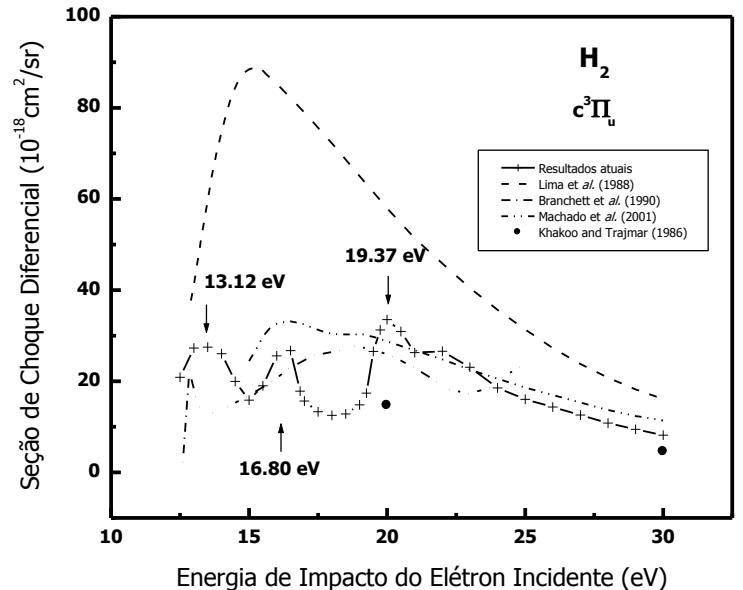


Márcio T. do N. Varella

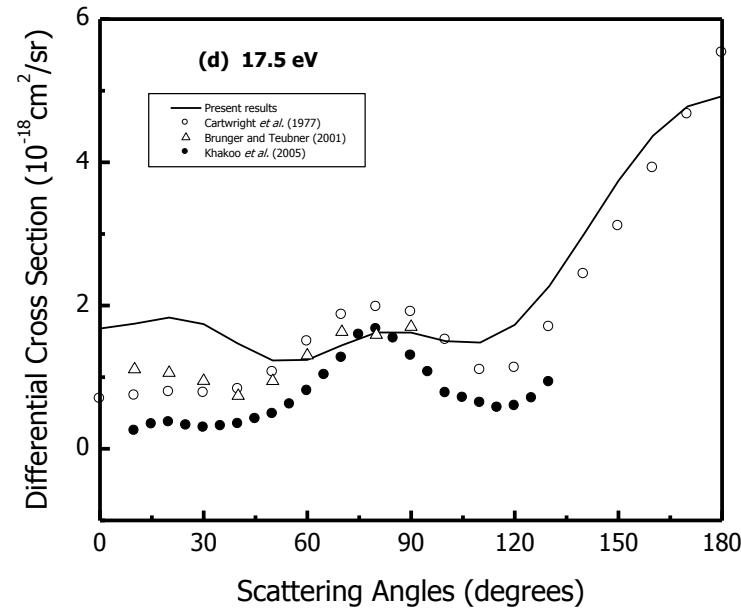
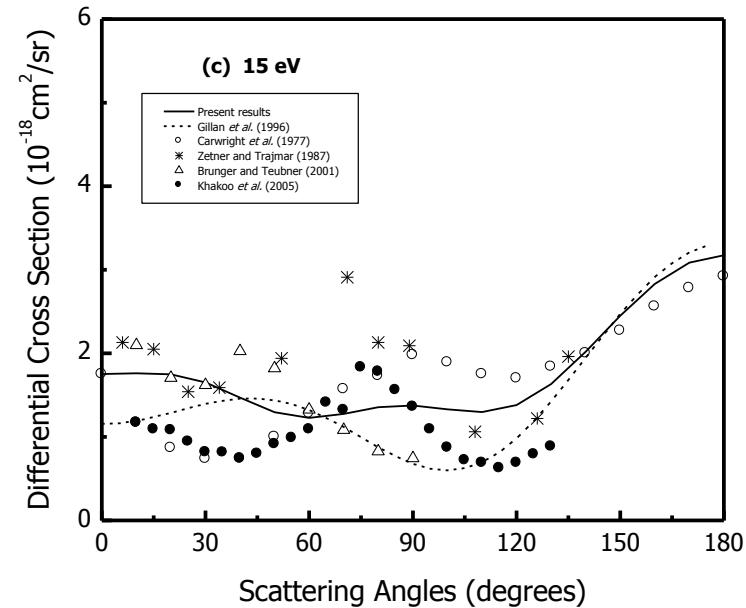
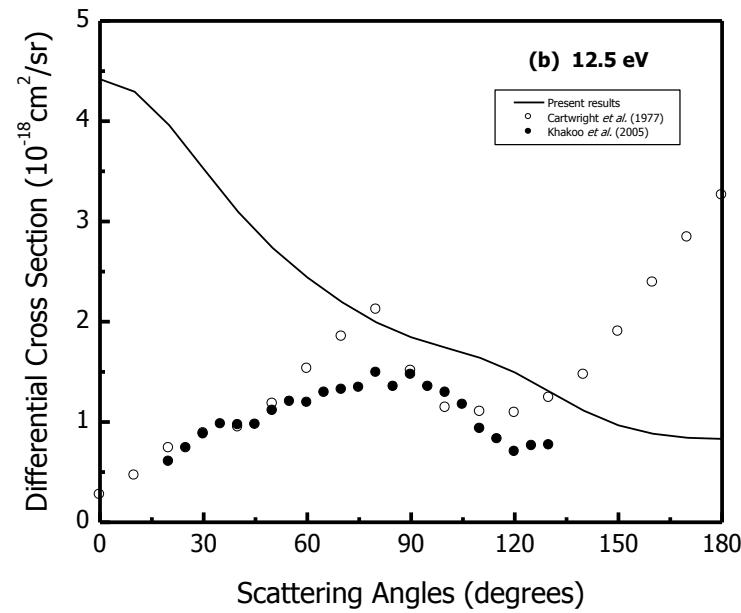
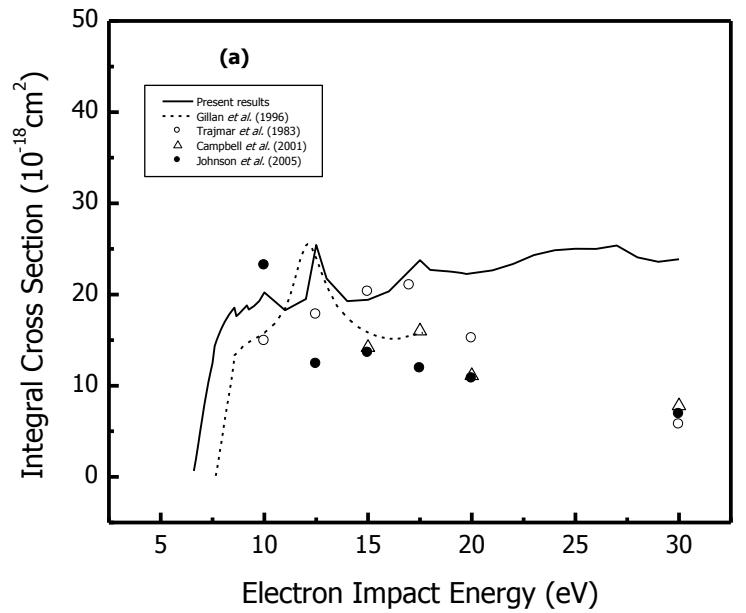


Romarly F. da Costa (coordinator)

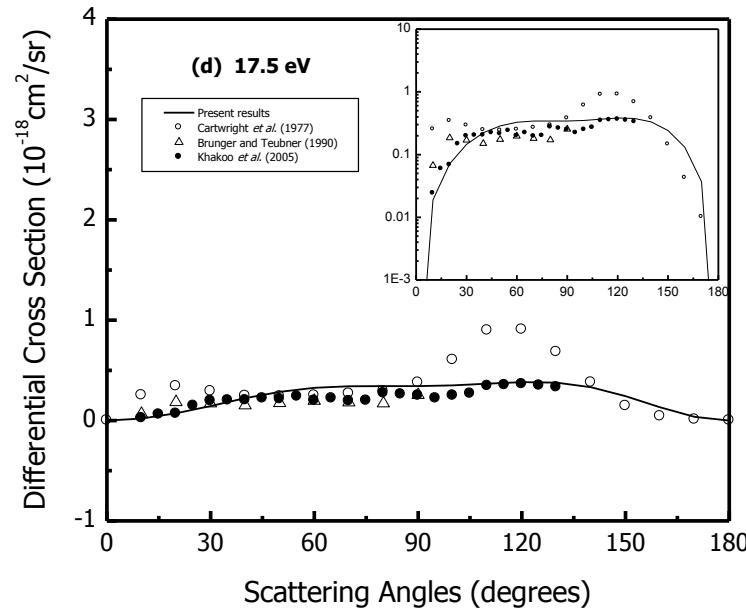
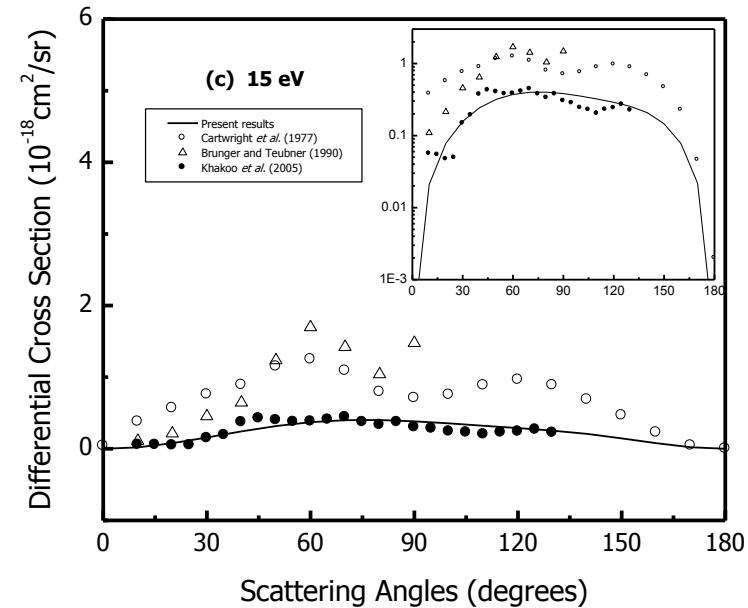
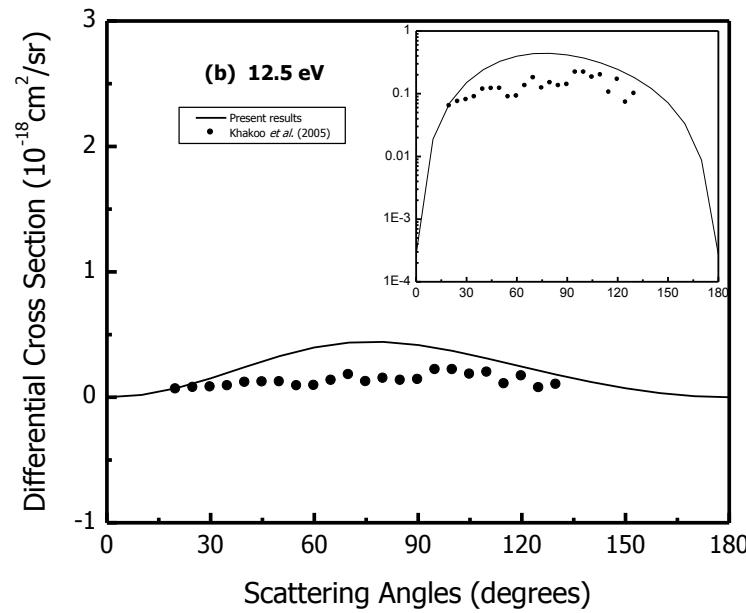
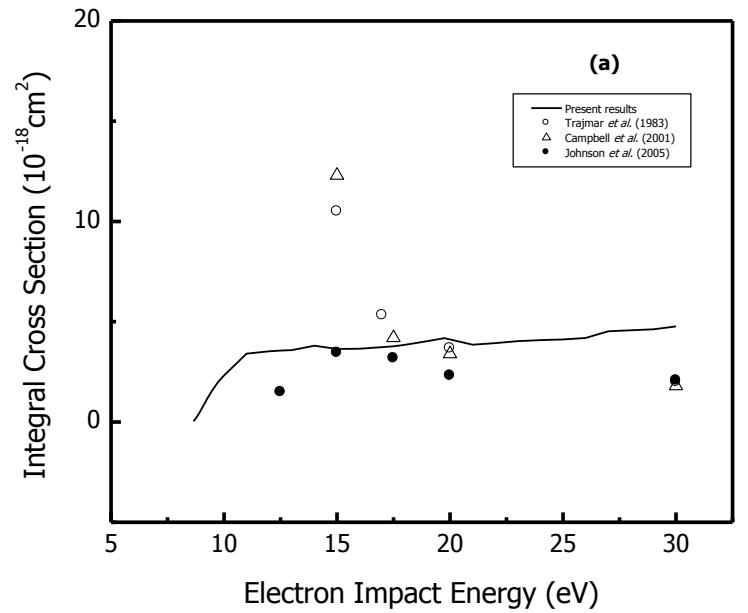
Electronic excitation of H_2 by electron impact



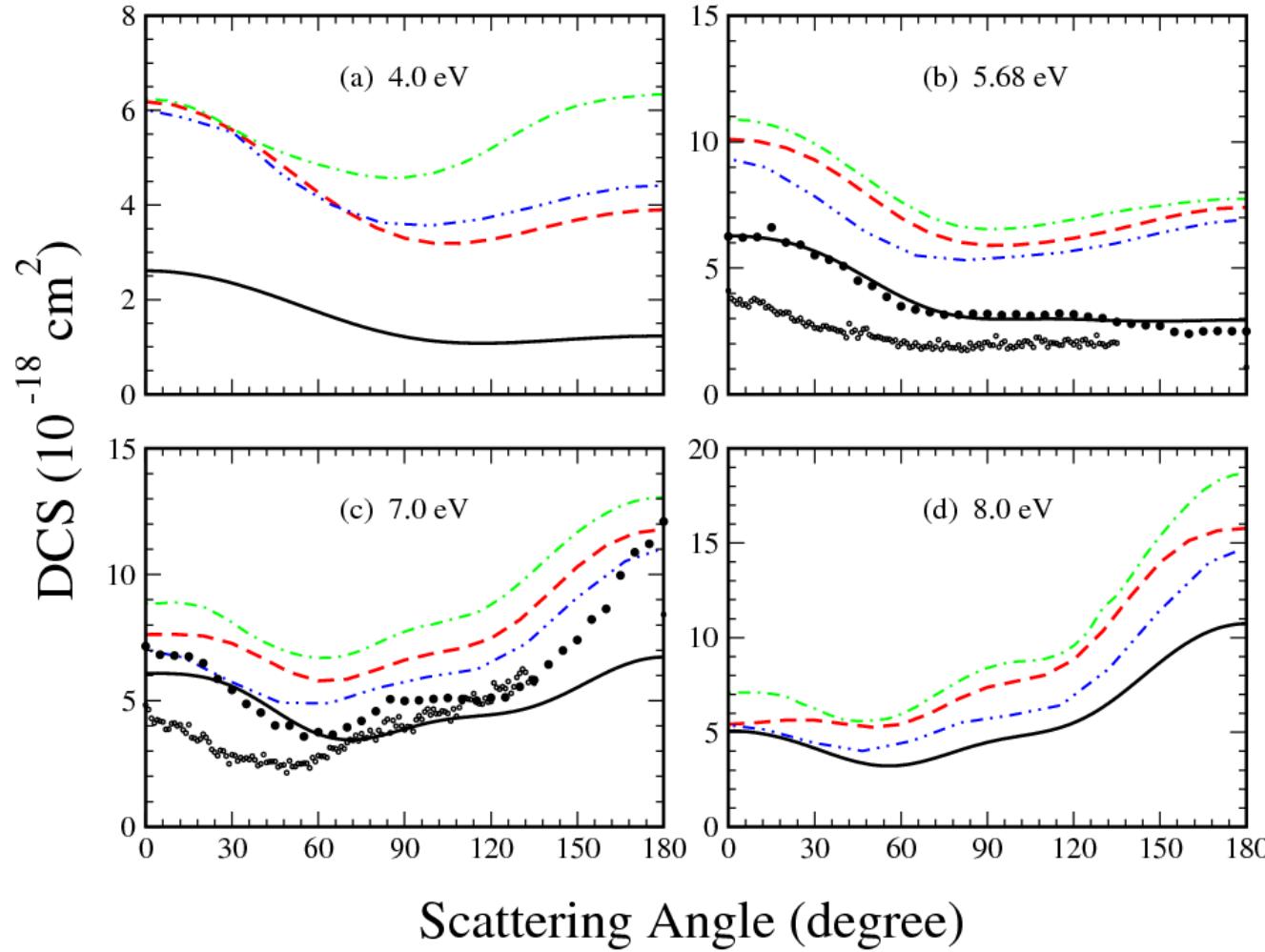
Electronic transition $X\ ^1\Sigma_g \rightarrow A\ ^3\Sigma_u^+$ of N_2 by electron impact



Electronic transition $X \ ^1\Sigma_g^- \rightarrow a' \ ^1\Sigma_u^-$ of N_2 by electron impact



Electronic excitation of $\tilde{\alpha} \ ^3\text{B}_{1u}$ state of C_2H_4 by electron impact



Color lines are
Close-coupling
Calculations
and
bullets are
M. Allan's
data

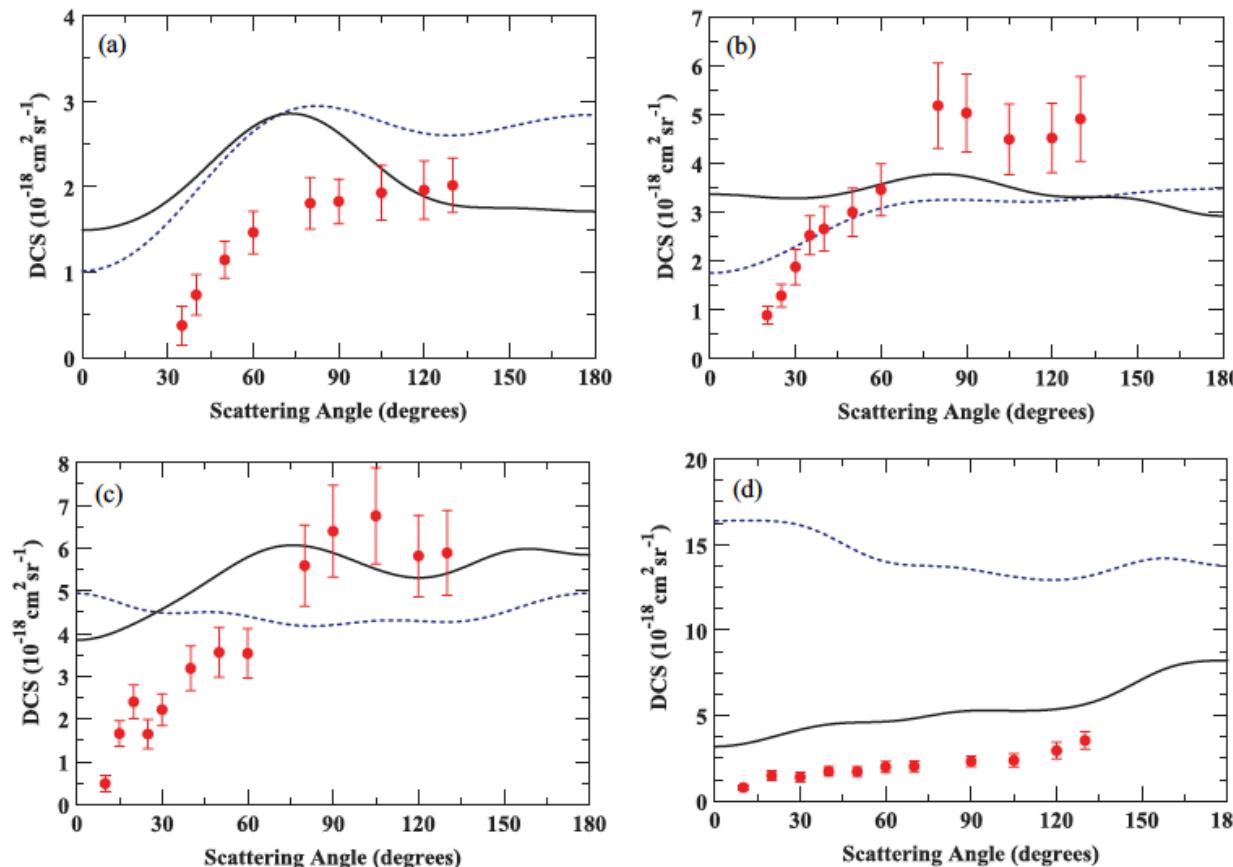
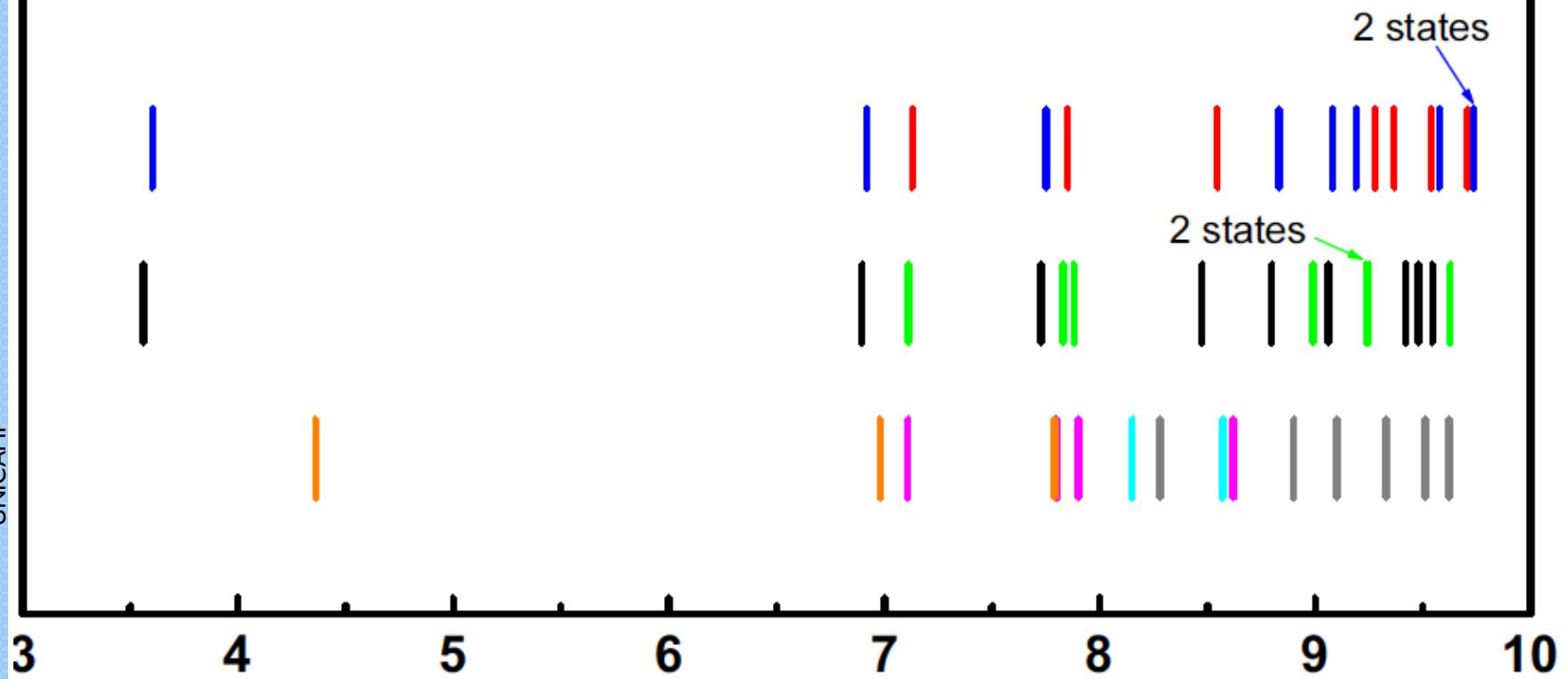


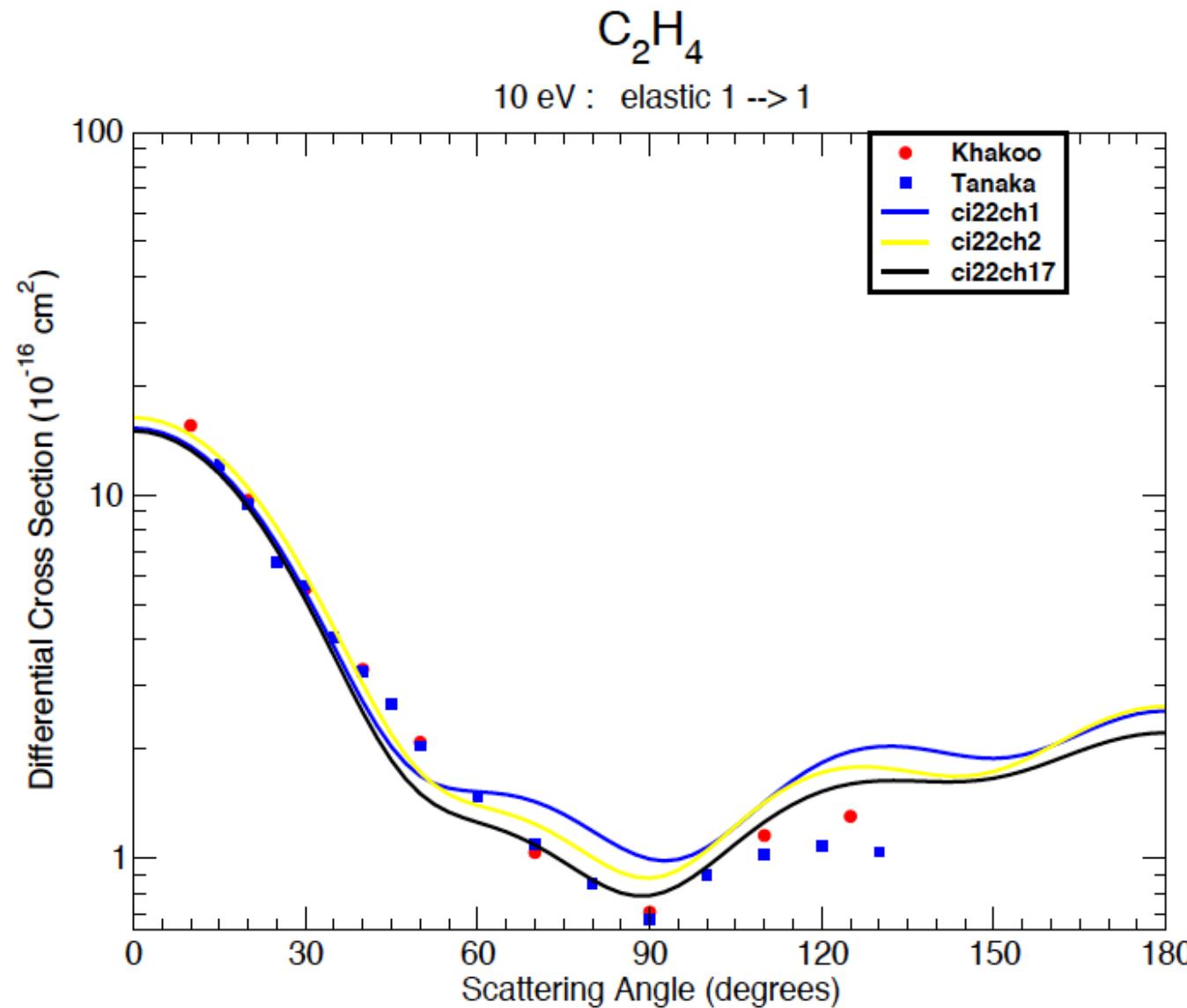
FIG. 6. (Color online) Differential cross section for the electronic excitation from ground state to the 3B_2 state of furan by electron impact at an energy of (a) 5 eV, (b) 6 eV, (c) 7.5 eV, and (d) 10 eV. The present experimental data (solid circles) are shown, as well as the present theoretical results from model 1 (black solid curve) and model 2 (blue dashed curve).

Multichannel effects on the e^- -C₂H₄ scattering

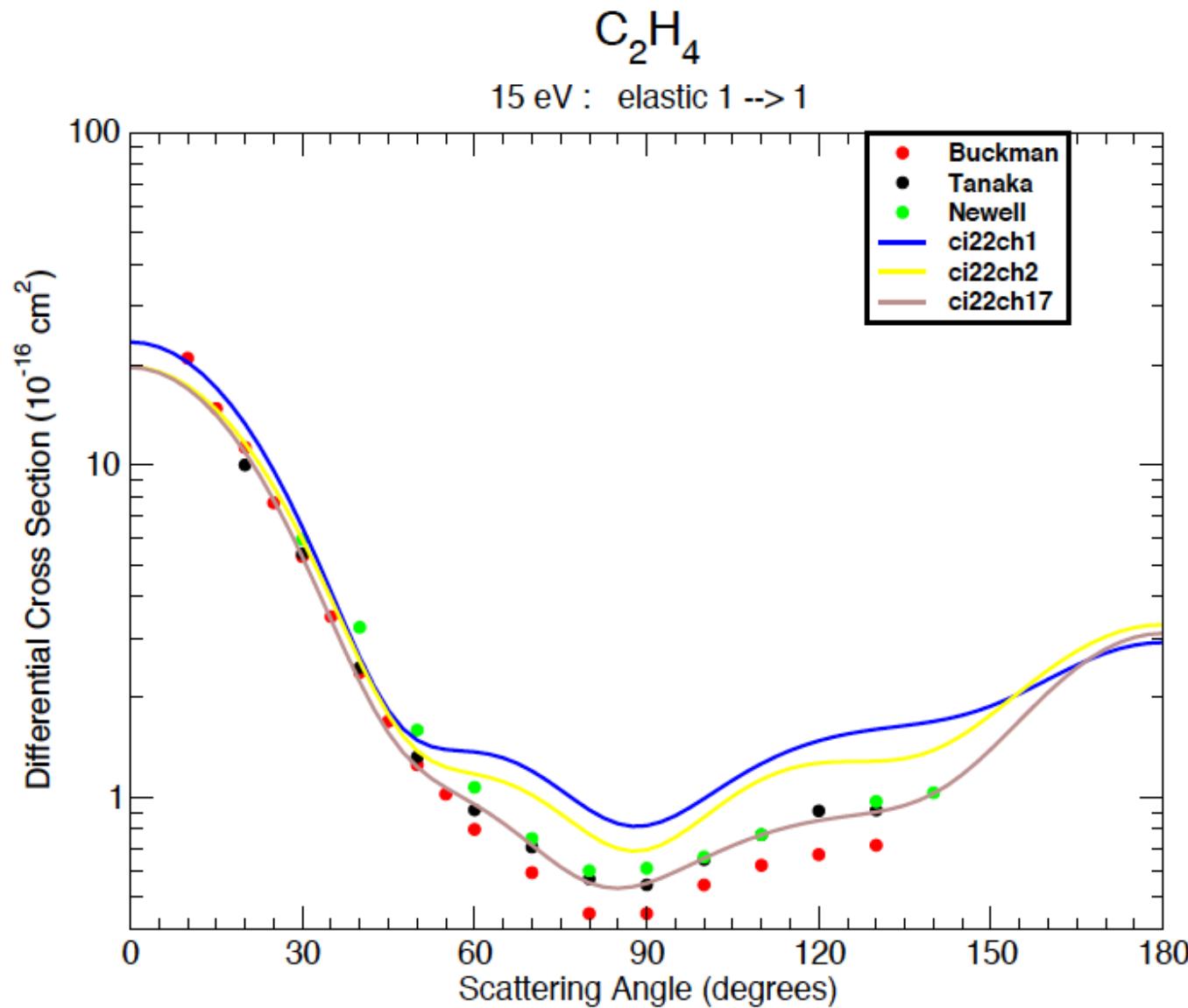
exp. 1 (singlets) / exp. 1 (triplets)
exp. 2 (singlets) / exp. 2 (triplets)
Full SCI (singlets) / Full SCI (triplets)
MOBSCI (singlets) / MOBSCI (triplets)



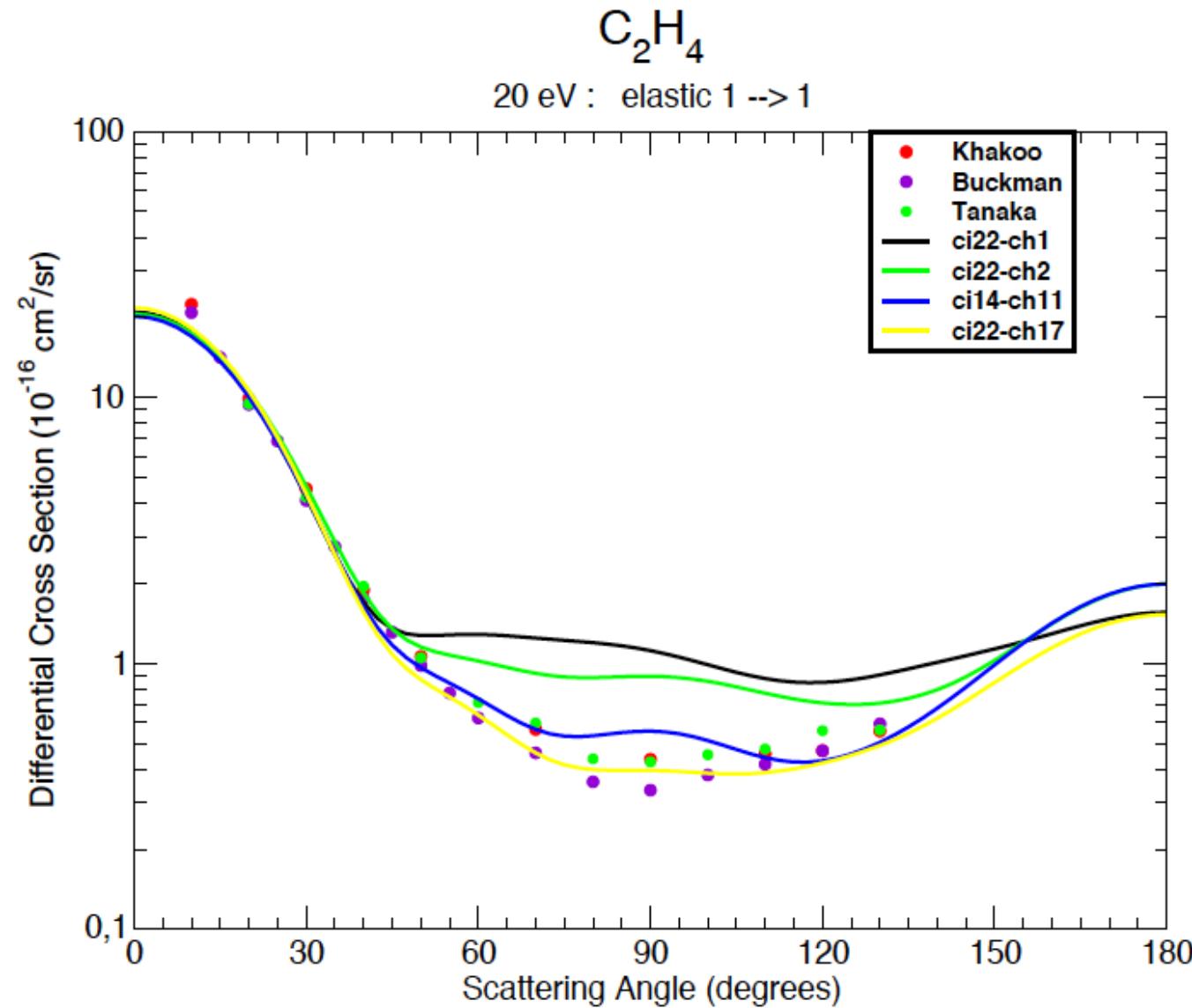
Multichannel effects on the elastic process of e⁻-C₂H₄ scattering



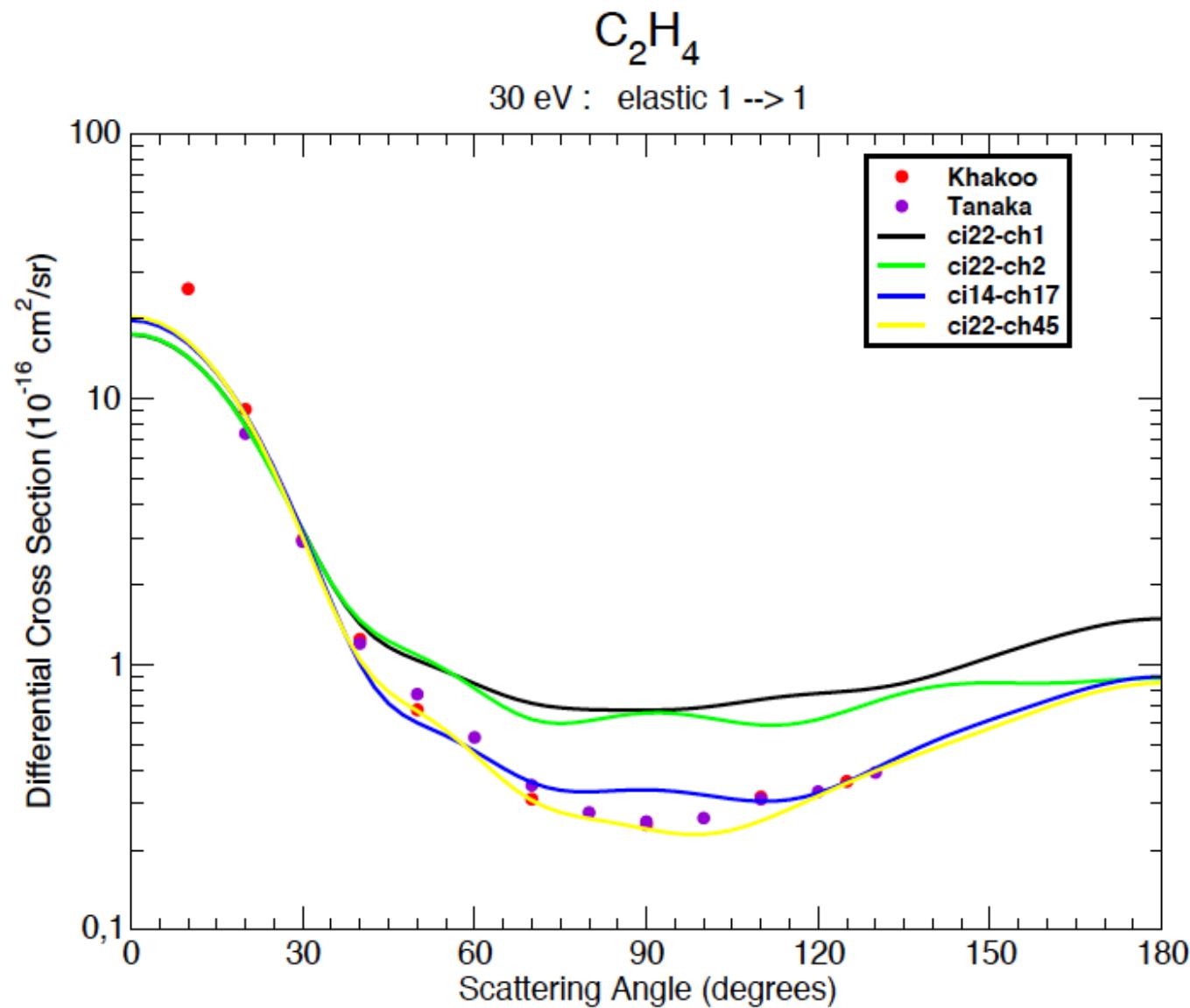
Multichannel effects on the elastic process of e⁻-C₂H₄ scattering



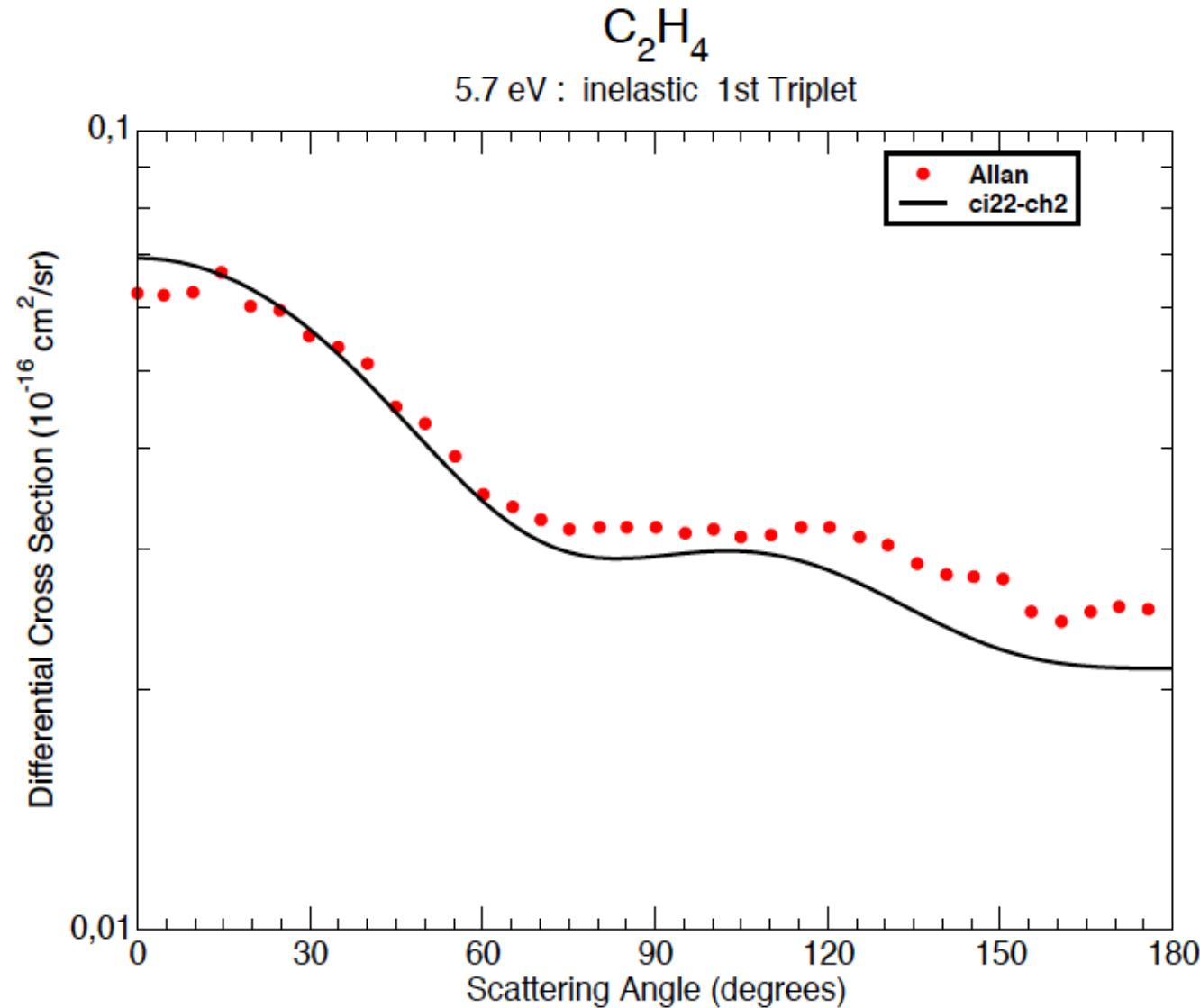
Multichannel effects on the elastic process of e^- -C₂H₄ scattering



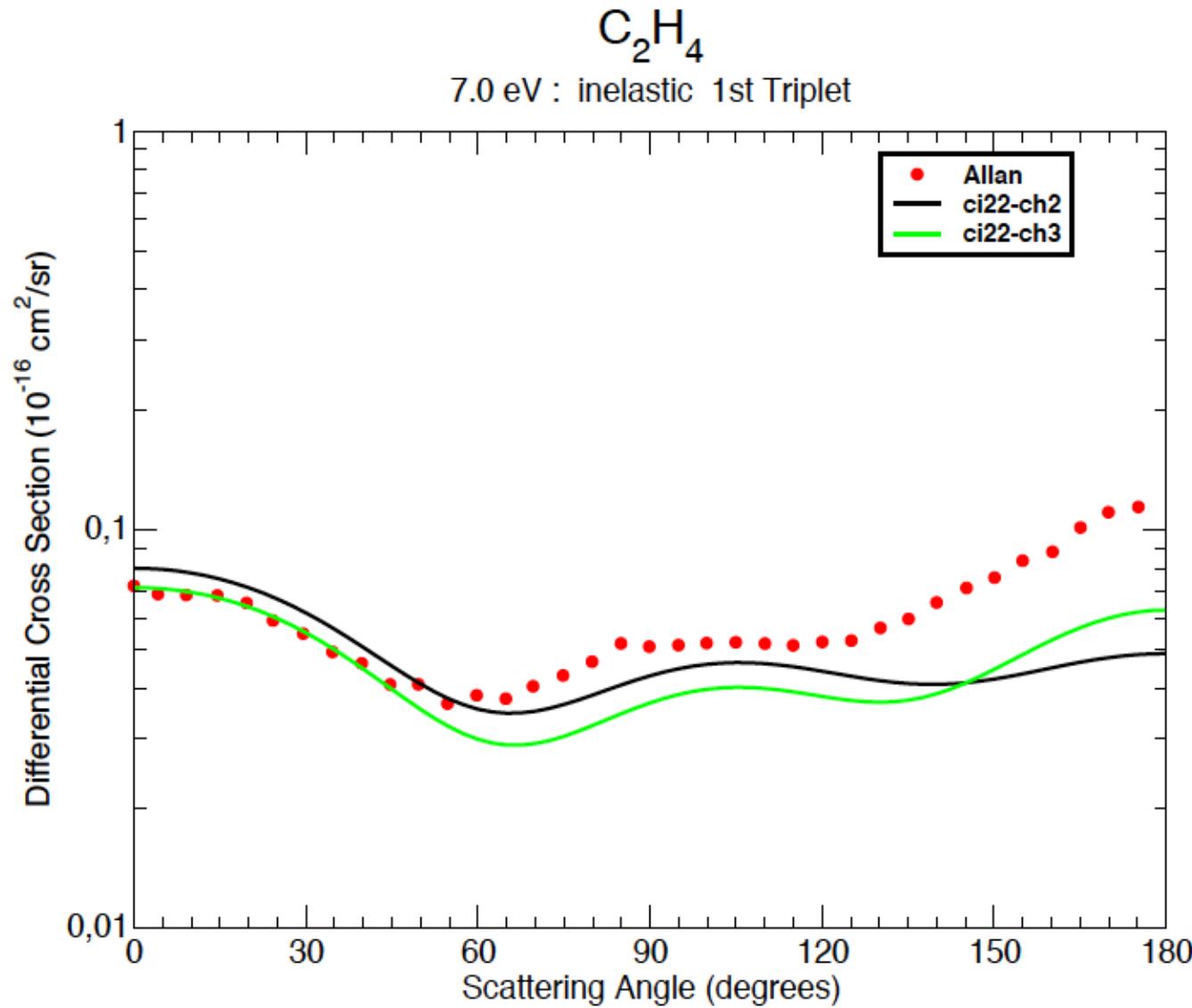
Multichannel effects on the elastic process of e^- -C₂H₄ scattering



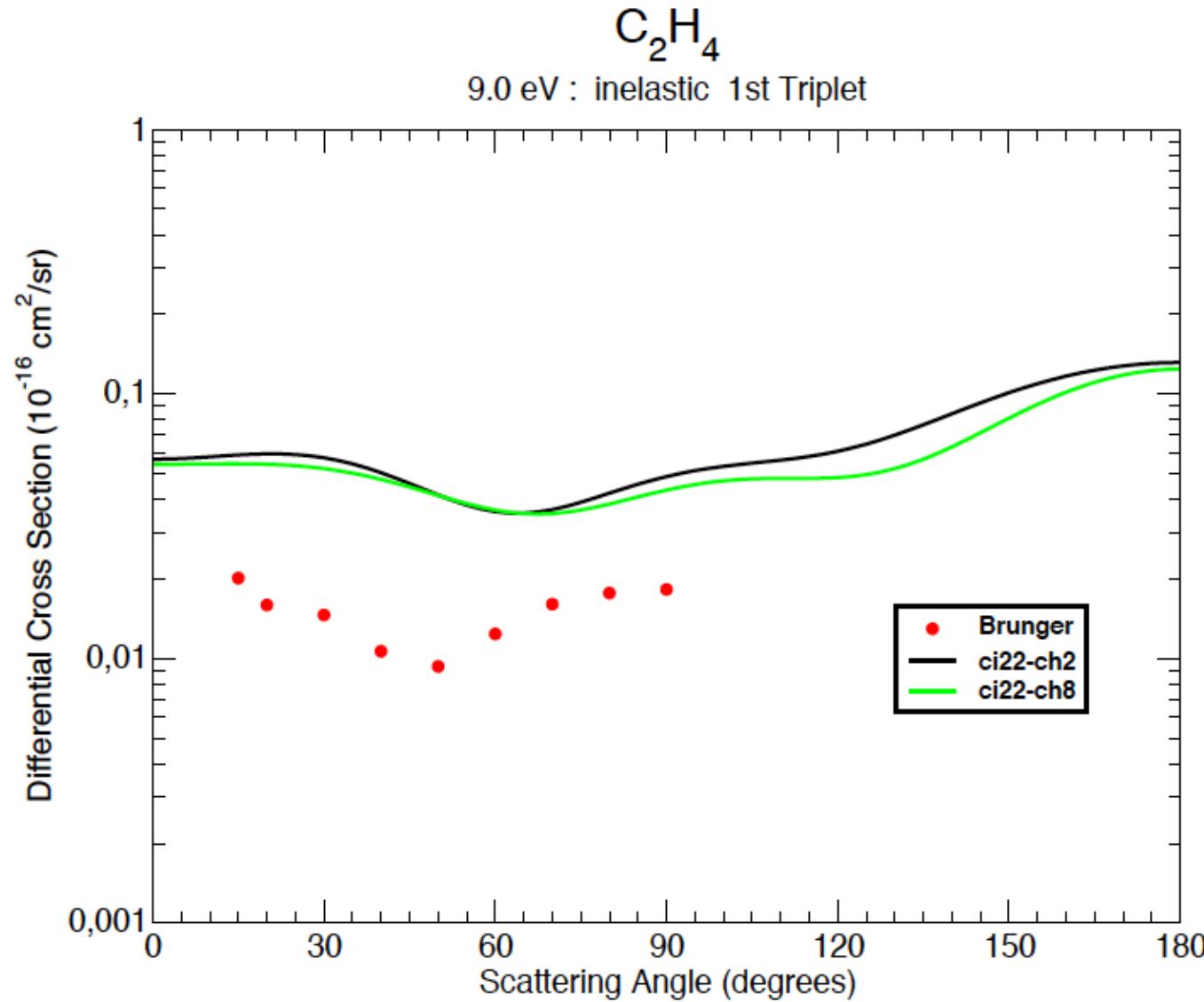
Multichannel effects on the Electronic excitation of a $^3\text{B}_{1u}$ state of C_2H_4 by electron impact



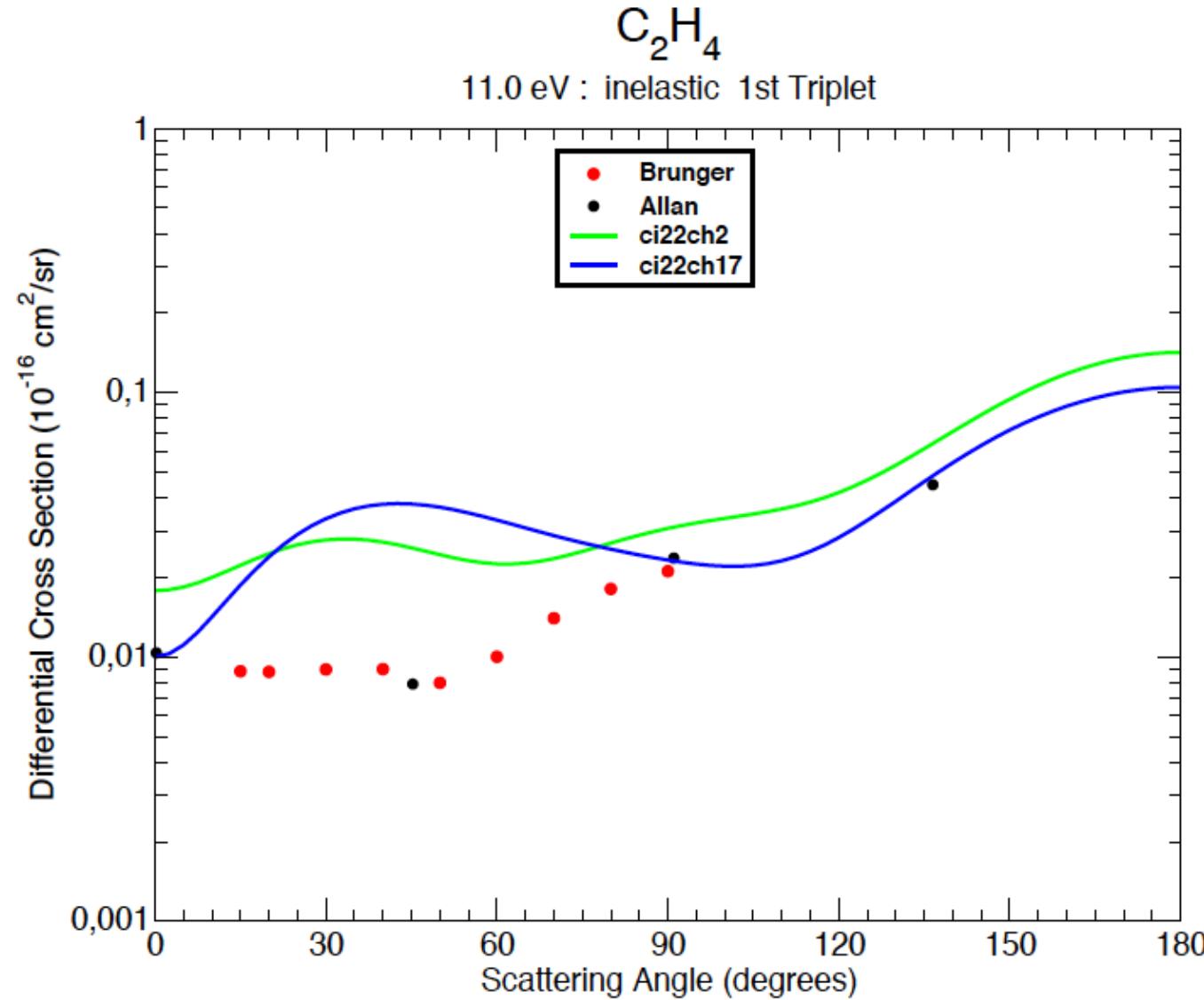
Multichannel effects on the Electronic excitation of a $^3\text{B}_{1u}$ state of C_2H_4 by electron impact



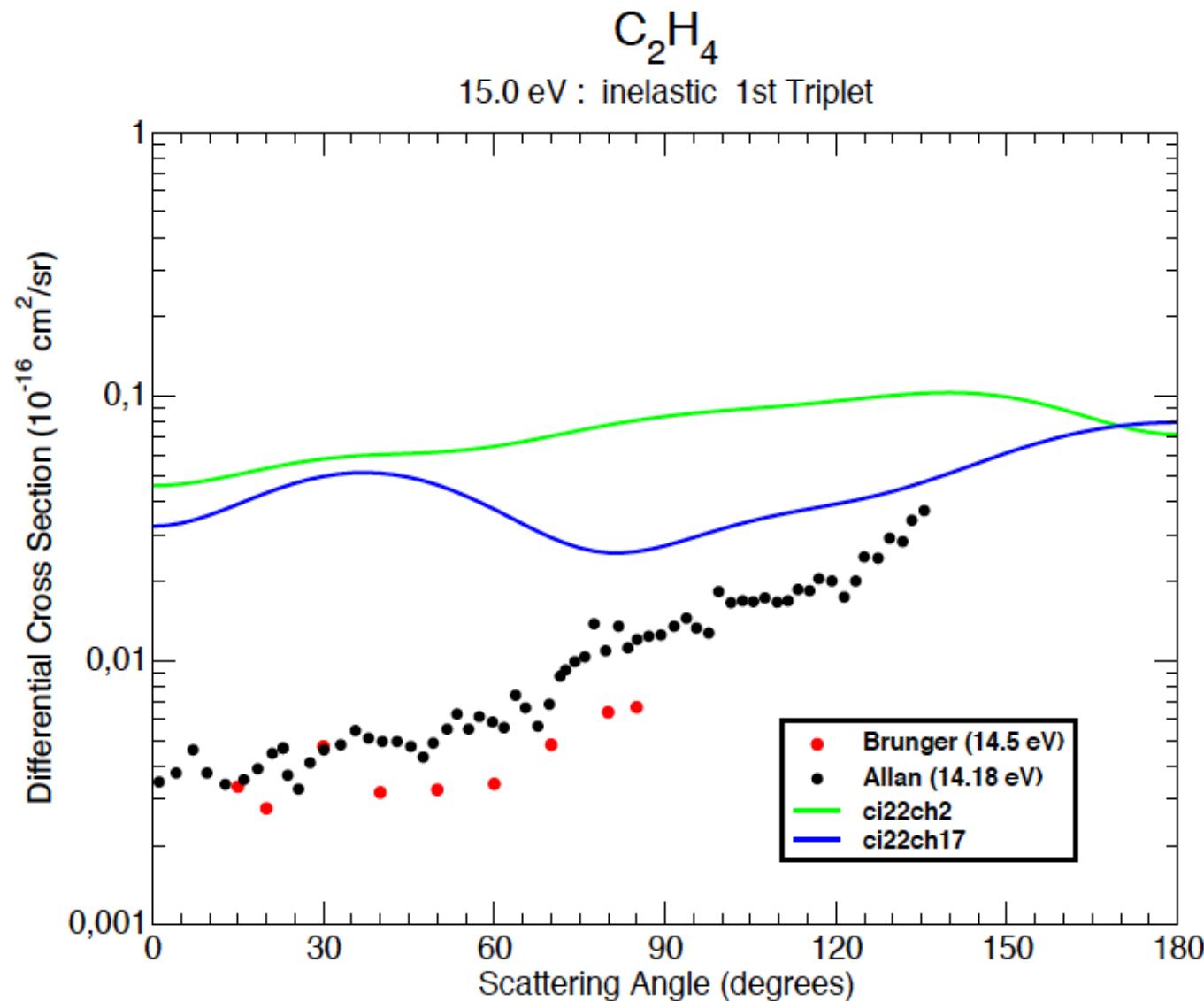
Multichannel effects on the Electronic excitation of a $^3\text{B}_{1u}$ state of C_2H_4 by electron impact



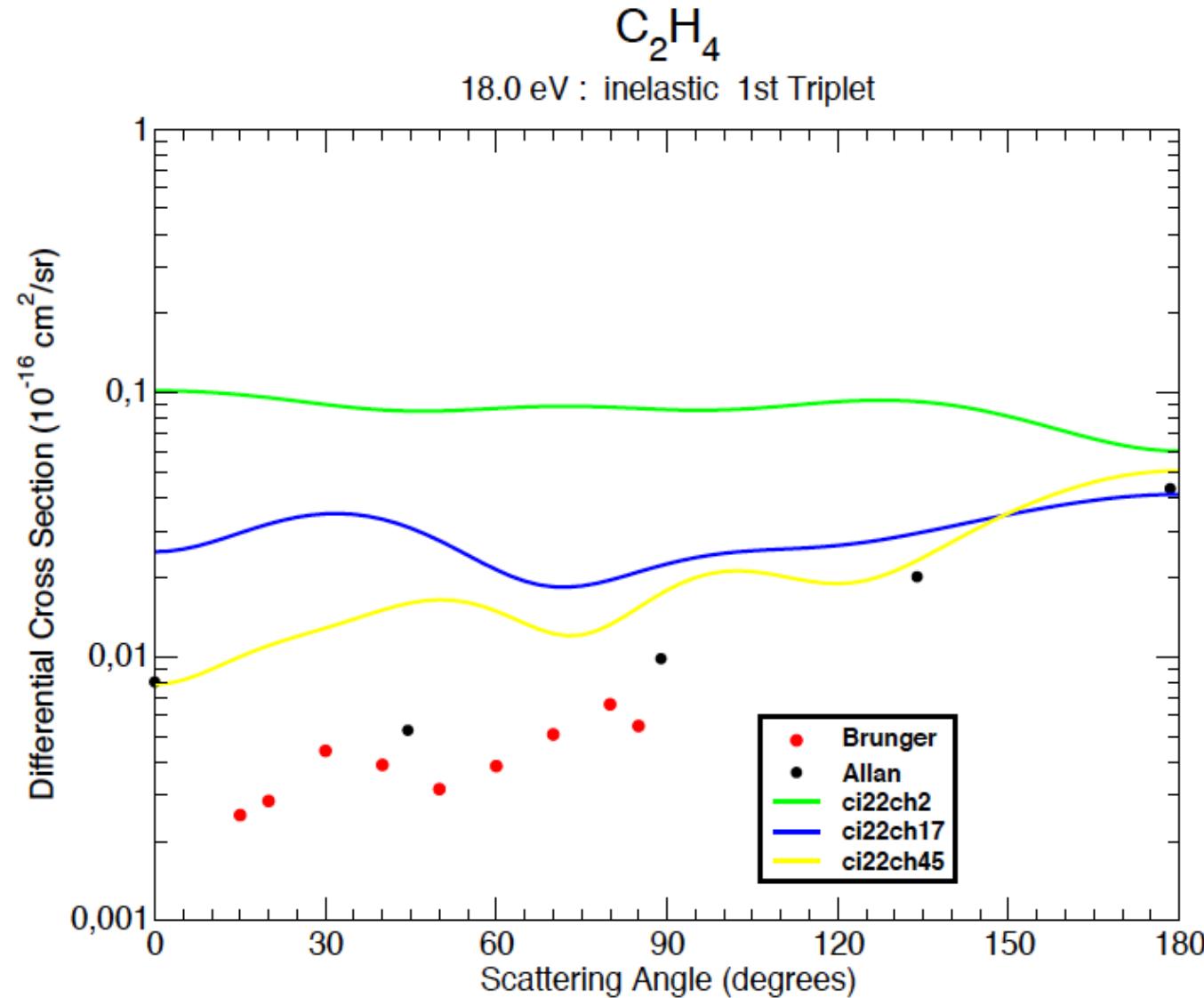
Multichannel effects on the Electronic excitation of a ${}^3\text{B}_{1u}$ state of C_2H_4 by electron impact



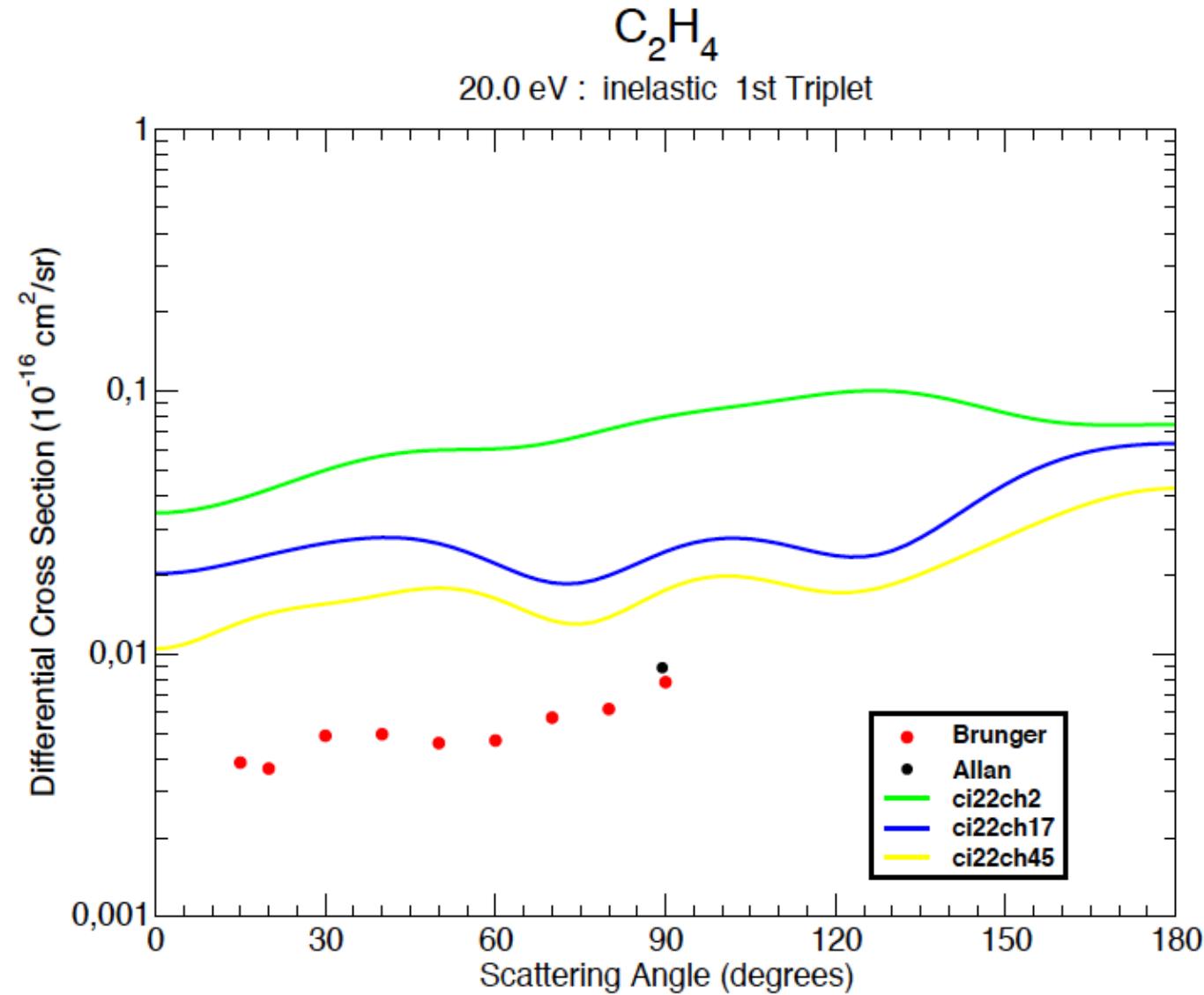
Multichannel effects on the Electronic excitation of $\tilde{a}^3\text{B}_{1u}$ state of C_2H_4 by electron impact



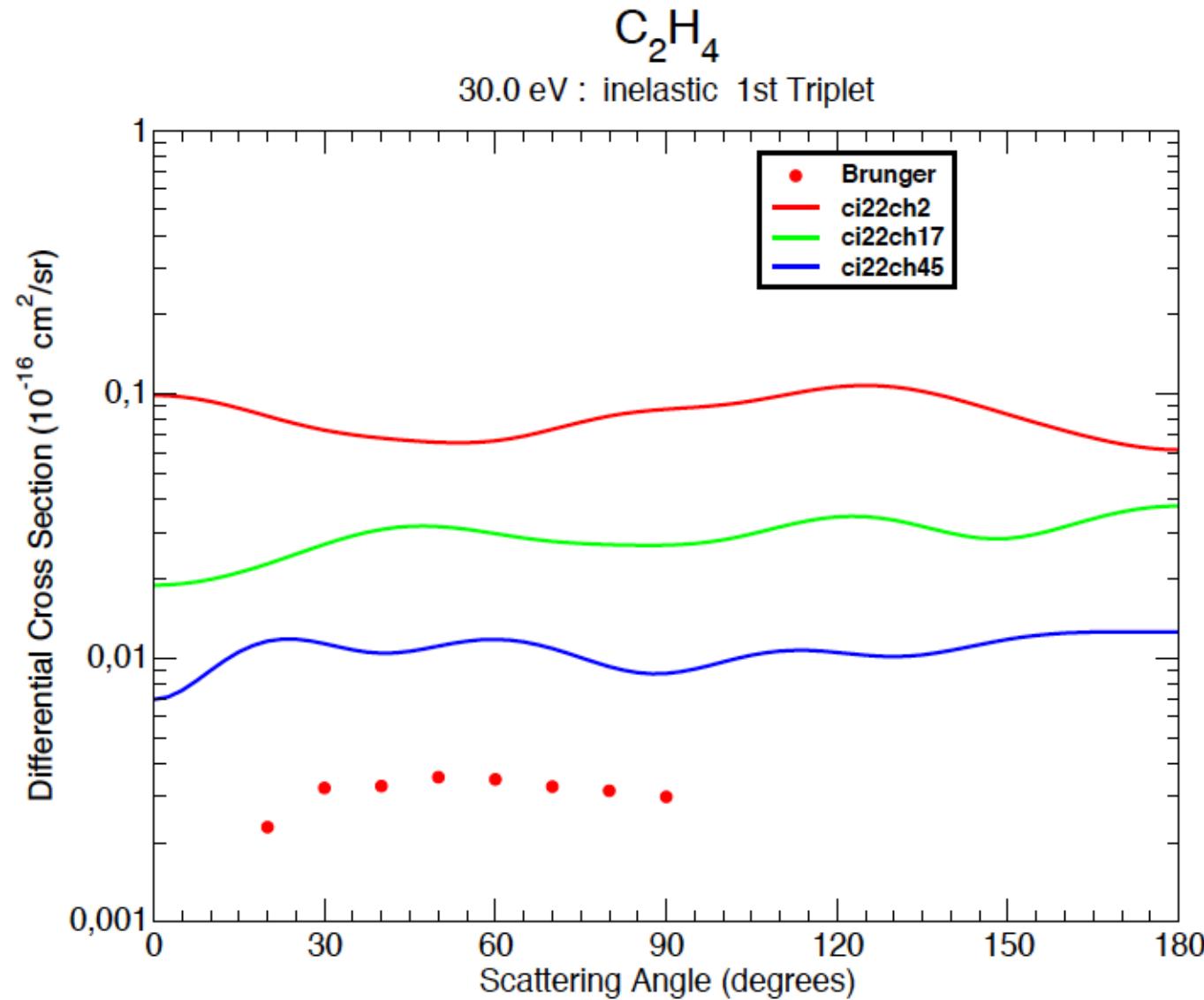
Multichannel effects on the Electronic excitation of a ${}^3\text{B}_{1u}$ state of C_2H_4 by electron impact



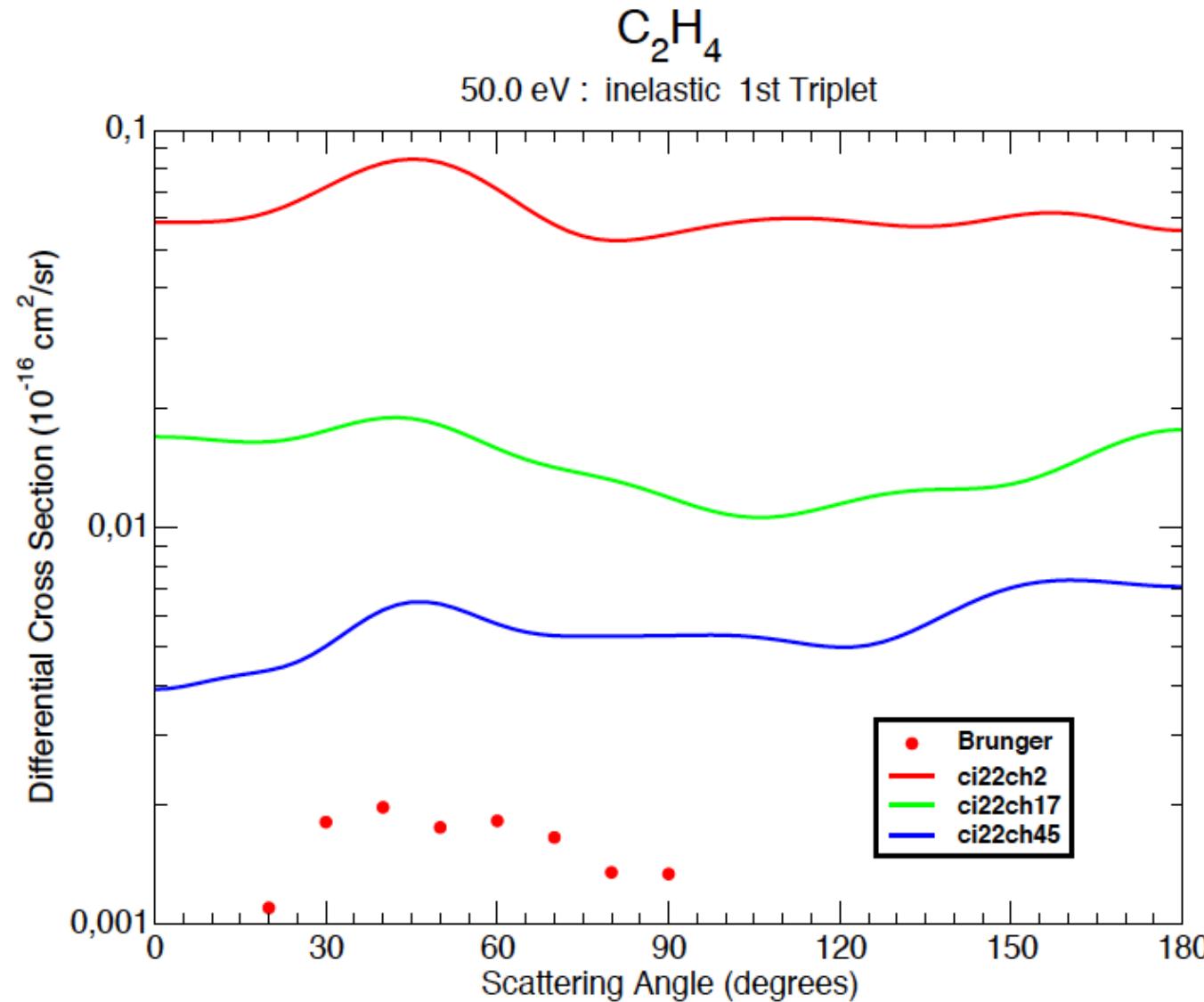
Multichannel effects on the Electronic excitation of a $^3\text{B}_{1u}$ state of C_2H_4 by electron impact



Multichannel effects on the Electronic excitation of a ${}^3\text{B}_{1u}$ state of C_2H_4 by electron impact



Multichannel effects on the Electronic excitation of a ${}^3\text{B}_{1u}$ state of C_2H_4 by electron impact



**Thank you very much for your
attention**

A copy of this presentation is at

<http://www.ifi.unicamp.br/~maplima/maplima-IFT2014.pdf>